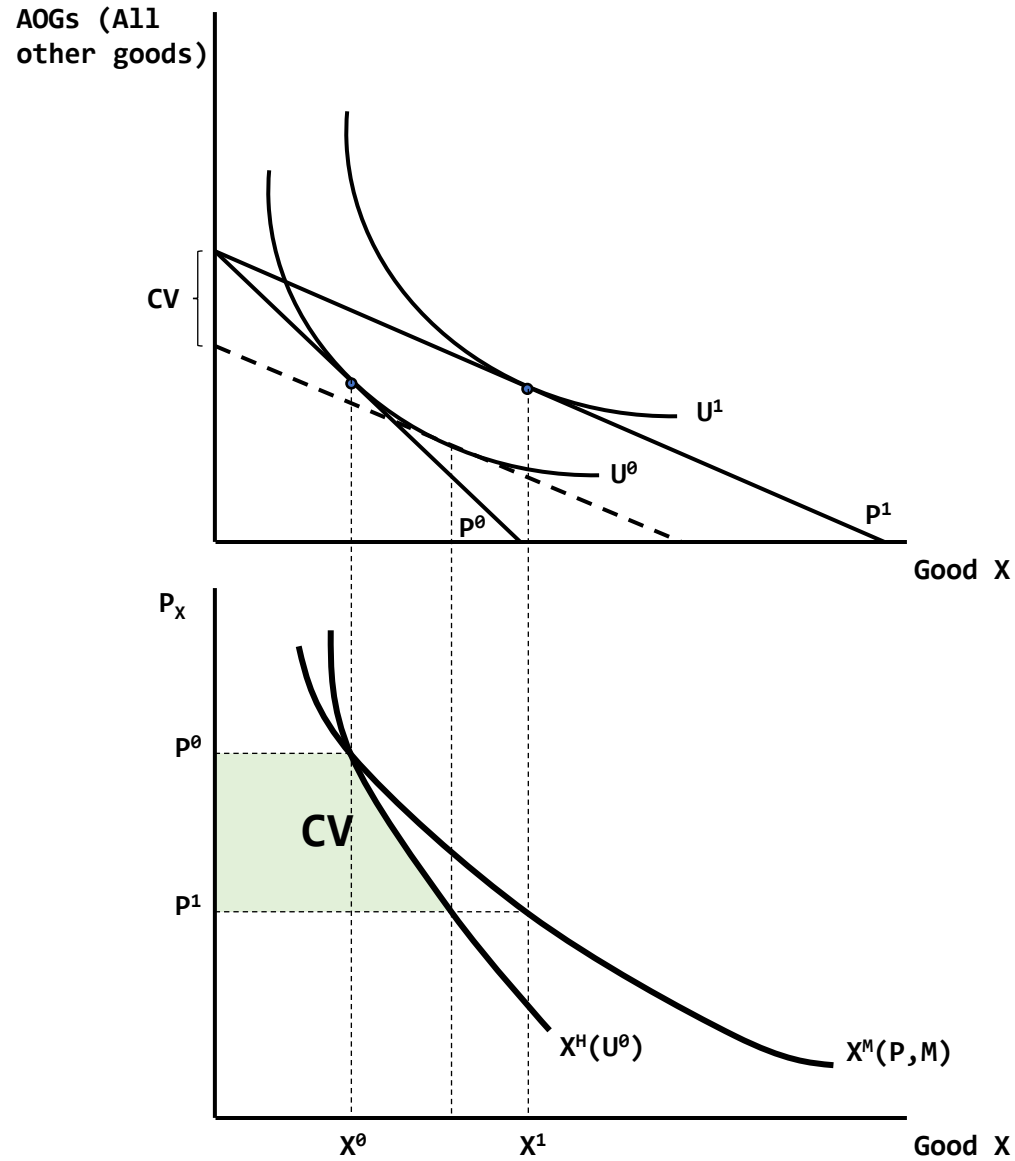


# Compensating Variation

Price goes down

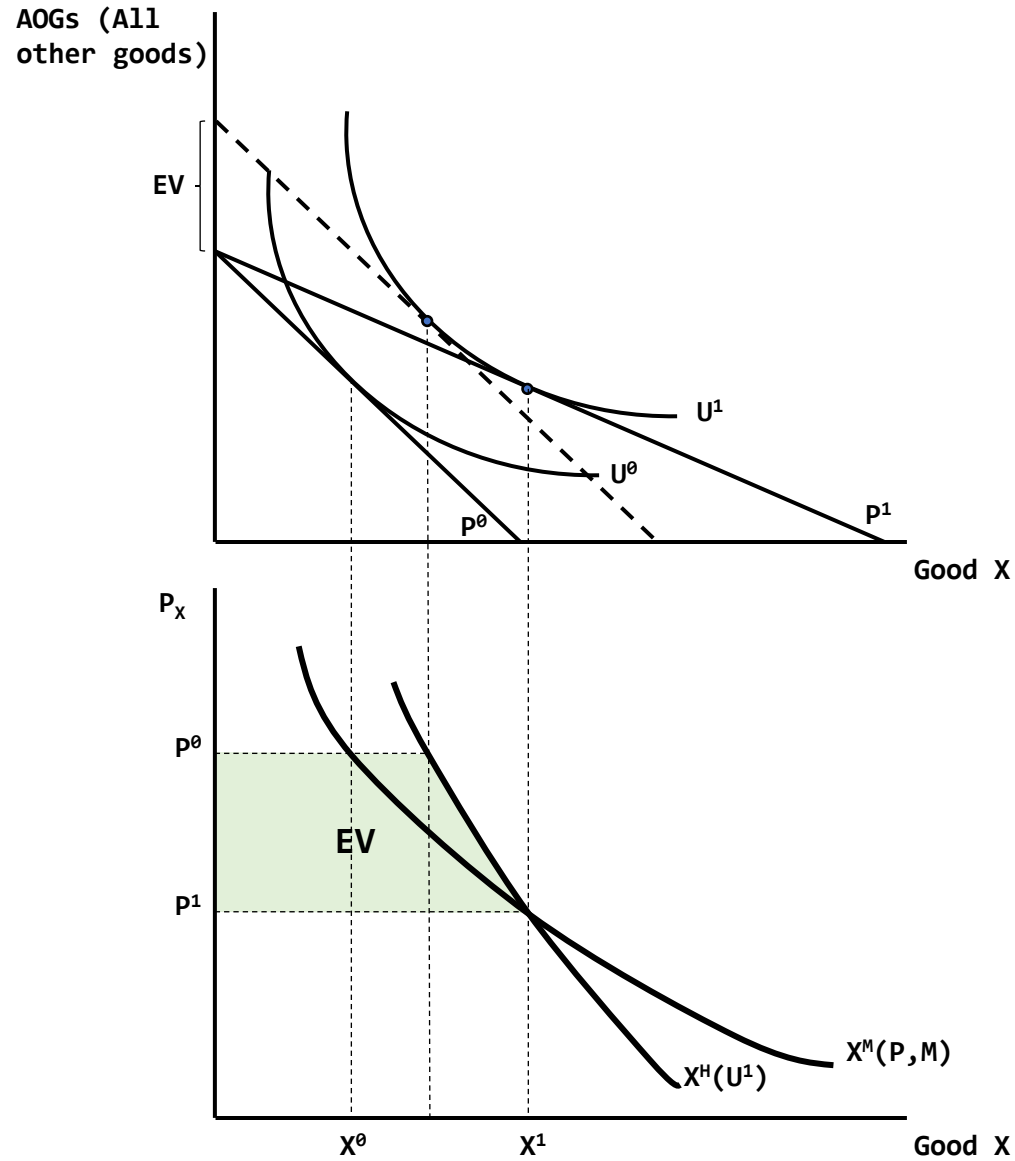


$$CV = C(U^0, P^0) - C(U^0, P^1)$$

$$= \int_{P^0}^{P^1} \frac{\partial C(\mathbf{P}, U^0)}{\partial P} dP$$

