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about themselves
produce good results

Content Today:

1. Single number 1
2. Single number 2
3. single number 3
4. maximum & Pair

Quiz 1: if last bit of number is one . the number is odd

Quiz 2: what is the Time complexity of
"checking ifh bit set or unset"
"constant time"

$A \& (1 \ll i) > 0$
ith bit is set

Quiz 3: Total cont of set bits in Integer. Time complexity is $O(\log n)$

Problem 1: Single Number 1

→ given $\sim n$ elements

→ every element repeats twice except one

→ find the unique element

$$A = 7 \neq 3 \neq 8 \neq \text{ans} = 8$$

$$A = 4 \neq 5 \neq 4 \neq 1 \neq \text{ans} = 1$$

$$\text{ans} = A[0]$$

for i in range(1, n-1):

$$\downarrow \text{ans} = \text{ans} \wedge A[i]$$

return ans

TC: O(n)

SC: O(1)

idea 2 → sorting $O(n \log n)$

idea 3 → hashmap $TC: O(n)$
 $SC: O(n)$

idea 4 → $A[] = [2 \ 3 \ 5 \ 6 \ 3 \ 6 \ 2]$

2 0 1 0 \Rightarrow if element is repeating
 3 0 1 1
 5 1 0 1 twice, number of
 6 1 1 0 set bits at every index
 3 0 1 1 will be even
 6 1 1 0
 2 0 1 0

$ans \leftarrow 0$

for $i = 0 \rightarrow 32$

$O(32)$

$Count \leftarrow 0$

$O(n)$

for $j = 0 \rightarrow n-1$

if $(A[j] \& (1 \ll i)) > 0$

$Count++$

if $Count \& 1 > 0 \# odd$

$TC = O(N)$

$SC = O(1)$

$ans += 1$
 $ans = (ans | (1 \ll i))$

Problem 2: Single number 2

Given an arr[n], all the elements present thrice except one, find the unique one.

occurring
Once

$$A = [2, 3, 2, 2, 4, 3, 3] \quad \text{Ans} = 4$$

$\downarrow \quad \downarrow \quad \downarrow$
 $1 \quad 2 \quad 3$

Brute force: $O(n^2)$

1. tow for loop and calculate each element frequency.

Sorting approach: $O(n \log n)$

1. sort the array

2. iterate the array and keep the count of

```
Count = 0,  
for (j=0->n-1):  
    if A[j] == A[i]  
        Count += 1  
    if Count == 1:  
        return A[i]
```

Hash map approach: TC: $O(N)$ SC: $O(1)$

Contribution Technique for Bit manipulation

- Counting each indec bit of every element
and if it is multiple of 3 no action.

- if

$$a = [15 \ 7 \ 5 \ 4 \ 7 \ 11 \ 11 \ 9 \ 11 \ 7 \ 5 \ 4 \ 4]$$

s =	0	1	0	1
t =	0	1	1	1
s =	0	1	0	1
k =	0	1	0	0
t =	0	1	1	1
v =	1	0	1	1
k =	1	0	1	1
a =	1	0	0	1
v =	1	0	1	1
t =	0	1	1	1
s =	0	1	0	1
k =	0	1	0	0
k =	0	1	0	0

if $\% 3 == 0$

10 is not multiple of 3
add 1

else:
6 is multiple of 3
add 0

mod 3 vs

$$\begin{array}{r} 4 \ 9 \ 6 \ 10 \\ \underline{1 \ 0 \ 0 \ 1} = 9 \end{array}$$

Ans = 0

for i in range(32) → O(32)

Count = 0

for j in range(len(A)) → O(n)

num = A[j]

(num & (1LLi)) > 0

↓ Count += 1

if Count % 3 != 0

↓ Ans = Ans | (1LLi)

return Ans

⇒ O(32 × n)

⇒ O(32n)

Tc : O(n)

Sc : O(1)

Extension:

1. Every element is repeating thrice except one element which is repeating twice.

Same exact method of above work here.

q	=	1	0	0	1
s	=	0	1	0	1
r	=	0	1	1	1
s	=	0	1	0	1
k	=	0	1	0	0
r	=	0	1	1	1
n	=	1	0	1	1
k	=	1	0	1	1
a	=	1	0	0	1
n	=	1	0	1	1
r	=	0	1	1	1
s	=	0	1	0	1
k	=	0	1	0	0
k	=	0	1	0	0

