Piotr Szefer, Kenneth Molem, Austin Sau, Jan Lepš & Vojtěch Novotný. *Predators have limited effects on plant-herbivore interaction network in early succession in tropical forest gaps*. Ecology.

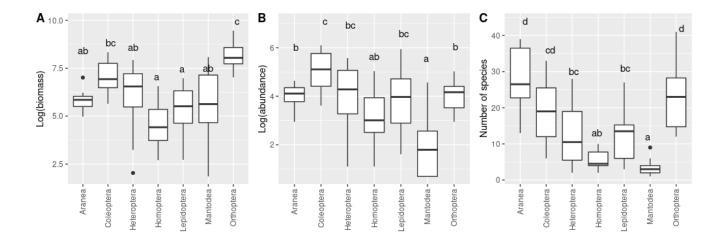


Figure S1. Characteristics of arthropod orders collected in exclosures and control plots: biomass (A), abundance (B), and number of species (C). Different Latin letters indicate groups for which differences in mean values were statistically significant at the α = 0.05 level (pairwise comparisons with the Tukey's correction for multiplicity).

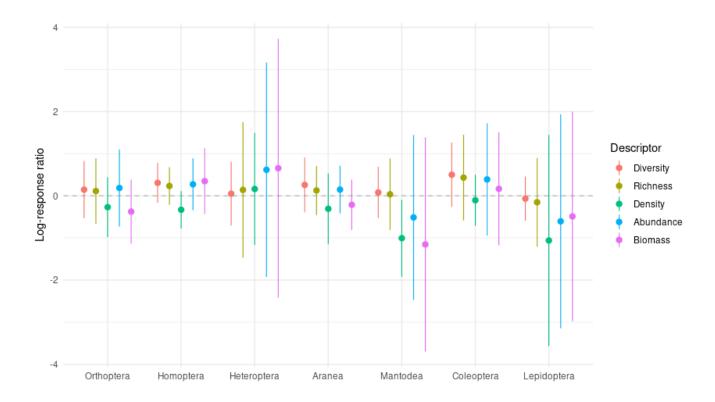


Figure S2. Predator effects on various community descriptors for individual insect orders. Predator effect were measured using the log-response ratio (LRR), which is a natural logarithm of a ratio of descriptor value from the control to the exclosure within a given experimental block.

Negative/zero/positive value of the LRR indicate negative/no/positive effect of predators on a given descriptor. Mean and 95% bootstrapped confidence intervals for the log-response ratios are presented.

No predator effect was different from zero (dashed line) for any descriptor within any arthropod Order. Diversity was measured with the inverse Simpson index, and density as a number of arthropod individuals per one square meter of foliage.

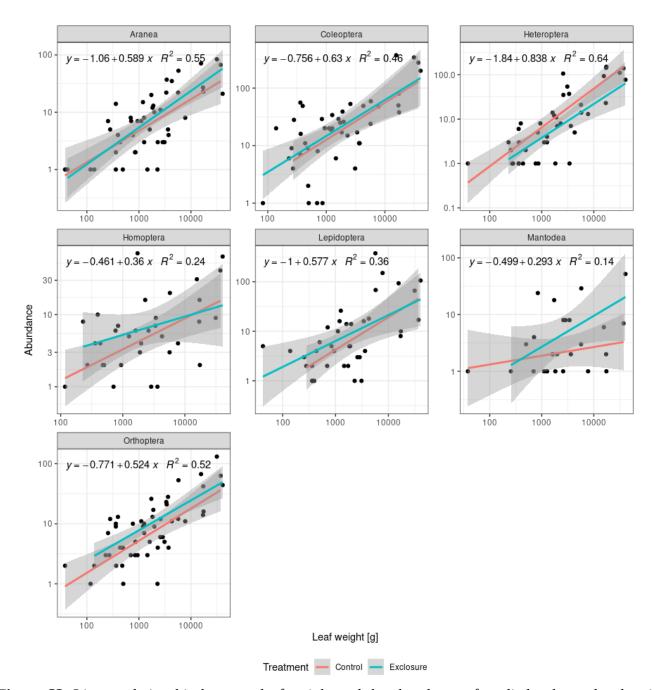


Figure S3. Linear relationship between leaf weight and the abundance of studied arthropod orders in exclosure (blue line) and control (red line) plots. Black points represent individual plant species from experimental plots. Vertical and horizontal axis are in logarithmic scales. For each Order presented r-square values and equations are for the the overall regression model because there was no significant interaction between the treatments.

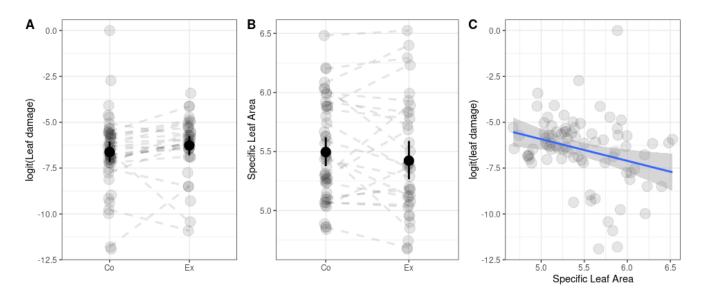


Figure S4. Comparison of (A) leaf damage and (B) specific leaf area between woody plant individuals from control (Co) and predator exclosure (Ex) plots, and correlation (C) between specific leaf area and the leaf damage. Leaf damage was measured as a logit percentage of leaf area lost due to herbivore feeding. Specific leaf area was evaluated as area of a leaf per one gram of its mass. Black points and whiskers on panels (A) ans (B) represent mean values and 95% CIs respectively. Grey points represent individual plant species at each experimental block. Dashed lines (if present) connect plant species within the same block but at different treatment plots. Solid line on the panel (C) indicates significant correlation (T = -2.475, P = 0.015) evaluated using a linear mixed-effect model with plant species and block as random effects. Details of the statistical models can be found in Tables S1 and S2.

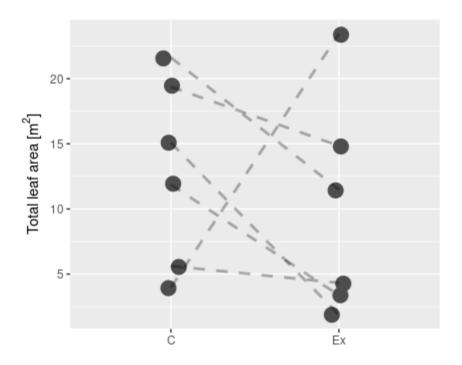


Figure S5. Total leaf area (in m²) of all woody plants in control (C) and predator exclosure plots (Ex). Points indicate total area for individual experimental plots. Lines connect values from different treatments within an experimental block. Linear mixed effect models with a random effect of block showed no difference in the total area between control and predator exclosure plots.

