Andy Lew DSP ML2 Assignment

1.

- a) The fundamental frequency is 25 Hz. This was found by finding the greatest common denominator of all the frequencies.
- b) We know that the given signal is periodic because all the frequencies are related by a rational ratio (the fundamental frequency is a real number).
- c) function spplot(spec)

```
% SPPLOT plots the two-sided magnitude and phase spectrum
% usage: spplot(spec)
% input: spec - a structure with
%
       spec.f - a vector of non-negative frequencies only
%
       spec.X - the complex coefficients of the spectrum
% output: a figure with two subplots with the spectrum plots
if nargin == 0
 help spplot
 Return
End
subplot(211)
 p=stem(spec.f,abs(spec.X));
 set(p,'Marker','none')
 set(p,'LineWidth',6)
 ylabel('abs(X)')
 xlabel('f [Hz]')
 Grid
subplot(212)
 q=stem(spec.f,angle(spec.X)/pi);
 set(q,'Marker','none')
 set(q,'LineWidth',6)
 ylabel('arg(X)\forallpi')
 xlabel('f [Hz]')
 grid
```

d) When the function is called without arguments, it calls "help" on the function and shows information on the function.

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2. a) >> fo=25;
```

```
>> fmax = spec.f(end);
>> h = 1/(40*fmax);
>> t0=0;tf=3*1/fo;
>> t = t0:h:tf;
>> N = length(spec.f);
>> pos = ceil(N/2);
>> x = zeros(size(t));
>> if rem(pos,N)
DC = spec.X(pos);
x = x + DC;
End
>> for k = pos+1:N
x = x + (\text{spec.}X(k) * \exp(j*2*pi*\text{spec.}f(k)*t) + \cos(\text{spec.}X(k)) * \exp(-j*2*pi*\text{spec.}f(k)*t));
End
>> plot(t,x);
>> hold on
>> plot(t,DC,'r')
>> xlabel('t [sec]')
>> ylabel('x(t)')
>> grid
>> hold off
```