

1140. Stone Game II

Alice and Bob continue their games with piles of stones. There are a number of piles arranged in a row, and each pile has a positive integer number of stones `piles[i]`. The objective of the game is to end with the most stones.

Alice and Bob take turns, with Alice starting first. Initially, $M = 1$.

On each player's turn, that player can take all the stones in the first X remaining piles, where $1 \leq X \leq 2M$. Then, we set $M = \max(M, X)$.

The game continues until all the stones have been taken.

Assuming Alice and Bob play optimally, return the maximum number of stones Alice can get.

Example 1:

Input: `piles = [2,7,9,4,4]`

Output: 10

Explanation: If Alice takes one pile at the beginning, Bob takes two piles, then Alice takes 2 piles again. Alice can get $2 + 4 + 4 = 10$ piles in total. If Alice takes two piles at the beginning, then Bob can take all three piles left. In this case, Alice gets $2 + 7 = 9$ piles in total. So we return 10 since it's larger.

Example 2:

Input: `piles = [1,2,3,4,5,100]`

Output: 104

Constraints:

- $1 \leq \text{piles.length} \leq 100$
- $1 \leq \text{piles}[i] \leq 10^4$

Code:

//A trick that simplifies implementation is realising that Alice's, say, total number of stones is equal to the sum of remaining stones minus Bob's optimal number of stones after Alice's move.

```
class Solution
```

```
{
```

```
public:
```

```
    int stoneGameII(vector<int>& piles)
```

```
    {
```

```
int n = int(piles.size());
```

```
vector<vector<int>> dp(n+1,vector<int>(n+1));
```

```
for(int i=n-1,sum=0;i>=0;--i)
```

```
{
```

```
    sum+=piles[i];
```

```
    for(int m=1;m<=n;++m)
```

```
    {
```

```
        for(int x=1;x<=min(n,2*m;++x)
```

```
        {
```

```
            dp[i][m]=max(dp[i][m], sum-dp[min(i+x,n)][max(m,x)]);
```

```
        }
```

```
    }
```

```
}
```

```
return dp[0][1];
```

```
}
```

```
};
```