4 9 b 10

5 9 b 11 ←

1 0 0 1

2. Every element repeating 4 times except one element, which is repeating one time

⇒ XOR of all the elements in Array

⇒

3. Every element repeating 4 times except one element which is repeating 2 times.

\Rightarrow number of set bit in i^{th} index
 \Rightarrow is going to be multiple of '4'

if $\text{ele} \& (1 \ll i) > 0$
 Count ++

if Count % 4 != 0
 ans = ans / $(1 \ll i)$

4. Every element repeating 4 times except one element which is repeating '3' times.

XOR can be used

Single Number 3

Given $\text{int}\{\} A$. all element repeats twice, except two no.

$$A = [4 \ 5 \ 4 \ 5 \ 2 \ 1]$$

$$\text{ans} = [2, 1]$$

$$x = x \mid A[i]$$

Later extract 2 elements of Answer from x

$$A = [4 \ 5 \ 4 \ 11 \ 6 \ 5 \ 2] \ \text{ans} = 2, 6$$

$$A = [0 \ 8 \ 8 \ 9 \ 12 \ 9 \ 6 \ 11 \ 10 \ 6 \ 12 \ 17]$$

$$\text{ans} = 11^{\wedge} 17$$

$$\begin{array}{r} 0 \ 1 \ 0 \ 1 \\ 1 \ 0 \ 0 \ 0 \ 1 \\ \hline 1 \ 1 \ 0 \ 1 \ 0 \end{array}$$

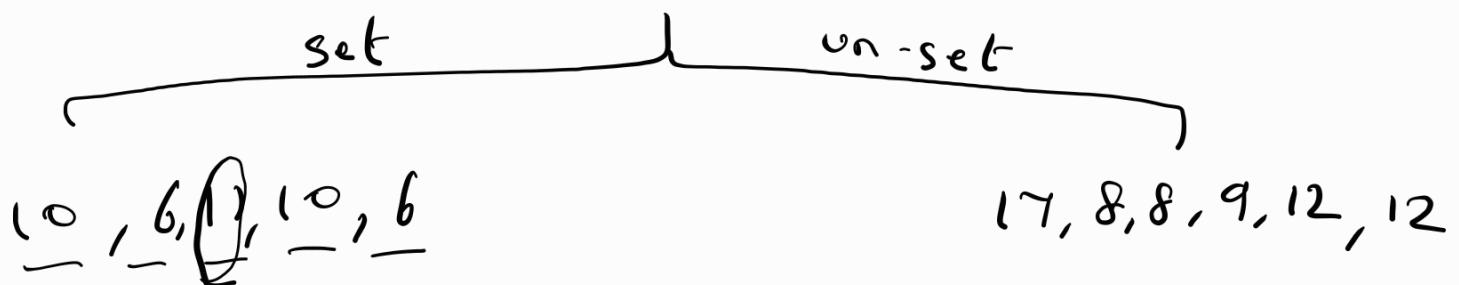
$$16 \quad 8 \quad 2 = 26$$

how to extract ans?



\Rightarrow Split the entire array on the basis of 1st index.

\Rightarrow "11 010" has 1 in 1st index



\hookrightarrow Take XOR of all left elements to get any 1)

\hookrightarrow Take XOR of all right elements also.

Perform XOR operation on array
 $x = A[0]$

for i in range(1, len(A)):

↓
 $x = x \uparrow A[i]$

find first index of set bit in x

$idx = -1$

for i in range(32):

| if $x \& (1 \ll i) > 0$:
↓ ↓ $idx = i$
 break

split the idx^{th} set bit element

Set bit = 0

unset bit = 0

for i in range(len(A)):

| if $A[i] \& (1 \ll i) > 0$:

↓ Set bit = Set bit $\uparrow A[i]$

else:

↓ Unset bit = Unset bit $\uparrow A[i]$

Problem Maximum And Pair

- Given int [] of size n.
- choose two indices (i, j)
such that $(i \neq j)$ & $A[i] \& A[j]$
is maximum.