$$= \int_{P^0}^{P^1} X^H(\mathbf{P}, U^0) dP$$

# Equivalent Variation Price goes down



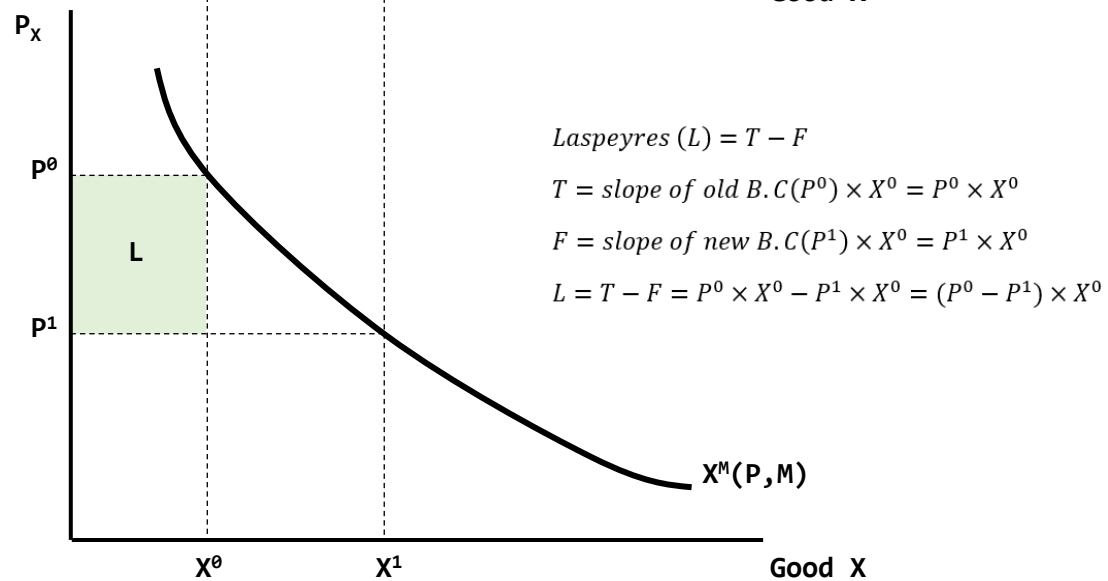
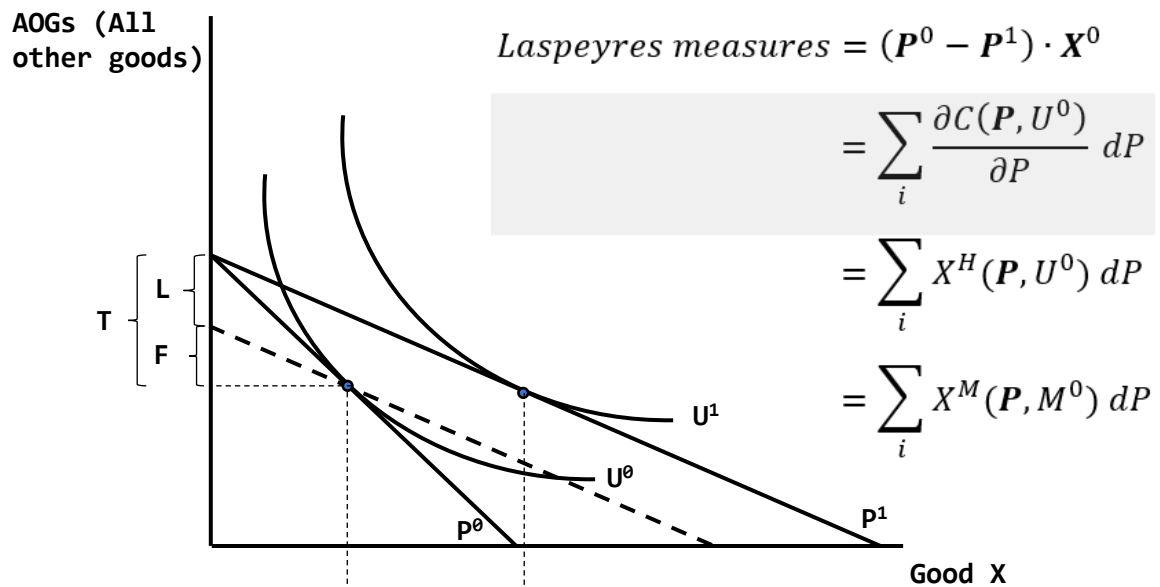
$$EV = C(U^1, P^0) - C(U^1, P^1)$$