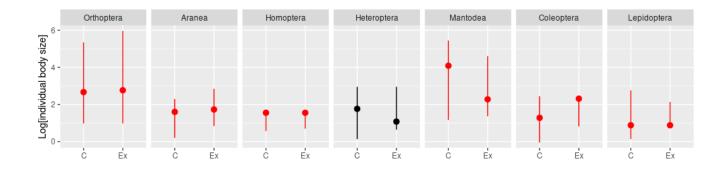


Figure S6. Distribution of body length (in cm) of individual arthropods in control (C) and exclosure plots (Ex). Dots represent log-transformed median values, whiskers 5th and 95th percentiles of studied insect Orders in control (C) and exclosure (Ex) plots. Red color indicates significant differences of the medians between the treatments evaluated using the non-parametric Mann-Whitney test.

Table S1. Specifications of all statistical models used in our analyses of 12 experimental (six control and six predator exclosure) plots grouped in six blocks. Explanations of indices and links to individual figures in the text and supplement are given in the *Description* column. The *Response* column indicates the distribution and parameters used by a model. The *Variance* column shows formula used to calculate variance of a descriptor, and linear predictors are defined in the *Mean* column. Random structure, if used, is defined in the last column.

Model	Description	Response	Variance	Mean	Random structure		
Arthropo	Arthropod community characteristics						
	Fig. 1, H-A, AP-A. Abundance						
	of herbivores or arthropod						
M.1	predators in control and	$Abu \sim NB(\mu, k)$	$var(Abu) = \mu + \frac{\mu^2}{k} = \mu + \alpha \times \mu^2$	$\log(\mu) \sim \alpha + \beta \times Exclosure$	-		
	exclosure plots modeled as the						
	negative binomial distribution.						
	Fig. 1, H-B, AP-B. Biomass of						
	herbivores or arthropod						
M.2	predators in control and	$Bio_{i} \sim N\left(\mu_{i}, \sigma_{residual}^{2}\right)$	$var(Bio_i) = \sigma_{residual}^2$	$\log(\mu_{ij}) \sim \alpha + \beta \times Exclosure + Block_i$	$Block_i \sim N(0, \sigma_{block}^2)$		
	exclosure plots within an <i>i</i> -th						
	block.						
M.3	Fig. 1, H-R, AP-R. Number of	$Rich \sim Poisson(\mu)$	$var(Rich) = \theta \mu$	$\log(\mu) \sim \alpha + \beta \times Exclosure$	-		
	species of herbivores or AP in						
	control and exclosure plots						
	modeled with the Poisson						

	distribution.				
M.4	Fig. 1, H-D, AP-D. Diversity (inverse Simpson's index) of herbivores or AP in control and	Diversity $\sim N(\mu, \sigma_{residual}^2)$	$var(Diversity) = \sigma_{residual}^2$	μ∼α+β×Exclosure	-
	exclosure plots.				
	Fig. 1, H-Dens, AP-Dens.				
M.5	Density of herbivores or AP in	$Dens_i \sim N(\mu_i, \sigma_{residual}^2)$	$var(Dens_i) = \sigma_{residual}^2$	$\log(\mu_i) \sim \alpha + \beta \times Exclosure + Block_i$	$Block_i \sim N(0, \sigma_{block}^2)$
171.5	control and exclosure plots	= 0.00[1. (F4]) = residual)	· · · · (= · · · · ·)	10 (r)/ / 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	= 100 m (o o block)
	within at <i>i</i> -th block .				
Network	descriptors				
M6	Fig. 4. Connectance modeled using the Beta distribution.	$Conn\sim Beta(\pi)$	$var(Conn) = \frac{\pi \times (1 - \pi)}{1 + \theta}$	$logit(\pi) \sim \alpha + \beta \times Exclosure$	-
	Fig. 4. Generality modeled		$var(Gen) = \sigma_{residual}^{2} \left[1 - \delta \left(\frac{a - \mu}{\sigma_{residual}} \right) \right]$		
M.6	using the truncated normal	$Gen \sim TN(\mu, \sigma^2, 0)$	$\delta(\alpha) = \lambda(\alpha) [\lambda(\alpha) - \alpha]$	$\mu \sim \alpha + \beta \times Exclosure$	-
	distribution.		$\lambda(\alpha) = \phi(\alpha)I[1 - \phi(\alpha)]$		
	Fig. 4. Modularity modelled				
	using the Beta distribution.	Mal Dural	$\pi_i \times (1-\pi_i)$	Let'() and OVE also are Pleaf	\mathbf{p}_{1} \mathbf{p}_{2} \mathbf{p}_{3}
M.7	Mod _i indicates value of	$Mod_i \sim Beta(\pi_i)$	$var(Mod_i) = \frac{\pi_i \times (1 - \pi_i)}{1 + \theta}$	$logit(\pi_i) \sim \alpha + \beta \times Exclosure + Block_i$	$Block_i \sim N(0, \sigma_{block}^2)$
	modularity at the <i>i</i> -th block.				
M.8	Fig. 4. Nestedness	$Nestedness \sim N(\mu, \sigma_{residual}^2)$	$var(Nestedness) = \sigma_{residual}^2$	$\mu \sim \alpha + \beta \times Exclosure$	-
M.9	Fig. 4. Specialization modelled	$PDI_{i} \sim Beta\left(\pi_{i}\right)$	$var\left(PDI_{ij}\right) = \frac{\pi_{ij} \times (1 - \pi_{ij})}{1 + \theta}$	$logit(\pi_i) \sim \alpha + \beta \times Exclosure + Block_i$	$Block_i \sim N(0, \sigma_{block}^2)$