$$A = \{27, 18, 20\}$$

$$27 \& 18 = 10010$$

$$27 \& 20 = 10000$$

$$18 \& 20 = 10000$$

$$\begin{aligned} 27 &= 11011 \\ 18 &= 10010 \\ 20 &= 10100 \end{aligned}$$

Brute force : TC: $O(n^2)$ SC: $O(1)$

- Consider all the pairs
- Take bitwise AND
- Maintain the maximum.

$$\max = 0$$

for i in range(n)

↓ for j in range(n)

↓ { $\max = \max(\max, A[i] \& A[j])$

$$A = \{2^6, 13, 23, 28, 27, 7, 25\}$$

$$26 = \underline{1} \quad \underline{1} \quad \underline{0} \quad \underline{1} \quad \underline{0}$$

$$13 = \underline{0} \quad \underline{1} \quad \underline{1} \quad \underline{0} \quad \underline{1}$$

$$23 = \underline{1} \quad \underline{0} \quad \underline{1} \quad \underline{1} \quad \underline{1}$$

$$28 = \underline{1} \quad \underline{1} \quad \underline{1} \quad \underline{0} \quad \underline{0}$$

$$27 = \underline{1} \quad \underline{1} \quad \underline{0} \quad \underline{1} \quad \underline{1}$$

$$7 = \underline{0} \quad \underline{0} \quad \underline{1} \quad \underline{1} \quad \underline{1}$$

$$25 = \underline{1} \quad \underline{1} \quad \underline{0} \quad \underline{0} \quad \underline{1}$$

→

Set bit } $\frac{5}{5}$ $\frac{4}{4}$ $\frac{1}{1}$ $\frac{2}{2}$ $\frac{1}{1}$
 Count } no discard no discarding

max_value $\underline{1}$ $\underline{1}$ $\underline{0}$ $\underline{1}$ $\underline{0}$

max_value = 0

for i in range(31, -1, -1): $\rightarrow O(32)$

setbit = 0

31, 30, 29... 1

for j in range(len(A)): $O(N)$

ele = A[j]

if (ele & (1 << i)) > 1:

 ↓ setbit += 1

if setbit ≥ 2 :

 max_value = max_value | (1 << i)

for j in range(len(A)): $O(N)$

 if A[j] & (1 << i) == 0:

 A[j] = 0

TC: $(32 \times (N + n))$

$\Rightarrow (32 \times 2N)$

TC $\Rightarrow O(N)$

SC $\Rightarrow O(1)$

- (*) Calculate the count of pairs of which bitwise AND is maximum.
- following the same method above
 - get max_rate number
 - Count the survivors that are not zero.
 - return $\frac{x(x+1)}{2}$, the possible no. of Pairs
-

Calculate the count of pairs

	1	2	3	4	5
	A	B	C	D	E
A B		B C	C D	D E	
A C		B D	C E		(10)
A D		B E			
A E					

$$\Rightarrow \frac{5 \times (5-1)}{2} = \frac{5 \times 4^2}{2} = 10$$

Assignment Problems :-

1. Given in [] A

↳ every element appears thrice

↳ except one, which occurs once.

⇒ Find that element that does not appear thrice ?

$$A = [0 \ 0 \ 0 \ 1]$$

0 0 0 0 0

0 0 0 0

0 0 0 0

0 0 0 1

1. Count set bits in each bit index.

ele

binary format

$$0 = 1 \quad 0 \quad 0 \quad 0$$

$$0 = 1 \quad 0 \quad 0 \quad 0$$

$$0 = 1 \quad 0 \quad 0 \quad 0$$

$$1 = 0 \quad 0 \quad 0 \quad 1$$

setbits } 3 0 0 1 $\therefore 1^3 = 1$
Count }

32 bit times

$$\text{Ans} = 0$$

$$3 \times 3 = 8 :$$

$$0 \times 3 = 0 :$$

$$1 \times 3 ! = 0$$

set ith bit

$$\downarrow \quad \text{Ans} = \text{Ans} \mid (\ll i)$$

return Ans

$$0 \quad 0 \quad 0 \quad 0$$

$$(1) \quad 0 \quad 0 \quad 0 \quad 1$$

$$\boxed{0 \quad 0 \quad 0 \quad 1}$$

↓

1

②

single number II

int A[]

⇒ two integers appears

once

A [X, X, 3, X, X, 4]

ans = ans \wedge A[i]

$$0 \ 0 \ 1 \ 1 = 3$$

$$(\wedge) \quad 0 \ 1 \ 0 \ 0 = 4$$

$$\overbrace{0 \ 1 \ 1 \ \boxed{1} \Rightarrow}^{\text{0th}} \underline{7}$$

0th index bit set

3 \wedge

X
X

0th index bit unset

4 \wedge

X
X

Sum of xor of all pairs.

