INDIAN INSTITUTE OF TECHNOLOGY, KHARAGPUR

Department of Computer Science and Engineering

Algorithms-I (CS21003)

Mid-semester examination (Spring)

Date: Fri, Fe	eb 19, 2016	Students: 41	<i>Time:</i> 2-4pm (AN)	
Place: NC14	11, NC142, NC242		Marks: 60	
1. Consid	der functions from reals to reals; show	w that Θ is an equivalence relation	on on these functions.	10
2. Derive	the asymptotic form solution for T_n	$= aT_{\frac{n}{s}} + bn^r$ when $a = s^r$, $n = s^r$	$=s^m, m \ge 0$	10
	ou are given a sorted array A[1nknown. Examine the following exa		votated right k positions, but k is	
	• [36, 41, 7, 18, 29, 31] is a sorted		•	
	• [29, 31, 36, 41, 7, 18] is a sorted	array that has been rotated $k=% \frac{1}{2}\left(\frac{1}{2}\right) \left($	4 positions	
P	resent an efficient algorithm, with su	nitable justifications, to determin	he k from the given array A .	10
(b) I	Derive the recurrence to characterise	the running time of the algorithm	m and also present its solution.	5
4. Show to in the t	hat the AVL balance criterion ensure ree.	es that the height of the tree is lo	ogarithmic in the number of nodes	10
	resent a scheme, with necessary operore intervals	erations and adequate explanation	ons, for extending the AVL tree to	5
5	Vrite the routine to insert an interval or correcting imbalances where the le	14 2 3	a structure. Only present the steps	10