

ABES Engineering College, Ghaziabad

(Affiliated to Dr.A.P.J AKTU, Lucknow)

Department of Computer Science & Engineering



Lab Manual

Session 2019-20 (Odd Semester)

Subject Name : Data Structures Using 'C'

Subject Code : KCS 351

Semester : B.Tech. CSE III (A,B,C)

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Tools & Software

Recommended Systems/Software Requirements:

Turbo C/C++
Code Block
Any Online C/C++ Compiler

Data Structure Lab (KCS 351)/ Data Structure Lab		
List of Experiments		
S.N o.	Program	DOMAIN
1	Program for Array Inserion, Deletion and traversal	Array
2	Program for Insertion in Sorted Array	Array
3	Program to Find the number which is not repeated in Array of integers, others are present for two times	Array
4	Program For Linear Search	Array
5	Program for Binary Search	Array
6	Program for Index Sequential Search	Array
7	Program for Bubble, Selection and Insertion Sort	Array
8	Program for Implementation of Shell Sort	Array
9	Program for Quick Sort	Array
	Program for Randomized Quick Sort	Array
	Program for Quick Sort using Median element as Pivot	Array
10	Program for Merge Sort	Array
11	Program for Merging of two Sorted Arrays	Array
12	Program for Finding set elements of A that belongs to set B	Array
13	Program for Finding set elements of A that does not belong to set B	Array
14	Program for Set Union	Array
15	Program for Set Intersection	Array
16	Program for Set DIFference	Array
17	Program for Counting Sort	Array
18	Program for Radix Sort	Array
19	Program for Matrix Addition	Array
20	Program for Matrix Multiplication	Array
21	Program for Matrix transposition	Array
22	Program for Matrix transposition without second matrix	Array
23	Program to Print a given matrix in spiral form	Array
24	Program for Sorting the given Complex Numbers	Array
25	Program for Creation of Max Heap and Min Heap	Heap
26	Program for Insertion in Max Heap/Min Heap	Heap
27	Program for Deletion from Max Heap and Min Heap	Heap
28	Program for Realizing Heap as Ascending/Descending Priority Queue	Heap
Project 1: Program for Heap Sort		
Project 2: Performance Comparision of Sorting ALGORITHMs		
29	Program for Hash Table Implementation for Basic Hash Function (Without collisions)	Hashing
30	Program for Hash Table Implementation for Collision Resolution using Linear Probing	Hashing
31	Program for Hash Table Implementation for Collision Resolution using Quadratic Probing	Hashing

32	Program for Hash Table Implementation for Collision Resolution using Double Hashing/Rehashing	Hashing
33	Program for Hash Table Implementation for Collision Resolution using Chaining	Hashing
34	Finding Anagrams: There are two strings. Find out which characters should be deleted such that both strings contain the same characters (May be in different Order)	Hashing
35	There are some numbers in which some are appearing twice but one is not repeated. Find out the number which appears once.	Hashing
36	There are two arrays containing some elements. Find out what are the elements which are there in both the arrays what are not.	Hashing
37	find out the values of a,b,c,d ($a,b,c,d \leq 1000$) for which $a^3+b^3=c^3+d^3$.	Hashing
Project 3: Identification of tokens and identifiers and storage in Hash Table		
38	Program for finding the length of a string	String
39	Program for reversing the given string	String
40	Program for finding IF the given string is a palindrome	String
41	Program for finding word count in the Paragraph	String
42	Program for converting all lower case letters to upper case and vice versa in the given sentence	String
43	Program for finding IF the given word is present in the sentence and at what location	String
44	Program for sorting the given names in the dictionary order	String
45	Program for reversing all words in a sentence	String
Project 4: Program for automatic word spelling correction using Minimum Edit Distance		
46	Program for Decimal to Binary Conversion	Stack
47	Program for Decimal to Octal Conversion	Stack
48	Program for Decimal to Hexadecimal Conversion	Stack
49	Program for Decimal to Any Base Conversion	Stack
50	Program for Stack Primitive Operations	Stack
51	Program for Postfix Evaluation	Stack
52	Program for Infix to Postfix Conversion	Stack
53	Program for Infix to Prefix Conversion	Stack
54	Program for Prefix Evaluation	Stack
55	Program to check the validity of Parenthesized Arithmetic Expressions using Stack	Stack
56	Program to check the validity of Bracketed Arithmetic Expressions using Stack	Stack
57	Program to check IF the given number is a palindrome using stacks	Stack
58	Program to Reverse the given String using Stack	Stack
Project 5: Program for evaluation of given arithmetic expression. The Expression may have variables and constants		
59	Program for finding factorial of a given number using recursion	Recursion
60	Program for Towers of Hanoi for n disk (user defined)	Recursion
61	Program for Computing A raised to power n using Recursion	Recursion
62	Program for Computing A raised to power n using Divide and Conquer	Recursion
63	Program for finding nth Fibonacci number using Recursion and improving its run time to save stack operations	Recursion
64	Program for finding the GCD of two numbers using Recursion	Recursion

65	Program to reverse the given number using Recursion	Recursion
66	Program of Array Implementation of Linear Queue	Queue
67	Program of Array Implementation of CircularQueue	Queue
68	Program for Array Implementation of Double Ended Queue	Queue
69	Program for Array Implementation of Priority Queue	Queue
70	Program for 1-D array implementation of Upper Triangular Sparse Matrix	Sparse Matrix
71	Program for 1-D array implementation of Lower Triangular Sparse Matrix	Sparse Matrix
72	Program for 1-D array implementation of Tridiagonal Sparse Matrix	Sparse Matrix
73	Program for Vector Representation of General Sparse Matrix	Sparse Matrix
74	Program For Linked List Implementation of General Sparse Matrix	Sparse Matrix
75	Program for Addition of two sparse Matrices	Sparse Matrix
76	Program for Linear Linked List Primitive operations	Linked List
77	Program for Pair wise swap of elements in linked list	Linked List
78	Program to print Linked List contents in reverse order	Linked List
79	Program for Reversing the Linear Linked List	Linked List
80	Program for concatenation of Linear Linked List	Linked List
81	Program for Creation of Ascending Order Linear Linked List	Linked List
82	Program for Merging two sorted Linked List	Linked List
83	Program for Union of two sorted Linked List (consider lists as sets)	Linked List
84	Program for Intersection of two sorted Linked List (consider lists as sets)	Linked List
85	Program for finding difference of two linked list (consider lists as sets)	Linked List
86	Program for Sorting the Linear Linked List	Linked List
87	Program for Splitting a Linked List	Linked List
88	To Detect IF there is any cycle in the linked list. (use two pointers, once moves at a speed of one node, other moves at a speed of two nodes. IF they collide with each other it means there is a cycle.	Linked List
89	Program for Polynomial Addition using Linked List	Linked List
90	Program for Circular Linked List Primitive Operations	Linked List
91	Program for concatenation of Circular Linked List	Linked List
92	Program for Doubly linked list Primitive operations	Linked List
93	Program for Circular Doubly Linked List Primitive Operations	Linked List
94	Program for Linked List Implementaion of Linear Queue	Linked List
95	Program for Linked List Implementaion of Circular Queue	Linked List
96	Program for Linked List Implementaion of Priority Queue	Linked List
97	Program for Linked List Implementation of Stacks	Linked List
Project 6: Program for Addition of Two very long Numbers		
Project 7: Implementatio of Josephus Problem		
98	Program for recursive creation of Binary Tree and Traversals	Binary Tree
99	Program for creation of Binary Tree and finding its height	Binary Tree
100	Program for creation of Binary Tree and finding count of nodes having 2 children	Binary Tree
101	Program for creation of Binary Tree and finding count of nodes having 1 child	Binary Tree
102	Program for creation of Binary Tree and finding count of nodes having 0 child	Binary Tree

103	Program for finding IF the given Binary Tree is complete	Binary Tree
104	Program for Level Order Traversal	Binary Tree
105	Program for finding Balance factor of a given node	Binary Tree
Project 8: Program for Huffman Coding		
Project 9: Creation of Binary Tree from Pre-Order and Inorder Traversal		
Project 10: Program to Create Expression Tree and its Traversal		
106	Program for BST Insertion, traversal, Minimum, maximum and Successor operations	Binary Search Tree
107	Program for BST Deletion	Binary Search Tree
108	Program to convert the given BST to Max Heap	Binary Search Tree
109	Program to check IF a Binary Tree is BST or not	Binary Search Tree
Project 11: Program for Binary Search Tree Deletions		
110	Program for AVL Tree Rotations, Insertion and Traversal operations	AVL Tree
Project 12: Program for Implementation of Interval Tree		
111	Program for BFS on a Graph	Graph
112	Program for DFS on a Graph	Graph
113	Program for Warshall's ALGORITHM for APSP	Graph
114	Program for Dijkstra's ALGORITHM for SSSP	Graph
115	Program for Warhall's ALGORITHM for Transitive Closure	Graph
116	Program for Prim's ALGORITHM for Minimal Spanning Tree	Graph
117	Program for Kruskal's ALGORITHM for Minimal Spanning Tree	Graph
118	Program for topological sorting of given graph	Graph
Project 13: Program for implemenation of Travelling Salesman Problem		

Experiment 1

Object: Write an ALGORITHM for array insertion, deletion and traversal.

DOMAIN: Array

ALGORITHM Traverse(A[], N)

BEGIN:

 FOR i=1 TO N DO
 WRITE(A[i])

END;

Time Complexity: $\Theta(N)$

Space Complexity: $\Theta(1)$

ALGORITHM Insertion(A[], N, i, key)

BEGIN:

 FOR j=N TO i STEP-1 DO
 A[j+1]=A[j]
 A[i]=key
 N=N+1

END;

Time Complexity: $\Theta(N)$

Space Complexity: $\Theta(1)$

ALGORITHM Deletion(A[], N, i)

BEGIN:

 X=A[i]
 FOR j=i+1 TO N DO
 A[j-1]=A[j]
 N=N-1
 RETURN x

END;

Time Complexity: $\Theta(N)$

Space Complexity: $\Theta(1)$

EXPERIMENT No 2

Object-Write an ALGORITHM for insertion in sorted array.

DOMAIN-Array

ALGORITHM Sorted($A[]$, N , key)

BEGIN:

$i=0$

 WHILE $A[i]<\text{key}$ DO

$i=i+1$

 RETURN i

END;

Time Complexity: $\Theta(N)$

Space Complexity: $\Theta(1)$

ALGORITHM: INS_sorted($A[]$, N , i , key)

BEGIN:

 FOR $j=N-1$ TO i STEP-1 DO

$A[j+1]=A[j]$

$A[i]=\text{key}$

$N=N+1$

END;

Time Complexity: $\Theta(N)$

Space Complexity: $\Theta(1)$

Experiment 3

Object:-Write an ALGORITHM to Find the number which is not repeated in Array of integers, others are present for two times.

DOMAIN:-Array

ALGORITHM: Arr_func(A[], N)

BEGIN:

```
    K=0,c,B[20]
    FOR i=0 TO N DO
        c=0
        FOR j=0 TO N DO
            IF A[j]==A[i] THEN
                c=c+1
            IF c==1 THEN
                B[k++]=A[i]
        FOR i=0 TO k DO
            WRITE(B[i])
```

END;

Time Complexity: $\Theta(N^2)$

Space Complexity: $\Theta(1)$

Experiment 4

Object- Write an ALGORITHM For Linear Search.

DOMAIN-Searching

ALGORITHM Linear_search(A[], N, key)

BEGIN:

 FOR i=1 TO N DO

 IF A[i]==key THEN

 RETURN i

 RETURN -1

END;

Worst Case Time Complexity: $O(N)$

Best Case Time Complexity: $\Omega(1)$

Space Complexity: $\Theta(1)$

Experiment.5

Object-Write an ALGORITHM for Binary Search.

DOMAIN-Searching

ALGORITHM Binary_search(A[], N, key)

BEGIN:

 HIGH=N-1

 LOW=0

 WHILE LOW<=HIGH DO

 MID=(LOW+HIGH)/2

 IF A[MID]==key THEN

 RETURN MID

 ELSE

 IF key<A[MID] THEN

 HIGH=MID-1

 ELSE

 LOW=MID+1

 RETURN -1

END;

Worst Case Time Complexity: $O(\log N)$

Best Case Time Complexity: $\Theta(1)$

Space Complexity: $\Theta(1)$

Experiment.6.

Object- Write an ALGORITHM for Index Sequential Search.
DOMAIN-Searching

ALGORITHM: INDsearch(data[N],KEY,index[M][2])

BEGIN:

```
FOR i=0 TO M-1 DO
    IF KEY==index[i][1] THEN
        RETURN index[i][0]
    ELSE
        IF KEY < index[i][1] THEN
            high=index[i][0]-1
            Low =index[i-1][0]+1
            BREAK
        FOR i=low TO high DO
            IF KEY ==data[i] THEN
                RETURN i
        RETURN -1
```

END;

Worst Case Time Complexity: $O(N/K+K)$

Best Case Time Complexity: $\Theta(1)$

Space Complexity: $\Theta(1)$

Experiment No 7

Object- Write an ALGORITHM for Bubble, Selection and Insertion Sort.

