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New topics will be added from time to time.

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New topics will be added from time to time.

visit this link (<https://github.com/t-sibiraj/stack>) to get the latest version of this pdf.

DATA STRUCTURES

Data structure **is** nothing but a particular way used to store **and** organize data
By storing the data **in** a data structure we can access it , modify it easily **and** effectively.

=====

For example **list** **in** python **is** a data structure

student's name ----> Data

We can store the above data **in** the form of **list** **as** follows
`["ram","som","sibi"]`

By storing the data(student's name) **in** the form of **list**(data structure) we can

- (i) easily access the student's name via index
- (ii) Update the data using **del** , **pop()** , **insert()** , **remove()** **and** etc..

DATA TYPE VS DATA STRUCTURE(COMING SOON)

Before we continue to learn about DS(Data Structures) it is important to know the difference between data type and data structure

Data type -> int , float , str , List
Data Structure -> List , Stacks , Queues

STACKS

Stack **is** basically a data structure like **list**
list --> `[1,2,3]`
stack --> `[1,2,3]`

Both use square brackets but their properties differ.

It follows a technique known **as** LIFO(Last In First Out)

STACK - LIFO:

I am gonna give you a basic idea of what LIFO technique **and** what stack **is**

Let's say you are asked to stack up **5** boxes. what would you do ,first you will place the first box **and** you will stack the second box on top of the first box **and** the third box on top of the fourth box **and finally** you will stack the fifth box on top of the fourth box.

Even when you are asked to stack up **10** boxes you will do same process **as** above till you are done stacking up each boxes one by one.

Let's say you are asked to remove a box from the stack of boxes, what will you do, do you remove the first box or the fifth box. Removing the fifth box would be the best choice as it placed on top of all the boxes, so removing it would be easy. While removing the first box we must be careful as the remaining four boxes are stacked on top of it. Even a light shake while removing the first box would lead to the stack to collapse. So removing the first box is a wise choice.

The same above basic idea is used in stacks as the name suggests. The technique above is called as LIFO and the data structure stack uses this technique.

The box which was **last inserted** was the **first** one to get **deleted(out)**

The element which was **last inserted** was the **first** one to get **deleted(out)**

inserted ----> push

deleted ----> pop



source: t-sibiraj.github.io/stack

PUSH METHOD

In **list** we have various methods like **pop()**, **insert()**, **remove()**, **sort()** and etc..

Same like **list** we have various methods in stacks also.

push --> It is nothing but like insert in list. But here in stack we can only add element to the top of the stack. We can't add element in between in stack. We can add elements linearly i.e. on top of each other one by one.

NOTE: WE CAN'T ADD ELEMENTS IN BETWEEN

The idea of push is explained as follows

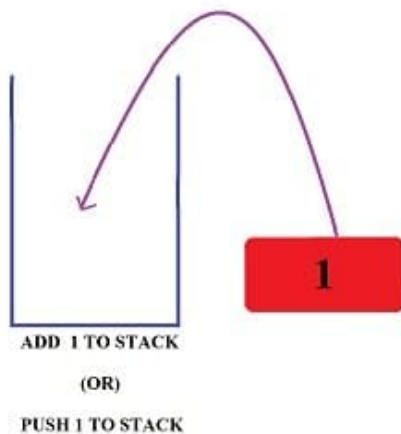


EMPTY STACK

[]
EMPTY STACK

source: t-sibiraj.github.io/stack

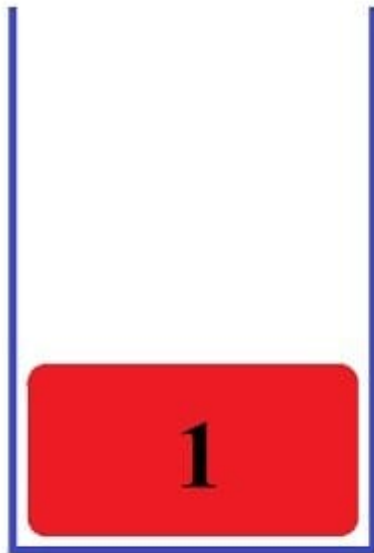
| Now we are adding(pushing) element 1 to the stack |



