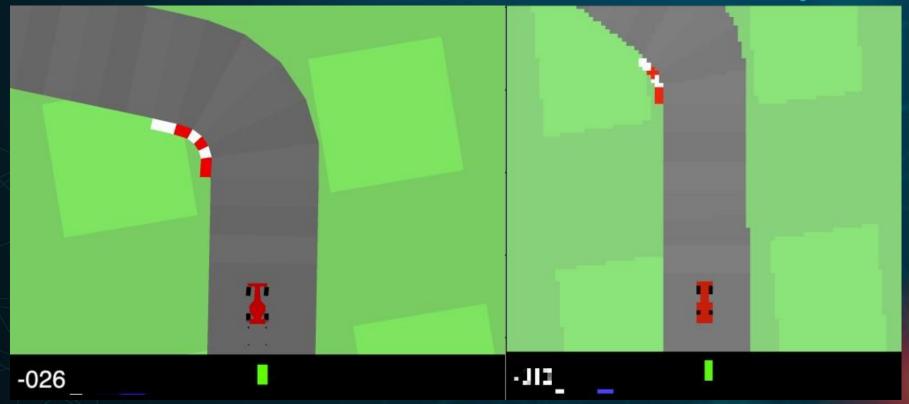
Hyperparameter tuning of the PPO algorithm for OpenAl's CarRacing

Vojtěch Sýkora

Introduction



Car Racing Environment



Car Racing Environment

Action Space

- Continuous There are 3 actions: steering (-1 is full left, +1 is full right), throttle, and breaking
- Real world physics

Observation Space

o Image 96x96x3 RGB

Reward

- -0.1 for every frame
- o +1000/N for every track tile visited. N is the total number of tiles visited in the track.
- Aims = stay on track & go as fast as possible
- o 900 score is a solved environment

Proximal Policy Optimization Algorithm (PPQ)

- Stable Baseline
- Usable for discrete & continuous action spaces
- Minimizes loss => maximizes reward
- Policy Gradient method
- Proximal
 - Stay close to previous policy
 - Stability
 - Avoid overfitting
 - Improve performance

Policy Gradient Methods

- Learn Online (difference from DQN)
- Do not store past experiences in a replay buffer
 - Learn directly after each episode
 - o Once a memory is used it is discarded
- PG methods = 1 gradient update per data sample
 - PPO = multiple epochs of updates from same data sample

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Algorithm 1 PPO, Actor-Critic Style

```
for iteration=1, 2, . . . do
for actor=1, 2, . . . , N do
Run policy \pi_{\theta_{\text{old}}} in environment for T timesteps
Compute advantage estimates \hat{A}_1, \dots, \hat{A}_T
end for
Optimize surrogate L wrt \theta, with K epochs and minibatch size M \leq NT
\theta_{\text{old}} \leftarrow \theta
end for
```

- 1. Collect experiences
- 2. Run Gradient Descent on policy network

loss function the model aims to minimize

$$r_t(\theta) = \frac{\pi_{\theta}(a_t|s_t)}{\pi_{\theta_{old}}(a_t|s_t)}$$

r is the probability ratio of new to old policy

Where π is the policy with θ parameters (This will be, in our case, a Deep Neural Network.). a_t is the action to be chosen, and s_t is the current state.

Trust Region Policy Optimization Algorithm (TRPO) maximizes the surrogate objective, which can be described as a conservative policy iteration.

A is the estimate of an **Advantage** function

$$L^{CPI}(\theta) = \hat{\mathbb{E}}_t \left[r_t(\theta) \hat{A}_t \right]$$

$$\hat{A}_{t} = \delta_{t} + (\gamma \lambda) \delta_{t+1} + \dots + (\gamma \lambda)^{T-t+1} \delta_{T-1}$$
where $\delta_{t} = r_{t} + \gamma V_{\theta}(s_{t+1}) - V_{\theta}(s_{t})$

$$t \in [0, T]$$

Generalized Advantage estimation

T is hyperparameter horizon
V is value function estimate (Critic NN)
λ is hyperparameter GAE Lambda

