

Critical Updraft Quantities in LES Models of Shallow to Deep Convective Transitions

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1. Introduction

The cumuliform life cycle in the tropics typically progresses as follows: shallow convection \rightarrow moderately deep convection with limited lateral growth \rightarrow deep convective cores with limited lateral growth \rightarrow deep convection with laterally extensive stratiform \rightarrow decaying convection

In numerical models, the convective life cycle is largely controlled by cumulus parameterization, which attempts to replicate the convective life cycle based on assumed interactions between convective elements and their environments. This is often not done well, partially because controls on rain rate aren't purely thermodynamic.

The transition from shallow to deep cloud is critical to problems related to deep "convective initiation" on multiple spatial and temporal time scales. For example, rapid decreases in negative buoyancy between 850 and 700 hPa appears to coincide with the beginning of deep convective transition in the MJO during DYNAMO (see below from WRF simulations discussed by Powell 2016)¹.

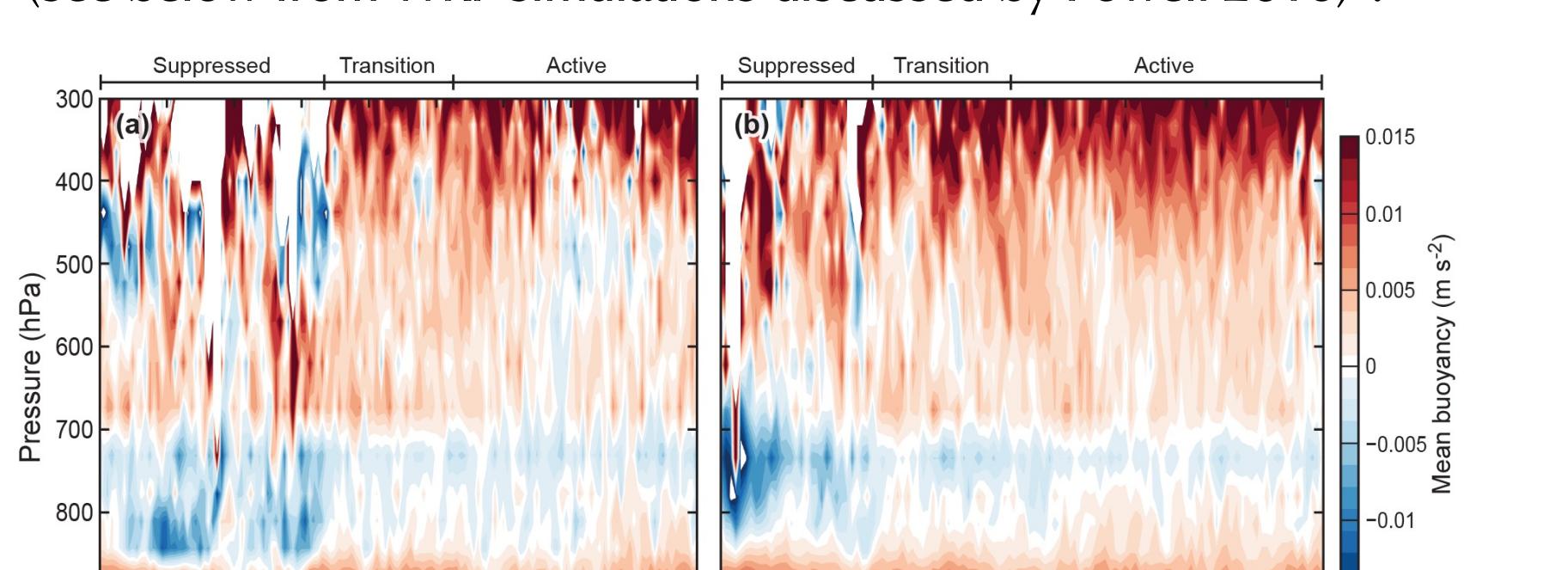


Figure 1: Mean buoyancy of cloudy updrafts in WRF (Powell 2016).