[1]
ADD 1 TO STACK
(OR)
PUSH 1 TO STACK

source: t-sibiraj.github.io/stack

=====



ADD 1 TO STACK

(OR)

PUSH 1 TO STACK

[1]

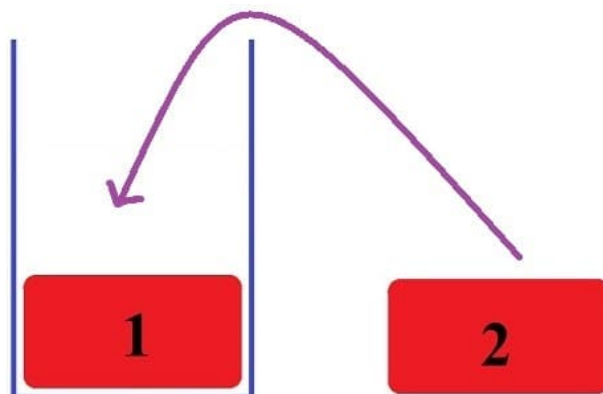
ADD 1 TO STACK

(OR)

PUSH 1 TO STACK

source: t-sibiraj.github.io/stack

| Now we are adding(pushing) element 2 to the stack |



ADD 2 TO STACK

(OR)

PUSH 2 TO STACK

[1 2]

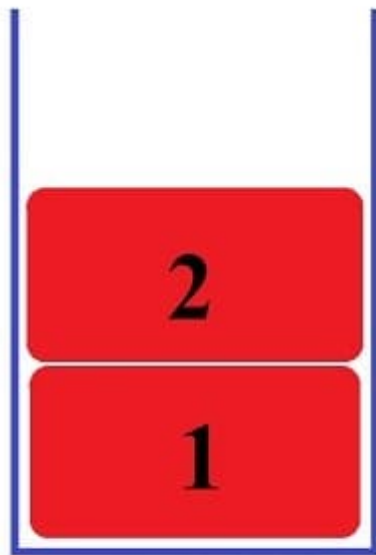
ADD 2 TO STACK

(OR)

PUSH 2 TO STACK

source: t-sibiraj.github.io/stack

=====



ADD 2 TO STACK

(OR)

PUSH 2 TO STACK

[1 , 2]

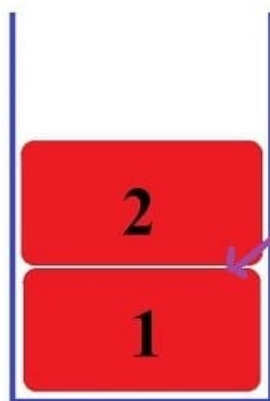
ADD 2 TO STACK

(OR)

PUSH 2 TO STACK

source: t-sibiraj.github.io/stack

Now we are adding(push) element 3 to the stack. But we can't add(push) element's in between in stack. We can add elements linearly i.e on top of each other one by one.



ADD 3 TO STACK

(OR)

PUSH 3 TO STACK

We can't add element in between



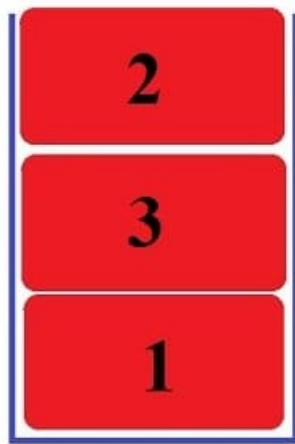
[1 , 2]

ADD 3 TO STACK

(OR)

PUSH 3 TO STACK

source: t-sibiraj.github.io/stack



ADD 3 TO STACK

(OR)

