1.Integer Representation

The output of given code snippet:

```
-4 4294967292 4294967291 -5 -42 65532
```

Code Snippet:

```
int x = your rollnumber %100;
1
2
       int a = -1*(x);
       unsigned int b = (unsigned int) a;
3
       unsigned int c = UINT MAX-x:
4
5
       int d = (int) c:
       int p = 65490 + x;
6
7
       short int e = ( short int ) p;
8
       unsigned short f = (unsigned short) a;
       printf ( "%d %u %u %d %hi %hu\n", a, b, c, d, e, f);
9
In 1<sup>st</sup> line, int x = 2019101104 \% 100
       so, x = 4
In 2^{nd} line, int a = -4
       so, a = -4
```

In 3^{rd} line, we are typecasting int 'a' to unsigned int. In 2's complement representation -4 is 1111 1111 1111 1111 1111 1111 1100 (32 bits)

So the range is 0 to $(2^32)-1$ i.e., 0 to 4294967295.

From this if we remove the last two rightmost places in binary number which is zero It becomes 4294967295 - 3 = 4294967292

So,
$$b = 4294967292$$

In 4th line, UINT_MAX is the maximum value that can be stored in integer data type.

$$UINT_MAX = (2^32) - 1 = 4294967295$$

UINT MAX can be found in inits.h>

```
UINT_MAX - x = 4294967295 - 4 = 4294967291
So. c = 4294967291
```

In 5th line, we are typecasting unsigned int 'c' to int. In binary representation,

```
4294967291 is 1111 1111 1111 1111 1111 1111 1011
```

So, If we convert to int, it is in Two's complement representation, and all the significant bits are '1' which implies it is a negative number, So to get the magnitude we are inverting all the bits and adding '1', it becomes

0000 0000 0000 0000 0000 0000 0000 0101 that is 5 So. d = -5

In
$$6^{th}$$
 line, int $p = 65490 + x = 65490 + 4 = 65494$
So, $p = 65494$

In 7th line, we are typecasting int 'p' to short int. In binary representation,

```
65494 is 1111 1111 1101 0110
```

It is exactly 2 bytes which is size of short int. When we are converting int to short int , we have '1' in left most significant bit which indicates a negative number

We get,
$$e = -(2^16) + (2^15) + (2^14) + ... + (2^6) + (2^4) + (2^2) + (2^1) = -42$$

So $e = -42$

In 8^{th} line, we are typecasting int 'a' to insigned short. In Two's complement $-4=1111\ 1111\ 1111\ 11100$ (as it is now unsigned short ie. 2 bytes) we get, $f=(2^16)-1-1-2=65535-3=65532$ So, f=65532