	using the Beta distribution. PDI				
	_				
	indicates value of specialization				
	(paired difference index) at the				
	i-th block.				
	Fig. 4. Vulnerability, modeled		$var(Vul) = \sigma_{residual}^{2} \left[1 - \delta \left(\frac{a - \mu}{\sigma_{residual}} \right) \right]$		
M.10	with the truncated binomial	Vul \sim $TN(\mu$, $\sigma_{residual}^{2,}$ $0)$	$\delta(x) = \lambda(\alpha)[\lambda(\alpha) - \alpha]$	μ~ α+β×Exclosure	-
	distribution.		$\lambda(\alpha) = \phi(\alpha)I[1 - \phi(\alpha)]$		
Supplem	entary analyses				
MS.1	Fig. S1A. Biomass of an <i>j</i> -th	$Bio_{ij}\!\sim\!N(\mu_{ij}$, $\sigma^2)$	$var(Bio_{ii}) = \sigma^2$	$\log(\mu_{ii}) \sim \alpha + \beta \times Order_i + Block_i$	$Block_{i} \sim N(0, \sigma_{block}^{2})$
1013.1	arthropod Order at <i>i</i> -th block	Bio_{ij} if (μ_{ij}, σ)	var (Blo _{ij}) = 0	$\log(\mu_{ij})$ α β β β β β	Block _i IV (0, O _{block})
	Fig. S1B,C. Abundance and				
	richness modeled using the		$var(X_{ij}) = \mu_{ij} + \frac{\mu_{ij}^2}{k} = \mu_{ij} + \alpha \times \mu_{ij}^2$	$\log{(\mu_{ij})} \sim \alpha + \beta \times Order_j + Block_i$	
MS.2	negative binomial distribution.	$X_{ij} \sim NB(\mu_{ij},k)$			$Block_i \sim N(0, \sigma_{block}^2)$
	X_{ij} is a descriptor value of an j -				
	th arthropod Order at <i>i</i> -th block				
	Fig. S12. Log-response ratio				
	(logged ratio of control to				
MS.3	exclosure value) of community	$LRR \sim N(\mu, \sigma^2)$	$var(LRR) = \sigma^2$	μ \sim 0	-
	descriptors for individual				
	arthropod orders				
MS.4	Fig. S3. Plant biomass and	$\log (Abund_{ij}) \sim N(\mu_{ij}, \sigma^2)$	$var[log(Abund)_{ij}] = \sigma^2$	$\mu_{ij} \sim \alpha + \beta \times \log(LeafWeight_{ij})$	-

	herbivores abundance				
	relationship. Abundij indicates				
	abundnace of <i>i</i> -th plant species				
	at the <i>j</i> -th plot				
	Fig. S4 A,C. Leaf damage at				
MS.5.1	different treatments: <i>j</i> -th	$logit(Damage_{jk}) \sim N(\mu_{ij}, \sigma^2)$	$var[logit(Damage_{jk})] = \sigma^2$	$\log(\mu_{jk}) \sim \alpha + \beta \times SLA_{jk} + Plant_k$	$Plant_k \sim N(0, \sigma_{Plant}^2)$
	observation on <i>k</i> -th plant.				
	Fig. S4B. SLA values at control				
MS.5.2	and exclosure plots. SLA_{ij}	$SLA_{ii} \sim N(\mu_{ii}, \sigma^2)$	$var(SLA_{ii}) = \sigma^2$	$\mu_{ij} \sim \alpha + \beta \times Exclosure + Block_i + Plant_i$	$Block_i \sim N(0, \sigma_{block}^2)$
W15.5.2	indicates observation for the <i>i</i> -	$SLA_{ij} \cap N(\mu_{ij}, O)$	vur (SLA _{ij})=0	μ_{ij} • $\alpha + p \wedge Exclosure + block_i + Fluitt_j$	$Plant_{j} \sim N(0, \sigma_{Plant}^{2})$
	th block and <i>j</i> -th plant.				
MS.6	Fig S5. Leaf area (in m²)for <i>i</i> -th	$Area_{i} \sim N(\mu_{i}, \sigma^{2})$	$var(Area_i) = \sigma^2$	$\mu_i \sim \alpha + \beta \times Exclosure + Block_i$	$Block_i \sim N(0, \sigma_{block}^2)$
1415.0	block.	$THCa_i \rightarrow (\mu_i, \sigma_i)$	var (riica _{i)}	pq or produce 2.com	Diocki IV (0, 0 block)
	Fig. S7. Herbivore species				
	performance (measured as log-				
	ratio of the abundance from the				
MS.7	control to the predator	$LRR_{ij}{\sim}N\left(\mu_{ij}$, $\sigma^2 ight)$	$var(LRR_{ij}) = \sigma^2$	$\mu_{ij} \sim \alpha + \beta_1 \times \log(Length_{ij})$	-
	exclosure plots) in relation to			$+\beta_2 \times Order_j + \beta_3 \times \log(Length_{ij}) \times Order_j$	
	body size. LRR _{ij} indicate <i>i</i> -th				
	order and j -th herbivore species.				
MS.8	Fig. S11. Response variable is	$LRR_{ij} \sim N(\mu_{ij}, \sigma^2)$	$var(LRR_{ij}) = \sigma^2$	A) $\mu_{ij} \sim \alpha \beta \times PDI_{ij} + \beta_2 \times Tree_j$	$Block_i \sim N(0, \sigma_{block}^2)$

	weighted by cumulative abundance of each species.			$+\beta_{3} \times PDI_{ij} \times Tree_{j} + Block_{i}$ B) $\mu_{ij} \sim \alpha \beta \times PDI_{ij} + \beta_{2} \times Order_{j}$ $+\beta_{3} \times PDI_{ij} \times Order_{j} + Block_{i}$	
MS.9	Fig S12A. Specialization modeled with the Beta distribution. PDI $_{ijk}$ indicates specialization value from the i -th group, j -th order, and k -th block	PDI $_{ijk}$ \sim Beta $\left(\left. \pi_{ijk} ight)$	$var(PDI_{ijk}) = \frac{\pi_{ij} \times (1 - \pi_{ij})}{1 + \theta}$	$logit(\pi_{ijk}) \sim \alpha + \beta_1 Group_i + \beta_2 \times Order_j$ $+\beta_3 \times Order_j \times Group_i + Block_k$	$Block_{k} \sim N\left(0, \sigma_{block}^{2} ight)$
MS.10	Figure S12B. Abundance modeled with the negative binomial distribution. Abu _{ijk} indicates abundance of the <i>i</i> -th group, <i>j</i> -th order, and <i>k</i> -th block	$Abu_{ijk} \sim NB(\mu,k)$	$var(Abu_{ijk}) = \mu + \frac{\mu^2}{k} = \mu + \alpha \times \mu^2$	$\log(\mu_{ijk}) \sim \alpha + \beta_1 Group_i + \beta_2 \times Order_j$ $+ \beta_3 \times Order_j \times Group_i + Block_k$	$Block_{k} \sim N\left(0, \sigma_{block}^{2} ight)$
MS.11	Figure S13. Testing whether log response ratios (log-ratio of the specialization from the control to the predator exclosure plots) are different from zero. lrrPDI _i indicate log-respons ratio of specialization at <i>i</i> -th block.	$lrrPDI_i \sim N\left(\mu_i,\sigma^2 ight)$	$var(lrrPDI_i) = \sigma^2$ $\mu_i \sim 0 + \beta \times Exclosure + Block_i$		$Block_i \sim N(0, \sigma_{block}^2)$