$$= \int_{P^0}^{P^1} \frac{\partial C(P, U^1)}{\partial P} dP$$

$$= \int_{P^0}^{P^1} X^H(P, U^1) dP$$

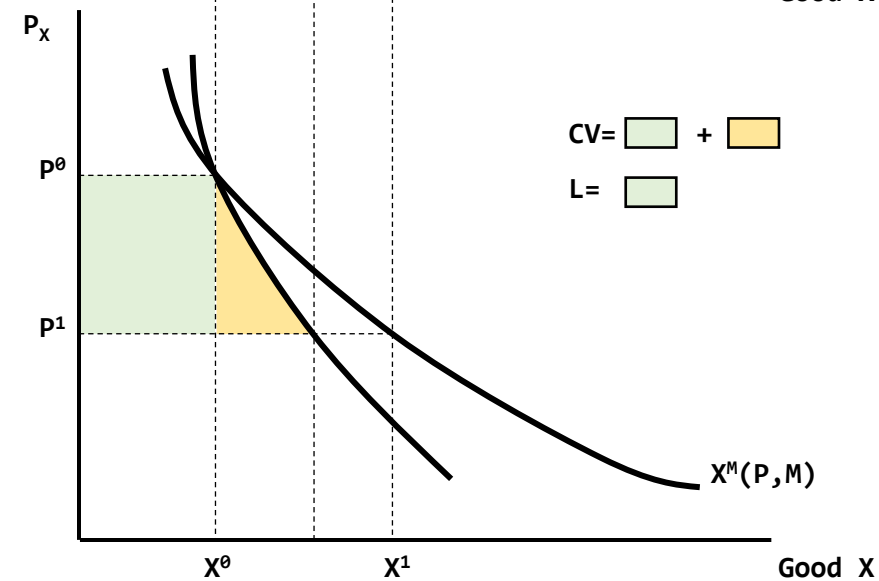
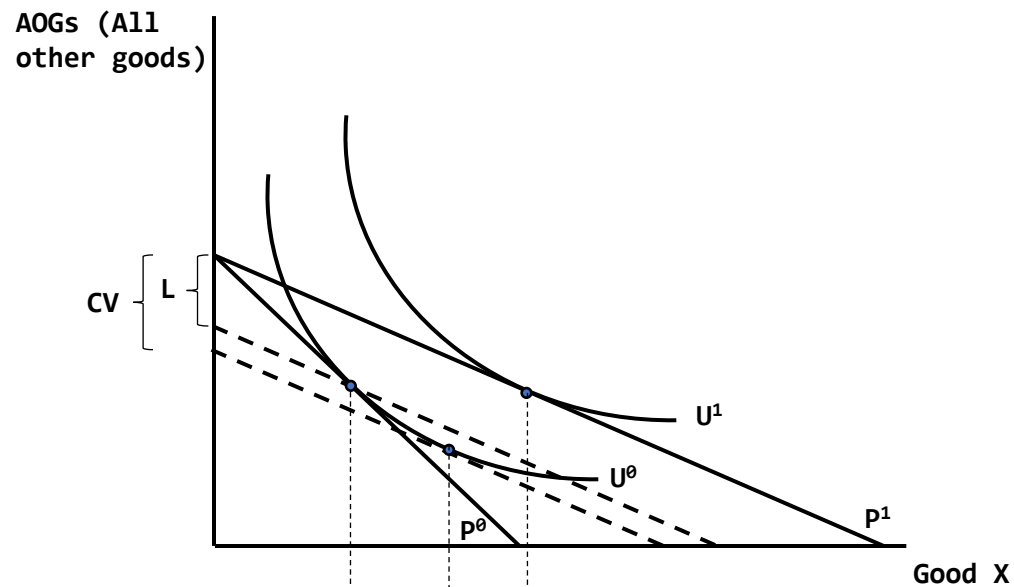
## Laspeyres Measures

Price goes down

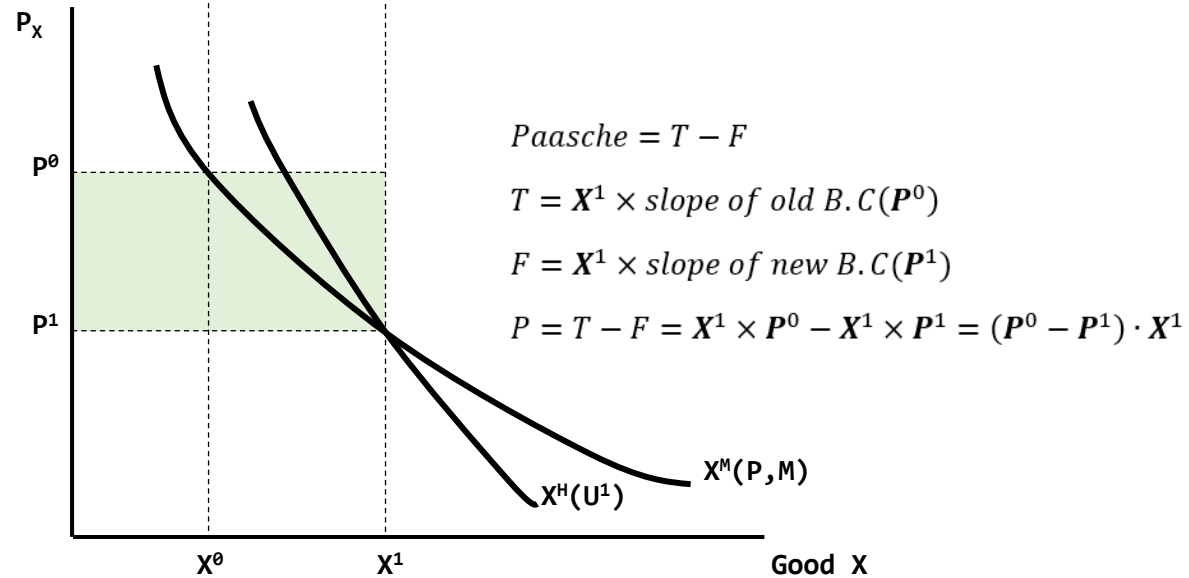
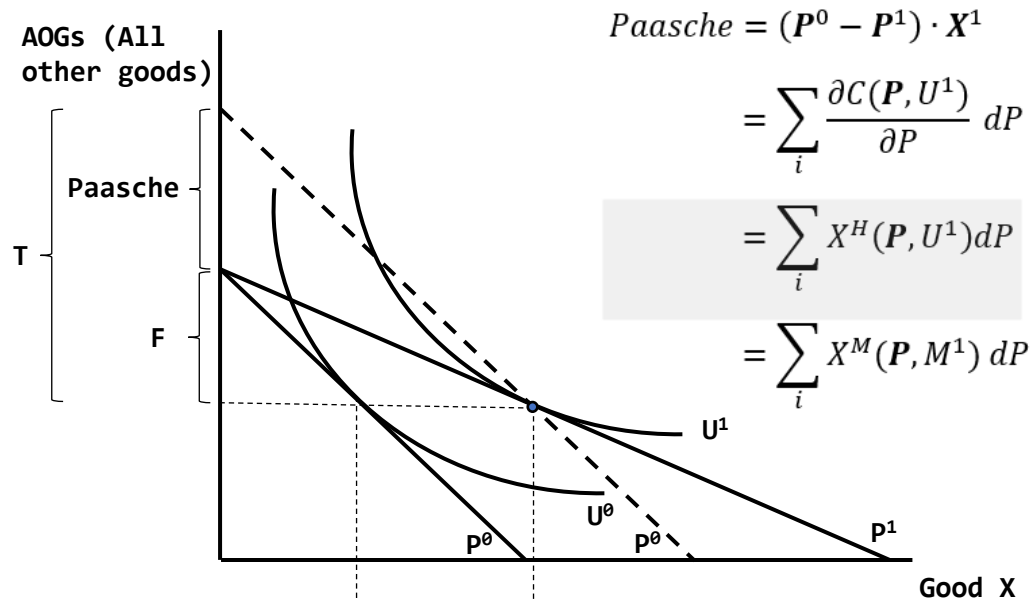