DOMAIN:Sorting

ALGORITHM: BubbleSort(A[], N)

BEGIN:

```
    FOR i=1 TO N-1 DO
        FOR j=1 TO N-i DO
            IF A[j]>A[j+1]
                k=A[j]
                A[j]=A[j+1]
                A[j+1]=k
```

END;

Worst Case Time Complexity: $O(N^2)$

Best Case Time Complexity: $\Omega(N)$

Space Complexity: $\Theta(1)$

ALGORITHM: InsertionSort(A[], N)

BEGIN:

```
    FOR i=2 TO N DO
        key=A[i]
        j=i-1
        WHILE j>=1 AND A[j]>key DO
            A[j+1]=A[j]
            j=j-1
        A[j+1]=key
```

END;

Worst Case Time Complexity: $O(N^2)$

Best Case Time Complexity: $\Omega(N)$

Space Complexity: $\Theta(1)$

ALGORITHM: SelectionSort(A[], N)

BEGIN:

```
    FOR i=1 TO N-1 DO
        min=i
        FOR j=i+1 TO N DO
            IF A[j]<A[min] THEN
                min=j
        Exchange(A[min], A[i])
```

END;

Time Complexity: $\Theta(N^2)$

Space Complexity: $\Theta(1)$

Experiment No 8

Object- Write an ALGORITHM for Shell Sort.

DOMAIN:Sorting

ALGORITHM shellSort(array, n):

```
    gap = n // 2
    WHILE gap > 0 DO
        FOR i=gap to n DO
            temp = array[i]
            j = i
            WHILE j >= gap AND array[j - gap] > temp DO
                array[j] = array[j - gap]
                j -= gap

            array[j] = temp
        gap //= 2
```

Time Complexity: $\Theta(N^2)$

Space Complexity: $\Theta(1)$

Experiment 9

Object-Write an ALGORITHM for Quick Sort.

DOMAIN-Sorting

ALGORITHM: QuickSort(A[],low,high)

BEGIN:

```
    IF low<high THEN
        j=Partition(A[],low,high)
        QuickSort(A[],low,j-1)
        QuickSort(A[],j+1,high)
```

END;

ALGORITHM: Partition(A[],low,high)

BEGIN:

```
    i=low, j=high+1,pivot=A[low]
    DO
        DO
            i=i+1
        WHILE(A[i]<pivot)
        DO
            J=j-1
            WHILE(A[j]>pivot)

            IF i<j THEN
                Exchange(A[i],A[j])
        WHILE(i<j)

        Exchange(A[j],A[low])
    RETURN j
```

END;

Worst Case Time Complexity: $O(N^2)$

Best Case Time Complexity: $\square(N\log_2 N)$

Space Complexity: $\square(\log_2 N)$

Experiment.10

Object-Write an ALGORITHM for Merge Sort.

DOMAIN-Sorting

ALGORITHM: MergeSort(A[],low,high)

BEGIN:

```
    IF low<high DO
        Mid=(low+high)/2
        MergeSort(A[],low,mid)
        MergeSort(A[],mid+1, high)
        Merge(A, low,mid,high)
```

END;

ALGORITHM: Merge(A[], low,mid,high)

BEGIN:

```
    i=low,j=mid+1,k=high
    WHILE i<=mid AND j<=high DO
        IF A[i]<A[j] THEN
            C[k]=A[i]
            i=i+1
            k=k+1
        ELSE
            C[k]=A[j]
            j=j+1
            k=k+1
    WHILE i<=mid DO
        C[k]=A[i]
        i=i+1
        k=k+1
    WHILE j<=high DO
        C[k]=A[j]
        j=j+1
        k=k+1
    FOR i=low TO high DO
        A[i]=C[i]
```

END;

Time Complexity: $O(N \log_2 N)$

Space Complexity: $O(N)$

Experiment.11

Object- Write an ALGORITHM for merging of two sorted arrays.

DOMAIN-Array

ALGORITHM: MergeArr(A[],m,B[],n)

BEGIN:

```
    C[m+n]
    i=1, j=1, k=1
    WHILE i<=m AND j<=n DO
        IF A[i]<B[j] THEN
            C[k]=A[i]
            i=i+1
            k=k+1
        ELSE
            C[k]=B[j]
            J=j+1
            k=k+1
    WHILE i<=m DO
        C[k]=A[i]
        i=i+1
        k=k+1
    WHILE j<=n DO
        C[k]=B[j]
        J=j+1
        k=k+1
    RETURN C
```

END;

Time Complexity: $O(N)$

Space Complexity: $O(N)$

Experiment.12

Object-Write an ALGORITHM for finding set elements of A that belong to B.
DOMAIN-Array

ALGORITHM: A_AND_B(A[],m,B[],n)

BEGIN:

```
    C[m+n]
    i=1, j=1, k=1
    WHILE i<=m AND j<=n DO
        IF A[i]<B[j] THEN
            i=i+1
        ELSE
            IF A[i]==B[j] THEN
                C[k]=B[j]
                i=i+1
                j=j+1
                k=k+1
            ELSE
                j=j+1
            RETURN C
```

END;

Time Complexity: $\Theta(N)$

Space Complexity: $\Theta(N)$

Experiment.13

Object-Write an ALGORITHM for finding set elements of A that does not belong to B.
DOMAIN-Array

ALGORITHM: A_AND_NOT_B(A[],m,B[],n)

BEGIN:

```
    C[m+n]
    i=1, j=1, k=1
    WHILE i<=m AND j<=n DO
        IF A[i]<B[j] THEN
            C[k]=A[i]
            k=k+1
            i=i+1
        ELSE
            IF A[i]==B[j] THEN
                i=i+1
                j=j+1
            ELSE
                j=j+1
        WHILE i<=m DO
            C[k]=A[i]
            i=i+1
            k=k+1
```

RETURN C

END;

Time Complexity: $\Theta(N)$

Space Complexity: $\Theta(N)$

Experiment.14.

Object-Write an ALGORITHM for Set Union.

DOMAIN-Array

ALGORITHM: SetUnion(A[],m,B[],n)

BEGIN:

```
    C[m+n]
    i=1, j=1, k=1
    WHILE i<=m AND j<=n DO
        IF A[i]<B[j] THEN
            C[k]=A[i]
            i=i+1
            k=k+1
        ELSE
            IF A[i]==B[j] THEN
                C[k]=B[j]
                i=i+1
                j=j+1
                k=k+1
            ELSE
                C[k]=B[j]
                j=j+1
                k=k+1
            END
        END
    WHILE i<=m DO
        C[k]=A[i]
        i=i+1
        k=k+1
    WHILE j<=n DO
        C[k]=B[j]
        J=j+1
        k=k+1
    END
```

RETURN C

END;

Time Complexity: $\Theta(N)$

Space Complexity: $\Theta(N)$

Experiment.15.

Object-Write an ALGORITHM for set Intersection.

DOMAIN-Array

ALGORITHM: SetIntersection(A[],m,B[],n)

BEGIN:

 C[m+n]

 i=1, j=1, k=1

 WHILE i<=m AND j<=n DO

 IF A[i]<B[j] THEN

 i=i+1

 ELSE

 IF A[i]==B[j] THEN

 C[k]=B[j]

 i=i+1

 j=j+1

 k=k+1

 ELSE

 j=j+1

 RETURN C

END;

Time Complexity: $\Theta(N)$

Space Complexity: $\Theta(N)$

Experiment.16

Object-Write an ALGORITHM for set DIFFerence.

DOMAIN:Array

ALGORITHM: SetDifference(A[],m,B[],n)

BEGIN:

```
    C[m+n]
    i=1, j=1, k=1
    WHILE i<=m AND j<=n DO
        IF A[i]<B[j] THEN
            i=i+1
        ELSE
            IF A[i]==B[j] THEN
                i=i+1
                j=j+1
            ELSE
                C[k]=B[j]
                j=j+1
                k=k+1
        WHILE j<=n DO
            C[k]=B[j]
            J=j+1
            k=k+1
    RETURN C
```

END;

Time Complexity: $\Theta(N)$

Space Complexity: $\Theta(N)$

Experiment.17.

Object-Write an ALGORITHM for Counting Sort.

DOMAIN-Sorting

ALGORITHM: CountingSort(A[],k,n)

BEGIN:

```
    FOR i = 0 TO k DO
        c[i] = 0
    FOR j = 0 TO n DO
        c[A[j]] = c[A[j]] + 1
    FOR i = 1 TO k DO
        c[i] = c[i] + c[i-1]
    FOR j = n-1 TO 0 STEP-1 DO
        B[ c[A[j]]-1 ] = A[j]
        c[A[j]] = c[A[j]] - 1
    RETURN B
```

END;

Time Complexity: $\Omega(N)$

Space Complexity: $\Theta(N)$

Experiment.18

Object-Write an ALGORITHM for Radix Sort.

DOMAIN-Sorting

ALGORITHM: RadixSort(A[],N,d)

BEGIN:

 FOR i=1 TO d DO

 Apply counting Sort on A[] at radix i

END;

Time Complexity: $\Theta(N)$

Space Complexity: $\Theta(N)$

Experiment 19.

Object- Write an ALGORITHM for Matrix Addition.

DOMAIN-Array

ALGORITHM: Matrixadd(A[][], B[][], M,N)

BEGIN:C[M][N]

 FOR i=1 TO M DO

 FOR j=1 TO N DO

 C[i][j]=A[i][j]+B[i][j]

 RETURN C

END;

Time Complexity: $\Theta(N^2)$

Space Complexity: $\Theta(N^2)$

Experiment 20

Object-Write an ALGORITHM for matrix Multiplication.

DOMAIN-Array

ALGORITHM: Matrixmultiply(A[], M,N, B[], P,Q)

BEGIN:

 C[M][Q]

 IF N!=P THEN

 FOR i=1 TO M DO

 FOR j=1 TO Q DO

 C[i][j]=0

 FOR k=1 TO N DO

 C[i][j]=C[i][j]+A[i][k]*B[k][j]

 RETURN C

END;

Time Complexity: $\Theta(N^3)$

Space Complexity: $\Theta(N^2)$

Experiment.21

Object- Write an ALGORITHM for Matrix Transposition.

DOMAIN:Array

ALGORITHM: Matrixtranspose(A[[]], M,N)

BEGIN:

 B[N][M]

 FOR i=1 TO M DO

 FOR j=1 TO N DO

 B[j][i]=A[i][j]

 RETURN B

END;

Time Complexity: $\Theta(N^2)$

Space Complexity: $\Theta(N^2)$

Experiment 22

Object-Write an ALGORITHM for matrix transposition without using second matrix.

DOMAIN-Array

ALGORITHM: Matrixtranspose(A[[]], M,N)

BEGIN:

```
    FOR i=1 TO M DO
        FOR j=1 TO i DO
            temp=A[i][j]
            A[i][j]=A[j][i]
            A[j][i]=temp
```

```
    RETURN A
```

END;

Time Complexity: $\Theta(N^2)$

Space Complexity: $\Theta(1)$

Experiment 23

Object-Write a program to print a given matrix in spiral form.

DOMAIN-Array

ALGORITHM MatrixInSpiralForm(int[][100],int,int)

BEGIN:

```
int i,k=0,l=0;
WHILE k<r and l<c DO
    for(i=l;i<c;i++)
        write(a[k][i])
    k++
    FOR(i=k;i<r;i++) DO
        write(a[i][c-1])
    c--
    IF(k<r) THEN
        for(i=c-1;i>=l;i--)
            write(a[r-1][i])
        r--
    IF(l<c) THEN
        for(i=r-1;i>=k;i--) DO
            printf("%d ",a[i][l])
        l++;
```

END;

Time Complexity: $\Theta(N)$

Space Complexity: $\Theta(1)$

Experiment 25

Object-Write an ALGORITHM for creation of min heap and max heap.

DOMAIN-Heap

ALGORITHM MaxHeapify(A[],N)

BEGIN:

 FOR $i=N/2$ TO STEP-1 DO

 Adjust(A,i,N)

END;

ALGORITHM Adjust(A[],i,N)

BEGIN:

 WHILE $2*i \leq N$ DO

$j=2*i$

 IF $j+1 \leq N$ THEN

 IF $A[j+1] > A[j]$

$j=j+1$

 IF $A[j] > A[i]$ THEN

 Exchange($A[j]$, $A[i]$)

 ELSE

 BREAK

$i=j$

END;

ALGORITHM MinHeapify(A[],N)

BEGIN:

 FOR $i=N/2$ TO STEP-1 DO

 Adjust(A,i,N)

END;

ALGORITHM Adjust(A[],i,N)

BEGIN:

 WHILE $2*i \leq N$ DO

$j=2*i$

 IF $j+1 \leq N$ THEN

 IF $A[j+1] < A[j]$

$j=j+1$

 IF $A[j] < A[i]$ THEN

 Exchange($A[j]$, $A[i]$)

 ELSE

 BREAK

$i=j$

END;

Time Complexity: $\Theta(N \log N)$

Space Complexity: $\Theta(1)$

Experiment 26

Write an ALGORITHM for insertion in min or max heap.