MS.12	Fig. 14. Case-weighted (ln[herbivore species abundance]) beta regression of diet shift dependence on specialization of <i>j</i> -th herbivore species at <i>i</i> -th block.	$BCdiss_{ij}\!\sim\!Beta\!\left(\pi_{ij} ight)$	$var\left(BCdiss_{ij}\right) = \frac{\pi_{ij} \times (1 - \pi_{ij})}{1 + \theta}$	$logit(\pi_{ij}){\sim}PDI_{j}{+}Block_{i}$	$Block_{i}\!\sim\!N\left(0,\sigma_{block}^{2} ight)$
MS.13	Figure S15. Mean LRR value for <i>k</i> -th quality category, <i>j</i> -th herbivore species at <i>i</i> -th block.	$LRR_{ijk} \sim N\left(\mu_{ijk}, \sigma^2\right)$	$var(LRR_{ijk}) = \sigma^2$	$\mu_{ijk} \sim \alpha + \beta_1 \times Quality_k + \beta_2 \times PDI_{jk}$ $+ \beta_3 \times Quality_k \times PDI_{jk} + Block_i$	$Block_i \sim N(0, \sigma_{block}^2)$
MS.14	Figure S16. Water content effect on LRR of <i>j</i> -th herbivore on <i>k</i> -th plant at <i>i</i> -th block. Model selection that showed lack of interaction with herbivore Orders	$LRR_{ijk}{\sim}N\left(\mu_{ijk},\sigma^2 ight)$	$var(LRR_{ijk}) = \sigma^2$	$\mu_{ijk} \sim \alpha + \beta \times WaterContent_{jk} + Block_i$	$Block_i \sim N(0, \sigma_{block}^2)$
MS.15	Figure S17: Evennnes of the degree distribution at <i>i</i> -th experimental block. Figure S18: Trophic community composition at <i>i</i> -th experimental block.	$X_i \sim Beta(\pi_i)$	$var(X_i) = \frac{\pi_{ij} \times (1 - \pi_i)}{1 + \theta}$	$logit(\pi_i) \sim \alpha + \beta \times Exclosure + Block_i$	$Block_{i} \sim N\left(0, \sigma_{block}^{2}\right)$

Figure S19: Trophic		
community composition (ratio		
of AP to herbivores) and		
distribution of interactions		
(evenness of plant degree		
distribution) in response to		
exclosure at <i>i</i> -th experimental		
block.		

Table S2. Estimates, standard errors, test statistics, and p-values for the parameter of selected statistical models defined for our experimental data of 12 experimental plots (six control and six predator exclosure plots) grouped within six blocks. Model names refer to the model equations in the Table S.1.

Model	Parameter	Estimate	Std. Error	Statistic	P-value
	α	6.196	0.278	T = 22.294	<0.001
M1. H-A	β	-0.095	0.393	T = -0.242	0.809
	k	2.1673	0.832		
M.1	α	4.241	0.214	T = 19.809	<0.001
	β	0.149	0.302	T = 0.493	0.622
AP-A	k	3.836	1.600		
	α	8.481	0.264	T = 32.120	< 0.001
Mali	β	0.402	0.186	T = 2.160	0.031
M.2 H	σ_{block}	1248.0			
	$\sigma_{ m residual}$	2316.0			
	α	6.693	0.313	T = 21.399	< 0.001
MOAD	β	0.275	0.134	T = 2.055	0.040
M.2 AP	$\sigma_{ m block}$	260.9			
	$\sigma_{ m residual}$	352.6			
M.3	α	4.648	0.226	T = 20.536	<0.001
Richness	β	-0.057	0.325	T = -0.177	0.867
Herbivore	θ	32.064			
M.3	α	3.718	0.141	T = 26.440	<0.001
	β	-0.008	0.199	T = -0.041	0.968
Richness AP	θ	4.883			
M.4	α	20.763	2.791	T = 7.438	<0.001
Herbivores	β	-8.935	3.948	T = -2.263	0.047
(inverse Simpson's	$\sigma_{ m residual}$	6.837			
index)			2 :		0.633
M.4	α	14.114	3.422	T = 4.124	0.003
AP	β	-5.116	4.840	T = -1.057	0.315
(inverse Simpson's index)	$\sigma_{ m residual}$	8.382			

	α	3.367	0.272	T = 12.385	<0.001
M.5 Density	β	0.6351	0.232	T = 2.743	0.006
herbivores	σ_{block}	7.286			
	$\sigma_{ m residual}$	16.745			
	α	1.973	0.184	T = 10.711	<0.001
M.5 Density AP	β	0.214	0.120	T = 1.179	0.073
M.5 Density AP	σ_{block}	0.689			
	G residual	2.077			
		Network L	Descriptors		
M.6	α	-0.920	0.159	Z = -5.771	<0.001
	β	0.078	0.223	Z = 0.348	0.728
Connectance	θ	30.93	12.46	Z = 2.482	0.013
M.7	α	1.555	0.147	T = 10.565	<0.001
	β	0.019	0.208	T = 0.090	0.928
Generality	G residual	0.360			
	α	0.620	0.327	Z = 1.893	0.058
M.8	β	0.533	0.249	Z = 2.143	0.032
	σ_{block}	0.451			
Modularity	$\sigma_{residual}$	0.671			
	θ	26.6			
M.9	α	29.790	4.803	T = 6.202	<0.001
	β	6.862	6.792	T = 1.010	0.336
Nestedness	$\sigma_{residual}$	11.765			
	α	2.780	0.183	15.316	<0.001
M.10	β	0.024	0.254	0.931	0.352
	б ыоск	0.023			
Specialization	σ _{residual}	0.153			
	θ	102			
M.11	α	18.775	2.9722	T = 6.317	<0.001
	β	-8.156	4.554	T = -1.791	0.073
Vulnerability	G _{residual}	7.144			
		Selected Supplen	nentary Analyses	•	
MS.5.1 Best model	α	0.763	2.862	T = 0.267	0.790
	β	-1.307	0.526	T = -2.486	0.015
	σ_{plant}	1.508			
	♂residual	1.288			
MS.5.2 SLA	α	5.382	0.094	T = 56.943	< 0.001

β	-0.044	0.060	T = -0.737	0.464
σ_{block}	0.280			
σ_{plant}	0.156			
G _{residual}	0.243			

Table S3. Arthropod individual body lengths analysed with the Mann-Whitney's tests for comparisons of in control and predator exclosure plots. Abbreviations: NC – number of individuals in the control, NEx - number of individuals in the exclosure plots. HL – Hodges-Lehman centrality estimator (median of the differences between individuals from control and exclosure), ns – not significant. 'Direction' indicates how median changes from predator exclosure (no focal predators: birds, bats and ants) to the control plots (predators present).

Order	NC	NEx	HL	P	Direction
Orthoptera	422	369	-2.77E+00	< 0.001	decrease
Homoptera	135	252	-3.10E-05	0.019	decrease
Heteroptera	785	362	-7.27E-05	0.208	ns
Aranea	362	351	-8.88E-01	< 0.001	decrease
Mantodea	55	133	1.47E+01	0.006	increase
Coleoptera	1214	993	-1.36E+00	< 0.001	decrease
Lepidoptera	389	702	1.10E-05	0.016	increase

Table S4. Arthropod individual body lengths at individual plant species analysed with the Mann-Whitney's tests. Abbreviations: NC – number of individuals in the control, NEx - number of individuals in the exclosure plots. HL – Hodges-Lehman centrality estimator (median of the differences between individuals from control and exclosure), ns – not significant. 'Direction' indicates how median changes from predator exclosure (no focal predators: birds, bats and ants) to the control plots (predators present).

Oudou	Dlant	NC	NIC	TTT		Divostis
Order	Plant	NC NC	NEx	HL	P 0.001	Direction
	Pipturus argenteus	84	147	-3.87E+00		ns
	Premna sp.1	2	13	-1.67E-06	0.661	ns
	Trichospermum pleiostigma	22	17	2.89E-05	0.931	ns
	Melochia sp.1	131	28	-3.94E+01	0.000	decrease
Orthoptera	Melanolepis multiglandulosa	71	66	1.71E+00	0.162	ns
1	Macaranga tanarius	17	3	4.03E+00	0.425	ns
	Cordyline terminalis	4	3	5.42E+00	0.858	ns
	Breynia cernua	6	7	9.45E+00	0.350	ns
	Trema orientalis	64	40	6.94E-01	0.137	ns
	Manihota esculenta	10	10	-3.40E+01	0.047	decrease
Homoptera	Trema orientalis	24	17	1.45E-06	0.422	ns
	Piptrus argenteus	47	106	-4.42E-05	0.093	ns
	Melanolepis multiglandulosa	34	81	-4.21E-05	0.293	ns
	Trichospermum pleiostigma	8	15	-5.58E-05	0.893	ns
	Macaranga tanarius	2	2	8.20E-01	0.617	ns
Heteroptera	Trichospermum pleiostigma	8	28	-1.40E+00	0.379	ns
	Melanolepis multiglandulosa	356	60	-3.83E-01	0.105	ns
	Piptrus argenteus	262	213	7.24E-05	0.963	ns
	Melochia sp.1	111	7	-1.92E+00	0.254	ns
	Trema orientalis	27	26	1.39E+01	0.002	increase
	Melochia sp.1	84	5	-4.37E+00	0.001	decrease
	Trema orientalis	61	62	-8.06E-01	0.061	ns
	Piptrus argenteus	80	146	-1.35E+00	0.000	decrease
A 40 m 0 0	Melanolepis multiglandulosa	56	55	-6.57E-01	0.189	ns
Aranea	Cordyline terminalis	12	8	-3.26E-01	0.561	ns
	Breynia cernua	10	8	2.05E+00	0.032	increase
	Trichospermum pleiostigma	25	29	2.56E-01	0.459	ns
	Macaranga tanarius	6	7	-1.07E+00	0.668	ns
	Piptrus argenteus	11	67	1.62E-01	0.025	increase
36 . 1	Melanolepis multiglandulosa	3	18	-1.48E-06	1.000	ns
Mantodea	Trichospermum pleiostigma	5	24	4.98E+01	0.000	increase
	Trema orientalis	30	12	-3.07E-05	0.740	ns
Coleoptera	Piptrus argenteus	393	662	-3.65E-05	0.000	decrease
1	Trema orientalis	107	44	5.80E-05	0.485	ns

Order	Plant	NC	NEx	HL	P	Direction
	Trichospermum pleiostigma	50	79	-4.99E-05	0.347	ns
	Macaranga tanarius	43	20	-3.36E-05	0.860	ns
	Melanolepis multiglandulosa	148	81	8.67E-01	0.046	increase
	Melochia sp.1	341	11	-2.31E+00	0.078	ns
	Premna sp.1	16	17	-1.05E+00	0.824	ns
Lepidoptera	Piptrus argenteus	31	234	-3.07E-01	0.002	decrease
	Trema orientalis	218	417	3.64E-05	0.000	increase
	Trichospermum pleiostigma	36	13	-2.86E-01	0.527	ns
	Melanolepis multiglandulosa	12	7	4.31E-05	0.966	ns
	Macaranga tanarius	4	4	9.71E+00	0.142	ns
	Melochia sp.1	66	4	5.22E+00	0.323	ns
	Breynia cernua	2	8	-3.02E-01	0.891	ns

Table S5. Arthropod individual body lengths at individual experimental blocks (g1, ..., g6) analysed with the Mann-Whitney's tests. Abbreviations: NC – number of individuals in the control, NEx - number of individuals in the exclosure plots, HL – Hodges-Lehman centrality estimator (median of the differences between individuals from control and exclosure), ns – not significant. 'Direction' indicates how median changes from predator exclosure (no focal predators: birds, bats and ants) to the control plot (predators present).

Order	Block	NC	NEx	HL	P	pred.eff
Orthoptera	g5	78	24	-1.20E+01	0.010	decrease
	g4	152	74	-2.39E+01	0.000	decrease
	g2	37	19	-3.03E+01	0.072	ns
	g1	60	42	4.53E-01	0.384	ns
	g3	69	116	-5.01E-01	0.560	ns
	g6	26	94	2.06E+00	0.145	ns
	g1	29	17	1.83E+00	0.000	increase
	g4	11	17	-2.67E-05	0.145	ns
Homoptera	g2	8	3	-5.03E-05	0.737	ns
	g3	63	62	6.31E-05	0.788	ns
Heteroptera	g5	168	4	-4.22E-01	0.734	ns
	g3	156	143	2.19E+00	0.000	increase
	g1	28	36	4.74E+00	0.000	increase
	g6	3	109	-3.02E+00	0.025	decrease
	g2	263	22	-1.34E+00	0.000	decrease
	g4	167	48	-6.91E-01	0.242	ns
Aranea	g4	89	82	-8.06E-01	0.050	decrease
	g6	35	63	7.62E-01	0.047	increase
	g3	76	103	-2.02E+00	0.000	decrease
	g2	49	25	-2.92E+00	0.001	decrease
	g1	66	59	-7.54E-02	0.458	ns
	g5	47	19	-1.90E+00	0.003	decrease
Mantodea	g3	7	6	7.96E-05	0.382	ns

	g6	2	96	1.62E-01	0.000	increase
	g5	6	2	-1.47E+01	0.371	ns
	g2	2	3	-6.35E-05	0.683	ns
	g1	38	24	-4.87E-05	0.179	ns
Coleoptera	g2	165	45	-4.01E+00	0.000	decrease
	g3	320	445	-4.86E-05	0.000	decrease
	g4	362	151	-5.04E+00	0.000	decrease
	g5	198	37	-1.26E+00	0.000	decrease
	g6	65	315	1.62E-06	0.294	ns
Lepidoptera	g1	101	24	1.30E-01	0.658	ns
	g2	5	379	5.21E-05	0.000	increase
	g3	18	94	6.24E-05	0.965	ns
	g4	70	40	2.35E+00	0.001	increase
	g5	177	15	-1.81E+00	0.000	decrease
	g6	18	150	1.48E+00	0.070	ns

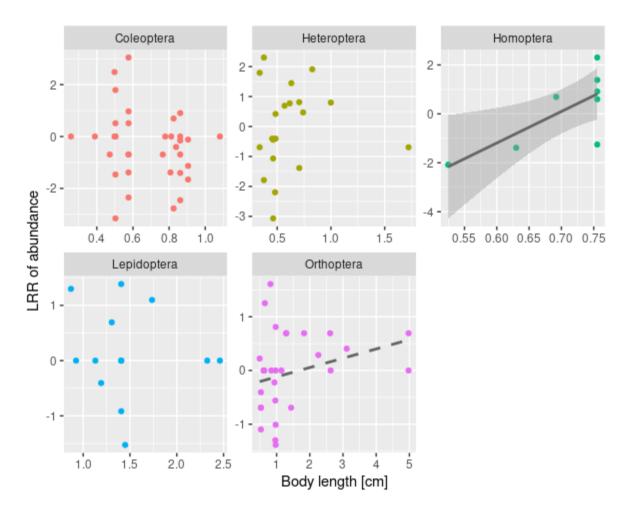


Figure S7. Relationships between body length of herbivorous insects and the effect of birds, bats and ants represented as logarithm of the control:exclosure abundance ratio for studied arthropod herbivore orders. Significance is indicated with the line type: solid line: $\alpha = 0.05$, dashed line $\alpha = 0.1$. In case of a significant regression 95% confidence intervals are plotted.

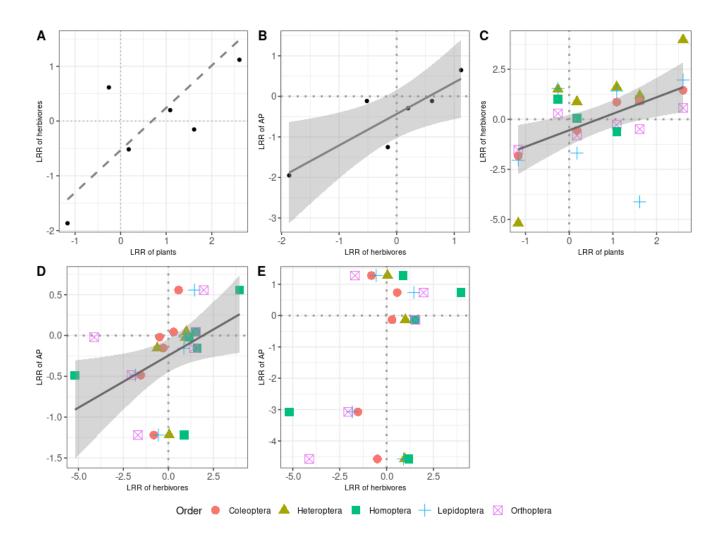


Figure S8. Relationships of predator (birds, bats and ants) effects on biomass between different trophic levels in individual plots: A – herbivores vs plants; B – herbivores vs arthropod predators (AP); C) herbivore Orders vs plants; D – spiders vs herbivores; E – mantoids vs herbivores. Predator effects were evaluated using log response ratios (LRR): the logarithm of the ratio between the biomass at the control and predator exclosure treatment within the same experimental block. Positive/negative values of the LRR indicate increase/decrease in biomass of a given trophic level in the presence of predators. Solid line represents significance at the $\alpha = 0.05$ level and dashed line at the $\alpha = 0.1$ level. 95% CIs also plotted for significant relationships.

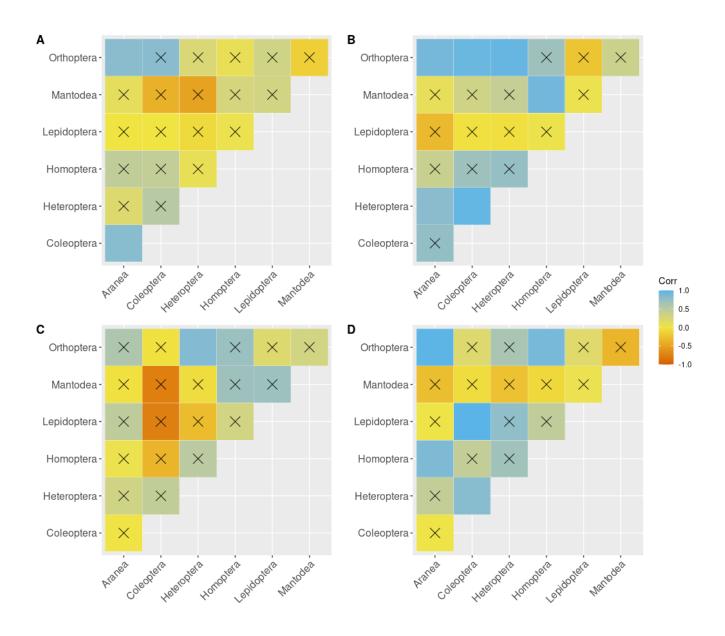


Figure S9. Pearson's correlation plots for the raw abundance (A,B) and biomass (C,D) values of studied arthropod orders for each of the six control (A,C) and exclosure (B,D) plots. Barrage indicates non-significant correlations.