## Laspeyres Measures VS Compensating Variation

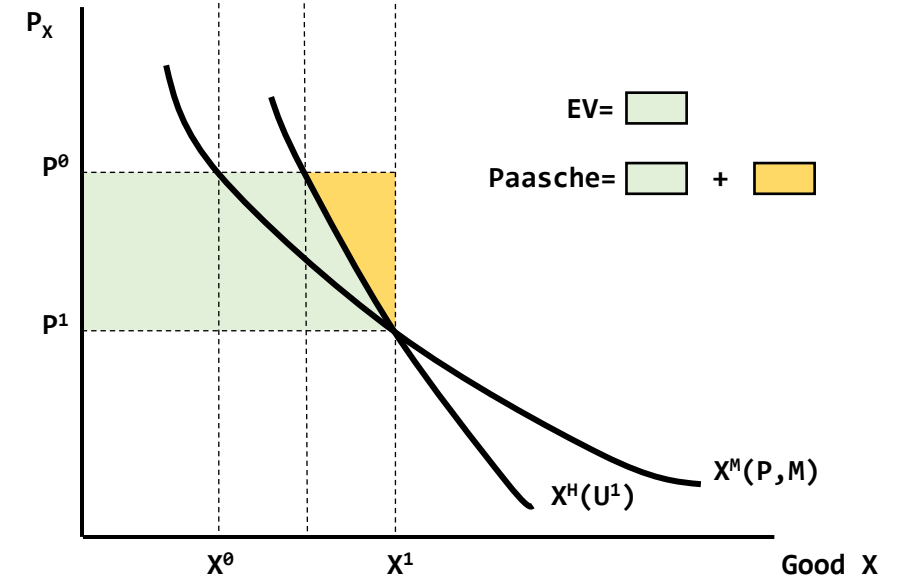
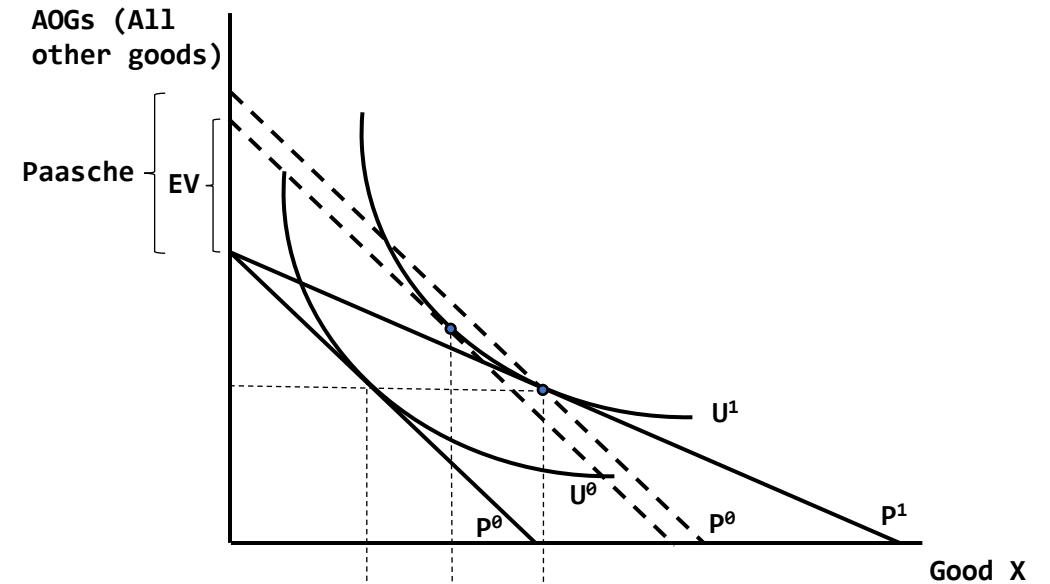
Price goes down