PUSH 3 TO STACK

~~×~~ [1, 3, 2] ~~×~~

ADD 3 TO STACK

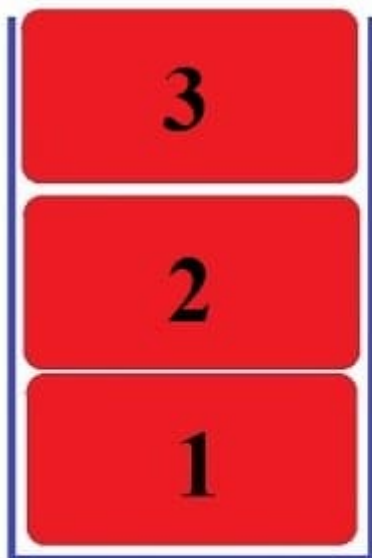
(OR)

PUSH 3 TO STACK

We can't add elements in between

source: t-sibiraj.github.io/stack

So elements is now placed on top of the element 2 and element 1



ADD 3 TO STACK

(OR)

PUSH 3 TO STACK

Elements can only be pushed(added) to the top of the stack

[1, 2, 3]

ADD 3 TO STACK

(OR)

PUSH 3 TO STACK

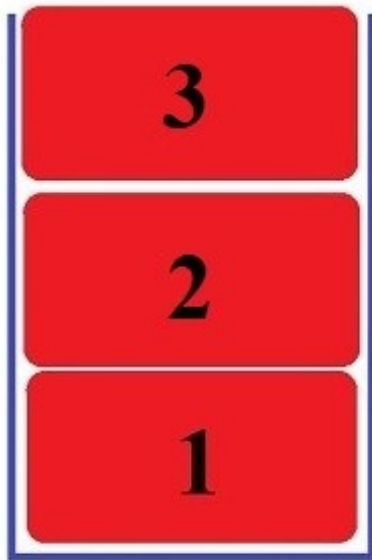
source: t-sibiraj.github.io/stack

POP METHOD

`pop()` ---> It is like `pop()` in `list`. When we use the `pop` method on a stack, the elements at the top of the stack gets removed(popped). We can't pop(remove) elements in between.

INITIAL STACK

Initially the stack contains three elements 1 , 2 and 3



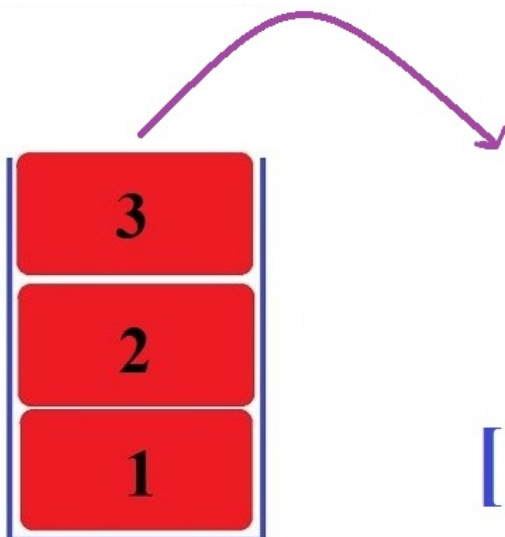
INITIAL STACK

[1 , 2 , 3]

INITIAL STACK

source: t-sibiraj.github.io/sql

Now we are using pop method on a stack which has three elements. The element which is present on the top of the stack gets removed.



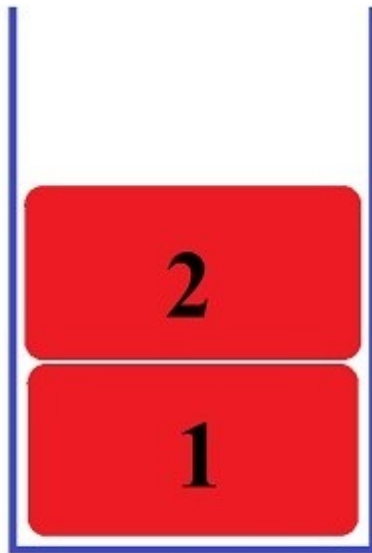
**pop(remove) a
element from
the stack**

**The element at the top
of the stack which is 3
gets popped(removed)**

[1 , 2 , 3]

