

Aim:

To implement RSA asymmetric key cryptosystem using C.

Algorithm:

1. Select two large prime numbers p and q
2. Compute $n = pq$
3. Choose system modulus: $\phi(n) = (p-1) \times (q-1)$
4. Select a random encryption key e such that $\gcd(e, \phi(n)) = 1$
5. Decrypt by computing $d = 1 \bmod \phi(n)$
6. Print the public key {e,n}
7. Print the private key {d,n}

Program Code:

```
#include <stdio.h>
#include <math.h>
int power(int,unsigned int,int);
int gcd(int,int);
int multiplicativeInverse(int,int,int);
int main()
{
    int p,q,n,e,d,phi,M,C;

    printf("\nEnter two prime numbers p and q that are not equal : ");
    scanf("%d %d",&p,&q);
    n = p * q;
    phi = (p - 1)*(q - 1);
    printf("Phi(%d) = %d",n,phi);
    printf("\nEnter the integer e : ");
    scanf("%d",&e);
    if(e >= 1 && e < phi)
    {
        if(gcd(phi,e)!=1)
        {
            printf("\nChoose proper value for e !!!\n");
            return 1;
        }
    }

    //Key Generation
    d = multiplicativeInverse(e,phi,n);

    printf("\nPublic Key PU = {%d,%d}",e,n);
```

```

printf("\nPrivate Key PR = { %d,%d}",d,n);

//Encryption
printf("\nMessage M = ");
scanf("%d",&M);
C = power(M,e,n);
printf("\nCiphertext C = %d \n",C);

//Decryption
M = power(C,d,n);
printf("\nDecrypted Message M = %d \n",M);

return 0;
}

int power(int x, unsigned int y, int p)
{
    int res = 1;    // Initialize result

    x = x % p; // Update x if it is more than or equal to p

    while (y > 0)
    {
        // If y is odd, multiply x with
        // result if (y & 1)
        res = (res*x) % p;

        // y must be even now
        y = y>>1; // y = y/2
        x = (x*x) % p;
    }
    return res;
}

int gcd ( int a, int b )
{
    int c;
    while ( a != 0 )
    {
        c = a;
        a = b % a;
        b = c;
    }
    return b;
}

```

```

int multiplicativeInverse(int a, int b, int n)
{
    int sum,x,y;

    for(y=0;y<n;y++)
    {
        for(x=0;x<n;x++)
        {
            sum=a*x + b*(-y);
            if(sum==1)
                return x;
        }
    }
}

```

Output:

```

swetha277@fedora:~$ vi rssa.java
swetha277@fedora:~$ javac rssa.java
swetha277@fedora:~$ java rssa
Enter the message:s
17
The value of z is:20
The value of e:3
The value of d:7
Encrypted message is:29.0
Decrypted message is:17
swetha277@fedora:~$

```

Result:

DIFFIE-HELLMAN KEY EXCHANGE

The simplest and the original implementation of the protocol uses the multiplicative group of integers modulo p , where p is prime, and g is a primitive root modulo p . Here is an example of the protocol, with non-secret values in blue, and secret values in **red**.

1. Alice and Bob agree to use a prime number $p = 23$ and base $g = 5$ (which is a primitive root modulo 23).
2. Alice chooses a secret integer **$a = 6$** , then sends Bob $A = g^a \bmod p$
 - $A = 5^6 \bmod 23 = 8$
3. Bob chooses a secret integer **$b = 15$** , then sends Alice $B = g^b \bmod p$
 - $B = 5^{15} \bmod 23 = 19$
4. Alice computes **$s = B^a \bmod p$**
 - $s = 19^6 \bmod 23 = 2$
5. Bob computes **$s = A^b \bmod p$**
 - $s = 8^{15} \bmod 23 = 2$
6. Alice and Bob now share a secret (the number **2**).

Aim:

To implement Diffie-Hellman key exchange using C.

Algorithm:

1. Get a prime number q as input from the user.
2. Get a value x_a and x_b which is less than q .
3. Calculate primitive root α
4. For each user A , generate a key $X_a < q$
5. Compute public key, $\alpha^{\text{pow}(X_a)} \bmod q$
6. Each user computes Y_a
7. Print the values of exchanged keys.

Program Code:

```
//This program uses fast exponentiation function power instead of pow library function
#include <stdio.h>
#include <math.h>
int power( int,unsigned int,int);
int main()
{
    int x,y,z,count,ai[20][20];
    int alpha,xa,xb,ya,yb,ka,kb,q;
    printf("\nEnter a Prime Number \"q\":");
    scanf("%d",&q);
    printf("\nEnter a No \"xa\" which is less than value of q:"); scanf("%d",&xa);
    printf("\nEnter a No \"xb\" which is less than value of q:");
    scanf("%d",&xb);
    printf("\nEnter alpha:");
```

```

scanf("%d",&alpha);
ya = power(alpha,xa,q);
yb = power(alpha,xb,q);
ka = power(yb,xa,q);
kb = power(ya,xb,q);
printf("\nya = %d \nyb = %d \nka = %d \nkb = %d \n",ya,yb,ka,kb);
if(ka == kb)
    printf("\nThe secret keys generated by User A and User B are same\n");
else
    printf("\nThe secret keys generated by User A and User B are not same\n");
return 0;
}

int power(int x, unsigned int y, int p)
{
    int res = 1;    // Initialize result

    x = x % p; // Update x if it is more than or equal to p

    while (y > 0)
    {
        // If y is odd, multiply x with
        result if (y & 1)
        res = (res*x) % p;

        // y must be even now
        y = y>>1; // y = y/2 x
        = (x*x) % p;
    }
    return res;
}

```

Output:

```

swetha277@fedora:~$ vi diffiehellman.java
swetha277@fedora:~$ javac diffiehellman.java
swetha277@fedora:~$ java diffiehellman
Both users should agree upon:
PUBLIC KEY OF G:
10
PUBLIC KEY OF P:
25
PRIVATE KEY OF USER1:
18
PRIVATE KEY OF USER2:
36
Secret key of user1 is:24
Secret key of user2 is:0
swetha277@fedora:~$

```

Result: