





$$\Delta Y = \Delta a$$

$$\Delta C = \Delta Y \text{ (MPC)}$$

Change in Consumption

Change in Deficit

$$\Delta \text{Government's Deficit} = \Delta G - \Delta T$$

Spendings Multiplier



Change in Equilibrium GDP

$$\Delta Y = 200$$

$$\Delta C = 1,000(0.8)$$

**$\Delta$  Deficit  $\equiv$   $0 - 0$**

$\Delta a \equiv 2000$

$$\left( \frac{1}{1\text{-MPC}} \right)$$

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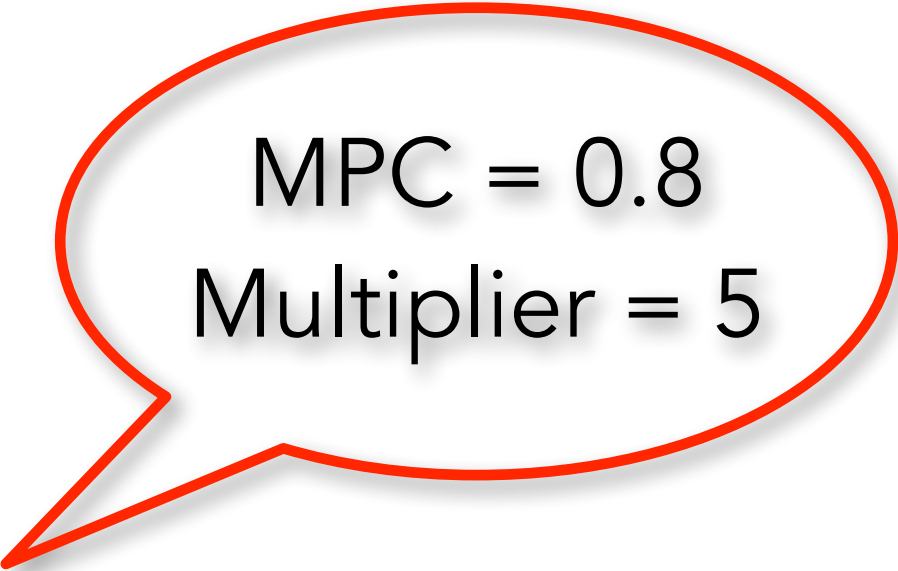
$$\left( \frac{1}{1-0.8} \right)$$



( 5 )

Formula:

Example:




$MPC = 0.8$


$Multiplier = 5$



GDP  
increase by  
**1000**



Consumption  
increase by **800**



No  
change

An orange speech bubble with a white background and a subtle drop shadow. The bubble has a rounded rectangular body and a pointed tail on the right side.

Autonomous  
Consumption increase  
by 100



Changing in AEE

**AAE = AAC**

AAE = 200 + 800



AE

increase by

1,000

Formula:

$\Delta a$

Autonomous  
Consumption increase  
by 100

Example:

$\Delta a = 200$

MPC = 0.8  
Multiplier = 5

Spending Multiplier  $\left( \frac{1}{1-MPC} \right)$

$\left( \frac{1}{1-0.8} \right)$

GDP  
increase by  
**1000**

Change in Equilibrium GDP

$\Delta Y = \Delta a \left( \frac{1}{1-MPC} \right)$

$\Delta Y = 200 ( 5 )$

Consumption  
increase by **800**

Change in Consumption  $\Delta C = \Delta Y (MPC)$   $\Delta C = 1,000 (0.8)$

AE  
increase by  
**1,000**

Change in AE  $\Delta AE = \Delta a + \Delta C$

$\Delta AE = 200 + 800$

Change in Deficit

$\Delta \text{Government's Deficit} = \Delta G - \Delta T$

$\Delta \text{Deficit} = 0 - 0$

No  
change