\Rightarrow int [] A

\Rightarrow find sum of bit wise xor

\Rightarrow return (ans % $(10^9 + 7)$)

A = [1, 2, 3] ans = 6

3 2 1 0

(1, 2) 0 0 0 1 = 1

(1, 3) 0 0 1 0 = 2

(2, 3) 0 0 1 1 = 3

\overline{x} \overline{y} \overline{xy} \overline{xy} \overline{xy}

set, un-set \Rightarrow 0 3 0 3 2 1

no. pairs that
ith bit set } 0 \times 8 0 \times 4 2 \times 2 2 \times 1

0 0 4 2

(1, 2, 3, 4, 5)

1 \wedge 2 2 \wedge 3 4 \wedge 5

1 \wedge 3 2 \wedge 4

1 \wedge 4 2 \wedge 5

1^5

$$0110 \equiv 6$$

3 4 2

3 0 0 1 1 zeroCount = 2

4 0 1 0 0 oneCount = 1

2 0 0 1 0 pair =

z coc z coc z coc z coc

https://github.com/syed460/Learning/blob/main/Daily%20Notes/Bit_Manipulation_2/README.md

pair 0×2 $\underline{2 \times 2}$ $\underline{2 \times 2}$ $\underline{2 \times 2}$

0×8 2×4 2×2 2×1

$$8 + 4 + 2 = 14$$

"min XOR value"

↳ given array int [] A

↳ find the pair that has min XOR value.

↳ return it.

$$A = [0 \quad 2 \quad 5 \quad 7]$$

$$\begin{array}{r} 0 \quad 0 \quad 0 \quad 0 \quad 0 \\ 2 \quad 0 \quad 0 \quad 1 \quad 0 \\ \hline 0 \quad 0 \quad 1 \quad 0 \quad 0 \end{array}$$

$$\begin{array}{r} 0 \quad 0 \quad 0 \quad 0 \quad 0 \\ 2 \quad 0 \quad 0 \quad 1 \quad 0 \\ \hline 2 \quad 0 \quad 0 \quad 1 \quad 0 \\ 5 \quad 0 \quad 1 \quad 0 \quad 1 \\ \hline 0 \quad 1 \quad 0 \quad 1 \\ 7 \quad 0 \quad 1 \quad 1 \quad 1 \\ \hline 0 \quad 0 \quad 1 \quad 1 \end{array}$$

$$\begin{array}{r} 2 \quad 0 \quad 0 \quad 1 \quad 0 \\ 5 \quad 0 \quad 1 \quad 0 \quad 1 \\ \hline 0 \quad 1 \quad 1 \quad 1 = 7 \end{array}$$

$$\begin{array}{l} (0, 2) \quad (2, 5) \quad (5, 7) \\ (0, 5) \quad (2, 7) \\ (0, 7) \end{array}$$

$$\begin{array}{r} 2 \quad 0 \quad 1 \quad 0 \quad 1 \\ 7 \quad 0 \quad 1 \quad 1 \quad 1 \\ \hline 0 \quad 0 \quad 1 \quad 0 = 2 \end{array}$$

$$\begin{array}{r} 5 \quad 0 \quad 1 \quad 0 \quad 1 \\ 7 \quad 0 \quad 1 \quad 1 \quad 1 \\ \hline 0 \quad 0 \quad 1 \quad 0 = 2 \end{array}$$

Steps:

1. Sort the array.

→ because the closer values should come together to get the pair.

