Treap

```
#include <bits/stdc++.h>
using namespace std;
typedef long long ll;
mt19937 gen;
void randinit()
           srand(time(NULL));
           gen.seed(rand());
}
ll getrand(ll lo, ll hi)
{
           uniform_int_distribution < ll > dist(lo, hi);
           return dist(gen);
}
\mathbf{struct} \ \operatorname{node}
           \mathbf{int} \ \operatorname{key}, \ \operatorname{prior}, \ \operatorname{size};
           \mathbf{int} \quad l \ , \quad r \ ;
           node() {}
           \mathtt{node}(\mathbf{int}\ \mathtt{key})\ :\ \mathtt{key}(\mathtt{key})\,,\ \mathtt{prior}(\mathtt{getrand}(1\,,\ 1\mathtt{e}9))\,,\ \mathtt{size}(1)\,,\ \mathtt{l}(0)\,,\ \mathtt{r}(0)\ \{\}
           node(int \text{ key}, int \text{ prior}) : key(key), prior(prior), size(1), l(0), r(0) {}
};
int node_count = 1;
int root = 0;
vector < node > nodes(1);
int newNode()
{
           nodes.emplace_back();
           return node_count++;
}
int newNode(int key)
           nodes.emplace_back(key);
           return node_count++;
}
int newNode(int key, int prior)
           nodes.emplace_back(key, prior);
           return node_count++;
}
void update_size(int t)
           nodes[t].size = 0;
           int l = nodes[t].l;
```

```
int r = nodes[t].r;
         if (1) nodes[t].size += nodes[l].size;
if (r) nodes[t].size += nodes[r].size;
nodes[t].size++;
void merge(int t, int l, int r)
         if (1 = 0 | | r = 0)
         {
                   nodes[t] = 1 ? nodes[l] : nodes[r];
          if (nodes[l].prior > nodes[r].prior)
                   merge(nodes[1].r, nodes[1].r, r);
                   nodes[t] = nodes[1];
         }
         else
         {
                   merge(nodes[r].1, 1, nodes[r].1);
                   nodes[t] = nodes[r];
         update_size(t);
}
void split(int t, int key, int& l, int& r)
          if (t == 0)
         {
                   1 = 0;
                   r = 0;
         else if (nodes[t].key <= key)
                   l \ = \ t \ ;
                   split \, (\, nodes \, [\, t \, ]\, .\, r \, , \ key \, , \ nodes \, [\, l \, ]\, .\, r \, , \ r \, )\, ;
         }
         else
         {
                   r = t;
                   split (nodes [t].1, key, l, nodes [r].1);
         if(l) update_size(l);
         if(r) update_size(r);
}
void insert(int& t, int k)
          if (t == 0)
         {
                   t = k;
         }
         else if (nodes[t].prior < nodes[k].prior)
                   split(t, nodes[k].key, nodes[k].l, nodes[k].r);
                   t = k;
         }
```

```
else if (nodes[t].key < nodes[k].key)
                      insert(nodes[t].r, k);
           _{
m else}
           {
                      insert(nodes[t].l, k);
           }
           update_size(t);
}
void insert(int x)
           int k = newNode(x);
           insert (root, k);
}
\mathbf{void} \ \mathbf{erase} \, (\, \mathbf{int} \ \mathrm{key} \, , \ \mathbf{int} \& \ t \, = \, \mathrm{root} \, )
           if (t == 0) return;
           \mathbf{else} \ \mathbf{if} \ (\, \mathrm{nodes} \, [\, \mathrm{t} \, ] \, . \, \mathrm{key} \, < \, \mathrm{key} \, )
                      erase(key, nodes[t].r);\\
           else if (nodes[t].key > key)
                      erase(key, nodes[t].l);
           }
           _{
m else}
           {
                      merge(t, nodes[t].l, nodes[t].r);\\
           update_size(t);
}
int find_kth(int k, int t = root)
           int lsize;
           if (nodes[t].l == 0) lsize = 0;
           else lsize = nodes[nodes[t].l].size;
           if (lsize == k) return nodes[t].key;
           else if (lsize < k)
                      \textbf{return} \hspace{0.2cm} \texttt{find\_kth(k-lsize-1, nodes[t].r)}; \\
           }
           else
           {
                      return find_kth(k, nodes[t].l);
           }
}
```