**pop(remove) a
element from
the stack**

source: t-sibiraj.github.io/sql



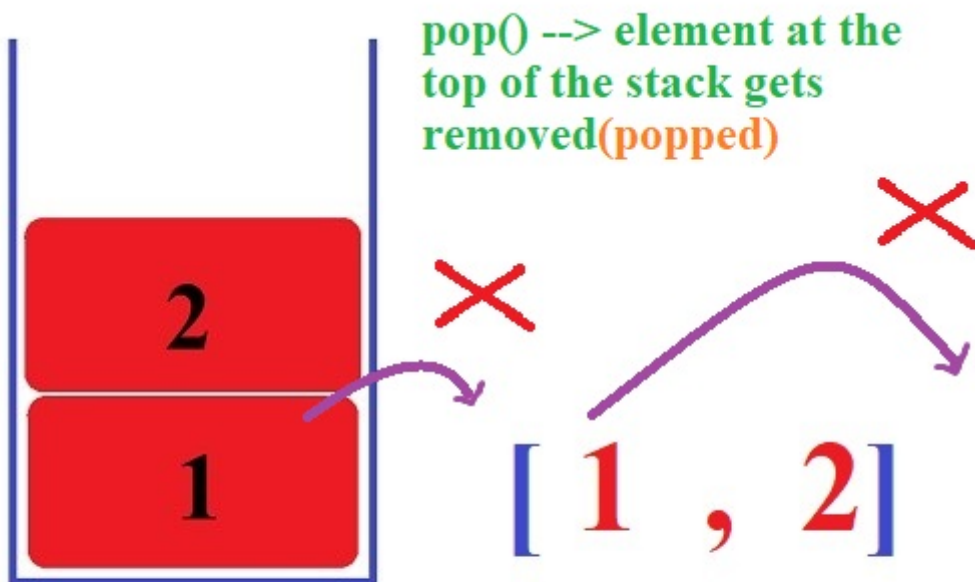
NOTE: Only elements at the top of the stack gets removed

[1 , 2]

The element 3 at the top of the stack was removed (popped)

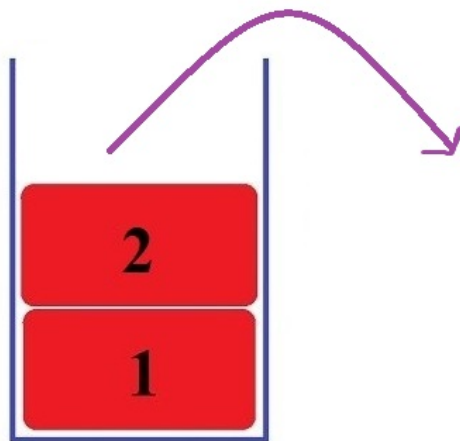
source: t-sibiraj.github.io/sql

We can remove the element 1 which is located at the bottom of stack ,as we can only use pop to remove the element which is located at top of the stack



When we use pop() we can't remove 1 as it is not located at the top of the stack

The element at the top of the stack which is 2 gets removed



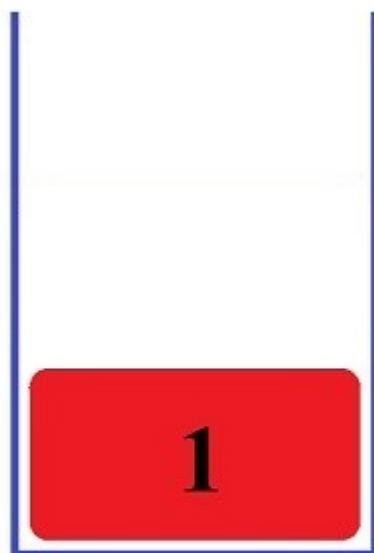
**pop(remove) a
element from
the stack**

**The element at the top
of the stack which is 2
gets popped(removed)**

[1, 2]

**pop(remove) a
element from
the stack**

source: t-sibiraj.github.io/stack



**NOTE: Only elements
at the top of the stack
gets removed**

[1]

**The element 2 at the top of the
stack was removed (popped)**

source: t-sibiraj.github.io/stack

Summary:

we can only push(add) or pop(remove) elements to the top of the stack. We can't add elements in between.