2. Perform 'XOR' operation all elements by iterating the array.

3. Maintain the min result in each iteration.

$$A = \begin{bmatrix} 12 & 4 & 6 & 2 \end{bmatrix}$$
$$\boxed{\begin{bmatrix} 8 & 4 \end{bmatrix}} \quad 6 \quad \boxed{\begin{bmatrix} 12 \end{bmatrix}}$$

```
def findMinXor(A)
```

A.sort() → $n \log n$

n = len(A)

ans = float('inf')

for i in range(n-1) - O(n)

x = A[i] ^ A[i+1]

ans = min(ans, x)

$Tc = \Theta(n \log n)$ $Sc = O(1)$

Strange Equality

→ given int A

→ x, y num are defined as follows

1. x is "greatest number smaller" than A such that

$$A = 5$$

$$\text{Ans } x = \underline{\underline{2}}$$

$$y = 8$$

$$\begin{array}{r} 0 1 0 1 \\ \times 0 0 1 0 \\ \hline 0 1 1 1 \end{array}$$

$$\begin{array}{r} 0 \\ \times \\ \hline 1 0 \end{array}$$

$$\begin{array}{r} 0 1 0 1 \\ \times 0 0 1 0 \\ \hline 0 1 1 1 = 7 \end{array}$$

$$0 1 0 1$$

$$0 1 0 1$$

$$\begin{array}{r} 0 0 1 0 \\ \times 0 0 1 0 \\ \hline 0 0 0 0 = 7 \end{array}$$

$$\begin{array}{r} 1 0 0 0 \\ \times 1 1 0 1 \\ \hline 1 1 0 1 = 13 \end{array}$$

$$0 1 0 1$$

$$0 1 0 1$$

$$\begin{array}{r} 1 0 0 0 \\ \times 1 0 0 0 \\ \hline 1 1 0 1 = 13 \end{array}$$

$$\begin{array}{r} 0 0 1 0 \rightarrow 2 \\ \times 0 0 1 0 \\ \hline 0 0 0 0 \end{array}$$

$$\begin{array}{r}
 0\ 0\ 1 \\
 0\ 0\ 1\ 0 \\
 \hline
 0\ 0\ 0\ 0 = 0
 \end{array}$$

↓

0101

arithmetic sum of $A \& B$ &
XOR of A, B relation.

$$(A + B) = (A \cap B) + 2 \underbrace{(A \& B)}$$

our condition : ↓
should be 0

$$A \& B = 0$$

↳ all set bit in number A

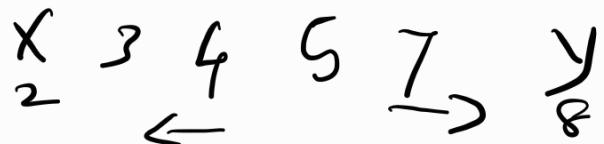
should be unset in B

$$1 \& 0 = 0$$

$$0 \& 1 = 0$$

$$1 \& 1 = 1$$

Gratest small than $\leftarrow A \rightarrow$ smallest grater than



①

X greatest smaller than A (\leftarrow S B) \leftarrow

\hookrightarrow change all unset bits of A to 1

\hookrightarrow iterate over A, and change unset bit to set

$$(A) \begin{array}{r} 0|101 \rightarrow 5 \\ 1010 = \\ \hline 0000 = 0 \end{array}$$

②

Y smallest grater than A \rightarrow

\hookrightarrow just greater power of 2 than A

is ans.

\hookrightarrow because

$$\boxed{8} \quad 4 \quad 2 \quad 1$$

$$0 \ 1 \ 0 \ 1 = 5$$

$A \rightarrow Y$

$$\begin{array}{r} \text{MSB} \\ A \\ \hline \boxed{1} \ 0 \ 0 \ 0 \\ \hline 0 \ 0 \ 0 \ 0 = 0 \end{array}$$

$$\begin{array}{r} 1 \ 0 \ 1 \quad 1 \ 0 \ 1 \\ \hline 1 \ 0 \ 0 \ 0 \quad 0 \ 1 \ 0 \\ \hline 0 \ 0 \ 0 \ 0 = 2 \end{array}$$

(X)

\hookrightarrow find the number of bits in A

\hookrightarrow if number of bits i.

$$(\text{Ans} = 1 < i)$$

Example :- $A = 5$

0 1 0 1

$S = "0101"$

find y

bitsCount = 0

$n = A$

while ($n > 0$) $n = n \gg 1$

↓ bitsCount += 1

y = ($i \ll \text{bitsCount}$)

find x

$x = 0$

for i in range(bitsCount)

 if ($A[i] \& (i \ll i) == 0$ # set bit

 ↓ $x = x | (i \ll i)$

return [x, y]