ALGORITHM InsertHeap(A[],N,key)

BEGIN:

 A[N+1]=key

 i=N+1

 WHILE i>1 AND A[i]<A[i/2] DO

 Exchange(A[i],A[i/2])

 i=i/2

 N=N+1

END;

Time Complexity: $\Theta(N)$

Space Complexity: $\Theta(1)$

Experiment 27

Write an ALGORITHM for deletion from min or max heap.

ALGORITHM DeleteHeap(A[],N)

BEGIN:

$x = A[i]$

$A[i] = A[N]$

 Adjust(A[],1,N-1)

 RETURN x

END;

Time Complexity: $\Theta(\log N)$

Space Complexity: $\Theta(1)$

Experiment 28

Write an ALGORITHM for realizing Heap as Ascending/ Descending Priority Queue

ALGORITHM PQInsert(A[],N,key)

BEGIN:

 A[N+1]=key

 i=N+1

 WHILE i>1 AND A[i]<A[i/2] DO

 Exchange(A[i],A[i/2])

 i=i/2

 N=N+1

END;

Time Complexity: $\Theta(\log N)$

Space Complexity: $\Theta(1)$

ALGORITHM PQDelete (A[],N)

BEGIN:

 x=A[i]

 A[i]=A[N]

 Adjust(A[],1,N-1)

 RETURN x

END;

Time Complexity: $\Theta(\log N)$

Space Complexity: $\Theta(1)$

ALGORITHM Adjust(A[],i,N)

BEGIN:

 WHILE 2*i<=N DO

 j=2*i

 IF j+1<=N THEN

 IF A[j+1]>A[j]

 j=j+1

 IF A[j]>A[i] THEN

 Exchange(A[j],A[i])

 ELSE

 BREAK

 i=j

END;

Time Complexity: $\Theta(\log N)$

Space Complexity: $\Theta(1)$

Experiment 29

Object: Program for Hash Table Implementation for Basic Hash Function (Without collisions)

DOMAIN-String

ALGORITHM DivisionHash(Key, TS)

BEGIN:

 NearestPrime(TS)

$h = \text{Key} \% \text{TS}$

 RETURN h

END;

Time Complexity: $\theta(1)$

Space Complexity: $\theta(1)$

ALGORITHM MidsquareHash(Key, TS)

BEGIN:

$L = \text{LengthOfKey}(\text{Key})$

$n = \text{key} * \text{key}$

$x = \text{Ceil}((2 * L - TS) / 2)$

$n = n / 10^x$

$h = n \% 10^L$

 RETURN h

END;

Time Complexity: $\theta(1)$

Space Complexity: $\theta(1)$

ALGORITHM FoldingHash(Key, TS)

BEGIN:

$L = \text{LengthOfKey}(\text{Key})$

$n = \text{key}$

 Sum=0

 WHILE $n \geq 0$ DO

$r = n \% \text{TS}$

 Sum=Sum+r

$n = n / \text{TS}$

$h = \text{Sum} \% \text{TS}$

 RETURN h

END;

Time Complexity: $\theta(1)$

Space Complexity: $\theta(1)$

Experiment 30

Object: Program for Hash Table Implementation for Collision Resolution using Linear Probing

ALGORITHM LinearProbing (T[], N, Key,h)

BEGIN:

 i=h

 DO

 IF T[i]==key THEN

 RETURN i

 ELSE

 IF T[i]==Blank THEN

 RETURN -1

 ELSE

 i=(i+1)%N

 WHILE(1)

END;

Time Complexity: $\theta(N)$

Space Complexity: $\theta(1)$

Experiment 31

Program for Hash Table Implementation for Collision Resolution using Quadratic Probing

ALGORITHM QuadraticProbing (T[], N, Key,h)

BEGIN:

```
    i=0
    x=h
    DO
        IF T[x]==key THEN
            RETURN x
        ELSE
            IF T[x]==Blank THEN
                RETURN -1
            ELSE
                 $x=(h+a*i+bi^2)\%N$ 
                i=i+1
    WHILE(1)
```

END;

Program for Hash Table Implementation for Collision Resolution using Double Hashing/Rehashing

Time Complexity: $\theta(N)$

Space Complexity: $\theta(1)$

Experiment 32

ALGORITHM DoubleHashingProbe ($T[]$, N , Key, h, h')

BEGIN:

$i=1$

$x=h$

 DO

 IF $T[x]==key$ THEN

 RETURN x

 ELSE

 IF $T[x]==Blank$ THEN

 RETURN -1

 ELSE

$x=(h+i*h')\%N$

$i=i+1$

 WHILE(1)

END;

Time Complexity: $\theta(N)$

Space Complexity: $\theta(1)$

Experiment 33

Program for Hash Table Implementation for Collision Resolution using Chaining

Search

ALGORITHM HashCollisionResolutionChaining (SparseChain[], N, Key,h)

BEGIN:

```
    i=1
    p=SparseChain[h]
    WHILE p!=NULL DO
        IF p→data == key THEN
            RETURN p
        ELSE
            P=p→ Next
    RETURN -1
```

END;

Storage

ALGORITHM HashCollisionResolutionChaining (SparseChain[], N, Key,h)

BEGIN:

```
p=SparseChain[h]
WHILE p→Next! = NULL DO
    p=p→ Next
```

```
q=GetNode(key)
p→Next=q
```

END;

Experiment 34

Finding Anagrams: There are two strings. Find out which characters should be deleted such that both strings contain the same characters (May be in different Order)

ALGORITHM Anagrams(str1,str2)

BEGIN:

```
    Counting[52] = {0}
    i=0
    WHILE str1[i]!='\0' DO
        IF str1[i]>='a' AND str1[i]<='z' THEN
            Counting[str[i]-'a']++
        ELSE
            IF str1[i]>='A' AND str1[i]<='Z' THEN
                Counting[str[i]-'A'+26]++
            i++

    j=0
    WHILE str2[j]!='\0' DO
        IF str2[j]>='a' AND str2[j]<='z' THEN
            IF(Counting[str2[j]-'a'] == 0)
                WRITE(str2[j])
        IF str2[j]>='A' AND str2[j]<='Z' THEN
            IF(Counting[str2[j]-'A'+26] == 0)
                WRITE(str2[j])
        j++
```

END;

Time Complexity: $\theta(M+N)$

Space Complexity: $\theta(C)$

Experiment 35

There are some numbers in which some are appearing twice but one is not repeated. Find out the number which appears once.

ALGORITHM RepeatedElements(A[],N)

BEGIN:

Maximum = - IntMax

FOR i=0 TO N-1 DO

IF A[i] < Maximum THEN

Maximum = A[i]

C[Maximum] = {0}

FOR i=0 TO N-1 DO

C[A[i]]++

FOR i=0 TO Maximum DO

IF C[i] == 1 THEN

WRITE(C[i])

END;

Time Complexity: $\theta(\text{Maximum}+N)$

Space Complexity: $\theta(\text{Maximum})$

Experiment 36

There are two arrays containing some elements. Find out what are the elements which are there in both the arrays what are not.

ALGORITHM RepeatedElements(A[], N, B[], M)

BEGIN:

```
Maximum1 = - IntMax
FOR i=0 TO N-1 DO
    IF A[i] < Maximum1 THEN
        Maximum1 = A[i]

CA[Maximum1] = {0}
FOR i=0 TO N-1 DO
    CA[A[i]]++

Maximum2 = - IntMax
FOR i=0 TO M-1 DO
    IF B[i] < Maximum2 THEN
        Maximum2 = B[i]

CB[Maximum2] = {0}
FOR i=0 TO N-1 DO
    CB[B[i]]++

i=0

WHILE i<= Maximum1 AND i<=Maximum2 DO
    IF CA[i] >0 AND CB[i]>0 THEN
        WRITE(CA[i])
    i++
```

END;

Time Complexity: $\theta(M+N)$

Space Complexity: $\theta(CA+CB)$ where CA is the Maximum element of A array and CB is the Maximum size of B array

Experiment 37

Find out the values of a,b,c,d ($a,b,c,d \leq 1000$) for which $a^3+b^3=c^3+d^3$.

Struct DAT

```
{  
int a;  
int b;  
};
```

ALGORITHM DirectAddressTableApplication()

BEGIN:

```
    FOR i=0 TO 1000 DO  
        FOR j=0 TO 1000 DO  
            Sum=i*i+i*j*j  
            DAT[Sum].a=i  
            DAT[Sum].b=j  
  
    FOR c=0 TO 1000 DO  
        FOR d=0 TO 1000 DO  
            X=c*c*c+d*d*d  
            WRITE(DAT[X].a)  
            WRITE(DAT[X].b)
```

Time Complexity: $\theta(1000^2)$

Space Complexity: $\theta(1000^2)$

Experiment.38

Object-Write an ALGORITHM to find length of a string.

DOMAIN-String

ALGORITHM LengthOfString(String str[])

BEGIN:

 i = 0

 WHILE str[i] != '\0'

 i = i + 1

 RETURN i

END;

Time Complexity: $\theta(n)$

Space Complexity: $\theta(1)$

Experiment 39

Object-Write an ALGORITHM to reverse a given string.

DOMAIN-String

ALGORITHM ReverseOfString(String str 1[])

BEGIN:

```
String str 2[ ]  
L = LengthOf String( str 1[ ] )  
i = 0  
WHILE L != '0'  
    str 2[ i ]= str 2[ L -1]  
    i = i + 1  
    L = L - 1  
RETURN str 2
```

END;

Time Complexity: $\theta(L)$

Space Complexity: $\theta(1)$

Experiment 40

Object-Write an ALGORITHM to find IF the given string is palindrome or not.

DOMAIN-String

ALGORITHM StringPalindrome(String str[])

BEGIN:

 L = Length Of String(str[])

 i = 0

 WHILE i != L/2

 IF str[i] = str[L - i]

 c = c + 1

 IF c == L/2

 RETURN **TRUE**

 ELSE

 RETURN **FALSE**

END;

Time Complexity: $\theta(L)$

Space Complexity: $\theta(1)$

Experiment 41

Object-Write an ALGORITHM to find number of words in a paragraph.

DOMAIN-String

ALGORITHM Word Count(String str[])

BEGIN:

 c = 0

 i = 0

 WHILE str[i] != '\0'

 IF str[i] == " "

 c = c + 1

 RETURN c + 1

END;

Time Complexity: $\theta(L)$

Space Complexity: $\theta(1)$

Experiment-42

OBJECT-Write an **ALGORITHM** to convert all lowercase letters to uppercase letters and vice versa.

ALGORITHM conversion(string a[])

BEGIN:

 i=0;

 WHILE a[i]!='\0' DO

 IF a[i]>='a'&&a[i]<='z' THEN

 a[i]=a[i]-32;

 ELSE IF a[i]>='A'&&a[i]<='Z' THEN

 a[i]=a[i]+32;

 i++;

END;

TIME COMPLEXITY - $\Theta(n)$

SPACE COMPLEXITY - $\Theta(n)$

Experiment-43

OBJECT-Write an **ALGORITHM** to find the given word is present in the sentence and at what location.

ALGORITHM wordcheck(string str[], string search[])

BEGIN:

```
count1 = 0, count2 = 0
WHILE str[count1] != '\0' DO
    count1=count1+1
WHILE search[count2] != '\0' DO
    count2=count2+1
FOR i = 0 TO count1 - count2 DO

    FOR j = i TO i + count2 DO

        flag = 1
        IF str[j] != search[j - i] THEN

            flag = 0
            break

    IF flag == 1 THEN
        break

IF flag == 1
    WRITE("SEARCH SUCCESSFUL")
ELSE
    WRITE("SEARCH UNSUCCESSFUL")
```

END;

Experiment-44

OBJECT-Write an **ALGORITHM** to sort names in a dictionary order.

ALGORITHM sortingofnames(string name[],int n)

BEGIN:

 FOR i = 0 TO n DO

 strcpy(tname[i], name[i])

 FOR i = 0 TO n - 1 DO

 FOR j = i + 1 TO n DO

 IF strcmp(name[i], name[j])>0 THEN

 strcpy(temp, name[i])

 strcpy(name[i], name[j])

 strcpy(name[j], temp)

 RETURN name

END;

Experiment No-45

OBJECT-Write an **ALGORITHM** for reversing all words in a string.

ALGORITHM reversingwords(string str[])

BEGIN:

FOR i = 0 TO str[i] != '\0' DO

IF str[i] == ' ' THEN

str1[k][j]='\0'

k=k+1

j=0

ELSE

str1[k][j]=str[i]

j=j+1

}

str1[k][j] = '\0'

FOR i = 0 TO k DO

len = strlen(str1[i])

FOR j = 0, x = len - 1 TO x STEP+1,STEP-1 DO

temp = str1[i][j]

str1[i][j] = str1[i][x]

str1[i][x] = temp

RETURN str

END;

Experiment 46

Write an ALGORITHM for Decimal to Binary Conversion.