PEEK

peek() ---> we can use this method to retrieve the element which is located at the top of stack
---> The element is still present in the stack. It is like accessing the element.

Overflow

overflow occurs when we try to push elements to a stack which is already full.

The above situation leads to an error known as StackOverflowError.

Underflow

Underflow occurs when we try to pop elements from a empty stack or a stack which has no elements left

The above situation leads to an error known as StackUnderflowError.

IsEmpty

This method can be used to check if a stack is empty or not

True ---> If the stack is empty

False ---> If the stack has some elements

IsFull

This method can be used to check if a stack is full or not

True ---> If the stack is full

False ---> If the stack is not full yet

Bounded Stack

Bounded stack is a stack where the size of the stack is fixed.

For example if we have bounded stack of size of 5 ,we can't add more than 5 elements to it. Adding more than 5 elements would cause StackOverflowError.

Item -node aka elements present in a stack

item-node ---> It is nothing but the name given to elements stored in a stack

[1 , 2 , 3] --> Stack will be implemented as "Stack of integers" as the item-node is of integer type

['a' , 'b' , 'c'] --> Stack will be implemented as "Stack of strings" as the item-node is of string type

[1.0 , 2.0 , 3.0] --> Stack will be implemented as "Stack of float" as the item-node is of float type

[['a','b'] , [1,2]] --> Stack will be implemented as "Stack of lists" as the item-node is of list type

[(1,2) , ('a' , 'b')] --> Stack will be implemented as "Stack of tuples" as the item-node is of tuple type

IMPLEMENTING STACK IN PYTHON (IMPORTANT)

```
function ---> def add(num1 , num2):  
    return num1 + num2  
method ----> class Add():  
    def __init__(self, num1 , num2):  
        self.num1 = num1  
        self.num2 = num2  
    def add(self):  
        print(self.num1 + self.num2)
```

method is nothing but a function inside a class

The terms method and function are used interchangeably from now on

we can use lists to implement a stack **in** python

Our stack needs three methods ----> peek(), push(), pop()

Our stack should be able to display these two error ----> StackOverflowError , StackUnderFlowError

1.THE FOLLOWING CODE IS IMPLEMENTED WITH REFERENCE TO MARKING SCHEME ISSUED BY CBSE

2.CBSE PYQ AND MARKING SCHEME:

<https://docs.google.com/viewer?url=https://raw.githubusercontent.com/t-sibiraj/stack/main/COMPUTER-SCIENCE-PYQ-CLASS-12.pdf>

(Use the find(Ctrl + F) method to find stack questions **and** their respective marking schemes)

3. One can implement a stack using functions **or** by using **class**. As classes **and** objects are out of syllabus we will be using funtions to implement our stack.

marking scheme:

<https://docs.google.com/viewer?url=https://raw.githubusercontent.com/t-sibiraj/stack/main/COMPUTER-SCIENCE-PYQ-CLASS-12.pdf>

download: <https://raw.githubusercontent.com/t-sibiraj/stack/main/COMPUTER-SCIENCE-PYQ-CLASS-12.pdf>

CREATING A STACK

CODE:

```
def create_stack():  
    stack = []  
    return stack
```

EXAMPLE:

```
stack_1 = create_stack()  
print(stack_1)
```

OUTPUT:

```
[]
```

EXPLANATION:

First we are creating a funtion called create_stack which can use used to to create a stack

The variable stack_1 now has an empty stack.

Implementing peek() method

CODE:

```
def peek(stack):  
    if len(stack) == 0:  
        print("Underflow")  
    else:  
        return stack[-1]
```

EXPLANATION:

Here we are creating a function called peek which can be used to retrieve the first element from the stack. If the stack is empty we must display underflow error.

```
if len(stack) == 0:  
    print("Underflow")
```

#If the length of the stack is 0(len(stack) == 0) we print "Underflow"

```
else:  
    return stack[-1]
```

#If the stack is not empty we return the topmost element using return stack[-1]
#stack[-1] --> every topmost element of a stack will definitely have an index value of -1