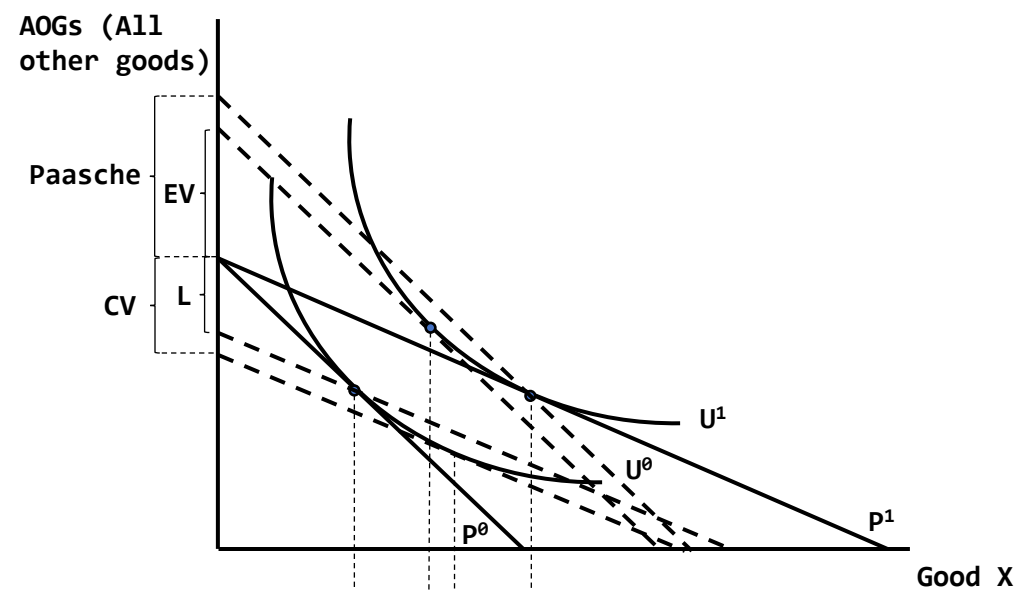
## Paasche Measures Price goes down



## Paasche Measures VS Equivalent Variation Price goes down



All In One --> Price goes down

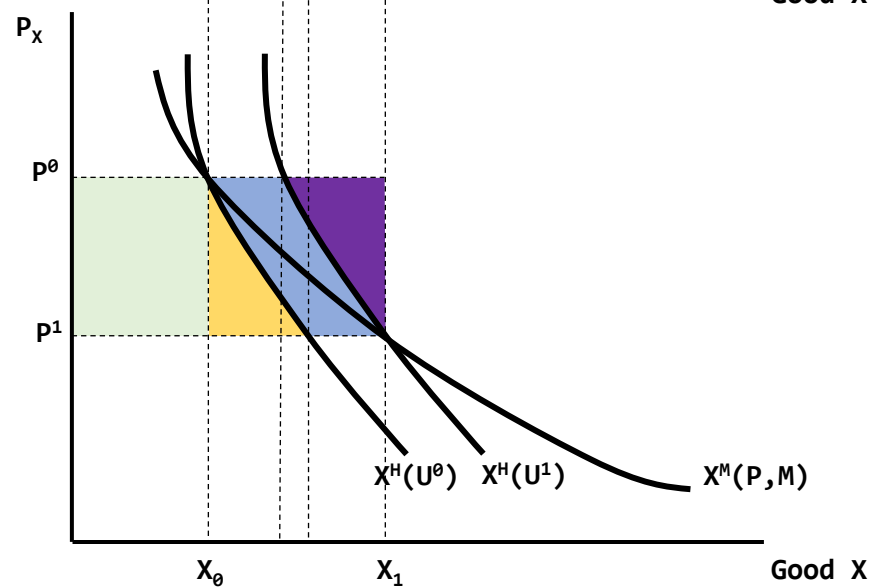


$$CV = \text{[Green Box]} + \text{[Yellow Box]}$$

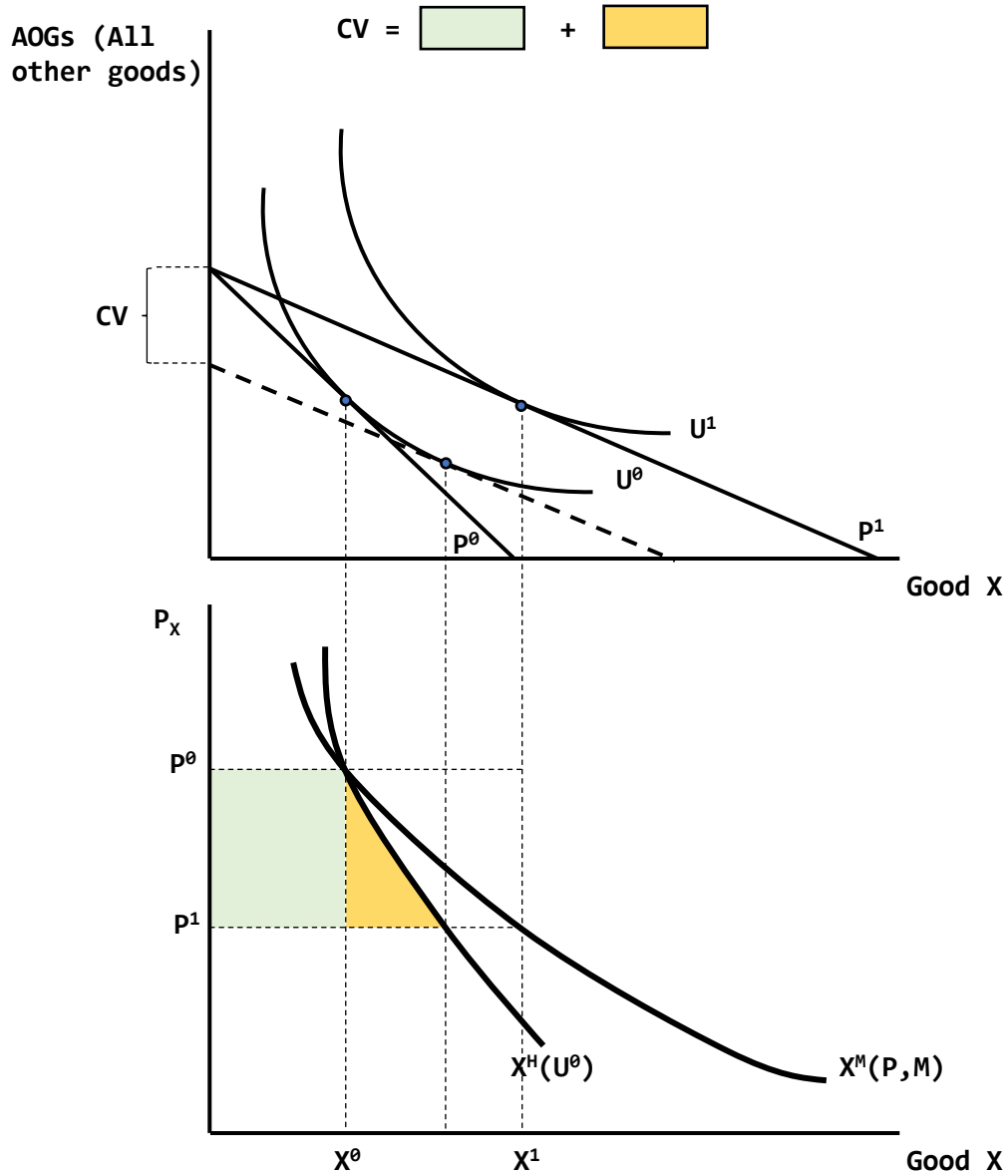
$$EV = \text{[Green Box]} + \text{[Yellow Box]} + \text{[Blue Box]}$$