ALGORITHM Decimal to Binary(n)

BEGIN:

 Stack S

 Initialize(s)

 WHILE n!=0 DO

 r=n%2

 PUSH(S,r)

 n=n/2

 WHILE ! Empty (s) DO

 X=Pop(s)

 Write(x)

END;

Time Complexity- $\theta(\log N)$

Space Complexity- $\theta(N)$

Experiment 47

Write an ALGORITHM for Decimal to octal conversion.

ALGORITHM Decimal to Octal(n)

BEGIN:

 Stack S

 Initialize(s)

 WHILE n!=0 DO

 r=n%8

 PUSH(S,r)

 n=n/8

 WHILE ! Empty (s) DO

 X=Pop(s)

 Write(x)

END;

Time Complexity- $\theta(\log N)$

Space Complexity- $\theta(N)$

Experiment 48

Write an ALGORITHM for Decimal to hexadecimal Conversion.

ALGORITHM Decimal to Hexadecimal(n)

BEGIN:

```
    Stack S
    Initialize(s)
    WHILE  n!=0 DO
        r=n%16
        PUSH(S,r)
        n=n/16
    WHILE  ! Empty (s) DO
        X=Pop(s)
        IF(x<10) THEN
            WRITE x
        ELSE
            IF(x==10) THEN
                WRITE A
            IF(x==11) THEN
                WRITE B
            IF(x==12) THEN
                WRITE C
            IF(x==13) THEN
                WRITE D
                IF(x==14) THEN
                    WRITE E
            IF(x<15) THEN
                WRITE F
```

END

Time Complexity- $\theta(\log N)$

Space Complexity- $\theta(N)$

Experiment 49

Write an ALGORITHM for Decimal to any base conversion.

ALGORITHM Decimal to AnyBase(n,b)

BEGIN:

 Stack S

 Initialize(s)

 WHILE n!=0 DO

 r=n%b

 PUSH(S,r)

 n=n/b

 WHILE ! Empty (s) DO

 X=Pop(s)

 Write(x)

END;

Time Complexity- $\theta(\log N)$

Space Complexity- $\theta(N)$

Experiment 50

Write An ALGORITHM for Stack Primitive Operations.

ALGORITHM Initialize stack(Stack S)

Begin:

 S.TOP=-1

End;

Time Complexity- $\theta(1)$

Space Complexity- $\theta(1)$

ALGORITHM Push(Stack S,key)

Begin:

 IF S.TOP==SIZE-1 THEN

 WRITE("Stack Overflows")

 EXIT (1)

 S.TOP++

 S.ITEM[S.TOP]=key

End;

Time Complexity- $\theta(N)$, Space Complexity- $\theta(1)$

ALGORITHM Empty (Stack S)

Begin:

 IF S.TOP==--1 THEN

 RETURN TRUE

 ELSE

 RETURN FALSE

End;

Time Complexity- $\theta(1)$, Space Complexity- $\theta(1)$

ALGORITHM Pop (Stack S,key)

Begin:

 IF EMPTY(S) THEN

 WRITE ("Stack underflows")

 EXIT(1)

 X=S.ITEM[S.TOP]

 S.TOP- -

 RETURN X

End;

Time Complexity- $\theta(1)$, Space Complexity- $\theta(1)$

ALGORITHM STACKTOP (Stack S)

Begin:

 RETURN (S.ITEM[S.TOP])

End;

Time Complexity- $\theta(1)$, Space Complexity- $\theta(1)$

EXPERIMENT 51

OBJECT: To write an ALGORITHM for Evaluation postfix expression.

DOMAIN: STACK

ALGORITHM POSTFIX EVALUATION (Postfix Expression)

BEGIN:

 STACK OpndStack

 Initialize (OpndStack)

 WHILE not end of input from postfix expression Do

 Symbol = Next character from postfix expression

 IF Symbol is an operand THEN

 push (OpndStack ,symbol)

 ELSE

 oprnd 2=POP (OpndStack)

 oprnd 1=POP(OpndStack)

 value=Result of applying symbol to oprnd1 and oprnd2

 push(OpndStack,value)

 Result = pop(OpndStack)

 RETURN Result

END;

TIME COMPLEXITY- $\Theta(N)$

SPACE COMPLEXITY- $\Theta(N)$

EXPERIMENT 52

OBJECT: To write an **ALGORITHM** for infix to postfix conversion.

DOMAIN: STACK

ALGORITHM Infix to postfix (Infix expression)

BEGIN:

```
    STACK (Opstack)
    Initialize (Opstack)
    WHILE not the end of input from Infix Expression DO
        Symbol = next symbol from Infix Expression
    IF Symbol is an operand THEN
        Add symbol to postfix expression
    ELSE
        WHILE (! Empty (Opstack) && Prcd (Stack Top(Opstack) ,Symbol)
            x=pop (Opstack)
            Add x to postfix Expression

        IF Symbol == ')' THEN
            x = pop(Opstack)
        ELSE
            PUSH( Opstack ,Symbol)
        PUSH( Opstack ,Symbol)

    WHILE ! Empty(Opstack) DO
        x= pop(Opstack)
        Add x to Postfix Expression
    RETURN Postfix Expression
END;
```

TIME COMPLEXITY- $\Theta(N)$

SPACE COMPLEXITY- $\Theta(N)$

EXPERIMENT 53

OBJECT: To write an **ALGORITHM** for infix to prefix conversion.

DOMAIN: STACK

ALGORITHM Infix to postfix (Infix expression)

BEGIN:

 Reverse (Infix Expression)

 STACK (Opstack)

 Initialize (Opstack)

 WHILE not the end of Symbol from Infix Expression DO

 Symbol = next symbol from Infix Expression

 IF Symbol is an operand THEN

 Add symbol to postfix expression

 ELSE

 WHILE (! Empty (Opstack) && ! Prcd (Symbol,Stack Top(Opstack))

 x=pop (Opstack)

 Add x to postfix Expression

 IF Symbol == ')' THEN

 x = pop(Opstack)

 ELSE

 PUSH(Opstack ,Symbol)

 PUSH(Opstack ,Symbol)

 WHILE ! Empty(Opstack) DO

 x= pop(Opstack)

 Add x to Postfix Expression

 RETURN Reverse (Prefix Expression)

END;

TIME COMPLEXITY- $\Theta(n^2)$

SPACE COMPLEXITY- $\Theta(n)$

EXPERIMENT 54

OBJECT: To write an ALGORITHM for prefix evaluation.

DOMAIN: STACK

ALGORITHM PREFIX EVALUATION (Prefix Expression)

BEGIN:

Reverse (Prefix Expression)

STACK OpStack

Initialize (OpStack)

WHILE not end of input from prefix expression DO

Symbol = Next character from prefix equation

IF Symbol is an operand THEN

push (OpStack ,symbol)

ELSE

oprnd 1=push(OpStack)

oprnd 2=push(OpStack)

value=Result of applying symbol to oprnd1 and oprnd2

push(OpStack ,value)

Result = pop(OpStack)

RETURN Result

END;

TIME COMPLEXITY- $\Theta(N)$

SPACE COMPLEXITY- $\Theta(N)$

EXPERIMENT 55

OBJECT - Program to check the validity of Paranthesized Arithmetic Expression using Stack.

DOMAIN - Stack

ALGORITHM Valid Expression (String Exp[])

BEGIN:

```
    Valid=1
    Stack S
    Initialize S
    WHILE Exp[i] != '$' DO
        IF Exp[i] == '(' THEN
            PUSH (S,Exp[i])
        ELSE
            IF Exp[i] == ')' THEN
                IF (Empty (S)) THEN
                    Valid=0
                    BREAK
                ELSE
                    Pop(S)
            i++
        IF valid == 0 THEN
            WRITE("Valid Expression")
        ELSE
            IF Empty(S) THEN
                WRITE("Valid Expression")
            ELSE
                WRITE("Invalid Expression")
    END;
```

TIME COMPLEXITY- $\Theta(n)$

SPACE COMPLEXITY- $\Theta(n)$

Experiment. 57

OBJECT-Write an ALGORITHM to check IF given number is palindrome using stack.

DOMAIN -Stack

ALGORITHM palindrome check (str[])

Begin:

```
    i=0
    Stack S
    Initialize (s)
    WHILE str[i] !='\0' DO
        PUSH (s , str[i])
        i++

    i=0
    WHILE str[i] !='\0' DO
        IF Str[i]==StackTOP(S) THEN
            POP(s)
        ELSE
            Break;
    IF Empty (s) THEN
        WRITE ("Palindrome")
    ELSE
        WRITE (" Not Palindrome")
```

End;

TIME COMPLEXITY - $\Theta(n)$

SPACE COMPLEXITY - $\Theta(n)$

Experiment.58

OBJECT - Write an ALGORITHM to reverse a string using Stack.

DOMAIN- Stack

ALGORITHM String Reverse(String str[])

Begin:

```
    i=0
    Stack S
    Initialize (s)
    WHILE str[i] !='\0' DO
    PUSH (s , str[i])
    i++
    WHILE ! Empty(s) DO
    x=pop(s)
    WRITE(x)
```

End;

TIME COMPLEXITY - $\Theta(1)$

SPACE COMPLEXITY - $\Theta(1)$

Experiment.59

Q. Write an ALGORITHM to calculate factorial of a number using recursion.

ALGORITHM FACTORIAL(a)

BEGIN :

IF a==0

 RETURN(1)

ELSE

 IF(a>0)

 RETURN(a*FACTORIAL(a-1))

END;

Time Complexity: $\Theta(n)$

Space Complexity: $\Theta(n)$

Experiment.60

Q. Write an ALGORITHM for tower of Hanoi for n disk.

```
ALGORITHM TOH(N,S,M,D)
BEGIN:
IF N==1 THEN
    Transfer disk from S to D
ELSE
    TOH(N-1,S,M,D)
    Transfer Disk From S to D
    TOH(N-1M,S,D)
End;
```

Time Complexity: $\Theta(2^n)$

Space Complexity: $\Theta(n)$

Experiment.61

Q. Write an ALGORITHM to calculate power of a given number using recursion.

ALGORITHM POWER(a,b)

BEGIN:

 IF $b==0$ THEN

 RETURN 1

 ELSE

 RETURN $a*\text{POWER}(a,b-1)$

END;

Time Complexity: $O(b)$

Space Complexity: $\Theta(b)$

Experiment.62

Object: Write an ALGORITHM to calculate power of a given number using divide and Conquer

ALGORITHM POWER(a,b)

BEGIN:

 IF $b == 0$ THEN

 RETURN 1

 ELSE

 IF $b \% 2 == 0$ THEN

 RETURN $\text{POWER}(a, b/2) * \text{POWER}(a, b/2)$

 ELSE

 RETURN $a + \text{POWER}(a, b/2) * \text{POWER}(a, b/2)$

END;

Time Complexity: $O(\log b)$

Space Complexity: $\Theta(\log b)$

Experiment.63

Q. Write an ALGORITHM to Calculate n terms of Fibonacci series using recursion.

ALGORITHM Fibo(a)

BEGIN:

 IF a==1 THEN

 RETURN 0

 ELSE

 IF a==2 THEN

 RETURN 1

 ELSE

 RETURN Fibo(a-1)+Fibo(a-2)

END;

Time Complexity: $\Theta(2^N)$

Space Complexity: $\Theta(N)$

Experiment.64

Q. Write an ALGORITHM to calculate HCF of 2 numbers.

ALGORITHM HCF(a,b)

BEGIN:

 IF a==b THEN

 RETURN a

 ELSE IF a>b THEN

 RETURN HCF(a-b,b)

 ELSE

 RETURN HCF (a,b-a)

END;

Time Complexity: $O(\log n)$

Space Complexity: $\Theta(1)$

Experiment.65

Q. Write an ALGORITHM to calculate reverse of a number using recursion.

ALGORITHM REV (a,len)

BEGIN:

 IF len ==1

 RETURN a

 ELSE

 RETURN((a%10)*pow(10,len-1))+REV(a/10,len-1)

END;

Time Complexity: $\Theta(\log n)$

Space Complexity: $\Theta(\log n)$

Experiment. 66

OBJECT: Program for Array implementation of Linear Queue

•ALGORITHM INITIALIZE(QUEUE Q)

BEGIN:

 Q.REAR=0

 Q.FRONT=1

END;

•ALGORITHM ENQUEUE(QUEUE Q,key)

BEGIN:

IF Q.REAR ==SIZE THEN

 write (Queue overflow)

 Exit 1

 Q.REAR=Q.REAR+1

 Q.item[Q.REAR]=key

END;

• ALGORITHM DEQUEUE(QUEUE Q)

BEGIN:

IF Q.REAR-Q.FRONT+1==0 THEN

 Exit(1)

x=Q.item[Q.FRONT]

 Q.FRONT =Q.FRONT +1

RETURN x

END;