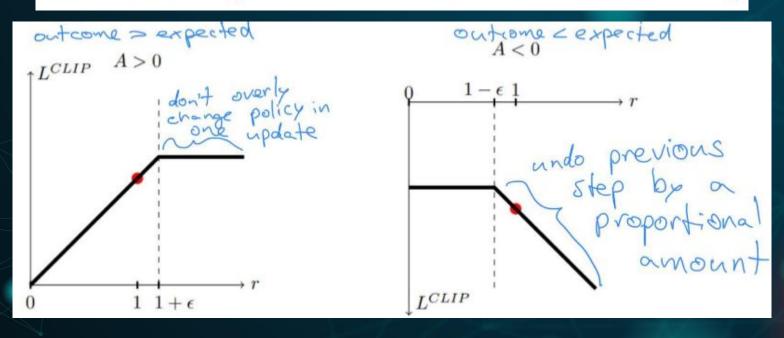
$$L^{CLIP}(\theta) = \hat{\mathbb{E}}_t \left[\min(r_t(\theta)\hat{A}_t, \text{clip}(r_t(\theta), 1 - \epsilon, 1 + \epsilon)\hat{A}_t) \right]$$

PPO clips the TRPO surrogate objective
Prevents unreasonably large updates

c is hyperparameter **clipping range**

Explained more on next slide

$$L^{CLIP}(\theta) = \hat{\mathbb{E}}_t \left[\min(r_t(\theta) \hat{A}_t, \text{clip}(r_t(\theta), 1 - \epsilon, 1 + \epsilon) \hat{A}_t) \right]$$



PPO Objective Function

loss function the model aims to minimize

$$L^{PPO}(\theta) = \hat{\mathbb{E}}_t \left[L_t^{CLIP}(\theta) - c_1 L_t^{VF}(\theta) + c_2 S[\pi_{\theta}](s_t) \right]$$

where c_1 , c_2 are the value function coefficient and entropy coefficient. S denotes the entropy which we obtain from a Beta probability distribution created using our other 2 outputs of the neural network. These other two outputs are called the Actor (further information in section 3.3). L_t^{VF} is the predicted value (from our Neural Network) minus the target value squared.

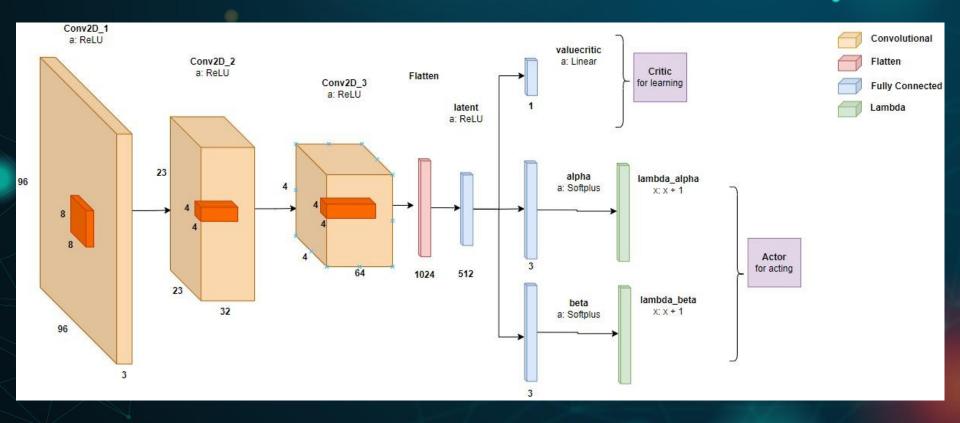
$$L_t^{VF} = (V_\theta(s_t) - V_t^{\text{target}})^2 \tag{3.6}$$

Deep Neural Network Structure

- Convolutional Neural Network for image processing
- Actor
 - Estimate actions (using Beta distribution)
- Critic
 - Estimate value of current state

$$f(x,\alpha,\beta) = \frac{x^{\alpha-1}(1-x)^{\beta-1}}{B(\alpha,\beta)}$$

Deep Neural Network Structure



Hyperparameter Tuning

Initial

Our initial hyperparameters were

horizon = 128

mini-batch size = 256

epochs per episode = 3

gamma = 0.99

clipping range = 0.2

gae lambda = 0.95

value function coefficient = 1

entropy coefficient = 0.01

learning rate = 2.5e-4

Experience Collection

Horizon



Mini-batch size



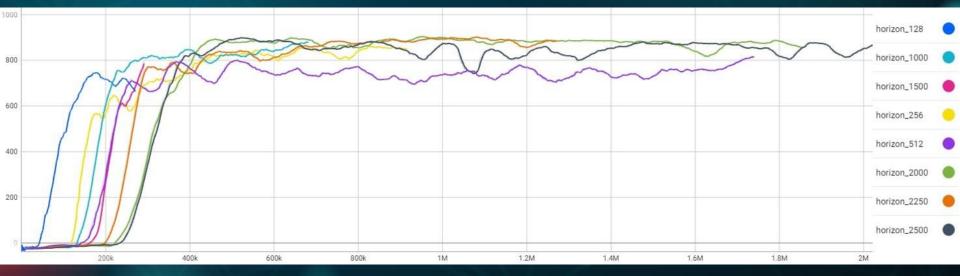
Epochs



Horizon (2250)