KMP

```
vector<int> prefix_function(string s) {
   int n = (int)s.length();
```

Z-Function

```
vector < int > z = function(string s) {
    int n = s . size();
    vector < int > z(n);
    int l = 0, r = 0;
    for(int i = 1; i < n; i++) {
        if(i < r) {
            z[i] = min(r - i, z[i - l]);
        }
        while(i + z[i] < n && s[z[i]] == s[i + z[i]]) {
            z[i]++;
        }
        if(i + z[i] > r) {
            l = i;
            r = i + z[i];
        }
        return z;
}
```

Suffix array

```
vector < int > pn(n), cn(n);
for (int h = 0; (1 << h) < n; ++h) { for (int i = 0; i < n; i++) {
                 pn[i] = p[i] - (1 << h);

\begin{array}{c}
\mathbf{if} & (\mathbf{pn} [i] < 0) \\
\mathbf{pn} [i] & += n;
\end{array}

         fill(cnt.begin(), cnt.begin() + classes, 0);
         for (int i = 0; i < n; i++)

cnt [c[pn[i]]]++;
         for (int i = 1; i < classes; i++)
                 cnt[i] += cnt[i-1];
         for (int i = n-1; i >= 0; i--)
                p[--cnt[c[pn[i]]]] = pn[i];
         cn[p[0]] = 0;
         classes = 1;
         for (int i = 1; i < n; i++) {
                  \begin{array}{l} \text{pair} < \mathbf{int} \;,\;\; \mathbf{int} > \; \text{cur} \; = \; \{ c \left[ p \left[ \; i \; \right] \right] \;,\;\; c \left[ \left( p \left[ \; i \; \right] \; + \; \left( 1 \; << \; h \right) \right) \; \% \; n \right] \}; \\ \text{pair} < \mathbf{int} \;,\;\; \mathbf{int} > \; \text{prev} \; = \; \{ c \left[ p \left[ \; i \; -1 \right] \right] \;,\;\; c \left[ \left( \; p \left[ \; i \; -1 \right] \; + \; \left( 1 \; << \; h \right) \right) \; \% \; n \right] \}; \end{array}
                  if (cur != prev)
                          ++classes;
                  cn[p[i]] = classes - 1;
         c.swap(cn);
return p;
```

LCP array

```
\begin{array}{lll} \mbox{int } lcp (\mbox{int } i \,, \mbox{ int } j) \ \{ & \mbox{int } ans = 0; \\ \mbox{for } (\mbox{int } k = log\_n \,; \ k >= 0; \ k--) \ \{ & \mbox{if } (c [k][i \ \% \ n] = c [k][j \ \% \ n]) \ \{ & \mbox{ans } += 1 << k; \\ & \mbox{i } += 1 << k; \\ & \mbox{j } += 1 << k; \\ & \mbox{j } += 1 << k; \\ \} & \mbox{peturn } ans; \\ \} \end{array}
```

Edmonds Karp

```
int n;
vector<vector<int>>> capacity;
vector<vector<int>>> adj;
int bfs(int s, int t, vector<int>& parent) {
    fill(parent.begin(), parent.end(), -1);
    parent[s] = -2;
    queue<pair<int, int>>> q;
```

```
q.push({s, INF});
    while (!q.empty()) {
         int cur = q.front().first;
         int flow = q.front().second;
         q.pop();
         for (int next : adj[cur]) {
              if (parent[next] == -1 && capacity[cur][next]) {
   parent[next] = cur;
                   int new_flow = min(flow, capacity[cur][next]);
                   if (next == t)
                       return new_flow;
                   q.push({next, new_flow});
              }
    }
    return 0;
}
int maxflow(int s, int t) {
    int flow = 0;
     vector < int > parent(n);
    int new_flow;
     while (new_flow = bfs(s, t, parent)) {
         flow += new_flow;
         \mathbf{int} \ \mathbf{cur} \ = \ \mathbf{t} \ ;
         while (cur != s) {
              int prev = parent[cur];
              capacity[prev][cur] -= new_flow;
capacity[cur][prev] += new_flow;
              cur = prev;
    }
    return flow;
}
```