•ALGORITHM EMPTY(QUEUE Q)

BEGIN:

 IF Q.REAR – Q.FRONT +1 == 0 THEN

 RETURN TRUE

 ELSE

 RETURN FALSE

END;

For all the above ALGORITHM

Time Complexity: $\Theta(1)$

Space Complexity: $\Theta(1)$

Experiment.67

OBJECT: Program for Array implementation of Circular Queue

• **ALGORITHM INITIALIZATION(Queue Q)**

```
BEGIN :  
    CQ.REAR=Size-1  
    CQ.FRONT=Size-1  
END;
```

• **ALGORITHM ENQUEUE(CQueue CQ,KEY)**

```
BEGIN:  
    IF (CQ.REAR+1)%SIZE==CQ.FRONT THEN  
        write(Queue overflows)  
        Exit(1)  
    CQ.REAR=(CQ.REAR+1)%SIZE  
    CQ.item[CQ.REAR]=key  
END;
```

• **ALGORITHM DEQUEUE(CQueue CQ)**

```
BEGIN:  
    IF CQ.REAR==CQ.FRONT  
        write( queue overflow)  
        Exit(1)  
    CQ.FRONT=(CQ.FRONT+1)%Size  
    x=CQ.item[CQ.FRONT]  
    RETURN(x)  
END;
```

• **ALGORITHM EMPTY(CQueue CQ)**

```
BEGIN:  
    IF CQ.REAR = CQ.FRONT THEN  
        RETURN TRUE  
    ELSE  
        RETURN FALSE  
END;
```

For all the above ALGORITHM

Time Complexity: $\Theta(1)$

Space Complexity: $\Theta(1)$

Experiment.68

OBJECT: Program for Array implementation of Double Ended Queue

•ALGORITHM INSREAR (DQUEUE DQ)

```
BEGIN:

    IF(DQ.REAR==SIZE-1) THEN
        Write(queue overflow)
        Exit(1)

    ELSE
        REAR=REAR+1
        DQ.REAR=item

    IF(REAR=0) THEN:
        REAR=REAR+1

    IF(FRONT=0) THEN:
        FRONT= FRONT +1

END;
```

•ALGORITHM INSFRONT(DQUEUE DQ)

```
BEGIN:

    IF(FRONT<=1) THEN:
        Write(cannot add item at FRONT end)
        Exit(1)

    ELSE
        FRONT=FRONT-1;
        DQ.FRONT=item

END;
```

•ALGORITHM DELFRONT(DQUEUE DQ)

```
BEGIN:

    IF(FRONT=0) THEN:
        Write(queue underflow)
        Exit(1)

    ELSE
```

```

        Item=DQ.FRONT
        Write(item)

    IF(FRONT=REAR) THEN:
        FRONT=0
        REAR=0
    ELSE
        FRONT=FRONT+1
RETURN item
END;

```

• **ALGORITHM DELREAR(DQUEUE DQ)**

```

BEGIN:

    IF(REAR=0) THEN:
        Write(cannot delete value at REAR end)
        Exit(1)
    ELSE
        Item=DQ.REAR
        Write(item)

        IF(FRONT=REAR) THEN:
            FRONT=0
            REAR=0
        ELSE
            REAR=REAR-1
    RETURN item

END;

```

For all the above ALGORITHM

Time Complexity: $\Theta(1)$

Space Complexity: $\Theta(1)$

Experiment. 69

OBJECT: Program for Array implementation of priority Queue

• **ALGORITHM ARRAY INSERTION**(pq[],i,key,:*N)

```
BEGIN:
    For j=*N-1 to i STEP-1 Do
        pq[j+1]=pq[j]
    pq[i]=key
    *N=*N+1
END;
```

TIME COMPLEXITY: $\Omega(1)$, $O(N)$

SPACE COMPLEXITY: $\Theta(1)$

• **ALGORITHM ARRAYDELETE**(pq[],*N,i)

```
BEGIN: y=pq[i]
    For j=i+1 to *N-1 Do
        pq[j-1]=pq[j]
    *N=*N-1
    RETURN y
END;
```

TIME COMPLEXITY: $\Omega(1)$, $O(N)$

SPACE COMPLEXITY: $\Theta(1)$

• **ALGORITHM ARRAYINSERTION**(pq[],*N,key)

```
BEGIN:
    i=0
    WHILE i<=*N && key>pq[i]
        i=i+1
    Arrayinsertion(pq,i,key,N)
END;
```

• **ALGORITHM REMOVE** (pq[],*N)

```
BEGIN:
    x=Arraydelete(pq,N,1)
    RETURN x
END;
```

Experiment 70

Object: Program for 1-D array implementation of Upper Traingular Sparse Matrix
ALGORITHM UpperTriangularSparse (Key, i,j,A[],N)

Sparse Matrix

BEGIN:

$$K = (i-1)*((2*N - (i-2))/2 + j - N + 1$$

A[K] = key

END;

Time Complexity: $\Theta(1)$

Space Complexity: $\Theta(1)$

Experiment 71

Object: Program for 1-D array implementation of Lower Traingular Sparse Matrix

Sparse Matrix

ALGORITHM LowerTriangularSparse (Key, i,j,A[])

BEGIN:

$$K = i*(i-1)/2 + (j-1) + 1$$

A[K] = key

END;

Time Complexity: $\Theta(1)$

Space Complexity: $\Theta(1)$

Experiment 72

Object: Program for 1-D array implementation of Tridiagonal Sparse Matrix **Sparse Matrix**
ALGORITHM TridiagonalSparse (Key, i,j, A[])

BEGIN:

$$K = 3 * (i - 2) + 2 + (j - i + 1) + 1$$

A[K] = key

END;

Time Complexity: $\Theta(1)$

Space Complexity: $\Theta(1)$

Experiment 73

Program for Vector Representation of General Sparse Matrix Sparse Matrix
Struct Sparse

```
{  
int row;  
int column;  
int data;  
};
```

Algorithm VectorSparse (S [], NoOfNonZeroEle)

BEGIN:

```
    FOR i=0 TO NoOfNonZeroEle – 1 DO  
        READ(rowNo,columnNo,dataElement)  
        S[i].row=rowNo  
        S[i].column=columnNo  
        S[i].data=dataElement
```

END;

Time Complexity: $\Theta(1)$ for each storage element

Space Complexity: $\Theta(1)$ for each storage element

Experiment 74

Object: Program For Linked List Implementation of General Sparse Matrix

Sparse Matrix

Struct Node

```
{  
int row;  
int column;  
int data;  
struct node *Next;  
};
```

Algorithm LinkedListSparse (NoOfNonZeroEle)

BEGIN:

START=NULL

P=START

FOR i=0 TO NoOfNonZeroEle – 1 DO

 READ(rowNo,columnNo,dataElement)

 q=GetNode()

 q→row=rowNo

 q→column=columnNo

 q→data=dataElement

 q→Next=NULL

 p->Next=q

 p=q

END;

Time Complexity: $\Theta(1)$ for each storage element

Space Complexity: $\Theta(1)$ for each storage element

Experiment 75

Program for Addition of two sparse Matrices Sparse Matrix

ALGORITHM AddSparseMarix(s1[],M,s2[],N)

BEGIN:

```
    s3[ ]
    i=1
    j=1
    k=1
    WHILE i<=M AND j<=N DO
        IF s1[i].row == s2[j].row THEN
            IF s1.column[i] == s2[j].column THEN
                s3[k].data=s1[i].data+s2[j].data
                s3[k].row=s1[i].row
                s3[k].column=s1[i].column
                i++      j++      k++
            ELSE
                IF s1.column[i] < s2[j].column THEN
                    i++
                ELSE
                    j++
            ELSE
                IF s1[i].row < s2[j].row THEN
                    i++
                ELSE
                    j++
        WHILE i<=M DO
            s3[k].data=s1[i].data
            s3[k].row=s1[i].row
            s3[k].column=s1[i].column
            i++      k++
        WHILE j<=N DO
            s3[k].data=s2[j].data
            s3[k].row=s2[j].row
            s3[k].column=s2[j].column
            j++      k++
    RETURN s3
```

END;

Experiment 76

OBJECT-Program for Linear Linked List primitive operations

DOMAIN-Linked List

ALGORITHM:

```
· ALGORITHM:      InsertBeginning(START,key)
BEGIN:            p=getnode()
                    p->info=key
                    p->next=START
                    START=p

END;
TIME COMPLEXITY:  $\Theta(1)$ 
SPACE COMPLEXITY:  $\Theta(1)$ 
```

```
· ALGORITHM:      InsertAfter(p,key)
BEGIN:            q=getnode()
                    q->info=key
                    q->next=p->next
                    p->next=q

END;
TIME COMPLEXITY:  $\Theta(1)$ 
SPACE COMPLEXITY:  $\Theta(1)$ 
```

```
· ALGORITHM:      InsertEnd(START,key)
BEGIN:            IF START==NULL THEN
                    InsertBeginning (START,key) p=START

                    ELSE
                    P=START
                    WHILE(p!=NULL) DO
                    q=getnode()
                    q->info=key
                    q->next=NULL
                    p->next=q

END;
TIME COMPLEXITY:  $\Theta(N)$ 
SPACE COMPLEXITY:  $\Theta(1)$ 
```

```
· ALGORITHM:      DelBeg(START)
BEGIN:            IF START==NULL THEN
                    Write("void deletion")
                    Exit(1)
                    ELSE
                    p=START
                    START=p->next
                    x=p->info
                    RETURN x
```

END;

TIME COMPLEXITY: $\Theta(1)$

SAPCE COMPLEXITY: $\Theta(1)$

ALGORITHM:

DelEnd(START)

BEGIN:

```
p=START
q=NULL
WHILE(next(p)!=NULL)
    q=p
    p=p->next
q->next=NULL
x=p->info
freenode(p)
RETURN x
```

END;

TIME COMPLEXITY: $\Theta(1)$

SAPCE COMPLEXITY: $\Theta(1)$

Experiment 77

OBJECT-Program for pair wise swapping of elements of Linked List

DOMAIN-Linked List

ALGORITHM:

ALGORITHM

PairWiseSwap(START)

BEGIN:

```
p=START
WHILE(p!=NULL&& p->next!=NULL) DO
    swap(p->info,p->next->info)
    p=p->next->next
    traverse(START)
```

END;

TIME COMPLEXITY: $\Theta(N)$

SPACE COMPLEXITY: $\Theta(1)$

Experiment 78

OBJECT-Program for printing the elements of Linked List in Reverse Order

DOMAIN-Linked List

ALGORITHM:

ALGORITHM ReverseTraversal(START)

BEGIN:

 IF $p \neq \text{NULL}$ THEN

ReverseTraversal ($p \rightarrow \text{next}$)

 WRITE ($p \rightarrow \text{data}$)

END;

TIME COMPLEXITY: $\Theta(N)$

SPACE COMPLEXITY: $\Theta(N)$

Experiment 79

OBJECT-Program for reversing contents of Linear Linked List

DOMAIN:Linked List

ALGORITHM:

ALGORITHM

Reverse Linked LIST(START)

BEGIN:

```
current=START
previous=START->next
WHILE(current!=NULL)
    q=current->next
    current->next=previous
    previous=current
    current=q
START->next=NULL
RETURN START
```

End;

TIME COMPLEXITY: $\Theta(N)$

SPACE COMPLEXITY: $\Theta(1)$

Experiment 80

OBJECT- Program for concatenation of linear linked list.