$\begin{array}{r} 0101 \\ 1010 \\ \hline 0 \quad \underline{\underline{0000}} \end{array}$

TC : $O(\text{bitsCount})$

$O(N)$

SC : $O(1)$

Problem: SUBARRAY OR

- ↳ given $\text{int}[JA]$ of size N
- ↳ The value of Subarray is defined as
“BITWISE OR” of all elements in it.
- ↳ Return the sum of all subarray of
“ $A \% 10^{1+7}$ ”.

$$1 \leq N \leq 10^5$$

$$1 \leq A[i] \leq 10^8$$

$$A = [1, 2, 3, 4, 5]$$

$$\frac{N(N+1)}{2} \Rightarrow \frac{5 \times 6}{2} = 15$$

1	0	1
0	0	1
1	0	1

1. For every Subarray OR
- ⇒ Brute force $O(N^3)$
- ⇒ (Any forward approach) $O(N^2)$
- ⇒ Brute force approach of Bitwise!

1. Traverse all subarray $(\frac{N(N+1)}{2})$
 - 1.1 For each subarray
 - ↳ take bitwise OR of that subarray
 - 1.2. add it to the ans-sum.

$$\begin{aligned}
 Tc &= \left(\frac{n(n+1)}{2} \right) \\
 &= \frac{n^2+n}{2} \\
 &= n^2 + \frac{n}{2} \\
 &= O(n^2)
 \end{aligned}$$

$$A = [1, 2, 3, 4, 5]$$

number of subarrays of array.

$$\text{of index } 0 = n$$

$$\text{of index } 1 = n-1$$

$$\text{of index } 2 = n-2$$

:

1

Total number of subarray of A

$$\Rightarrow n + (n-1) + (n-2) + \dots \quad 1 \quad \text{reversed the order}$$

$$\Rightarrow 1 + 2 + 3 + \dots + n$$

\Rightarrow It is simple arithmetic progression with common difference of 1

\Rightarrow It has number of elements n

$\text{It is sum of all natural numbers.}$

\Rightarrow formula for "sum of n natural number"

$$\Rightarrow \frac{n(n+1)}{2}$$

1	0	0	<u>0</u>	1
2	0	0	1	<u>0</u>
3	0	0	1	1
4	0	1	<u>0</u>	<u>0</u>
5	0	1	<u>0</u>	1
<hr/>				
	3	3	2	

1 →	1 -	0 0 1	toted Subtr. 15
1 2	$\Rightarrow 11^2 = 3 -$	0 1 1	
1 2 3	$\Rightarrow 112^3 = 3 -$	0 1 1	
1 2 3 4	$\Rightarrow 11213^4 = 7 -$	1 1 1	
1 2 3 4 5	$\Rightarrow 715 = 1 -$	1 1 1	
2 →	2 -	0 1 0	Zeros = 2
2 3	$\Rightarrow 213 = 3 -$	0 1 1	
2 3 4	$\Rightarrow 314 = 7 -$	1 1 1	
2 3 4 5	$\Rightarrow 715 = 1 -$	1 1 1	
3 → 3	3 -	0 1 1	
3 4	$\Rightarrow 314 = 7 -$	1 1 1	
3 4 5	$\Rightarrow 715 = 7 -$	1 1 1	
4 → 4	4 -	1 0 0	
4 5 → 5	$\Rightarrow 415 = 5 -$	1 0 1	onse = 15 - 2 = 13
	<u>5 -</u>	1 0 1	
	7 1	1 0 0 0 1 1 1	

13

$$\begin{aligned}
 \text{num. of subarray} &= 15 - 2 = 13 \text{ } 1's \\
 0^{\text{th}} \text{ bit index} &\Rightarrow 13 \times 2^0 = 01100 \\
 1^{\text{st}} \text{ bit index} &= 15 - 3 = 12 \text{ } 1's \\
 2^{\text{nd}} \text{ bit index} &\Rightarrow 12 \times 2^1 = 01100 \\
 &= 15 - 3 = 12 \text{ } 1's \\
 &\Rightarrow 12 \times 2^1 = 01100
 \end{aligned}$$

