

Institut Supérieur Informatique

TP de Programmation Linéaire

Classe(s): Licence 2 RI & GL

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Periode: 2019 – 2020

Durée: 2H

Pré-requis

Pour bien suivre ce TP il faut au préalable avoir :

- 1. une version de python3 installer https://www.python.org/downloads/
- 2. Ensuite vous taper dans votre CMD:

pip install notebook

pour installation de *jupyter notebook*, vous pouvez consultez le site aussi https://jupyter.org/install

3. Enfin vous devez installer ces packages toujours avec pip qui est un gestionnaire de paquets utilisé pour installer et gérer des paquets écrits en Python.En tapant dans votre CMD

```
pip install numpy
pip install scipy
pip install matplotlib
```

Charger le module : scipy.optimize

SciPy optimize provides functions for minimizing (or maximizing) objective functions, possibly subject to constraints. It includes solvers for nonlinear problems (with support for both local and global optimization algorithms), linear programing, constrained and nonlinear least-squares, root finding, and curve fitting.

Linear programming: importer la fonction linprog

linprog(c[, A_ub, b_ub, A_eq, b_eq, bounds, ...]) Linear programming: minimize a linear objective function subject to linear equality and inequality constraints.

The linprog function supports the following methods:

- linprog(method='simplex')
- · linprog(method='interior-point')
- linprog(method='revised simplex')
- linprog(method='highs-ipm')
- linprog(method='highs-ds')
- linprog(method='highs')

The simplex, interior-point, and revised simplex methods support callback functions, such as:

linprog_verbose_callback(res) A sample callback function demonstrating the linprog callback interface.

Linear programming : Comment implémenter linprog?

scipy.optimize.linprog(c, A_ub=None, b_ub=None, A_eq=None, b_eq=None, bounds=None, method='interior-point', callback=None, options=None, x0=None) [source]

Linear programming: minimize a linear objective function subject to linear equality and inequality constraints.

Linear programming solves problems of the following form:

$$\min_{x} c^{T}x$$
 $such that $A_{ub}x \leq b_{ub},$
 $A_{eq}x = b_{eq},$
 $l \leq x \leq u,$$

where x is a vector of decision variables; c, b_{ub} , b_{eq} , l, and u are vectors; and A_{ub} and A_{eq} are matrices.

Je vous recommande de consulter ce site pour plus de détail: https://docs.scipy.org/doc/scipy/reference/generated/scipy.optimize.linprog.html