DOMAIN- Linked List

ALGORITHM **Concatenate(START1 ,START2)**

```
BEGIN:
    IF START1==null THEN
        RETURN (START2)
    ELSE
        IF START2==null THEN
            RETURN (START1)
        ELSE
            p=START1
            WHILE (p->next != null) do
                p=p->next
            p->next=START2
        RETURN (START1)
END;
```

TIME COMPLEXITY: $\Theta(N)$: N is the length of Linked List 1

SPACE COMPLEXITY: $\Theta(1)$

Experiment 81

OBJECT:Program for Creation of Ascending Order Linked List

DOMAIN:Linked List

ALGORITHM:

ALGORITHM INSERT(START,x)

BEGIN:

P=NULL

q = START

WHILE(q->next != NULL and q->data <= data)

P=q

q=q->next

IF p==NULL THEN

InsBeg(START,x)

ELSE

InsAft(p, x)

END;

TIME COMPLEXITY: $\Omega(1)$, $O(N)$

SPACE COMPLEXITY: $\Theta(1)$

Experiment 82:

Object: Program for merging two Linked Lists

DOMAIN: Linked List

ALGORITHM:

ALGORITHM Merge(list1, list2)

BEGIN:

```
    p=list1
    q=list2
    WHILE(p!=NULL && q!=NULL) DO
        IF(info(p)<info(q)) THEN
            insertend(list3, info(p))
            p=next(p)
        ELSE
            insertend(list3, info(q))
            q=next(q)
    WHILE(p!=NULL) DO
        insertend(list3, info(p))
        p=next(p)
    WHILE(q!=NULL) DO
        insertend(list3, info(q))
        q=next(q)
```

RETURN list3

END;

Time complexity: $O(M+N)$

Space complexity: $O(M+N)$

Experiment. 83:

Object: Program for Union of two Linked Lists

DOMAIN: Linked List

ALGORITHM:

ALGORITHM Union(START1, START2)

BEGIN:

START3=NULL

p=START 1

q=START2

WHILE(p!=NULL && q!=NULL) DO

IF(info(p)==info(q)) THEN

p=next(p)

q=next(q)

ELSE

IF(info(p)<info(q)) THEN

insertend(START3, info(p))

p=next(p)

ELSE

insertend(START3, info(q))

q=next(q)

WHILE(p!=NULL) DO

insertend(START3, info(p))

p=next(p)

WHILE(q!=NULL)

insertend(START3, info(q))

q=next(q)

RETURN START3

END;

Time complexity: $O(M+N)$

Space complexity: $O(M+N)$

Experiment. 84

Object: **Program for finding Intersection of two linked list (consider lists as sets)**

DOMAIN: Linked List

ALGORITHM Intersection(list1,list2)

BEGIN:

list3=NULL

p=list1

q=list2

WHILE(p!=NULL&&q!=NULL) DO

IF(info(p) == info(q)) THEN

insend(list3,info(p))

p=next(p)

q=next(q)

ELSE

IF(info(p)<info(q)) THEN

p=next(p)

ELSE

q=next(q)

END:

Time Complexity: $O(M+N)$

Space Complexity: $O(N)$: N is the length of first Linked List

Experiment. 85

Object: **Program for finding difference of two linked list (consider lists as sets)**

DOMAIN: Linked List

This finds $A - B$ (A is the first Linked List and B the Second one)

ALGORITHM Difference(list1,list2)

BEGIN:

```
list3=NULL
p=list1
q=list2
WHILE(p!=NULL&&q!=NULL) DO
    IF(info(p) == info(q)) THEN
        p=next(p)
        q=next(q)
    ELSE
        IF(info(p)<info(q)) THEN
            insertend(list3,info(p))
            p=next(p)
        ELSE
            q=next(q)
WHILE(p!=NULL) DO
    insertend(list3,info(p))
    p=next(p)

RETURN list3
```

END:

Time Complexity: $O(M+N)$

Space Complexity: $O(N)$: N is the length of first Linked List

Experiment.86

Object:program for sorting of Linked List.

DOMAIN:Linked List

ALGORITHM: SortingLinked List(START)

Begin: sortingLinked List(START)

 p=START

 q=NULL

 temp=0

 WHILE(p->next!=q) DO

 IF(p->info>p->next->info)THEN

 temp=p->info

 p->info=p->next->info

 p->next->info=temp

 p=p->next

 q=p

END;

Space Complexity: $\Theta(1)$

Time complexity: $\Theta(n)$

Experiment. 87

Object: Program for splitting a Linked List.

DOMAIN: Linked List

```
ALGORITHM: split(START1)
  p=START1
  START2=NULL
  i=1,j=1
  WHILE(p->next!=NULL) DO
    i=i+1
    p=p->next
  p=START1
  WHILE(p!=NULL)
    IF(j==i/2) THEN
      START2=p->next
      p->next=NULL
      BREAK
    ELSE
      j=j+1
      p=p->next
  TIME COMPLEXITY:  $\Theta(N)$ 
  SPACE COMPLEXITY:  $\Theta(1)$ 
```

Experiment.88

Object: To Detect if there is any cycle in the linked list. (use two pointers, once moves at a speed of one node, other moves at a speed of two nodes. If they collide with each other it means there is a cycle.

DOMAIN: Linked List

ALGORITHM:

ALGORITHM: CycleDetection(START)

Begin:

```
P=START
Q=START
WHILE(1) DO
    IF p→Next==NULL THEN
        RETURN FALSE
    ELSE
        P=p→Next
    IF q→Next==NULL THEN
        RETURN FALSE
    ELSE
        IF q→Next→Next==NULL THEN
            RETURN FALSE
        ELSE
            q=q→Next→Next
    IF p==q THEN
        RETURN TRUE
```

END;

Space Complexity: $\Theta(N)$

Time complexity: $\Theta(1)$

Experiment.89

Object: Program for polynomial addition using Linked List.

DOMAIN: Linked List

ALGORITHM:

ALGORITHM: PolynomialAdditionLinked List(poly1,poly2)

```
Begin:      poly3=NULL
            p=poly1
            q=poly2
            WHILE(p!=NULL AND q!=NULL) DO
            IF p->Exp==q->Exp THEN
            InsEnd(poly3,p->coeffi+q->coeffi,p->Exp)
            p=p->next
            q=q->next
        ELSE
            IF p->Exp>q->Exp THEN
            InsEnd(poly3,p->coeffi,p->Exp)
            p=p->next
        ELSE
            InsEnd(poly3,q->coeffi,q->Exp)
            q=q->next
        WHILE p!=NULL DO
            InsEnd(poly3,p->coeffi,p->Exp)
            p=p->next
        WHILE q!=NULL DO
            InsEnd(poly3,q->coeffi,p->Exp)
            q=q->next

        RETURN ploy3
END;
```

Space Complexity: $\Theta(m+n)$

Time complexity: $\Theta(m+n)$

Experiment 90

OBJECT:Program for primitive operations of Circular Linked List

DOMAIN:Linked List

ALGORITHM:

ALGORITHM InsertBeginning(START, key)

BEGIN:

```
p=GetNode()  
p→Info=key  
p→Next=START  
START=p
```

END;

Time Complexity: $\Theta(1)$

The number executed statements are 4 in the above algorithm.

Space Complexity: $\Theta(1)$

An extra variable p is used. Also, the space is allocated in the memory to the new node.

ALGORITHM InsertAfter(p, key)

BEGIN:

```
q=GetNode()  
q→ Info=key  
q→Next=p→ Next  
p→Next=q
```

END;

Time Complexity: $\Theta(1)$

The number executed statements are 4 in the above algorithm.

Space Complexity: $\Theta(1)$

An extra variable q is used. Also, the space is allocated in the memory to the new node.

ALGORITHM InsertEnd(START, key)

BEGIN:

```
p=START
```

WHILE $p \neq \text{NULL}$ DO

$p = p \rightarrow \text{Next}$

$q = \text{GetNode}()$

$q \rightarrow \text{Info} = \text{key}$

$q \rightarrow \text{Next} = \text{NULL}$

$p \rightarrow \text{Next} = q$

END;

Time Complexity: $\Theta(N)$

The while loop runs until the end of the linked list is reached. Hence, for a linked list of N items, $N+5$ statements will be executed

Space Complexity: $\Theta(1)$

Extra variables used here are **p** and **q**. Also, the space is allocated in the memory to the new node

ALGORITHM DelBeg(START)

BEGIN:

$p = \text{START}$

$\text{START} = \text{START} \rightarrow \text{Next}$

$x = p \rightarrow \text{Info}$

$\text{FreeNode}(p)$

 RETURN x

END;

Time Complexity: $\Theta(1)$

The above algorithm executes four statements unconditionally

Space Complexity: $\Theta(1)$

Two extra variables, p & x are used

ALGORITHM DeleteEnd(START)

BEGIN:

$p = \text{START}$

$q = \text{NULL}$

```

    WHILE p→ Next!=NULL DO
        q=p
        p=p→ Next
    q→ Next=NULL
    x=p→ Info
    FreeNode(p)
    RETURN x
END;

```

Time Complexity: $\Theta(N)$

The while loop executes two statements repetitively until the last element is reached. Also, five more statements are executed outside the loop

Space Complexity: $\Theta(1)$

Three extra variables namely p, q & x are utilized

ALGORITHM DeleteAft(p)

BEGIN:

```

    IF p == NULL OR p→ Next == NULL THEN
        WRITE ("Void Deletion")
        EXIT(1)
    q=p→ Next
    x=q→ Info
    p→ Next=q→ Next
    FreeNode(q)
    RETURN x
END;

```

Time Complexity: $\Theta(1)$

Here, statements are executed

Space Complexity: $\Theta(1)$

Two extra variables q & x are used apart from the parameters passed

ALGORITHM Traverse(START)

BEGIN:

```
p=START
WHILE p!=NULL D
    WRITE p → Info
    p=p → Next
END;
```

Time Complexity: $\Theta(N)$

It takes $2n$ statement executions by the while loop where n elements are present in the list. Also, one more statement is executed to initialize p

Space Complexity: $\Theta(1)$

p is taken as an extra variable

Experiment 91

OBJECT:Program for Cocatenation of Circular Linked List

DOMAIN:Linked List

ALGORITHM:

ALGORITHM ConcatList(cList1, cList2)

BEGIN:

```
    IF START1==null THEN
        RETURN (START2)
    ELSE
        IF START2==null THEN
            RETURN (START1)
        ELSE
            p=START1->Next
            q=START2->Next
            START1->Next=q
            START2->Next=p
        RETURN (START2)
```

END;

Space Complexity: $\Theta(1)$

Time complexity: $\Theta(1)$

Experiment 92

OBJECT:Program for primitive operations of Doubly Linked List

DOMAIN:Linked List

ALGORITHM:

- **ALGORITHM InsertBeg(dSTART, key)**

BEGIN:

```
p=getnode()
info(p)=key
left(p)=NULL
right(p)=dSTART
IF(dSTART!=NULL) THEN
    left(dSTART)=p
    dSTART=p
```

END;

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

- **ALGORITHM Insertend(dSTART, key)**

BEGIN:

```
p=dSTART
q=getnode()
info(q)=key
IF(dSTART==NULL) THEN
    insertbeg(dSTART, key)
ELSE
    WHILE(right(p)!=NULL)
        p=right(p)
    right(p)=q
    right(q)=NULL
    left(q)=p
```

END;

TIME COMPLEXITY: $\Theta(N)$

SPACE COMPLEXITY: $\Theta(1)$

- **ALGORITHM Insertleft(p, key)**

BEGIN:

```
IF(left(p)==NULL) THEN
    insertbeg(p, key)
ELSE
    IF(left(p)!=NULL) THEN
        q=getnode()
        r=left(p)
        info(q)=key
        left(q)=r
        right(r)=q
        right(q)=p
        left(p)=q
```

```

        ELSE
            insertbeg(p,key)
    END;
    TIME COMPLEXITY:  $\Theta(1)$ 
    SPACE COMPLEXITY:  $\Theta(1)$ 

```

- **ALGORITHM Insertright(p,key)**

```

    BEGIN:
        q=getnode()
        info(q)=key
        r=right(p)
        right(p)=q
        left(q)=p
        IF(right(p)!=NULL) THEN
            right(q)=r
            left(r)=q
        ELSE
            right(q)=NULL
    END;

```

```

    TIME COMPLEXITY:  $\Theta(1)$ 
    SPACE COMPLEXITY:  $\Theta(1)$ 

```

- **ALGORITHM Delbeg(dSTART)**

```

    BEGIN:
        IF(dSTART==NULL) THEN
            write("void deletion")
            exit(1)
        ELSE
            p=dSTART
            dSTART=right(dSTART)
            IF(right(p)!=NULL)THEN
                left(dSTART)=NULL
                x=info(p)
                freenode(p)
            RETURN x
    END;

```

```

    TIME COMPLEXITY:  $\Theta(1)$ 
    SPACE COMPLEXITY:  $\Theta(1)$ 

```

END;

- **ALGORITHM DelEnd(dSTART)**

```

    BEGIN:
        IF(dSTART==NULL)
            write("void deletion")
            exit(1)
        ELSE
            p=dSTART
            q=NULL
            WHILE(right(p)!=NULL)DO

```

```

        q=p
        p=right(p)
        IF(q==NULL) THEN
            dSTART=NULL
        ELSE
            right(q)=NULL
        x=info(p)
        freenode(p)
        RETURN x
END;
TIME COMPLEXITY:  $\Theta(N)$ 
SPACE COMPLEXITY:  $\Theta(1)$ 

```

- **ALGORITHM DelLeft(p)**

```

BEGIN:
    IF(p==NULL || left(p)==NULL) THEN
        write("void deletion")
        exit(1)
    ELSE
        q=left(p)
        r=left(q)
        right(r)=p
        right(p)=r
        x=info(q)
        freenode(q)
    RETURN x
END;
TIME COMPLEXITY:  $\Theta(1)$ 
SPACE COMPLEXITY:  $\Theta(1)$ 

```

- **ALGORITHM DelRight(p)**

```

BEGIN:
    IF(p==NULL || right(p)==NULL) THEN
        write("void deletion")
        exit(1)
    ELSE
        q=right(p)
        r=right(q)
        right(p)=r
        left(r)=p
        x=info(q)
        freenode(q)
    RETURN x
END;
TIME COMPLEXITY:  $\Theta(1)$ 
SPACE COMPLEXITY:  $\Theta(1)$ 

```

- **ALGORITHM Traverse(dSTART)**

BEGIN:

p=dSTART

WHILE(p!=NULL) DO

write(info(p))

p=right(p)