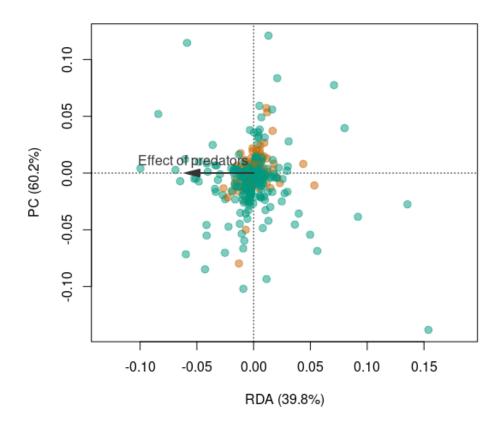


Figure S10. pRDA diagram for the predator effect on the abundance-based arthropod community composition. Analysis is constrained on the block (site) effect and first four plant composition PC axes, that together explained $\sim 91\%$ of variation in vegetation composition (evaluated using pPCA on plant community composition constrained on the block effect). RDA axis represents the effect of birds, bats and ants on individual herbivore (green) and arthropod predator species (gold). Negative coordinates indicate reduced arthropod species' abundance in presence of vertebrate predators. Conditional variables explained $\sim 87.1\%$ of (conditioned) variation. Effect of predators was not significant overall and explained merely $\sim 5.16\%$ variation in the arthropod community composition. The residual variance amounted to 7.8 %. Qualitatively similar results were obtained for biomass based community analysis.

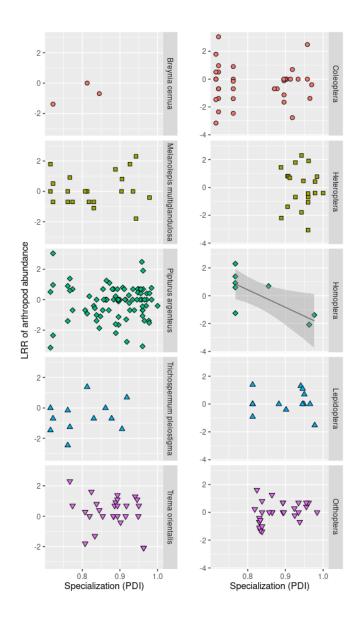


Figure S11. Effect of specialization (measured with the Paired Differences Index - PDI) on herbivore species performance (logarithm of control:exclosure abundance ratio) for most common plant species and studied herbivorous orders. Each point represents a herbivore species for which ≥ 5 individuals sampled. Significance of the regression coefficient at the $\alpha = 0.05$ level is indicated by a solid line and for those 95% CIs are plotted. For each herbivore species its cumulative abundance at control and exclosures was used as a weighting factor in the regression.

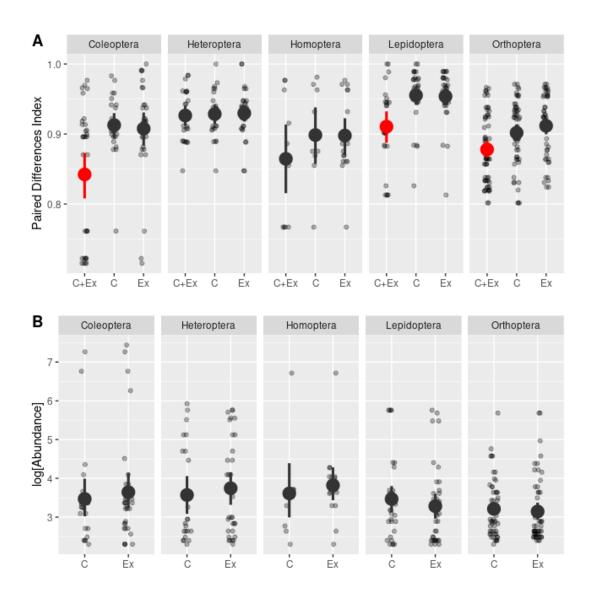


Figure S12. Specialization (measured with the Paired Differences Index - PDI) of herbivore species assigned to three groups (A) based on whether their incidence: present in both exclosure and control plot (Ex+C), exclusively in the control (C) or exclusively in the exclosure (Ex) plots. Abundance comparison for species found exclusively in control and experimental plots (B). Minimal abundance for a species included in this analysis was 10 individuals. Red color indicates significant differences from any other group within the order.

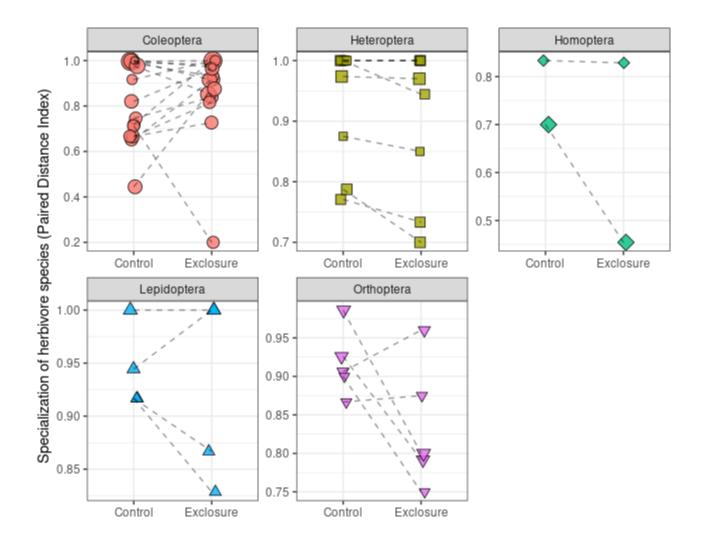


Figure S13. Specialization values, measured with the Paired Differences Index – PDI for comparable species in control vs predator exclosure plots for individual insect morpho-species from studied herbivorous orders. Statistical significance of differences between means between the treatments was evaluated using linear mixed effect models with block treated as a random effect. Only Orthoptera was marginally significant (T = -2.13, P = 0.066). Lines connect herbivore species in both control and exclosure within the same experimental block. Only species with minimum total abundance of 10 individuals were used fro the analysis.