Steps:

1. calculate number of subarray of A.

$$\frac{n(n+1)}{2}$$

2. Iterate every bit of 32
for each elements i^{th} bit

2. calculate number of zeros present
and if zeros in continuously calculate
possible its contribution all subarrays.

$$\left. \begin{matrix} 0 \\ 0 \\ 1 \end{matrix} \right\} 2 \Rightarrow \frac{2(2+1)}{2} = 3$$

$$\left. \begin{matrix} 0 \\ 0 \\ 0 \end{matrix} \right\} 3 \Rightarrow \frac{3(3+1)}{2} = 6$$

9 zeroes possible

$$15 - 9 =$$

$n = \text{len}(A)$, $\text{ans} = 0$, $\text{totalSubarry} = \frac{n(n+1)}{2}$

for i in $\text{range}(32)$

$\text{zerosCount} = 0$

$\text{nonZeroCount} = 0$

for j in $\text{range}(n)$

if $A[j] \& (1 \ll i) == 0$

\downarrow $\text{zerosCount} += 1$

else:

\downarrow $\text{nonZeroCount} += \frac{n(n+1)}{2}$

\downarrow $\text{zeroCount} = 0$

$\text{nonZeroCount} += \frac{n(n+1)}{2}$

$\text{temp} = (\text{totalNonSubarry} - \text{nonZeroCount})$

$T(1's)$

SUBARRAY OR

$\text{subarry OR} = (\text{temp} \times 2^i)$

$\text{ans} += \text{subarry OR}$

return ans



next Problem: Find Two Missing Numbers

- Given int[] A with distinct elements in the range of $[1, n+2]$

$$\underline{n=3} \quad [1, _, 3, _, 5] = \text{Ans} = 2, 4$$

- Find the missing two numbers in A

$$1 \leq n \leq 105$$

$$1 \leq A[i] \leq n+2$$

Ex: $A = [3, 2, 4], n = 3$

Brute force approach: $\Theta(n^2)$

- Iterate through $(n+2)$
- check if i is present in A
- else append it to ans
- once $\text{len}(\text{ans})$ has 2 return it

Sorting approach: $\Theta(n \log n)$

- sort the array
- iterate the arrg and update ans.

Hash mapping! $\Theta(n) \text{ sc: } \Theta(n)$

Bitwise approach! Using 'XOR' operation.

3	0 0 11
2	0 0 10
4	0 1 00
1	0 0 01
5	0 1 01
	<hr/>
	0 1 00
	<hr/>
	5

$$\begin{aligned} n &= 3 \\ (1, n+2) &= (1, 5) \\ \text{Ans} &= 1, 5 \end{aligned}$$

set
4, 5

iterate A and check.
if not in A -
and $(n+1)$ -
2, 3, 1

1. get all XOR of array A and $\{1 \text{ to } n+2\}$
Due to the XOR property Duplicate will be removed
From the result we need to extract the Two missing elements.
2. From the resulting number find the first setbit form resulting number
- 3.
- 4.

```

x = 0
for i in range(n)
    ↓
    x = x ^ A[i]
for i in range(n+3)
    ↓
    ele = i + 1
    x = x ^ ele
# extract two element from 'x'
# identify first set bit in x
idx = 0
for i in range(32)
    ↓
    if (x & (1 << i)) > 0: # set bit
        ↓
        idx = i
        break
# find two group
setbitgroup = 0
unsetbitgroup = 0
for i in range(n):
    ↓
    if (A[i] & 1 << idx) > 0: # set bit
        ↓
        setbitgroup = setbitgroup ^ A[i]
    else
        ↓
        unsetbitgroup = unsetbitgroup ^ A[i]
for i in range(n+3)
    ↓
    ele = i + 1
    if (ele & (1 << idx)) > 0: # set bit
        ↓
        setbitgroup = setbitgroup ^ ele
    else
        ↓
        unsetbitgroup = unsetbitgroup ^ ele
ans = [setbitgroup, unsetbitgroup]
ans.sort()
return ans.

```

$$TC = O(N)$$

$$SC = O(1)$$

https://github.com/syed460/Learning/blob/main/Daily%20Notes/Bit_Manipulation_2/README.md