END;

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

Experiment 93

OBJECT-Program for primitive operations of Circular Doubly Linked List

DOMAIN:Linked List

ALGORITHM:

- **ALGORITHM InsertEnd**

BEGIN:

```
p=d.START
q=getnode()
IF(d.START==NULL) THEN
    insertbeg()
ELSE
    right(q)=right(p)
    left(q)=p
    left(p)=q
    info(q)=key
    d.START=q
```

END;

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

- **ALGORITHM DeleteBeginning**

BEGIN:

```
IF(d.START=NULL) THEN
    write("void deletion")
ELSE
    p=d.START
    q=right(p)
    left(p)=right(q)
    IF(right(q)!=q) THEN
        left(right(q))=p
        x=info(p)
    ELSE
        d.START=NULL
        x=info(p)
    RETURN x
    free q
```

END;

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

- **ALGORITHM InsertLeft(p,key)**

BEGIN:

```
IF(p==NULL) THEN

ELSE
    IF(left(p)==NULL) THEN
        insertbeg()
```

ELSE

```
q=getnode()
left(q)=left(p)
right(q)=p
info(q)=key
right(left(p))=q
```

END;

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

- **ALGORITHM InsertRight(p,key)**

BEGIN:

```
IF(p==NULL)
    insertbeg()
ELSE
    q=getnode()
    left(q)=p
    right(q)=right(p)
    left(right(p))=q
    right(p)=q
```

END;

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

- **ALGORITHM Traverse(cdSTART)**

BEGIN:

```
p=cdSTART
WHILE(p!=NULL) DO
    write(info(p))
    p=right(p)
```

END;

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

Experiment 94

OBJECT:Program for linear linked list implementation of Linear Queue

DOMAIN:Linked List

ALGORITHM:

ALGORITHM Initialize(FRONT,REAR)

BEGIN:

REAR=NULL

FRONT=NULL

END;

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

ALGORITHM Empty(FRONT)

BEGIN:

IF(FRONT==NULL) THEN

RETURN TRUE

ELSE

RETURN FALSE

END;

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

ALGORITHM ENQUEUE(FRONT,REAR,x)

BEGIN:

IF(REAR==NULL) THEN

 insertbeg(REAR,x)

FRONT=REAR

ELSE

 insertsafter(REAR,x)

REAR=REAR(next)

END;

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

ALGORITHM Dequeue(FRONT,REAR)

BEGIN:

IF(FRONT==NULL) THEN

 write("void deletion")

exit(1)

ELSE

 x=delbeg(FRONT)

IF(FRONT==NULL)

REAR=NULL

RETURN x

END;

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

ALGORITHM Traverse(FRONT)

BEGIN:

```
    WHILE FRONT!=NULL
        write(FRONT(info) )
        FRONT=FRONT(next)
```

END;

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

Experiment 95

OBJECT:Program for linear linked list implementation of Circular Queue

DOMAIN:Linked List

ALGORITHM:

ALGORITHM ENQUEUE(x)

BEGIN:

```
    q=getnode()
    IF( REAR==NULL) THEN
        q(next)=q
    ELSE
        q(next)=REAR(next)
        REAR(next)=q
    REAR=q
```

END;

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

ALGORITHM Dequeue()

BEGIN:

```
    IF( REAR==NULL) THEN
        write("void deletion")
        exit(1)
    x=REAR.next.data
    IF REAR.next==REAR)
        REAR=NULL
    ELSE
        REAR.next=REAR.next.next
    RETURN x
```

END;

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

Experiment 96

OBJECT:Program for linear linked list implementation of Priority Queue

DOMAIN:Linked List

ALGORITHM:

ALGORITHM INSERT(prn,x)

BEGIN:

 tmp->info = x

 tmp->prn = prn

IF(FRONT == NULL or prn < FRONT->prn)

 tmp->next = FRONT

 FRONT = tmp

ELSE

 q = FRONT

WHILE(q->next != NULL and q->next->prn <= prn)

 q=q->next

 tmp->next = q->next

 q->next = tmp

END;

TIME COMPLEXITY: $\Omega(1)$, $O(N)$

SPACE COMPLEXITY: $\Theta(1)$

ALGORITHM DEL()

BEGIN:

IF(FRONT == NULL)

 write(Queue Underflow)

 exit(1)

ELSE

 tmp = FRONT;

 write(tmp->info);

 FRONT = FRONT->next;

 free(tmp);

END

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

ALGORITHM DISPLAY()

BEGIN:

 ptr = FRONT;

IF(FRONT == NULL)

 write(Queue is empty)

ELSE

WHILE(ptr != NULL)

 write(ptr->info)

 ptr = ptr->next;

END;

TIME COMPLEXITY: $\Theta(N)$

SPACE COMPLEXITY: $\Theta(1)$

Experiment 97

OBJECT:Program for linked list implementation of stack

DOMAIN:Linked List

ALGORITHM:

ALGORITHM Initialize(FRONT,REAR)

BEGIN:

 top=NULL

END;

TIME COMPLEXITY: $\Theta(1)$

SPACE COMPLEXITY: $\Theta(1)$

ALGORITHM:

ALGORITHM Push(top,x)

BEGIN:

 insertbeg(top,x)

END;

ALGORITHM Pop(top)

BEGIN:

 IF(top==NULL) THEN

 write("underflow")

 exit(1)

 ELSE

 x=delbeg(top)

 RETURN x

END;

ALGORITHM Empty(top)

BEGIN:

 IF(top==NULL) THEN

 RETURN TRUE

 ELSE

 RETURN FALSE

END;

ALGORITHM StackTop(top)

BEGIN:

 RETURN(info(top))

END;

Experiment 98

OBJECT:Program for recursive creation and traversal of Binary Tree and traversal

DOMAIN:Tree

ALGORITHM:

ALGORITHM PreorderTraversal(root)

BEGIN:

```
    IF root != NULL THEN
        WRITE(Data(root))
        PreorderTraversal(Left(root))
        PreorderTraversal(Right(root))
```

END;

TIME COMPLEXITY: $\Theta(N)$

SPACE COMPLEXITY: $\Theta(\log N)$ for balanced trees

ALGORITHM PostorderTraversal(root)

BEGIN:

```
    IF root != NULL THEN
        PostorderTraversal(Left(root))
        PostorderTraversal(Right(root))
        WRITE(Data(root))
```

END;

TIME COMPLEXITY: $\Theta(N)$

SPACE COMPLEXITY: $\Theta(\log N)$ for balanced trees

ALGORITHM InorderTraversal(root)

BEGIN:

```
    WHILE root != NULL THEN
        InorderTraversal(Left(root))
        WRITE(Data(root))
        InorderTraversal(Right(root))
```

END;

TIME COMPLEXITY: $\Theta(N)$

SPACE COMPLEXITY: $\Theta(\log N)$ for balanced trees

ALGORITHM CreateTree(tree)

BEGIN:

```
    WRITE("Whether Left of DATA(tree) exists (1/0)")
    READ(choice)
    IF (choice == 1) THEN
        WRITE("Input the information of Left node")
        READ(x)
        p ← MakeNode(x)
        LEFT(tree) ← p
```

CreateTree(p)

WRITE("Whether Right of DATA(tree) exists (1/0)")

READ(choice)

IF (choice == 1) THEN

 WRITE("Input the information of Right node")

 READ(x)

 p ← MakeNode(x)

 Right(tree) ← p

 CreateTree(p)

END;

Time Complexity: $\Theta(N)$

There are N elements for creating nodes.

Space Complexity: $\Theta(N)$

There are N nodes created

Experiment 99

Object: Program for creation of Binary Tree and finding its height

DOMAIN:Tree

ALGORITHM:

ALGORITHM HEIGHT(root)

BEGIN:

 IF root==NULL THEN

 RETURN 0

 ELSE

 IF Left(root)==NULL AND Right(root)==NULL

 RETURN 0

 ELSE

 RETURN 1+ Max(HEIGHT(Left(root)),Height(Right(root)))

END;

TIME COMPLEXITY: Θ (Log N) for balanced Trees. N for Skewed Trees

SPACE COMPLEXITY: Θ (1)

Experiment 100

Object: Program for finding count of nodes having 1 child (N_1 Nodes) in a Binary Tree

DOMAIN:Tree

ALGORITHM:

ALGORITHM CountOfN1(root)

BEGIN:

IF tree == NULL THEN

RETURN 0

ELSE

IF LEFT(tree) == NULL && Right(tree) == NULL THEN

RETURN 0

ELSE

IF LEFT(tree) != NULL && Right(tree) != NULL THEN

RETURN CountOfN1(LEFT(tree))+CountOfN1(Right(tree));

ELSE

RETURN 1+CountOfN1(LEFT(tree))+CountOfN1(Right(tree))

Experiment 101

Object: Program for finding count of nodes having 2 child (N_1 Nodes) in a Binary Tree

DOMAIN:Tree

ALGORITHM:

ALGORITHM CountOfN2(tree)

BEGIN:

IF tree == NULL THEN

RETURN 0

ELSE

IF LEFT(tree) == NULL && Right(tree) == NULL THEN

RETURN 0

ELSE

IF LEFT(tree) != NULL && Right(tree) != NULL THEN

RETURN 1+ CountOfN1(LEFT(tree))+CountOfN1(Right(tree))

ELSE

RETURN CountOfN1(LEFT(tree))+CountOfN1(Right(tree))

Experiment 102

Object: Program for finding count of Leaf Nodes (N_0 Nodes) in a Binary Tree

DOMAIN: Tree

ALGORITHM:

Finding count of nodes having 0 children in Binary Tree

ALGORITHM CountOfN0(root)

BEGIN:

IF tree == NULL THEN

RETURN 0

ELSE

IF LEFT(tree) == NULL && Right(tree) == NULL THEN

RETURN 1

ELSE

RETURN CountOfN0(LEFT(tree))+CountOfN0(Right(tree));

Time Complexity: $\Theta(N)$

Need to reach all the node once for computing height

Space Complexity: $\Omega(\log_2 N)$, $O(N)$

If the tree is balanced, Call stack will have $\log_2 n + 1$ entries to the maximum at any moment in case the tree is balanced. If the tree is skewed then the call stack can be grow up to n activation records

Experiment 103

Object: Program for Finding if the Binary Tree is Complete

DOMAIN:Tree

ALGORITHM:

ALGORITHM isComplete (root, index, number_nodes)

BEGIN:

 IF tree == NULL THEN

 RETURN True;

 // If index assigned to current node is more than

 // number of nodes in tree, then tree is not complete

 IF index >= number_nodes THEN

 RETURN False;

 // Recursive for Left and Right subtrees

 RETURN (isComplete(LEFT(root), 2*index + 1, number_nodes) AND isComplete(Right(root),
2*index + 2, number_nodes))

END;

Time Complexity: $\Theta(N)$

 Need to reach all the node once for computing height

Space Complexity: $\Omega(\log_2 N)$, $O(N)$

 If the tree is balanced, Call stack will have $\log_2 n + 1$ entries to the maximum at any moment in case the tree is balanced. If the tree is skewed then the call stack can be grow upto n activation records

Experiment 104

Object: Program for Level Order Traversal of Binary Tree

DOMAIN:Tree

ALGORITHM:

ALGORITHM LevelOrderTraversal(root)

BEGIN:

Queue Q

Initialize(Q)

Enqueue(root)

WHILE !Empty(Q) DO

$x \leftarrow \text{DeQueue}(Q)$

 WRITE(Data(x))

 IF LEFT(x) !=NULL THEN

 EnQueue(x)

 IF Right(x) !=NULL THEN

 EnQueue(x)

END;

Time Complexity: $\Theta(N)$

Each node is inserted in the queue once and deleted from queue once. Total of $2*N$ operations of constant time.

Space Complexity: $\Theta(N)$

Queue size is N

Experiment 105

Object:Program for finding balancing factor of a node

DOMAIN:Tree

ALGORITHM BalanceFactor(N)

Finding Balancing factor of a node

LH represents the Left height and RH represents right height. $LH - RH$ is the balance Factor of the given node.

