



Left Turn Lane:

$$\text{LTadj}(\text{LeftTurnLane}) := \begin{cases} \text{out} \leftarrow -0.2 & \text{if LeftTurnLane} = 0 \\ \text{out} \leftarrow 0 & \text{if LeftTurnLane} = 1 \\ \text{out} \end{cases}$$

$$\text{LTadj}(\text{LeftTurnLane}) = 0 \quad \text{LTadj} := \text{LTadj}(\text{LeftTurnLane}) \quad \text{LTadj} = 0$$

Median:

$$\text{MedAdj}(\text{Median}) := \begin{cases} \text{out} \leftarrow 0 & \text{if Median} = 0 \\ \text{out} \leftarrow 0.05 & \text{if Median} = 1 \\ \text{out} \end{cases}$$

$$\text{MedAdj}(\text{Median}) = 0 \quad \text{MedAdj} := \text{MedAdj}(\text{Median}) \quad \text{MedAdj} = 0$$

Final Adjustment Value for Left Turn Lane and Median:

$$\text{AdjMedLTL} := 1 + \text{LTadj} + \text{MedAdj}$$

$$\text{AdjMedLTL} = 1$$

#### 4. Determine Facility Adjustment Factor (FacAdj)

FacAdj = 1.0 for Analysis Type = Segment

FacAdj = 0.9 for Analysis Type = Facility

$$\text{FacAdj}(\text{AnalysisType}) := \begin{cases} \text{out} \leftarrow 1.0 & \text{if AnalysisType} = 0 \\ \text{out} \leftarrow 0.9 & \text{if AnalysisType} = 1 \\ \text{out} \end{cases}$$

$$\text{FacAdj}(\text{AnalysisType}) = 1 \quad \text{FacAdj} := \text{FacAdj}(\text{AnalysisType}) \quad \text{FacAdj} = 1$$

#### 5. Calculate Adjusted Volume (AdjVol)

$$\text{AdjVol} := \frac{\text{DDHV}}{\text{PHF} \cdot \text{LAF} \cdot \text{AdjMedLTL} \cdot \text{FacAdj}}$$

$$\text{AdjVol} = 610.8 \quad \text{veh/h} \quad \text{V} := \text{AdjVol} \quad \text{V} = 610.8 \quad \text{veh/h}$$

## Calculations for Percent Time Spent Following (PTSF)

### 6. Determine $E_T$ (Truck passenger car equivalency factor)

```

PCEs(Terrain, V) := if Terrain = 1
    | E_T ← 1.1 if 0 ≤ V ≤ 300
    | E_T ← 1.1 if 300 < V ≤ 600
    | E_T ← 1.0 if V > 600
    | E_R ← 1.0
    | out ← (E_T)
    | out
    | if Terrain = 2
    | E_T ← 1.8 if 0 ≤ V ≤ 300
    | E_T ← 1.5 if 300 < V ≤ 600
    | E_T ← 1.0 if V > 600
    | E_R ← 1.0
    | out ← (E_T)
    | out
    | out

```

From Exhibit 20-10  
HCM 2000

$$PCEs(Terrain, V) = \begin{pmatrix} 1.0 \\ 1.0 \end{pmatrix}$$

$$E_T := PCEs(Terrain, V)_1$$

$$E_T = 1.0$$

$$E_R := PCEs(Terrain, V)_2$$

$$E_R = 1.0$$

### 7. Calculate heavy vehicle factor ( $f_{HV}$ )

$$f_{HV} := \frac{1}{1 + P_T \cdot (E_T - 1)}$$

Equation 20-4  
HCM 2000

$$f_{HV} = 1$$

### 8. Determine grade adjustment factor ( $f_G$ )

$$f_G(\text{Terrain}, V) := \begin{cases} \text{if Terrain} = 1 \\ \quad f_G \leftarrow 1.0 \\ \quad \text{out} \leftarrow f_G \\ \quad \text{out} \\ \text{if Terrain} = 2 \\ \quad f_G \leftarrow 0.77 \quad \text{if } 0 \leq V \leq 300 \\ \quad f_G \leftarrow 0.94 \quad \text{if } 300 < V \leq 600 \\ \quad f_G \leftarrow 1.0 \quad \text{if } V > 600 \\ \quad \text{out} \leftarrow f_G \\ \quad \text{out} \\ \text{out} \end{cases}$$

From Exhibit 20-8  
HCM 2000

$$f_G(\text{Terrain}, V) = 1$$

$$f_G := f_G(\text{Terrain}, V)$$

$$f_G = 1.0$$

### 9. Calculate forward direction volume ( $v_d$ )

$$v_d := \frac{V}{\text{PHF} \cdot f_G \cdot f_{HV}}$$

Equation 20-12  
HCM 2000

Since the PHF was already accounted for in Step 5, the following equation is used:

$$v_d := \frac{\text{AdjVol}}{f_G \cdot f_{HV}}$$

$$v_d = 610.8 \quad \text{pc/hr}$$

Check this value against flow range used for Exhibits 20-10 and 20-8, and repeat steps 6 through 9 as necessary.

