

χ^2 test for Independence.

Theoretical
categorical Distribution

vs

Observed
categorical distribution

Just for understanding you can see them as χ^2 goodness of fit test for two variable.

for ex: (taken from 2ed statistics)

Observed	male	female	Total.
Blue.	10	12	22
Grey.	7	10	17
Y eye	25	34	59
Total.	42	56	98

Joint distribution.

expected	male	female	Total.
Blue	9.4	12.6	22
Grey	7.3	9.7	17
Y eye.	25.3	33.7	59
	42	56	98

ques ex: 120 people are surveyed for preferred social media platform.

Is there enough evidence to suggest social media preference independent of sex?

$$\text{Degree of freedom} = (\text{rows} - 1) (\text{column} - 1) \\ = (\text{categories} - 1) (\text{variable} - 1)$$

Again

$$\chi^2 = \sum \frac{(O - E)^2}{E} \sim \chi^2$$

Reject if $\chi^2_{\text{calculated}} > \chi^2_{\text{tabulated}}$