ALGORITHM BalanceFactor(N)

BEGIN:

 IF Left(N) != NULL

$LH \leftarrow 1 + h(\text{Left}(N))$

 ELSE

$LH \leftarrow 0$

 IF Right(N) != NULL

$RH \leftarrow 1 + h(\text{Right}(N))$

 ELSE

$RH \leftarrow 0$

 RETURN($LH - RH$)

END;

Time Complexity: $\Theta(N)$

Need to reach all the node once for computing height

Space Complexity: $\Omega(\log_2 N)$, $O(N)$

If the tree is balanced, Call stack will have $\log_2 n + 1$ entries to the maximum at any moment in case the tree is balanced. If the tree is skewed then the call stack can be grow upto n activation records

Experiment 106

Object:Program for BST Insertion, traversal, Minimum, maximum and Successor operations

DOMAIN: BST

ALGORITHM:

ALGORITHM BST Minimum(Tree)

BEGIN:

```
P = Tree
WHILE Left(P) != NULL Do
    P = Left(P)
RETURN P
```

END;

Time Complexity: $\Theta(\log N)$ if Tree is balanced

Space Complexity: $\Theta(1)$

ALGORITHM BST Maximum(Tree)

BEGIN:

```
P = Tree
WHILE Right(P) != NULL Do
    P = Right(P)
RETURN P
```

END;

Time Complexity: $\Theta(\log N)$ if Tree is balanced

Space Complexity: $\Theta(1)$

ALGORITHM BSTSearch(Tree,key)

BEGIN:

```
P = Tree
WHILE P!=NULL
    IF key == Data(P) THEN
        RETURN P
    ELSE
        IF key < Data(P) THEN
            P = Left(P)
        ELSE
            P = Right(P)
```

END;

Time Complexity: $\Theta(\log N)$ if Tree is balanced

Space Complexity: $\Theta(1)$

ALGORITHM BSTInsert(Tree,key)**BEGIN:**

```
P = Tree
Q = Null
R = MakeNode(key)
WHILE P!=NULL Do
    IF key < Data(P)
        Q = P
        P = Left(P)
    ELSE
        Q = P
        P = Right(P)
    IF key < Data(Q) THEN
        Left(Q) = R
        Father(R) = Q
    ELSE
        Right(Q) = R
        Father(R) = Q
```

END;**Time Complexity: $\Theta(\text{Log}N)$ if Tree is balanced****Space Complexity: $\Theta(1)$** **ALGORITHM BSTSuccessor(P)****BEGIN:**

```
IF Right(P) != NULL THEN
    q = BSTMinimum(Right(P))
    RETURN q
ELSE
    q = Father(P)
    WHILE q!=NULL AND Right(q)==P Do
        p=q
        q=Father(q)
    RETURN q
```

END;**Time Complexity: $\Theta(\text{Log}N)$ if Tree is balanced****Space Complexity: $\Theta(1)$** **ALGORITHM BSTPredecessor(P)****BEGIN:**

```
IF Left(P) != NULL THEN
    q = BSTMinimum(Left(P))
    RETURN q
```

```
ELSE
    q = Father(P)
    WHILE q!=NULL AND Left(q)==P Do
        p=q
        q=Father(q)

    RETURN q
```

END;

Time Complexity: $\Theta(\text{Log}N)$ if Tree is balanced

Space Complexity: $\Theta(1)$

Experiment 107

Object:Program for BST Deletion

DOMAIN: BST

ALGORITHM:

ALGORITHM BSTDelete(p)

BEGIN:

```
    IF Left(p)==NULL AND RIGHT(q)==NULL THEN
        IF IsLeft(p) THEN
            Left(Father(p))=NULL
        ELSE
            Right(Father(p))=NULL
        X=Data(p)
        FreeNode(p)
        RETURN X
    ELSE
        IF Left(p) == NULL THEN
            q=Right(p)
            IF IsLeft(p) THEN
                Left(Father(p))=q
                Father(q)=Father(p)
            ELSE
                Right(Father(p))=q
                Father(q)=Father(p)
        ELSE
            IF Right(p) == NULL THEN
                q=Right(p)
                IF IsLeft(p) THEN
                    Left(Father(p))=q
                    Father(q)=Father(p)
                ELSE
                    Right(Father(p))=q
                    Father(q)=Father(p)
                X=Data(p)
                FreeNode(p)
                RETURN X
            ELSE
                q=BSTSuccessor(p)
                y=BSTDelete(q)
                x=Data(p)
                Data(p)=y
                RETURN
            Right(Q) = R
            Father(R) = Q
```

END;

Time Complexity: $\Theta(\log N)$ if Tree is balanced

Space Complexity: $\Theta(1)$

Experiment 110

Object:Program for insertion in AVL Tree, Rotations in AVL Tree & traversal operations

DOMAIN:AVL Tree

ALGORITHM:

ALGORITHM RotateRight (x)

BEGIN:

$y = x \rightarrow \text{Left}$

$z = y \rightarrow \text{Right}$

$y \rightarrow \text{Right} = z$

$x \rightarrow \text{Left} = z$

 RETURN y

END;

Time Complexity: $\Theta(1)$

Space Complexity: $\Theta(1)$

ALGORITHM RotateLeft(x)

BEGIN:

$y = x \rightarrow \text{Right}$

$z = y \rightarrow \text{Left}$

$y \rightarrow \text{Left} = z$

$x \rightarrow \text{Right} = z$

 RETURN y

END;

Time Complexity: $\Theta(1)$

Space Complexity: $\Theta(1)$

ALGORITHM LL(T)

BEGIN:

$T = \text{RotateRight}(T)$

 RETURN T

END;

Time Complexity: $\Theta(1)$

Space Complexity: $\Theta(1)$

ALGORITHM RR(T)

BEGIN:

$T = \text{RotateLeft}(T)$

RETURN T

END;

Time Complexity: $\Theta(1)$

Space Complexity: $\Theta(1)$

ALGORITHM LR(T)

BEGIN:

x = T → Left

x = RotateLeft(x)

T → Left = x

T = RotateRight(T)

RETURN T

END;

Time Complexity: $\Theta(1)$

Space Complexity: $\Theta(1)$

ALGORITHM RL(T)

BEGIN:

x = T → Right

x = RotateRight(x)

T → Right = x

T = RotateLeft(T)

RETURN T

END;

Time Complexity: $\Theta(1)$

Space Complexity: $\Theta(1)$

ALGORITHM AVLInsertion(N, Key)

BEGIN:

IF N == NULL THEN

N = MakeNode(Key)

```

ELSE
    IF Key < N→Data THEN
        N→Left = AVLInsertion(N→Left, Key)
        IF Balance(N) == 2 THEN
            IF Key < N→Left→Data
                N = LL(N)
            ELSE
                N = LR(N)
        ELSE
            N→Right = AVLInsertion(N→Right, Key)
            IF Balance(N) == -2 THEN
                IF Key > N→Left→Data
                    N = RR(N)
                ELSE
                    N = RL(N)

        N→h = Height(N)
    RETURN N
END;

```

Time Complexity: $\Omega(\log 2N)$, $O(N)$

Space Complexity: $\Theta(1)$

Experiment 111:

Object:Program for implementation of BFS

DOMAIN:Graph

ALGORITHM:

ALGORITHM BFS (G, s)

BEGIN:

 QUEUE Q

 Initialize (Q)

 For all $u \in V[G]$ DO

$\Pi[u] \leftarrow \text{Nil}$

 Color[u] \leftarrow White

 EnQueue (Q, s)

 Color[s] \leftarrow Grey

 d[s] \leftarrow 0

 WHILE (!Empty(Q)) Do

$u \leftarrow \text{DeQueue (Q)}$ Do

 For each $V \in \text{Adj [u]}$

 If Color[u] == White

 Color [u] \leftarrow Grey

 EnQueue (Q, u)

 d[v] \leftarrow d[u]+1

$\Pi[u] \leftarrow u$

 Color[u] \leftarrow Black

 WRITE (u)

END;

Time Complexity: $\Theta(|V|+|E|)$

Space Complexity: $\Theta(|V|)$

Experiment 112:

Object:Program for DFS on graph

DOMAIN:Graph

ALGORITHM:

ALGORITHM DFS (G)

BEGIN:

For all $u \in V[G]$ Do

Color[u] \leftarrow White

Time \leftarrow 0

For all $u \in V[u]$ Do

IF Color[u] \leftarrow White

DFS \leftarrow Visit (u)

END;

ALGORITHM DFS-VISIT (U)

BEGIN:

Color[u] \leftarrow Grey

S[u] \leftarrow Time+1

For all $V \in \text{Adj}[U]$ Do

IF Color [V] \leftarrow White

$\Pi[V] \leftarrow U$

DFS \leftarrow Visit [V]

Color [U] \leftarrow Black

F[U] \leftarrow Time+1

Time \leftarrow Time+1

END;

Time Complexity: $\Theta(|V|+|E|)$

Space Complexity: $\Theta(|V|)$

Experiment 113

Object:Program for All pairs Shortest Path using Floyd-Warshall ALGORITHM

DOMAIN:Graph

ALGORITHM:

ALGORITHM APSPFloydWarshall (W [] [], N)

BEGIN:

FOR i \leftarrow 1 To N Do

FOR i \leftarrow 1 To N DO

IF W [i] [j] = 0

IF i \neq j THEN

W [i] [j] = ∞

FOR k \leftarrow 1 To N Do

FOR i \leftarrow 1 To N DO

FOR j \leftarrow 1 To N DO

W [i] [j] \leftarrow Min (W [i] [j] , W [i] [k]+ W [k] [j])

END ;

Time Complexity: $\Theta(N^3)$

Space Complexity: $\Theta(1)$

Experiment 114

Object:Program for Dijkstra ALGORITHM

DOMAIN:Graph

ALGORITHM:

ALGORITHM SSSPDijkstra (G , W [] [], S)

BEGIN:

Priority Queue PQ

Initialize (PQ)

For all $U \in V[G]$ DO

$D[U] \leftarrow \infty$

$\Pi[U] \leftarrow \text{NIL}$

PQ Insert (PQ , U)

$D[S] \leftarrow 0$

WHILE ! Empty (PQ) DO

$U \leftarrow \text{ExtractMin(PQ)}$

For All $V \in \text{Adj}[U]$ AND $V \in \text{PQ}$

IF $d[V] < d[U] + W[U][V]$

$d[V] \leftarrow d[U] + W[U][V]$

$\Pi[V] \leftarrow U$

END ;

Time Complexity: $O(|E| + |V| \log |V|)$

Space Complexity: $\Theta(|V|)$

Experiment 115

Object:Program for Warshall's ALGORITHM for Transitive Closure

DOMAIN:Graph

ALGORITHM TransitiveClosureWarshall (A[][], N)

BEGIN:

FOR k \leftarrow 1 To N Do

FOR J \leftarrow 1 To N DO

FOR j \leftarrow 1 To N DO

A [i] [j] \leftarrow A [i] [j] | (A [i] [k] & A [k] [j])

END ;

Time Complexity: $\Theta(N^3)$

Space Complexity: $\Theta(1)$

Alternate Method

ALGORITHM TransitiveClosure(A[][], N)

BEGIN:

M[N][N] \leftarrow A

B[N][N] \leftarrow A

T[N][N] \leftarrow {0}

For i \leftarrow 2 TO N DO

B \leftarrow MatrixMultiply(B, A)

M \leftarrow M+B

FOR i \leftarrow 1 TO N DO

FOR j \leftarrow 1 TO N DO

IF M[i][j]!=0 THEN

T[i][j] \leftarrow 1

RETURN T

END;

Experiment 116

Object: Program for Prim's ALGORITHM for Minimal Spanning Tree

DOMAIN: Graph

ALGORITHM:

ALGORITHM MST Prims (G, W, R)

BEGIN:

```
    Priority Queue PQ
    For all  $U \in V[G]$  Do
         $Key[U] \leftarrow \infty$ 
         $\Pi[U] \leftarrow NIL$ 
        PQ Insert (PQ, U)
     $Key[R] \leftarrow 0$ 
    WHILE !Empty(PQ) Do
         $U \leftarrow \text{ExtractMin}(PQ)$ 
        For all  $V \in \text{Adj}[U]$  AND  $V \in PQ$  DO
            IF  $W[U][V] < Key[V]$  DO
                 $Key[V] \leftarrow W[U][V]$ 
                 $\Pi[V] \leftarrow U$ 
```

END;

Time Complexity: $O(|E| + |V| \log |V|)$

Space Complexity: $\Theta(|V|)$

Experiment 117

Object: Program for Kruskal's ALGORITHM for Minimal Spanning Tree

DOMAIN: Graph

ALGORITHM:

ALGORITHM MST- Kruskal (G , $W[|E|]$)

BEGIN:

Sort all Edges In E According To their Weights

Set of Edges of MST $E' \leftarrow \emptyset$

For all $U \in V[G]$ DO

 MakeSet (U)

For Each Edge(U, V) $\in E[G]$ DO

 IF FindSet (U) \neq FindSet (V)

 Union(U, V)

 Select(U, V) In E'

RETURN E'

END ;

Time Complexity: $O(|E| + |V| \log |V|)$

Space Complexity: $\Theta(|V|)$

Experiment 118

Object: Program for topological sorting of given graph

DOMAIN:Graph

ALGORITHM:

ALGORITHM Topological Sort (G , Indeg [])

BEGIN:

 Queue Q

 Initialize (Q)

 FOR All $U \in V [G]$

 IF Indeg [U] == 0

 Enqueue (Q, U)

 WHILE ! Empty (Q) DO

$U \leftarrow$ Dequeue (Q)

 WRITE (U)

 FOR All $V \in \text{Adj} [U]$ DO

 IF Indeg [V] == 0

 Enqueue (Q, U)

END;

Time Complexity: $\Theta(|V|+|E|)$

Space Complexity: $\Theta(|V|)$