### 10. Calculate opposing direction volume ( $v_o$ ).

$$v_o := \frac{V_o}{\text{PHF} \cdot f_G \cdot f_{HV}}$$

From Equation 20-13  
HCM 2000

The "equivalent" is performed by the following equation:

$$v_o := \frac{v_d \cdot (1 - D)}{D}$$

$$v_o = 499.7$$

$f_G$  and  $f_{HV}$  are not currently accounted for in the determination of  $v_o$  as they are in the HCM 2000 methodology. Additionally, the PHF is assumed to be the same in the off-peak direction.

#### 11. Determine values of coefficients 'a' and 'b' for HCM Equation 20-17

Look up values from HCM Exhibit 20-21 (linear interpolation if necessary).

Input:

$v_o$  is rounded to the nearest 10 veh/h.

$$v_{o\_rd} := \text{round}(v_o, -1) \quad v_{o\_rd} = 500 \quad \text{pc/hr}$$

$$\text{From Exhibit, for } v_o = 400; \quad a_1 := -0.0022 \quad b_1 := 0.923$$

$$\text{From Exhibit, for } v_o = 600; \quad a_2 := -0.0033 \quad b_2 := 0.870$$

From Exhibit 20-21  
HCM 2000 (per  
NCHRP 20-7  
revisions)

Interpolation:

$$a := a_1 + (v_{o\_rd} - 400) \cdot \left( \frac{a_2 - a_1}{600 - 400} \right)$$

$$a = -0.0028$$

$$b := b_1 + (v_{o\_rd} - 400) \cdot \left( \frac{b_2 - b_1}{600 - 400} \right)$$

$$b = 0.8965$$

#### 12. Calculate base percent time spent following (BPTSF)

$$\text{BPTSF}_d := 100 \cdot \left( 1 - e^{-a \cdot v_d^b} \right)$$

Equation 20-17  
HCM 2000

$$\text{BPTSF}_d = 57.9$$

#### 13. Determine adjustment for % no-passing zones in analysis direction ( $f_{np}$ ) for HCM Equation

## 20-16

Look up value from HCM Exhibit 20-20 (linear interpolation if necessary, by both volume and percent no-passing zone).

### Input:

$$\text{PostedSpeed} = 50$$

$$\% \text{NPZ} = 60$$

$$v_o = 499.7$$

$$\text{FFS} := \text{PostedSpeed} + 5$$

$$\text{FFS} = 55$$

### Interpolation:

$$v_p := v_d + v_o \quad v_p = 1110$$

$$f_{np} := 41.3 + (v_p - 800) \cdot \left( \frac{41.3 - 25.8}{800 - 1400} \right)$$

$$f_{np} = 33.3$$

From Exhibit 20-20  
HCM 2000 (per  
NCHRP 20-7  
revisions)

## 14. Calculate percent time spent following (PTSF)

$$\text{PTSF}_d := \text{BPTSF}_d + f_{np} \cdot \left( \frac{v_d}{v_p} \right)$$

$$\text{PTSF}_d = 76.2$$

Equation 20-16  
HCM 2000 (per  
NCHRP 20-7  
revisions)

### Procedure if passing lanes are present

See separate example document.

## Calculations for Average Travel Speed (ATS)

### 6. Determine $E_T$ (Truck passenger car equivalency factor)

```

PCEs(Terrain, V) := if Terrain = 1
                    | ET ← 1.7 if 0 ≤ V ≤ 300
                    | ET ← 1.2 if 300 < V ≤ 600
                    | ET ← 1.1 if V > 600
                    | ER ← 1.0
                    | out ←  $\begin{pmatrix} E_T \\ E_R \end{pmatrix}$ 
                    | out
                    | if Terrain = 2
                    | ET ← 2.5 if 0 ≤ V ≤ 300
                    | ET ← 1.9 if 300 < V ≤ 600
                    | ET ← 1.5 if V > 600
                    | ER ← 1.1
                    | out ←  $\begin{pmatrix} E_T \\ E_R \end{pmatrix}$ 
                    | out
                    | out

```

From Exhibit 20-9  
HCM 2000

$$\text{PCEs(Terrain, V)} = \begin{pmatrix} 1.5 \\ 1.1 \end{pmatrix}$$

$$E_T := \text{PCEs(Terrain, V)}_1$$

$$E_T = 1.5$$

$$E_R := \text{PCEs(Terrain, V)}_2$$

$$E_R = 1.1$$

### 7. Calculate heavy vehicle factor ( $f_{HV}$ )

$$f_{HV} := \frac{1}{1 + P_T \cdot (E_T - 1)}$$

Equation 20-4  
HCM 2000

$$f_{HV} = 0.98$$

### 8. Determine grade adjustment factor ( $f_G$ )

```

fG(Terrain, V) := if Terrain = 1
                    | fG ← 1.0
                    | out ← fG
                    | out
                    | if Terrain = 2
                    |   fG ← 0.71 if 0 ≤ V ≤ 300
                    |   fG ← 0.93 if 300 < V ≤ 600
                    |   fG ← 0.99 if V > 600
                    |   out ← fG
                    |   out
                    | out