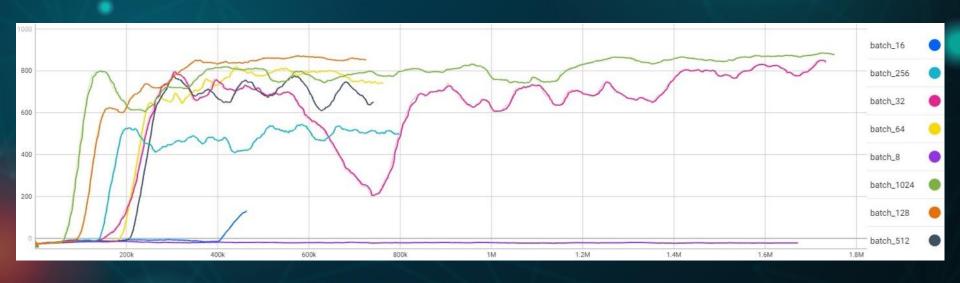
= The number of steps in each episode

- Low horizon
 - Car explores only start of track
 - o Learns track in smaller sections
- High horizon
 - O Car explores turns before it knows how to drive
 - Longer initial training time



Mini-batch size (1024)

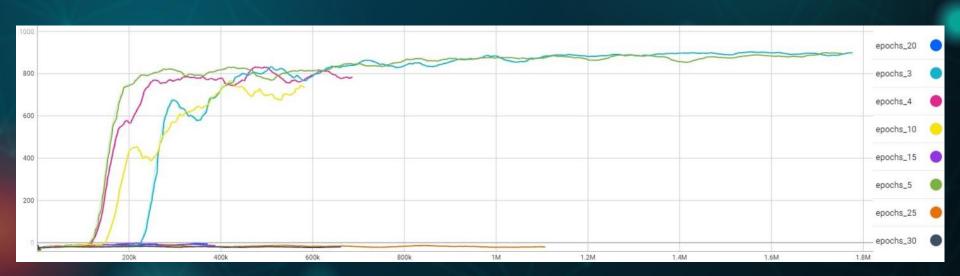
- = We optimize using gradient descent using a single batch of experiences at one time.
 - Small
 - Noisy = regularizing effect, lowers generalization error
 - o Fits into memory



Epochs (3)

= The number of steps in each episode

- Low horizon
 - Car explores only start of track
 - Learns track in smaller sections
- High horizon
 - O Car explores turns before it knows how to drive
 - Longer initial training time



