Zadanka na piątkowego Andrzeja

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dvgferuifhwefhwdew outherufssuocjewofiejfowioifewuohewiuweifewui fhweuifhweiufhweuifhewuifhweifhweuifsndjkfwe

haha $n \leq 10^5$

$\alpha\beta\chi\eta\rho\theta\upsilon$

$\cos\alpha$

$\frac{5}{2}$

$\frac{2m+5}{2137}$

$$\sum_{i=1}^{\infty} a_i$$

$$\begin{bmatrix} 1 & 2 \end{bmatrix} \begin{pmatrix} 2 & 2 & 3 \\ 4 & 4 & 5 \\ 1 & 7 & 6 \end{pmatrix}$$

$! \mapsto \rightarrow \implies \setminus \impliedby \iff \ldots \overline{chuj} \wedge$

$\pi_1 \circ \pi_2$

$\mid e^{2i\pi x} b_{2137}$

oijfewoij A MI NIE $\sum_{i \in A} 2^{ijk}$

1	1	1	1	1
2	2	2	2	2
3	3	3	3	3
4	4	4	4	4
5	5	5	5	5

Table 1: BOZE PIOTREK MAM DOSYC LATEXU DO KONCA ZYCIA

`matko vector<int>xd;` $asdfghjkl;$ **gruby halo** $\mathcal{R}$

$\left\lceil \frac{\infty}{0} \right\rceil$

$\left\lfloor \frac{2}{0} \right\rfloor$ $|\text{piotrek}|$

$\|whatisthis\| \sum_{o=1}^{n} \sum_{i=1}^{\infty} \cup \cap \bigcap_{i=1}^{\infty} \sum_{k=0}^{\infty} c_k(x-a)^k$

$\sum_{p=213}^{n-1} (a-1)(x-a)^p$

$$\prod_{ok=1}^{\infty} \coprod_{n=1}^{\infty} \frac{\mathrm{d}y}{\mathrm{d}x} \ \frac{\partial omg}{\partial x} \ \exists \forall \oplus$$

merry christmas

$a \cdot b \times \times \times$

$$\begin{cases} \text{i will kill u,} & \text{if u dont stop latex;} \\ a^2, & \text{if } a. \end{cases}$$

$$\begin{cases} x^{2137}, & \text{if } okej; \\ y^{69}, & \text{if } dzieki. \end{cases}$$

$$f \colon \mathbb{R} \to \mathbb{R}, x \mapsto \text{cycki}$$

$$g \colon \longrightarrow$$
$$\longmapsto g() =$$
$$\overset{\mathrm{def}}{=\!=}$$

o finally oho

SEGMENTATION FAULT $^{-1}a^{\top}s^c o^2 \to b \mapsto \int_{-\infty}^{\infty} \mathrm{d}x$

long long

$\arcsin \alpha arc \max \arg \ \max$

$\backslash B^*$

spoko

im tired

finally

i just want to sleep

$\gg \ll$

$\binom{2}{3} \varnothing \coloneqq NIE$

wanna eat sth with me??

NIE CHCĘ

dziękuje:333

i dont want to yes i just want to sleep

and die

too much latex

$$\sum_{i=1}^{n} i^2 = \frac{n(2n^2 + 3n + 1)}{6} =$$

$$\int_{-\infty}^{\infty} e^{-x^2} \, \mathrm{d}x = \sqrt{\pi}$$

$$\lim_{n \to \infty}$$