Implementing isEmpty() method

CODE:

```
def isEmpty(stack):  
    if len(stack) == 0:  
        return True  
    else:  
        return False
```

EXPLANATION:

Here we are creating a function called isEmpty which can be used to check if a stack is empty or not

```
if len(stack) == 0:  
    return True
```

#We check the length of a stack using len(stack)
#We check if the stack is empty using len(stack) == 0
#If the len(stack) == 0 --> is true we return True

```
else:  
    return False
```

#If the stack is not empty we return False

Implementing push() method

CODE :

```
def push(stack):  
    element=int(input("Enter the element:"))  
    #int should be used if we want to accept int type elements  
  
    stack.append(element)  
  
    print("Element",element,"added successfully to the stack")  
    #the above print statemnt is not used in the newer versions of marking scheme
```

EXPLANATION:

Here we are creating a funtion called push which can be used to add elements to the top of the stack

```
element=int(input("Enter the element:"))
```

#We use input to get the element from the user. int should be removed if we want str lment type frokm the user. And int should be replaced with float if we want float from the user. Leave the int as it is if we you want to recieve int type elements from the user

```
element = (input("Enter the element"))          #To get string from the user  
element = int(input("Enter the element"))        #To get integer from the suer  
element = float(input("Enter the element"))      #To get float from the user
```

```
stack.append(element)
```

#Adding element to the top of the stack using append

```
print("Element",element,"added successfully to the stack")  
#the above print statemnt is not used in the newer versions of marking scheme
```

printing the element to user which we have pushed(added) to the top of the stack

Implementing pop() method

CODE:

```
def pop(stack):
    if (len(stack) == 0):
        print("Stack empty")    #Based on the question one can also display
                                "Underflow"
    else:
        print ("Deleted element :",stack.pop())
```

EXPLANATION:

Here we are creating a function called pop which can be used to remove the topmost element from the stack

```
if (len(stack) == 0):
    print("Stack empty")    #Based on the question one can also display
                            "Underflow"

#We can't pop element from an empty stack. We check if the stack is empty using
len(stack) == 0
#If the condition is True we display "Stack empty"

else:
    print ("Deleted element :",stack.pop())

#If the stack is not empty we pop the topmost element and display it to the user

#stack.pop() returns the popped element
```

marking scheme(pop and push)

marking for question in which we are asked to implement pop and push

- (½ mark for push() header)
- (½ mark for accepting a element from user)
- (½ mark for adding value in the stack)
- (½ mark for pop() header)
- (½ mark for checking empty stack condition)
- (½ mark for displaying "Stack empty")
- (½ mark for displaying the element to be deleted)
- (½ mark for deleting element from stack)

NOTE:

Marks not to be deducted for methods written without using a class

stack(in python)

#CODE:

```
def create_stack():
    stack = []
    return stack

def peek(stack):
    if len(stack) == 0:
        print("Underflow")
    else:
        return stack[-1]

def isEmpty(stack):
    if len(stack) == 0:
        return True
    else:
        return False

def push(stack):
    element=int(input("Enter the element:"))
    #int should be used if we want to accept int type elements

    stack.append(element)
    print("Element",element,"added successfully to the stack")
    #the above print statemnt is not used in the newer versions of marking scheme

def pop(stack):
    if (len(stack) == 0):
        print("Stack empty")    #Based on the question one can also display
    "Underflow"
    else:
        print ("Deleted element :",stack.pop())
```

#EXAMPLE:

```
#Creating a stack
>>> stack_1 = create_stack()
>>> print(stack_1)
[]

#As the stack is empty we get underflow error
>>> print(peek(stack_1))
Underflow

#pushing element 1 to the stack
>>> push(stack_1)
Enter the element:1
Element 1 added successfully to the stack
>>> print(stack_1)
[1]

#pushing element 2 to the stack
>>> push(stack_1)
```

```

Enter the element:2
Element 2 added successfully to the stack
>>> print(stack_1)
[1,2]

#as the stack full we get overflow
>>> push(stack_1)
overflow

#popping element from the stack
>>> pop(stack_1)
Deleted element : 2
>>> print(stack_1)
[1]

#peeking the topmost element of the stack
>>> print(peek(stack_1))
1

#checking if a stack is empty or not
>>> print(isEmpty(stack_1))
False

#popping element the topmost element from the stack
>>> pop(stack_1)
Deleted element : 1

#as the stack is empty we get Stack empty
>>> print(stack_1)
[]
>>> pop(stack_1)
Stack empty