Matching na dwudzielnym

```
int n, k;
vector < vector < int >>> g;
vector < int >> mt;
vector < bool > used;

bool try_kuhn(int v) {
    if (used[v])
        return false;
    used[v] = true;
    for (int to : g[v]) {
        if (mt[to] == -1 || try_kuhn(mt[to])) {
            mt[to] = v;
            return true;
        }
}
```

```
}
}
return false;
}
int main() {
    //... reading the graph ...

mt.assign(k, -1);
for (int v = 0; v < n; ++v) {
    used.assign(n, false);
    try_kuhn(v);
}

for (int i = 0; i < k; ++i)
    if (mt[i]!= -1)
        printf("%d-%d\n", mt[i] + 1, i + 1);
}</pre>
```

LIS

```
int lis(vector<int> const& a) {
    int n = a.size();
    const int INF = 1e9;
    vector<int> d(n+1, INF);
    d[0] = -INF;

    for (int i = 0; i < n; i++) {
        int l = upper_bound(d.begin(), d.end(), a[i]) - d.begin();
        if (d[1-1] < a[i] && a[i] < d[1])
            d[1] = a[i];
    }

    int ans = 0;
    for (int l = 0; l <= n; l++) {
        if (d[1] < INF)
            ans = 1;
    }
    return ans;
}</pre>
```

Fenwick

```
struct FenwickTree {
   vector < int > bit; // binary indexed tree
   int n;

FenwickTree(int n) {
     this -> n = n;
     bit.assign(n, 0);
}
```

```
FenwickTree(vector < int > const \& a) : FenwickTree(a.size()) 
        for (size_t i = 0; i < a.size(); i++)
            add(i, a[i]);
   }
   int sum(int r) {
       int ret = 0;
        for (; r >= 0; r = (r & (r + 1)) - 1)
           ret += bit[r];
        return ret;
   }
   int sum(int l, int r) {
       return sum(r) - sum(l - 1);
   void add(int idx, int delta) {
        for (; idx < n; idx = idx | (idx + 1))
            bit [idx] += delta;
   }
};
```

Kolejka maksimow

FFT

```
using cd = complex<double>;
const double PI = acos(-1);

void fft(vector<cd> & a, bool invert) {
   int n = a.size();
   if (n == 1)
      return;
```

```
vector < cd > a0 (n / 2), a1 (n / 2);
for (int i = 0; 2 * i < n; i++) {
    a0 [i] = a[2*i];
    a1 [i] = a[2*i+1];
}
fft (a0, invert);
fft (a1, invert);

double ang = 2 * PI / n * (invert ? -1 : 1);
cd w(1), wn(cos(ang), sin(ang));
for (int i = 0; 2 * i < n; i++) {
    a[i] = a0[i] + w * a1[i];
    a[i + n/2] = a0[i] - w * a1[i];
    if (invert) {
        a[i] /= 2;
        a[i + n/2] /= 2;
    }
    w *= wn;
}</pre>
```

FFT Wielomiany

```
int n = 1;
   \mathbf{while} \ (n < a.\,size() + b.\,size())
      n \ll 1;
    fa.resize(n);
   fb.resize(n);
    fft(fa, false);
    fft(fb, false);
    for (int i = 0; i < n; i++)
       fa[i] *= fb[i];
    {\rm fft}\,(\,{\rm fa}\;,\;\;{\bf true}\,)\,;
    vector<int> result(n);
   for (int i = 0; i < n; i++)
       result[i] = round(fa[i].real());
   return result;
}
```

NTT Wielomiany

```
const int mod = 7340033;
const int root = 5;
const int root_1 = 4404020;
const int root_pw = 1 << 20;

void fft (vector <int> & a, bool invert) {
   int n = a.size();
```

```
\label{eq:formula} \mbox{for (int $i = 1$, $j = 0$; $i < n$; $i++) { }} \label{eq:formula}
           int bit = n >> 1;
          for (; j & bit; bit >>= 1)
j ^= bit;
           j ^= bit;
           if (i < j)
                swap(a[i], a[j]);
     }
     for (int i = len; i < root_pw; i <<= 1)
                wlen = (int)(1LL * wlen * wlen % mod);
           for (int i = 0; i < n; i += len) {
                int w = 1;
                for (int j = 0; j < len / 2; j++) {
                     int u = a[i+j], v = (int)(1LL * a[i+j+len/2] * w % mod);
                     \begin{array}{l} a\,[\,i\!+\!j\,] \,=\, u\,+\,v\,<\,mod\,\,?\,\,u\,+\,v\,:\,\,u\,+\,v\,-\,mod\,;\\ a\,[\,i\!+\!j\!+\!l\!+\!n\,/\,2\,] \,=\, u\,-\,v\,> =\,0\,\,?\,\,u\,-\,v\,:\,\,u\,-\,v\,+\,mod\,; \end{array}
                     w = (int)(1LL * w * wlen \% mod);
           }
     }
     if (invert) {
           int n_1 = inverse(n, mod);
           for (int & x : a)
               x = (int)(1LL * x * n_1 \% mod);
     }
}
```