Policy Updating

Clipping Range



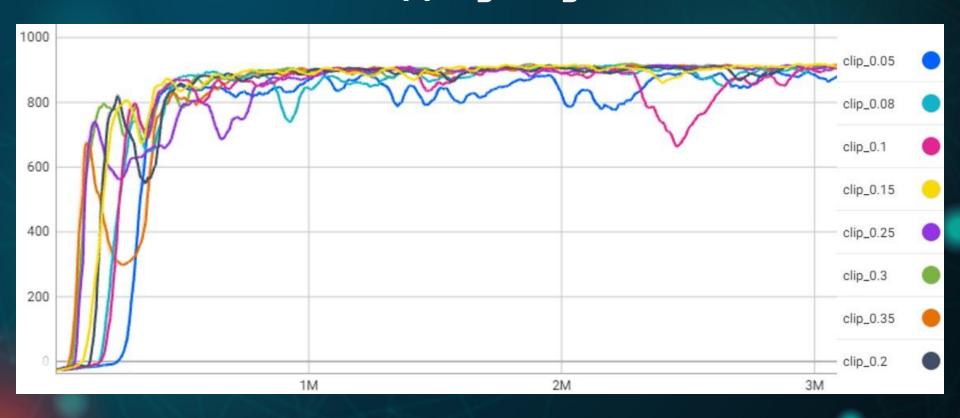
Gamma



GAE Lambda



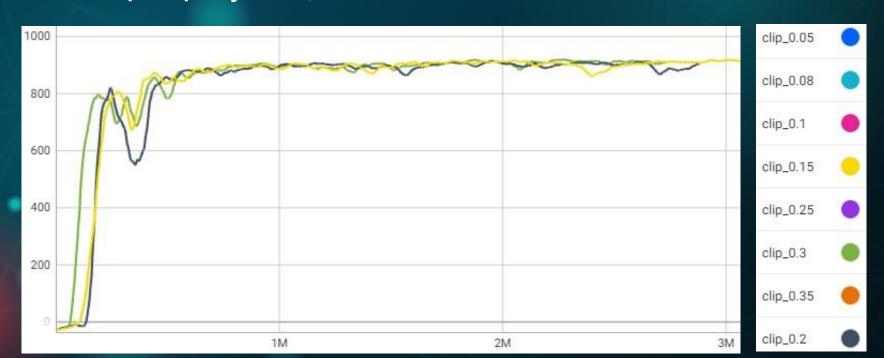
Clipping range



Clipping range (0.15)

the higher the clipping range, the larger the policy update can be done, which could result in a drastic change in the policy.

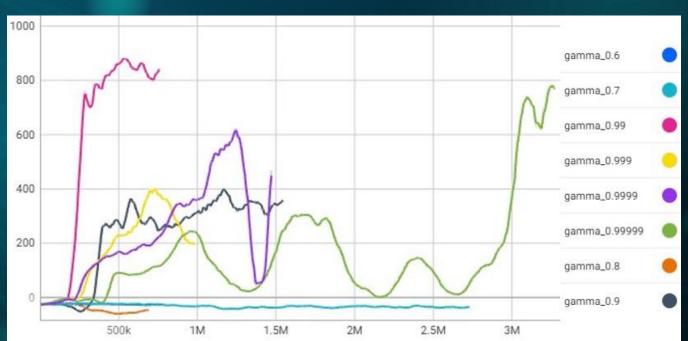
To keep the policy stable, a smaller number is often used



Gamma (0.99)

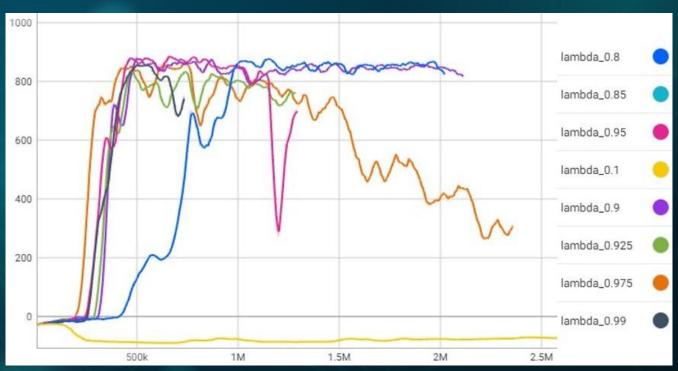
Our agent prefers rewards that it will receive now rather than the same reward further down the line

If we have gamma=0.9, the reward in 6 steps is half as important as the immediate reward, whereas, with gamma=0.99, the reward in 60 steps is half as important as the immediate reward.



GAE Lambda (0.9)

If you want to have a smoother training curve corresponding to training being more stable, choose a λ close to zero. A number close to zero means high bias and low variance, while a number close to 1 means the opposite.



Loss function coefficients

C1

Value Function
Coefficient



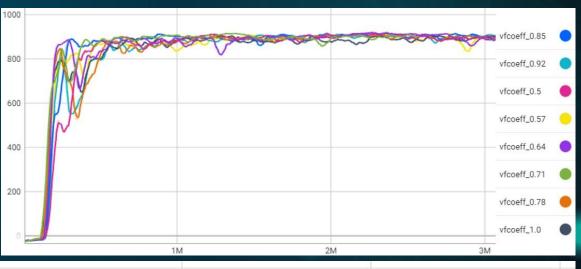
C2

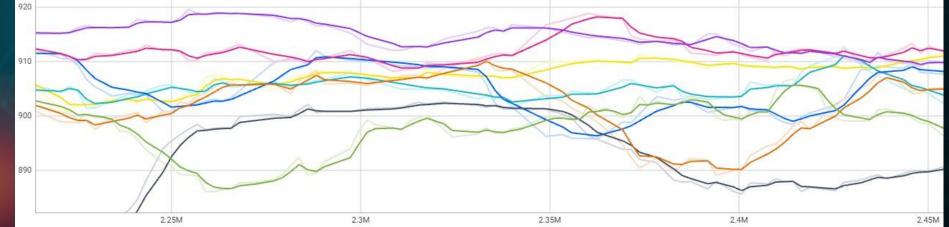
Entropy Coefficient



Value Function Coefficient (0.64)

