

REPORT

Results of 5 different values of x:

When $x = 5$, the first natural number, whose factorial divides x is 5

i.e., $\$r11 = 5$

The final result in gdb (using display command) when $x = 5$ (along with the other registers)

```
1: $rax = 60      # sys call 60 on exit
2: $r8 = 5        # x
3: $r9 = 5        # i
4: $r10 = 24      # factorial
5: $r11 = 5       # final result in r11
```

When $x = 416$, the first natural number, whose factorial divides x is 13

i.e., $\$r11 = 13$

The final result in gdb (using display command) when $x = 416$

```
1: $rax = 60      # sys call 60 on exit
2: $r8 = 416      # x
3: $r9 = 13       # i
4: $r10 = 6227020800 # factorial
5: $r11 = 13      # final result in r11
```

When $x = 20$, the first natural number, whose factorial divides x is 5

i.e., $\$r11 = 5$

The final result in gdb (using display command) when $x = 20$

```
1: $rax = 60      # sys call 60 on exit
2: $r8 = 20       # x
3: $r9 = 5        # i
4: $r10 = 120     # factorial
5: $r11 = 5       # final result in r11
```

When $x = 100$, the first natural number, whose factorial divides x is 10

i.e., $\$r11 = 10$

The final result in gdb (using display command) when $x = 100$

```
1: $rax = 60      # sys call 60 on exit
2: $r8 = 100      # x
3: $r9 = 10       # i
4: $r10 = 3628800 # factorial
5: $r11 = 10      # final result in r11
```

When $x = 17$, the first natural number, whose factorial divides x is 17

i.e., $\$r11 = 17$

The final result in gdb (using display command) when $x = 17$

```
1: $rax = 60      # sys call 60 on exit
2: $r8 = 17       # x
3: $r9 = 17       # i
4: $r10 = 20922789888000 # factorial
5: $r11 = 17      # final result in r11
```

Values of x, whose factorial calculation will overflow:

Given a number x, your task is to find first natural number i whose factorial is divisible by x.

So, Let us consider unsigned integers (since natural numbers are given)

The number which overflows in 64 – bit is $(2^{64}) = 18,446,744,073,709,552,000$

The number whose factorial will overflow in 64 – bit = 21

$$21! = 51,090,942,171,709,440,000$$

The number which overflows in 32 – bit is $(2^{32}) = 4,294,967,296$

The number whose factorial will overflow in 32 – bit = 13

$$13! = 6,227,020,800$$

The number which overflows in 16 – bit is $(2^{16}) = 65,536$

The number whose factorial will overflow in 16 – bit = 9

$$9! = 362,880$$

The number which overflows in 8 – bit is $(2^8) = 256$

The number whose factorial will overflow in 8 – bit = 6

$$6! = 720$$