$$\text{Laspeyres} = \text{[Green Box]}$$

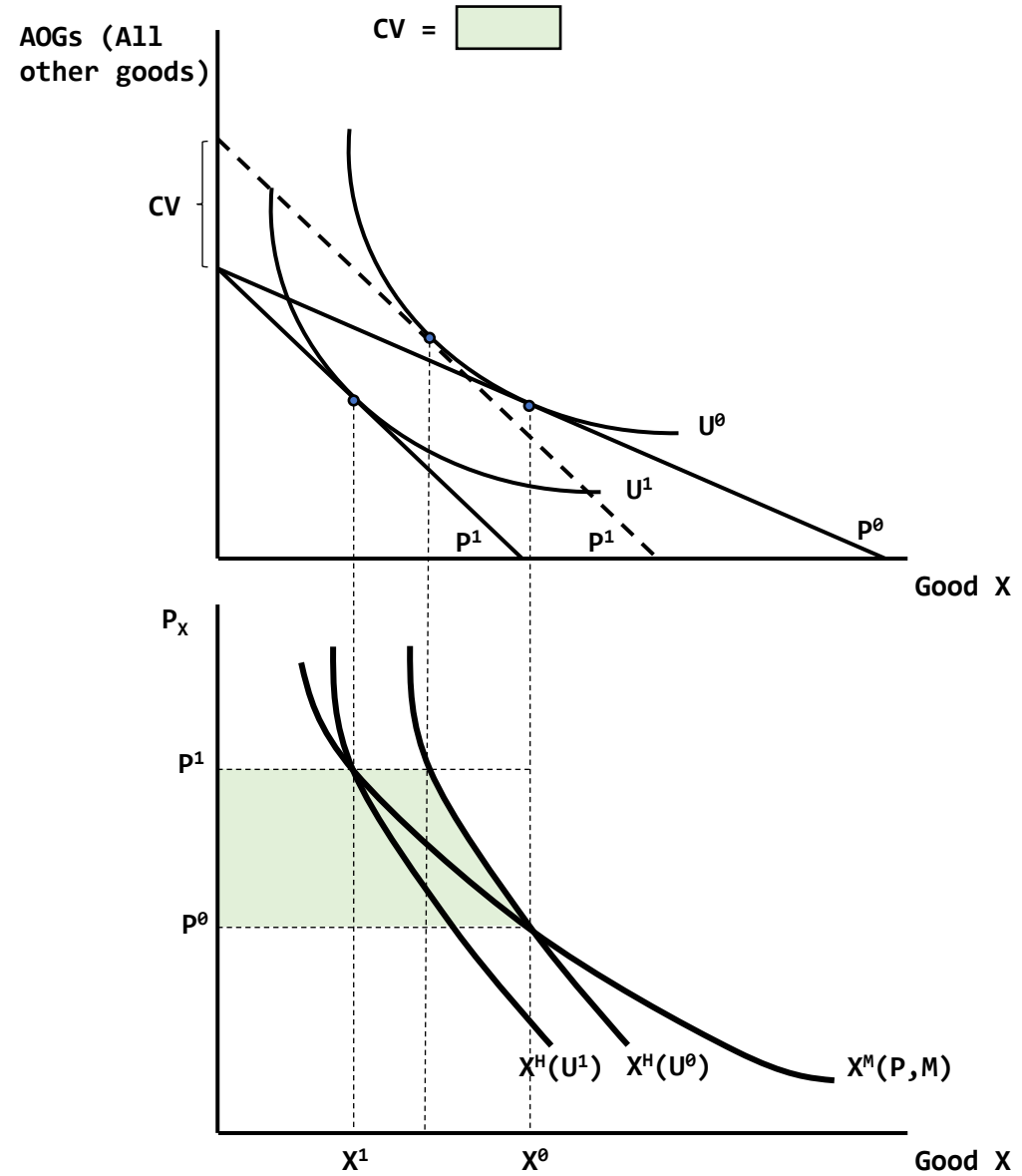
$$\text{Paasche} = \text{[Green Box]} + \text{[Yellow Box]} + \text{[Blue Box]} + \text{[Purple Box]}$$



