

1) Random matrix
generated . 2

~~A =~~
 $A = \text{np.random.randint}(0, 100, (4, 4))$

generates a random
matrix of int values
between 0 and 99 of shape
4x4.

$$\begin{bmatrix} 1 & 2 & 3 & 4 \\ 4 & 2 & 3 & 1 \\ 1 & 4 & 1 & 2 \\ 3 & 2 & 4 & 1 \end{bmatrix}$$

~~call~~ $A_{inv} = \text{inv}(A)$

~~det~~ $\text{det} = \text{np.linalg.det}(A)$

$\text{np.linalg.inv}(A)$ # gives the inverse of
a matrix

$\text{adj} = \text{inv} \times \text{det}$

$I^4 = \text{np.eye}(4)$ # $\text{np.eye}(n)$ gives the $n \times n$ identity
matrix

If $(A \times A_{inv} == I^4)$

print $A \times A^{-1} = I^4$

np.allclose is used to compare two
two arrays element

3) $m=8, n=6$

$$e^{8-6} = e^{2x}$$

~~Taylor Series~~

- def `taylor-exp` # defining a function `taylor-exp` that takes two arguments `x` and `n`. This calculates the Taylor approx. of e^x to 6 terms using for loop and `np.math.factorial` function.
- def `taylor-prod` ~~that~~ takes `x` and `n`. This function calculate e^{2x} by multiplying the Taylor approximation of e^{8x} and e^{-6x} using `taylor-exp` function.
- Using `np.arange` to create an array of `x` values from -1 to 1 with interval 0.01 using `np.arange` function.
- ~~Go~~ Then we create three arrays of `y` values for actual and approximated e^{2x} using numpy's `exp` function, `taylor-exp` function and `taylor-prod` function.
- Then ~~we plot~~ from line 22 ~~and~~ ^{to} 29, this part of the code is used to plot. we plot three arrays of `y` values on the same graph using `plt.plot` function.