

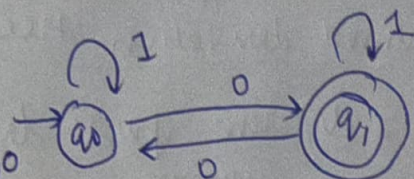
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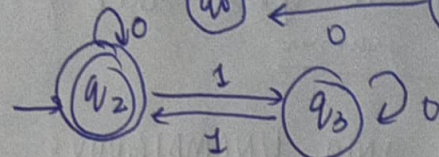
Assignment - 1 COMPILER DESIGN

Ques 1. Construct finite automata that contains odd no. of 0's and even number of 1's

Ans DFA for odd no. of 0's :-



DFA for even no. of 1's :-

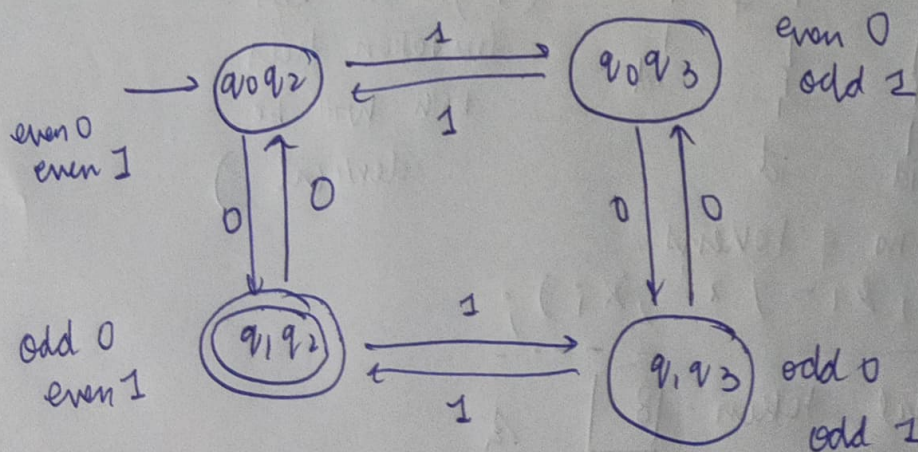


To merge the 2 machines we will take the cartesian product of the states of these 2 machines.

Initial state of these DFA will be state which contains the initial states of these separate machines. As q_0 and q_2 are initial states thus q_0q_2 is initial state of DFA.

For odd no. of 0's and even no. of 1's :

As q_1 indicates odd no. of 0's and q_3 indicates even no. of 1's. So the final states of each required DFA will contain both q_1 and q_3 . Final state = $\{q_1q_3\}$

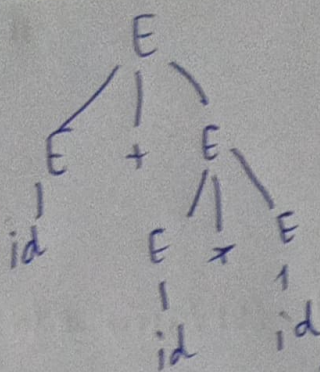


DFA

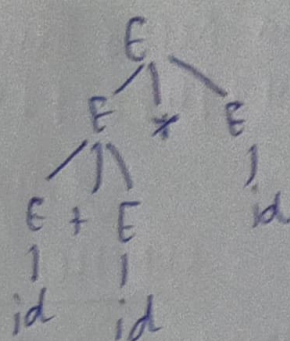
Ques 2. Show that the given grammar is ambiguous for the string "id + id * id". Also, find an equivalent unambiguous grammar.

$E \rightarrow E + E \mid E * E \mid id$

Ans To check ambiguity we will start with constructing rightmost and leftmost derivation tree.



rightmost derivation tree



leftmost derivation tree

Since 2 different parse tree for same grammar, so it is ambiguous grammar.

TO CONVERT INTO UNAMBIGUOUS GRAMMAR:

As there are 2 different operators +, * (* has higher precedence) we should take care that highest precedence operators should be at the last level.

So we will introduce several different symbols like:

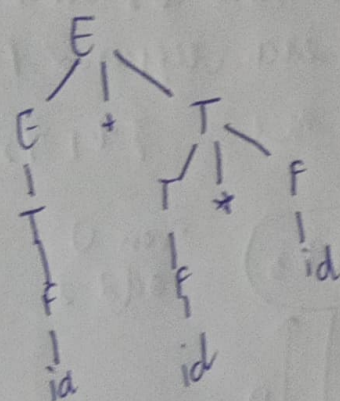
$$E \rightarrow E + T \mid T$$

$$T \rightarrow T * F \mid F$$

$$F \rightarrow id$$

once we reach T, we cannot generate any +.