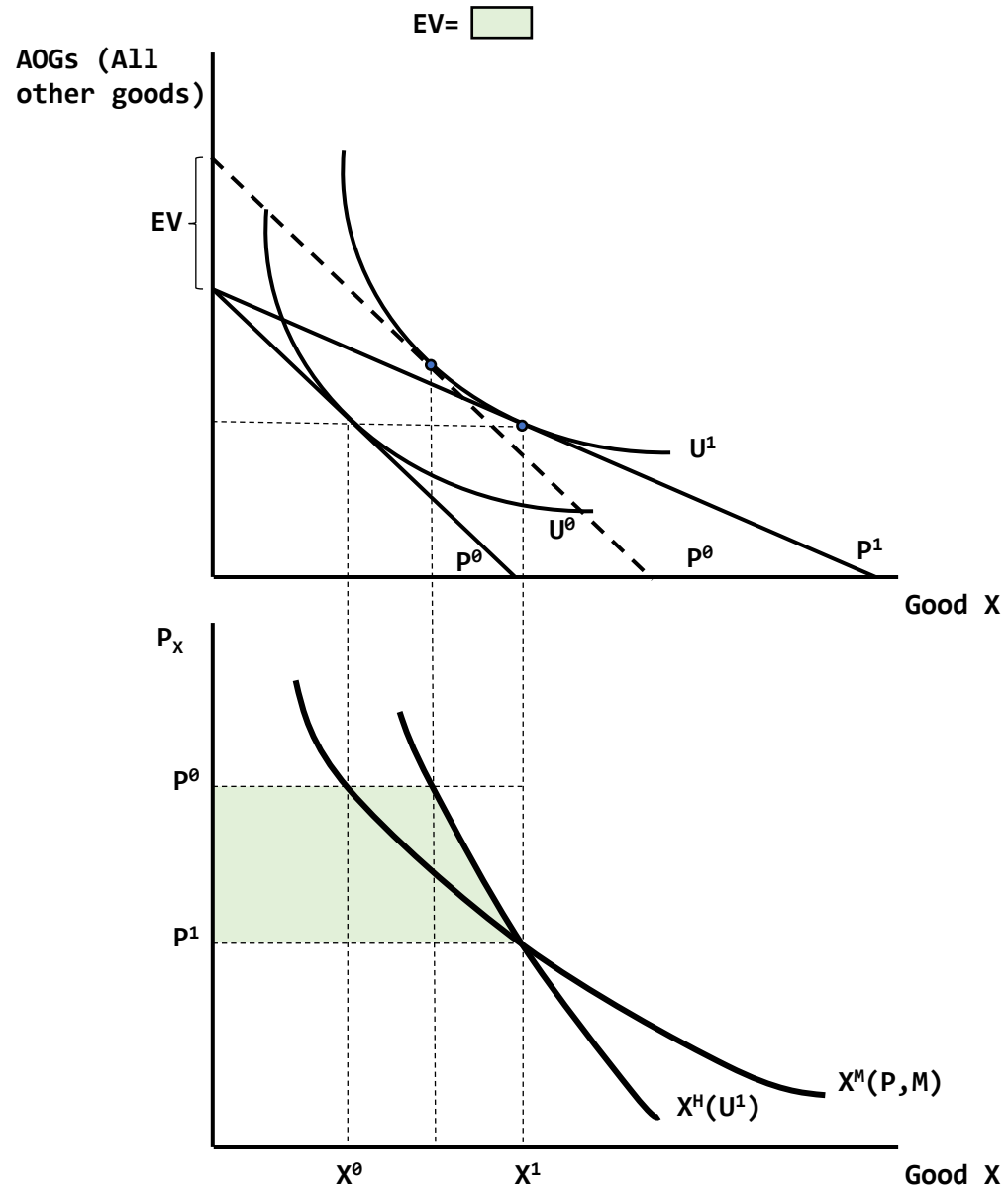
CV  $\rightarrow$  Price goes **Down**



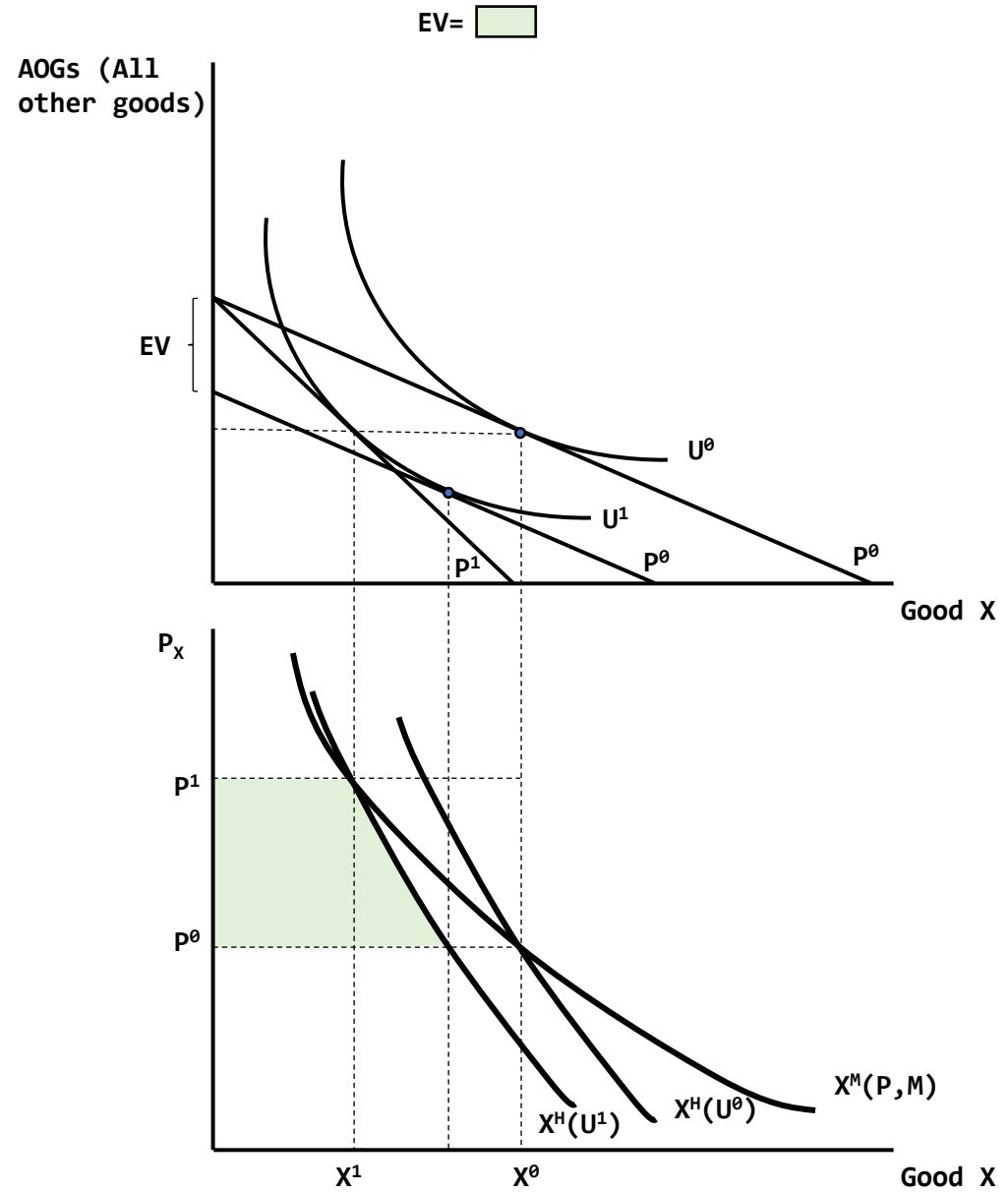
CV  $\rightarrow$  Price goes **Up**



EV --> Price goes **Down**




EV --> Price goes **Up**

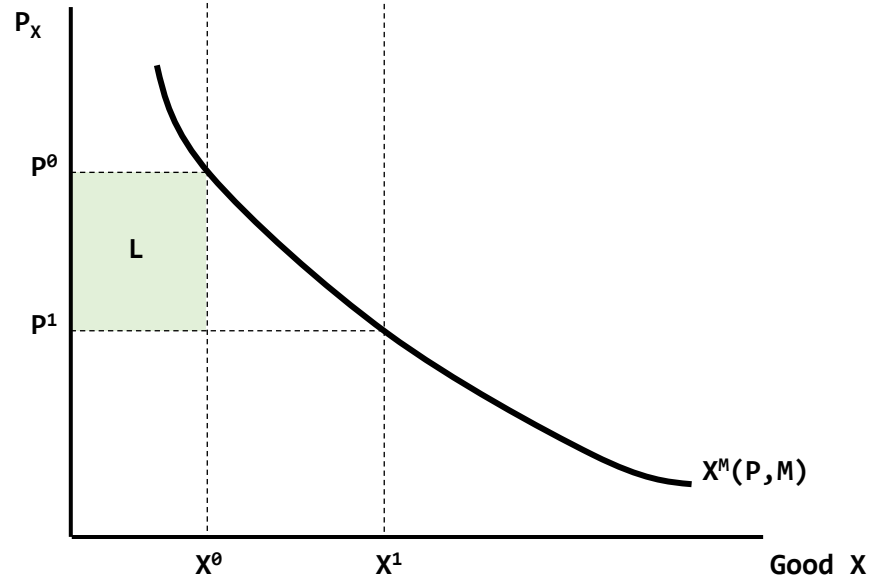
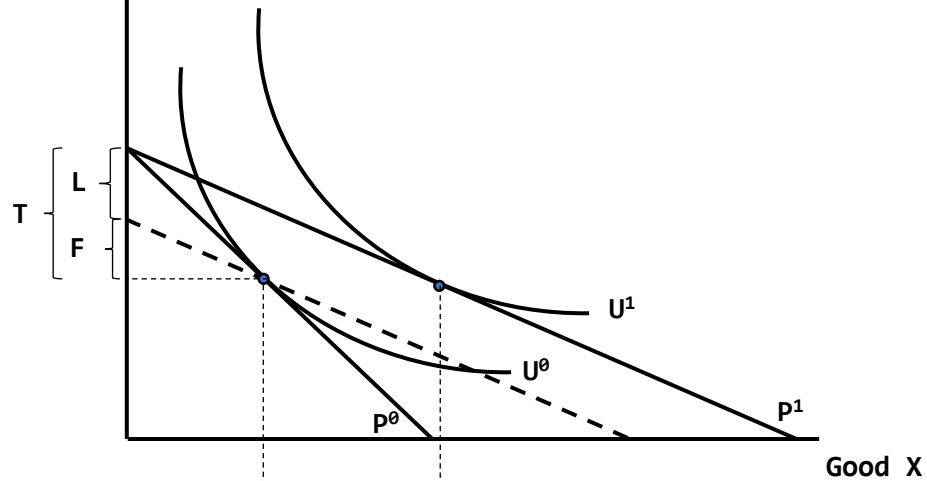


# Laspeyres Measures

Price goes **Down**

Laspeyres = 

AOGs (All other goods)