2. Model (CM1)

Domain size: 64 km x 64 km x 20 km
Grid spacing: 100 m, variable vertical with 50 m in boundary layer
Initial perturbations: White noise added to temperature in boundary layer at start
Integration time: 24 hours
Output frequency: 10 min (1 min for Base)
Boundary conditions: Periodic, fixed SST (30.5K)

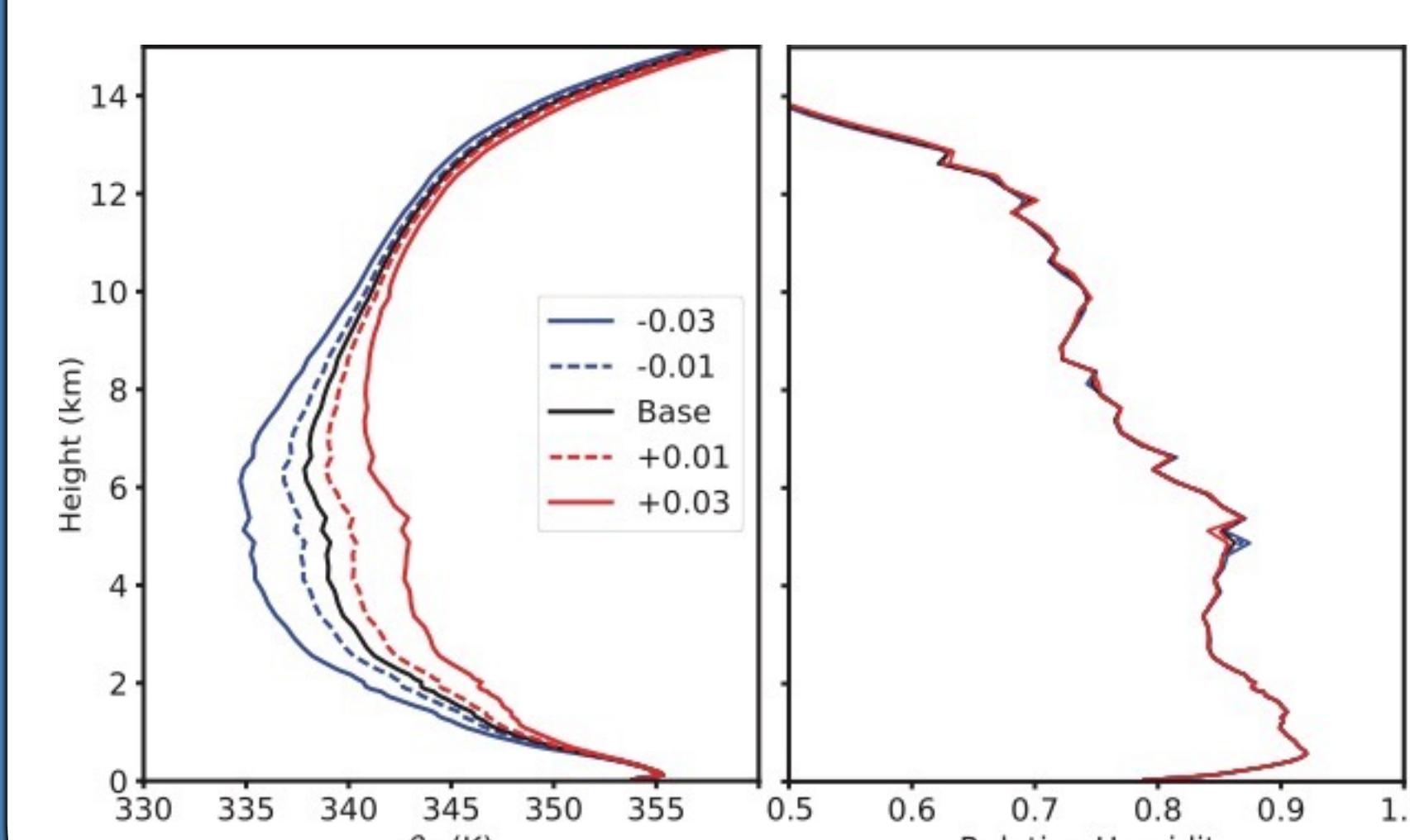


Figure 2: Initial profiles of a) θ_e and b) relative humidity used to force the simulations.

TABLE 1. Physics options used for CM1 simulations.

Parameterization	Selection	Reference
Microphysics	Morrison	Morrison et al. (2009)
Boundary Layer	None	
Surface	MM5 similarity	Jiménez et al. (2012)
Radiation	NASA-Goddard	Chou and Suarez (1999)
Turbulence	Smagorinsky	Stevens et al. (1999)

Five simulation were run with identical RH profiles and variable temperature profiles. Black line represents the "Base" or control simulation that is based on DYNAMO soundings during rainy periods. Variations in temperature profiles are related to those caused by variability in large-scale vertical velocity associated with the MJO (Powell and Houze 2015)². (This is not a study about the MJO, but MJO partially motivates it!)