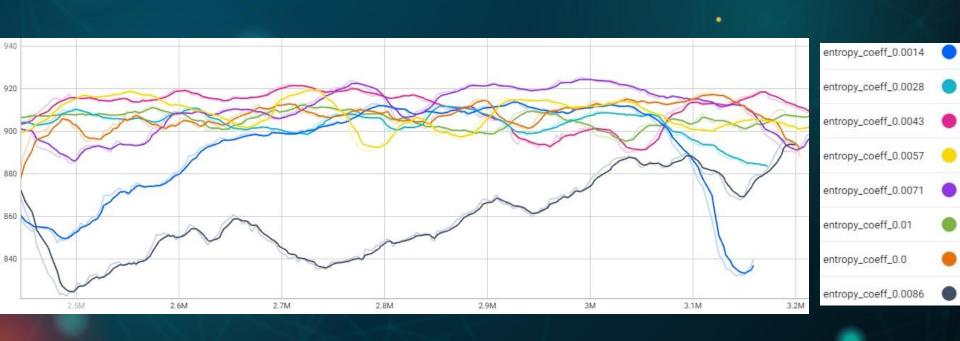
It decides how influential should our prediction, of the value of a state, be.





Entropy Coefficient (0.0071)

helps prevent premature dominance of one action probability over the policy which could prevent exploration. A policy has minimum entropy when a single action has an overly dominant probability.



General

Optimizer learning rate



Terminating Condition

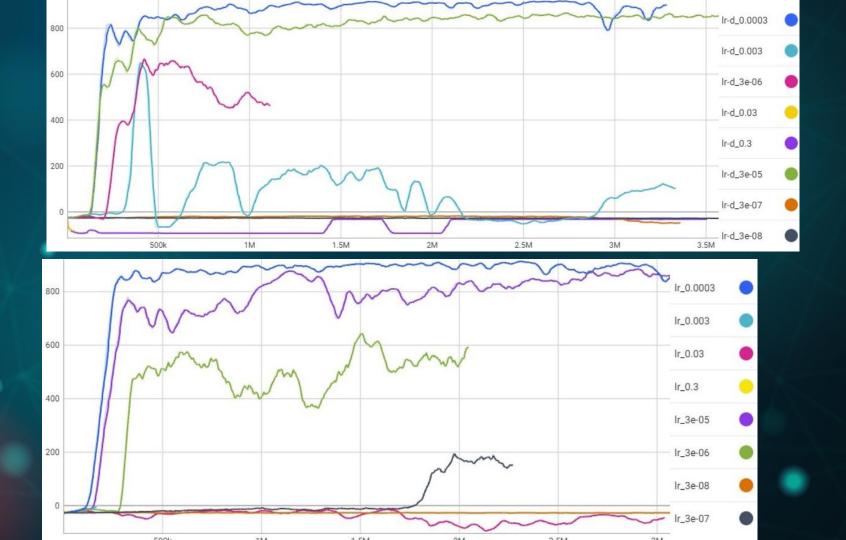


Optimizer Learning Rate (0.0003)

- = how large of an impact should the optimizer have during a single update.
- For our experiment we chose the Adam optimizer
- Discounted X constant learning rate
- Discounted changes after each episode
 - o a discounted learning rate we multiplied the initial learning rate by a $\frac{(1-\frac{\text{current episode number}}{\text{final episode number}})}{\text{which fell linearly from 1 to 0}}$

beginning of training = useful to explore and be able to escape some local minima.

Somewhat good agent = much less desirable to change the policy significantly in a single update.



Terminating Condition

- Environment solving score of 900
- We wanted to explore hyperparameters = run as long as possible
 - Placeholder 4000 episodes
 - Because of hardware used

Conclusion

- Deep Reinforcement Learning, Proximal Policy Optimization
- Car Racing Real life physics, continuous
- 10 Hyperparameters
 - Different impacts on score
 - Explainable occurrences on training graphs
- Environment solved (gained over 900 score)
- Further projects
 - Autonomous driving in more challenging environments
 - Modified CarRacing-v2
 - Wind, obstacles ...

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