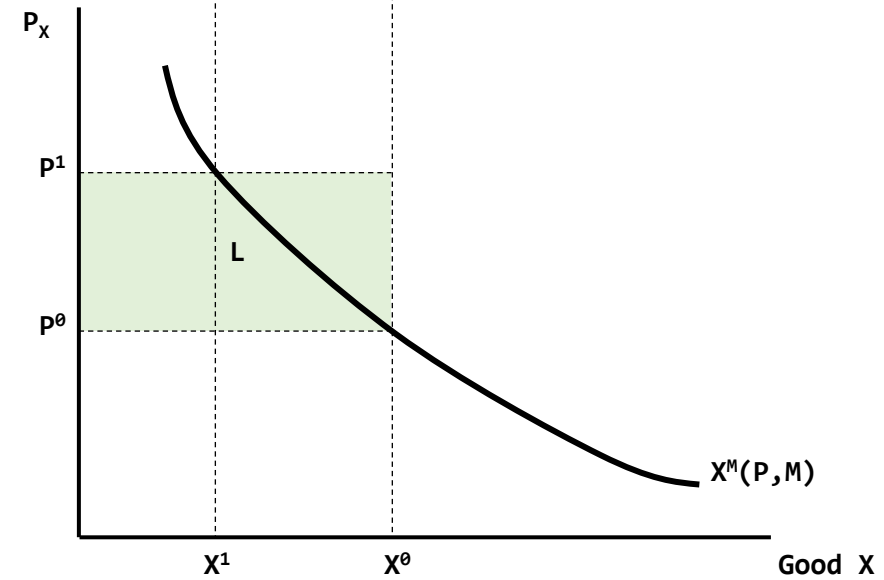
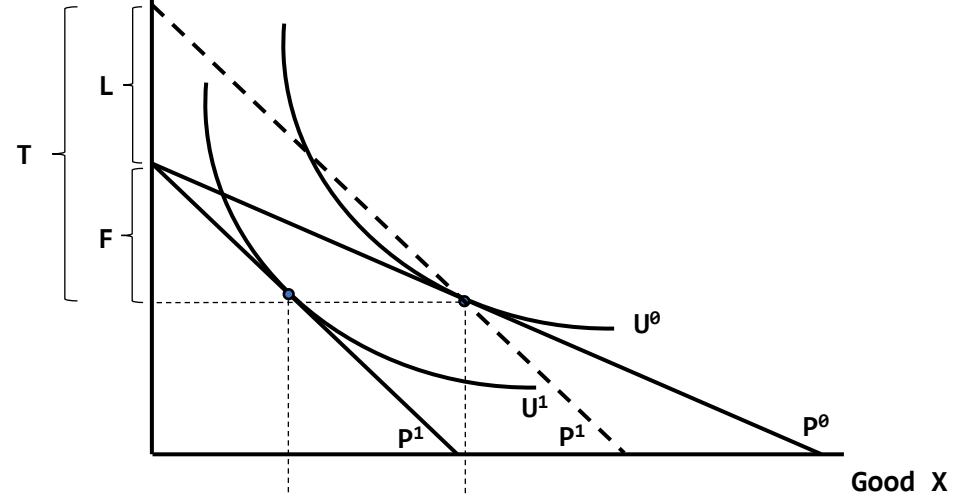


# Laspeyres Measures

Price goes **Up**

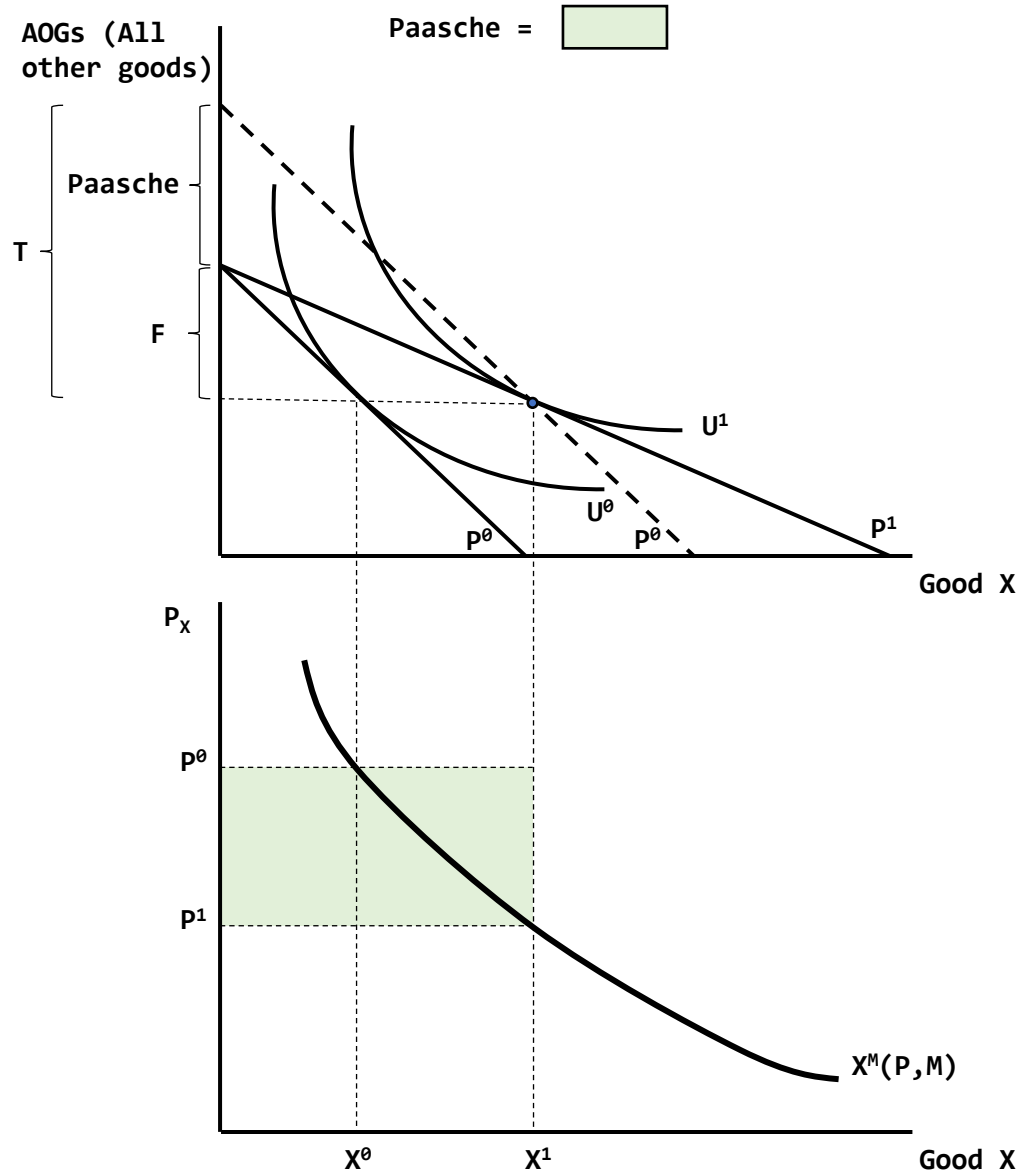
Laspeyres = 

AOGs (All other goods)





# Paasche Measures Price goes **Down**



# Paasche Measures Price goes **Up**