Miller Rabin

```
using u64 = uint64_t;
using u128 = \_uint128\_t;
u64 binpower (u64 base, u64 e, u64 mod) \{
    u64 \text{ result} = 1;
    base \% = \text{mod};
    while (e) {
        if (e & 1)
            result = (u128) result * base % mod;
        base = (u128)base * base % mod;
        e >>= 1;
    }
    return result;
bool check\_composite(u64 n, u64 a, u64 d, int s) {
    u64 x = binpower(a, d, n);
    if (x = 1 | | x = n - 1)
        return false;
```

```
for (int r = 1; r < s; r++) {
        x = (u128)x * x % n;
if (x == n - 1)
            return false;
    return true;
};
bool MillerRabin (u64 n) { // returns true if n is prime, else returns false.
    if (n < 2)
        return false;
    int r = 0;
    u64\ d\,=\,n\,-\,1;
    while ((d \& 1) = 0) {
        d >>= 1;
        r++;
    }
    for (int a : {2, 3, 5, 7, 11, 13, 17, 19, 23, 29, 31, 37}) {
        if (n == a)
            return true;
        if (check_composite(n, a, d, r))
             return false;
    return true;
}
```

Pollard Rho

```
long long mult(long long a, long long b, long long mod) {
    return (__int128)a * b % mod;
}

long long f(long long x, long long c, long long mod) {
    return (mult(x, x, mod) + c) % mod;
}

long long rho(long long n, long long x0=2, long long c=1) {
    long long x = x0;
    long long y = x0;
    long long g = 1;
    while (g == 1) {
        x = f(x, c, n);
        y = f(y, c, n);
        y = f(y, c, n);
        y = gcd(abs(x - y), n);
    }
    return g;
}
```

HLD

```
vector < int > parent, depth, heavy, head, pos;
int cur_pos;
\mathbf{int} \hspace{0.2cm} \mathtt{dfs} \hspace{0.05cm} (\hspace{0.05cm} \mathbf{int} \hspace{0.2cm} \mathtt{v} \hspace{0.05cm}, \hspace{0.2cm} \mathtt{vector} \hspace{-0.05cm} < \hspace{-0.05cm} \mathbf{int} \hspace{-0.05cm} > \hspace{-0.05cm} \mathbf{const} \& \hspace{0.2cm} \mathtt{adj} \hspace{0.05cm} ) \hspace{0.2cm} \hspace{0.2cm} \{
     int size = 1;
     int \max_{c} size = 0;
     for (int c : adj[v]) {
          if (c != parent[v]) {
               parent[c] = v, depth[c] = depth[v] + 1;

int c_size = dfs(c, adj);
               size += c_size;
               if (c_size > max_c_size)
                     max_csize = csize, heavy[v] = c;
     }
     return size;
}
decompose(heavy[v], h, adj);
     for (int c : adj[v]) {
   if (c != parent[v] && c != heavy[v])
               decompose(c, c, adj);
     }
}
void init(vector<vector<int>>> const& adj) {
     int n = adj.size();
     parent = vector < int > (n);
     depth = vector < int > (n);
     heavy = vector < int > (n, -1);
     head = vector < int > (n);
     pos = vector < int > (n);
     cur_pos = 0;
     dfs(0, adj);
     decompose(0, 0, adj);
int query(int a, int b) {
     int res = 0;
     for (; head[a] != head[b]; b = parent[head[b]]) {
          if (depth[head[a]] > depth[head[b]])
               swap(a, b);
          int cur_heavy_path_max = segment_tree_query(pos[head[b]], pos[b]);
          res = max(res, cur_heavy_path_max);
     if (depth[a] > depth[b])
          swap(a, b);
     int last_heavy_path_max = segment_tree_query(pos[a], pos[b]);
     res = max(res, last_heavy_path_max);
     return res;
}
```