3. What does the model produce?

A simple validation

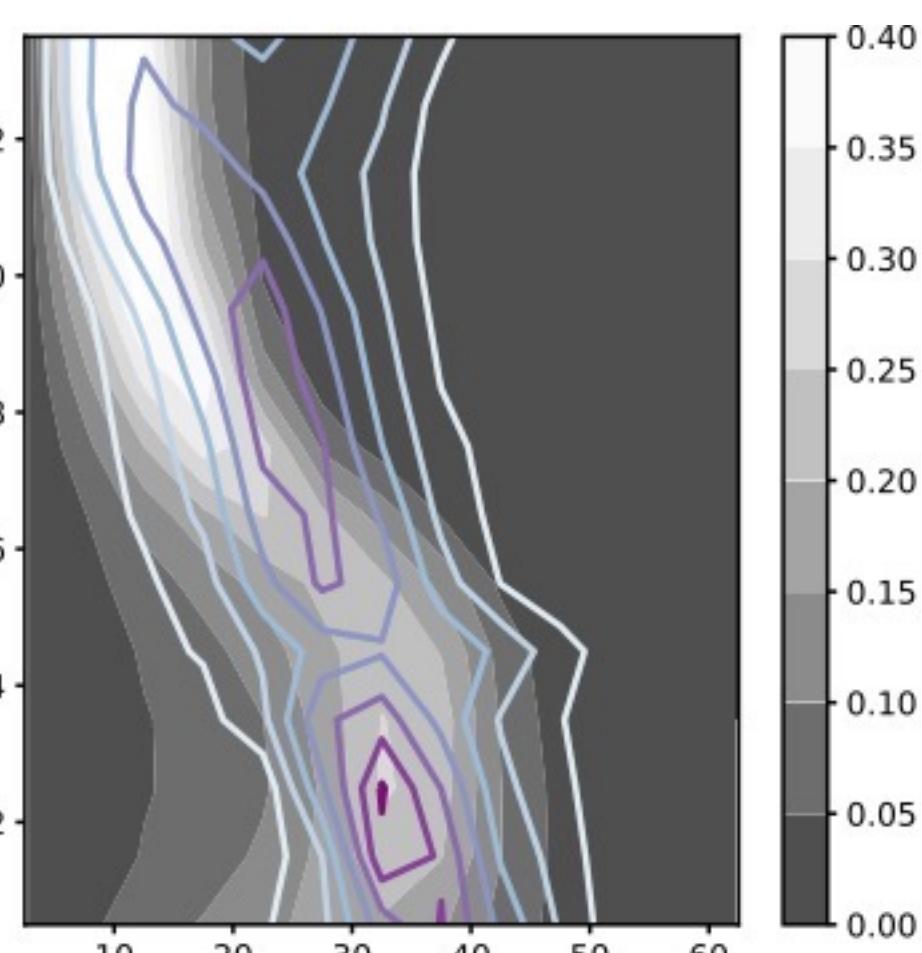


Figure 3: Two-dimensional normalized histograms of reflectivity as a function of altitude. Distributions are normalized in each vertical bin. Shading denotes observed distributions as seen by S-Polka during DYNAMO, and contours denote distributions simulated. The two are roughly in agreement, especially below the 0°C level. However, the model does not produce the appropriate reduction in the large tail of the hydrometeor size distribution at the 0°C level, and as a result, reflectivity in the model is biased high against observations above 5 km.

Figure 4: Domain-mean rain rate as a function of time for each of the five simulations.

All but the most unstable (blue) simulation exhibit some sort of rapid transition to higher rain rates. This implies existence of some sort of criticality in the system³. Prior to transition, rain rate is related directly to instability of initial sounding. All simulations approach a similar state at 18 hours.