So, we are taking care of precedence by defining different levels.



(right and left derivation trees both will be identical)

Ques 3. Count the no. of tokens: -
`printf ("%d", &i = 1.2, X i);`

\therefore Total token = 8

" " \rightarrow counted as 1 token (rest all keywords / characters counted)

Ans 4. Consider the following grammar.

$$S \rightarrow i E E S e s \mid i E t s \mid a$$

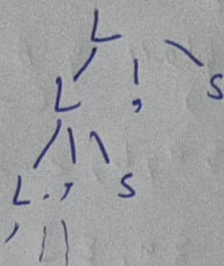
$$G \rightarrow b$$

Check grammar for left recursion or not?

A production grammar is said to be having left recursion if the leftmost variable of its RHS is same as variables of its LHS.

$$S \rightarrow SX \mid \epsilon$$

Since, $L \rightarrow L \dots$ it is left recursive grammar.



Removing left recursion

$$L \rightarrow SL'$$

$$L' \rightarrow \epsilon SL' \mid \epsilon$$

Ans 5. Perform the left factoring for the following grammar:
 $S \rightarrow iE + S e S \mid iE + S \mid a$
 $E \rightarrow b$

Soln In the first two productions for S, $iE + S$ part is common for both the productions so.

- ① $S \rightarrow iE + S S' \mid a$
- ② $S' \rightarrow e S \mid \epsilon$
- ③ $E \rightarrow b$

Ans 6. Find first and follow for the following grammar

$$S \rightarrow ABCDE$$

$$A \rightarrow a / \epsilon$$

$$B \rightarrow b / \epsilon$$

$$C \rightarrow c$$

$$D \rightarrow d / \epsilon$$

$$E \rightarrow e / \epsilon$$

Production	first	follow
$S \rightarrow ABCDE$	$\{a, b, e\}$	$\{ \$ \}$
$A \rightarrow a / \epsilon$	$\{a, \epsilon\}$	$\{b, c\}$
$B \rightarrow b / \epsilon$	$\{b, \epsilon\}$	$\{c\}$
$C \rightarrow c$	$\{c\}$	$\{d, e, \$ \}$
$D \rightarrow d / \epsilon$	$\{d, \epsilon\}$	$\{e, \$ \}$
$E \rightarrow e / \epsilon$	$\{e, \epsilon\}$	$\{ \$ \}$

FIRST

① for $S \rightarrow \text{First of } S : \text{First of } \{AB C D E\}$

$\therefore A \rightarrow a / \epsilon$
substituting ϵ in place of A
 $\text{First}(B)$

$\therefore B \rightarrow b / \epsilon$

substituting ϵ in place of B
 $\text{First}(C) \therefore C \rightarrow c$

We get $\text{first of } (S) = \{a, b, c\}$

$\rightarrow \text{First}(A) = A \rightarrow a / \epsilon = \{a, \epsilon\}$ (\because No non-terminal)

$\rightarrow \text{First}(B) = B \rightarrow b / \epsilon = \{b, \epsilon\}$

$\rightarrow (\text{First}(C)) \therefore C \rightarrow c = \{c\}$

$\rightarrow \text{First}(D) \therefore D \rightarrow d / \epsilon = \{d, \epsilon\}$

$\rightarrow \text{First}(E) = E \rightarrow e / \epsilon = \{e, \epsilon\}$

FOLLOW

① $\text{Follow}(S) = \{\$ \}$

$\because S$ is not present in any RHS of production and it is at start, it has $\$$ as follow.

② $\text{Follow}(A) = \text{First}(B) \quad (\text{from production } S \rightarrow A B C D E)$
 $= \{b, \epsilon\}$

substituting ϵ in place of B , we get
 $\text{first of } C = \{c\}$

$\text{Follow}(A) = \{b, c\}$

③ $\text{Follow of } (B) = \text{first of } (C) = \{c, \epsilon\}$

④ $\text{Follow}(C) = \text{First}(D) = \{d, \epsilon\}$
 $\Rightarrow \{d, e, \$ \}$ (follows of E and first of E)

⑤ $\text{follow}(D) = \text{first}(E) = \{e, \epsilon\} \Rightarrow \{e, \$ \}$

⑥ $\text{Follow}(E) = \text{Follow}(S) \quad (S \rightarrow A B C D E)$
 $= \{\$ \}$