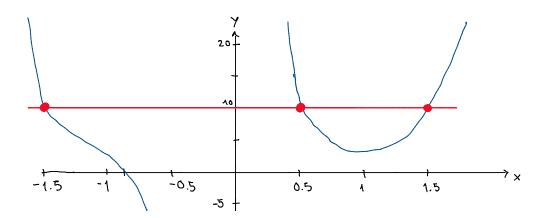
## S05 Aufg01 - Jari Rentsch, Sydney Nguyen

Thursday, 22 October 2020

$$e^{x^2} + x^{-3} = 10$$



## Newton - Verfahren:

$$f(x) = c^{x^{2}} + x^{-3} - 10 \qquad \text{for } x_{0} = 2 :$$

$$f'(x) = 2e^{x^{2}} \times -\frac{3}{x^{4}} \qquad n \times n$$

$$\times_{n+1} = \times_{n} -\frac{f(x_{n})}{f'(x_{n})} \qquad 1 = 625081$$

$$\sqrt{vr} \quad \chi_{\alpha} = 2 \quad :$$

```
f'(x) = 2e^{x^2} \times -\frac{3}{x^4}
x_{n+1} = x_n - \frac{f(x_n)}{f'(x_n)}
x_n = x_n - \frac{f(x_n)}{f'(x_n)}
```

## Vereinfachtes Newton-Verfahren:

$$x_{n+1} = x_n - \frac{f(x_n)}{f'(x_0)} \cdot f'(0.5) \approx -46.7160$$
  
für  $x_0 = 0.5$ : n  $x_n$   
0 0.5  
1 0.4846738810503588  $\approx 0.4847$   
2 0.4857005232901387  $\approx 0.4857$   
3 0.4855644460579851  $\approx 0.4857$   
4 0.48558189957472286  $\approx 0.4857$ 

$$X^{N+1} = X^{0} - \frac{f(x^{0}) - f(x^{0-1})}{X^{N-1} \times N^{-1}} \cdot f(x^{N})$$
Sekantenter for the second se

Fix 
$$\chi_0 = -1.0$$
,  $\chi_1 = -1.2$ :

N  $\chi_0$ 
0 -1.0
1 -1.2
2 -1.8610151161359973
3 -1.34941760464263
4 -1.4326421012234578
5 -1.5593897218430148
 $\chi_0 = -1.0$ 
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