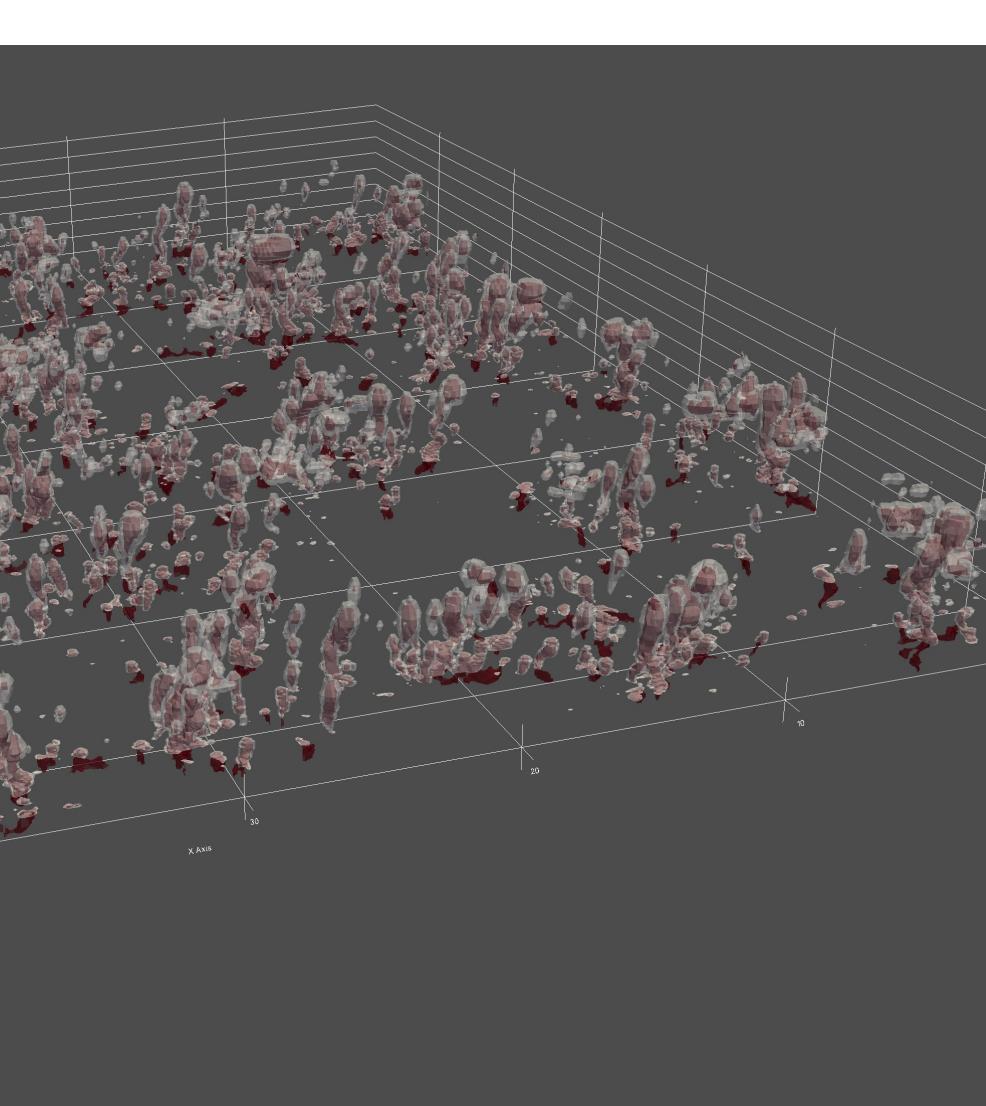
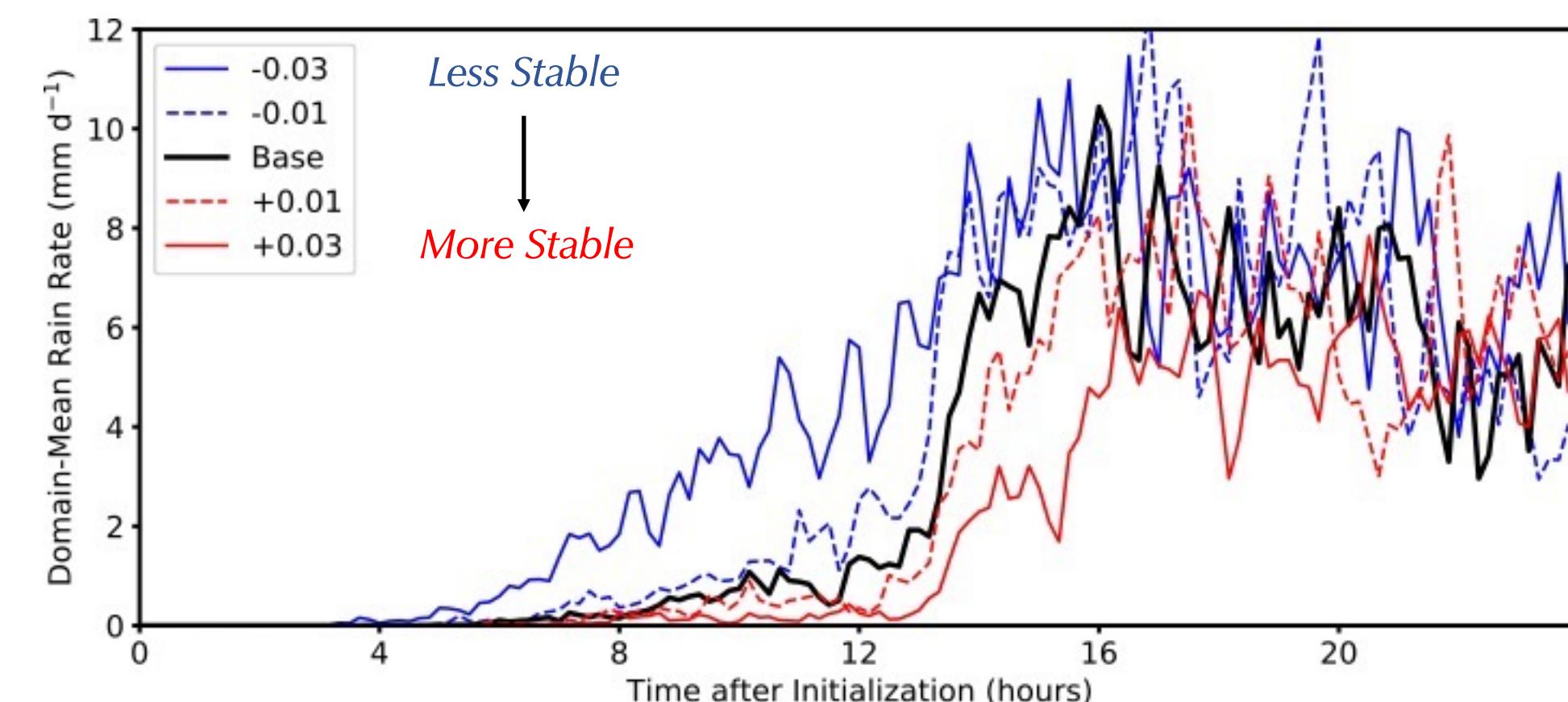
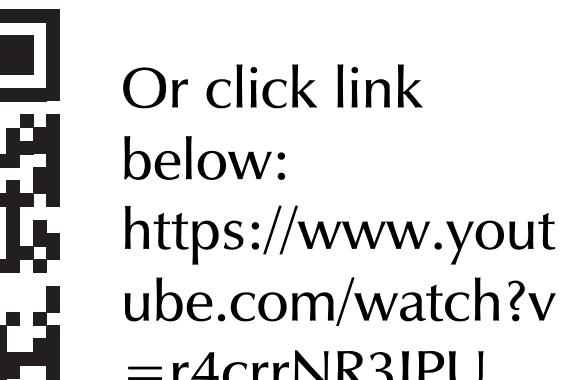


Figure 5: Snapshot of cloud population (white shading) with updrafts stronger than 1 m s⁻¹ (red shading) in clouds or contiguous with them in the Base simulation about one hour before the rapid increase in rainfall at 13 hours.



Or click link below:
<https://www.youtube.com/watch?v=r4crrNR3IPU>

Scan me with phone or tablet to view animation.

4. Vertical Accelerations During Convective Transitions

$$\frac{Dw}{Dt} = -\frac{1}{\rho} \frac{\partial p'}{\partial z} + B$$

"Total" vertical acceleration (anelastic, no friction): Approximate balance between relative buoyancy and vertical pressure gradient acceleration. Similar quantities computed previously.^{4,5,6}

Buoyancy relative to arbitrary reference state; in case of CM1, the initial sounding

$$B = g \left[\frac{\theta^*}{\theta_0} + \left(\frac{R_v}{R_d} - 1 \right) q_v^* - q_{lf} \right]$$

$$B_L = \frac{1}{\rho} \frac{\partial p'}{\partial z}$$

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