```
1
     ll power_mod(ll a, ll b) {
 2
         ll ret = 1; a %= mod;
 3
         assert(b >= 0);
 4
         for(; b; b >>= 1, a = a * a % mod)
 5
            if(b & 1) ret = ret * a % mod;
 6
         return ret;
 7
 8
     namespace linear_seq {
 9
         const int N=10010;
10
        ll res[N],base[N],_c[N],_md[N];
11
12
        vector<ll> Md;
13
        void mul(ll *a,ll *b,ll k) {
14
            rep(i,0,k+k) _c[i]=0;
15
            rep(i,0,k) if (a[i]) rep(j,0,k) _c[i+j]=(_c[i+j]+a[i]*b[j])%mod;
16
            for (ll i=k+k-1;i>=k;i--) if (_c[i])
17
                rep(j,0,SZ(Md)) _c[i-k+Md[j]]=(_c[i-k+Md[j]]-
     _c[i]*_md[Md[j]])%mod;
18
19
            rep(i,0,k) a[i]=_c[i];
20
21
         ll solve(ll n,VI a,VI b) {
22
            ll ans=0,pnt=0;
23
            ll k=SZ(a);
24
            assert(SZ(a)==SZ(b));
25
            rep(i,0,k) _md[k-1-i]=-a[i];_md[k]=1;
26
            Md.clear();
27
            rep(i,0,k) if (_md[i]!=0) Md.push_back(i);
28
            rep(i,0,k) res[i]=base[i]=0;
29
            res[0]=1;
30
            while ((1ll<<pnt)<=n) pnt++;</pre>
31
            for (ll p=pnt;p>=0;p--) {
32
                mul(res,res,k);
33
                if ((n>>p)&1) {
34
                   for (ll i=k-1;i>=0;i--) res[i+1]=res[i];res[0]=0;
35
                   rep(j,0,SZ(Md)) res[Md[j]]=(res[Md[j]]-res[k]*_md[Md[j]])%mod;
36
                }
37
            }
38
            rep(i,0,k) ans=(ans+res[i]*b[i])%mod;
39
            if (ans<0) ans+=mod;</pre>
40
            return ans;
41
42
        VI BM(VI s) {
43
            VI C(1,1), B(1,1);
44
            ll L=0, m=1, b=1;
45
            rep(n,0,SZ(s)) {
46
                ll d=0;
47
                rep(i,0,L+1) d=(d+(ll)C[i]*s[n-i])%mod;
48
                if (d==0) ++m;
49
                else if (2*L<=n) {
50
                   VI T=C;
51
                   ll c=mod-d*power_mod(b,mod-2)%mod;
52
                   while (SZ(C) < SZ(B) + m) C.pb(0);
53
                   rep(i,0,SZ(B)) C[i+m]=(C[i+m]+c*B[i])%mod;
54
                   L=n+1-L; B=T; b=d; m=1;
```

```
55
                } else {
56
                   ll c=mod-d*power_mod(b,mod-2)%mod;
57
                   while (SZ(C)<SZ(B)+m) C.pb(0);</pre>
58
                   rep(i,0,SZ(B)) C[i+m]=(C[i+m]+c*B[i])%mod;
59
                   ++m;
60
               }
61
62
            return C;
63
64
        ll gao(VI a,ll n) {
65
            VI c=BM(a);
66
            c.erase(c.begin());
67
            rep(i,0,SZ(c)) c[i]=(mod-c[i])%mod;
68
            return solve(n,c,VI(a.begin(),a.begin()+SZ(c)));
69
        }
70
     };
71
```