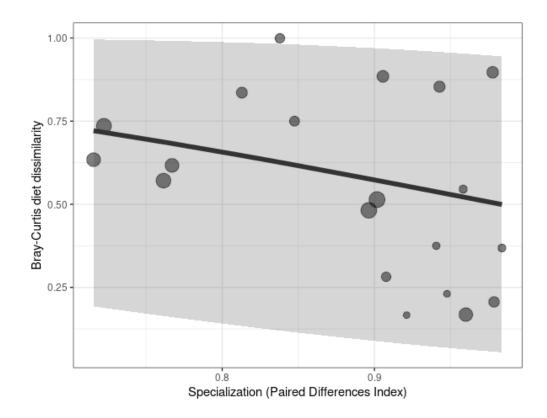


Figure S14. Weighted correlation between diet shifts (Bray-Curtis dissimilarity in resources use between exclosure and control plots) and specialization (Paired Differences Index – PDI). Line indicate predicted values of a weighted beta regression model with 95% prediction quantiles are shown. Model is significant but explains only ~9% of variation. Each point represents a herbivore species, and point size is proportional to natural logarithm of its species abundance, which was also used as weights in the regression. Herbivore species with a minimum total of five individuals were included in the analysis.

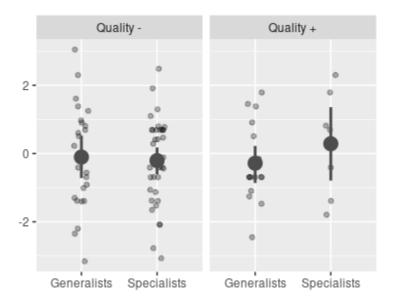


Figure S15. Interaction between plant quality (- low, + high, measured as the coordinates along a first axis of PCA performed on SLA and WATER content, i.e. predicted values of their correlation) and specialization (measured as the Paired Differences Index – PDI) in predicting individual species responses to predation (y axis), measured with the logarithm of control:exclosure abundance within the same experimental block. Positive/negative values indicate positive/negative effect of predators presence on given herbivore species. Each insect species was assigned to generalists/specialists group if their PDI value was to the left/right from the mean PDI value for all herbivorous species. Mean values between groups and their interactions were not significantly different.

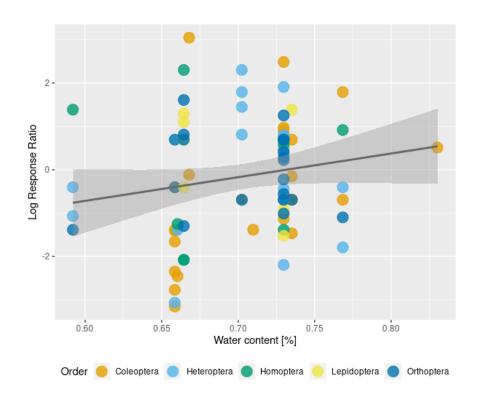


Figure S16. Correlation between leaf water content (a proxy for the leaf quality) and the effect of predators (measured with logarithm of control:exclosure abundance ratio). Points indicate individual herbivorous species from different experimental blocks, divided into different orders (colours). Model includes random effect of the block. Significant regression line (T = 3.341, P = 0.001) and 95% CIs are plotted.

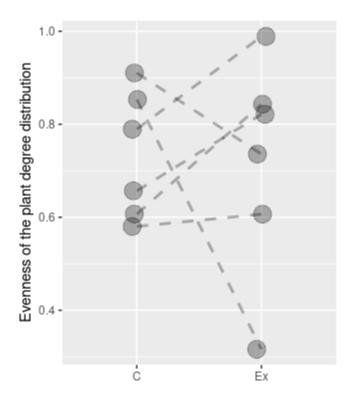


Figure S17. Comparison of the evenness values calculated from the degree distribution of plants (used as a measure of distribution of links) in plant-herbivore interaction networks between control (C) and exclosure (Ex) plots. Lines connect network descriptors within the same experimental block. Statistical significance of the difference was evaluated using a beta mixed-effect models with the logit link function and block treated as a random effect.

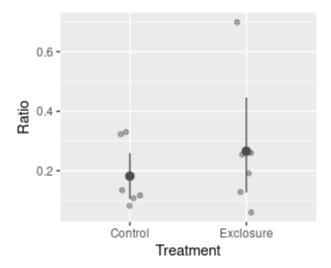


Figure S18. Comparison of the arthropod predators:herbivores ratio between control and focal predator exclosure plots. Mean and 95% bootstrapped CIs are present. The ratio was not significantly affected by the exclosure treatment. Significance was evaluated using mixed effect model with a random effect of block.

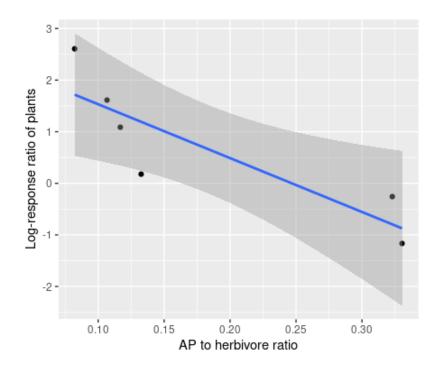


Figure S19. Correlation between the arthropod community trophic composition (ratio of arthropod predators to herbivores in the presence of focal predators: birds and bats, and ants) and indirect effect of focal predators on the woody plant biomass for each experimental block. Solid line indicates significance at the α = 0.05 level. Individual experimental block as points and 95% CIs are plotted.

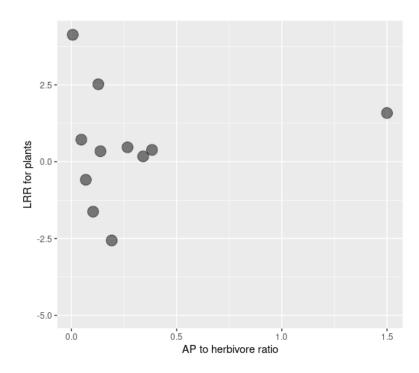


Figure S20. Trophic community composition of arthropods (ratio of arthropod predators to herbivores in the presence of focal predators: birds and bats, and ants) vs indirect effect of focal predators on the woody plant biomass (logarithm of the control:exclosure abundance ratio) on individual plant species (grey points). Correlation was not significant.