```

From Exhibit 20-7  
HCM 2000

$$f_G(\text{Terrain}, V) = 0.99 \quad f_G := f_G(\text{Terrain}, V) \quad f_G = 0.99$$

#### 9. Calculate forward direction volume ( $v_d$ )

$$v_d := \frac{V}{\text{PHF} \cdot f_G \cdot f_{HV}}$$

Equation 20-12  
HCM 2000

Since the PHF was already accounted for in Step 5, the following equation is used:

$$v_d := \frac{\text{AdjVol}}{f_G \cdot f_{HV}}$$

$$v_d = 629.3 \quad \text{pc/h}$$

Check this value against flow range used for Exhibits 20-10 and 20-8, and repeat steps 6 through 9 as necessary.

#### 10. Calculate opposing direction volume ( $v_o$ )

$$v_o := \frac{V_o}{\text{PHF} \cdot f_G \cdot f_{HV}}$$

Equation 20-13  
HCM 2000

The "equivalent" is performed by the following equation:

$$v_o := \frac{v_d \cdot (1 - D)}{D}$$



$$v_o = 514.9 \quad \text{pc/h}$$

$f_G$  and  $f_{HV}$  are not currently accounted for in the determination of  $v_o$  as they are in the HCM 2000 methodology. Additionally, the PHF is assumed to be the same in the off-peak direction.

#### 11. Determine adjustment for % no-passing zones in analysis direction ( $f_{np}$ ) for HCM Equation 20-15

Look up value from HCM Exhibit 20-19 (linear interpolation if necessary, by both volume and percent no-passing zone).

Input:

$$\text{PostedSpeed} = 50 \quad \%NPZ = 60 \quad v_o = 514.9$$

$$FFS := \text{PostedSpeed} + 5$$

$$FFS = 55$$

Interpolation:

This example only calls for interpolation by volume,

$$f_{np} := 2.4 + (v_o - 400) \cdot \left( \frac{2.4 - 1.6}{400 - 600} \right)$$

$$f_{np} = 1.94$$

#### 12. Calculate average travel speed (ATS)

Input:

$$FFS_d := FFS \quad FFS_d = 55 \quad \text{from inputs}$$

$$v_d = 629.3 \quad \text{from step 9}$$

$$v_o = 514.9 \quad \text{from step 10}$$

$$f_{np} = 1.94 \quad \text{from step 11}$$

Calculation:

$$ATS_d := FFS_d - 0.00776 \cdot (v_d + v_o) - f_{np}$$

Equation 20-5  
HCM 2000

$$ATS_d = 44.2 \quad \text{mi/h}$$

### Procedure if passing lanes are present

See separate example document.

### Service Volumes

See separate example document.

### Determine Level of Service

```
Los(Class, PTSF, ATS, FFS) := if Class = 1
    out1 ← "A" if PTSF ≤ 35
    out1 ← "B" if 35 < PTSF ≤ 50
    out1 ← "C" if 50 < PTSF ≤ 65
    out1 ← "D" if 65 < PTSF ≤ 80
    out1 ← "E" if PTSF > 80
    out2 ← "A" if ATS > 55
    out2 ← "B" if 50 < ATS ≤ 55
    out2 ← "C" if 45 < ATS ≤ 50
    out2 ← "D" if 40 < ATS ≤ 45
    out2 ← "E" if ATS ≤ 40
    out ←  $\begin{pmatrix} \text{out}_1 \\ \text{out}_2 \end{pmatrix}$ 
  if Class = 2
    out ← "A" if PTSF ≤ 40
    out ← "B" if 40 < PTSF ≤ 55
    out ← "C" if 55 < PTSF ≤ 70
    out ← "D" if 70 < PTSF ≤ 85
    out ← "E" if PTSF > 80
    out
  if Class = 3
    out ← "A" if  $\frac{ATS}{FFS} > 0.917$ 
    out ← "B" if  $0.833 < \frac{ATS}{FFS} \leq 0.917$ 
    out ← "C" if  $0.750 < \frac{ATS}{FFS} \leq 0.833$ 
```

From Exhibit 20-2  
HCM 2000

From Exhibit 20-4  
HCM 2000

	out ← "D" if $0.667 < \frac{ATS}{FFS} \leq 0.750$
	out ← "E" if $0.583 < \frac{ATS}{FFS} \leq 0.667$
	out ← "F" if $\frac{ATS}{FFS} \leq 0.583$
out	
out	

$$\text{Los}(\text{Class}, \text{PTSF}_d, \text{ATS}_d, \text{FFS}) = \begin{pmatrix} \text{"D"} \\ \text{"D"} \end{pmatrix}$$

If Class 1, the LOWER LOS GOVERNS