```

=====

bounded stack (in python) (self-explanatory)

=====

```

#CODE:
max_size = 0          #creating a variable named maz_size
def create_stack():
    global max_size
    max_size = int(input("Enter the maximum size of the stack:"))
    stack = []
    return stack
    #here we are asking the user for the max_size
def peek(stack):
    if len(stack) == 0:
        print("Underflow")
    else:
        return stack[-1]

def isEmpty(stack):
    if len(stack) == 0:

```

```

        return True
    else:
        return False

def isFull(stack):
    if len(stack) == max_size:      #we check if the size of the stazk is full
        return True                 #if full we return True
    else:
        return False                #if not full we return False

def push(stack):
    if len(stack) != max_size:      #if the stack is not full we pop(add) elements
        element=int(input("Enter the element:"))
        #int should be used if we want to accept int type elements

        stack.append(element)
        print("Element",element,"added successfully to the stack")
        #the above print statemnt is not used in the newer versions of marking
scheme
    else:
        print("Overflow") #if we try to add element to a stack which is full we
display overflow

def pop(stack):
    if (len(stack) == 0):
        print("Stack empty")      #Based on the question one can also display
"Underflow"
    else:
        print ("Deleted element :",stack.pop())

```

#Example

#Creating a stack

```
>>> stack_1 = create_stack()
Enter the maximum size of the stack:5
```

#As the stack is empty we get underflow error

```
>>> peek(stack_1)
Underflow
```

#As the stack is empty we get True

```
>>> isEmpty(stack_1)
True
```

#pushing element 1 to the stack

```
>>> push(stack_1)
Enter the element:1
Element 1 added successfully to the stack
```

#pushing element 2 to the stack

```
>>> push(stack_1)
Enter the element:2
Element 2 added successfully to the stack
```

#pushing element 3 to the stack

```

>>> push(stack_1)
Enter the element:3
Element 3 added successfully to the stack

>>> print(stack_1)
[1, 2, 3]

#displaying the max size of the stack
>>> print(max_size)
3

#as the stack full we get overflow
>>> push(stack_1)
overflow

#we check if the stack is full or not
>>> isFull(stack_1)
True

#popping elements from the stack
>>> pop(stack_1)
Deleted element : 3
>>> pop(stack_1)
Deleted element : 2

#peeking the topmost element of the stack
>>> peek(stack_1)
1

#checking if the stack is empty or not
>>> isEmpty(stack_1)
False

#popping element from the stack
>>> pop(stack_1)
Deleted element : 1

#as the stack is empty we get stack empty
>>> print(stack_1)
[]
>>> pop(stack_1)
Stack empty

```

Applications of Stack(COMING SOON)

1. Can be used to reverse a line or word:

For example:

For example to reverse the word 'python'
First we should add each letters to a stack

we can reverse it by popping off each letter from the stack

```

stack = [ 'p' , 'y' , 't' , 'h' , 'o' , 'n' ]
reversed_stack = Stack()

for letter in stack:
    reversed_stack.push(stack.pop())

print(reversed_stack)
[ 'n' , 'o' , 'h' , 't' , 'y' , 'p' ]

#before running the above code you must have implemented the ^ stack class^

```

2. In compilers:

Stacks can be used in compilers to solve an expression by converting the expression to prefix or postfix form.

Stacks can also be used to store the state of a program

3. Backtracking:

It is used in puzzles like Sudoku , n-Queen.
It is used in optimization problems like knapsack problem

4. Polish Strings: (IMPORTANT)

Polish strings:

Computers can only understand and work in binary. So it can only evaluate expressions which only have two operands like $A + B$, $A * B$. But it can't evaluate expression like $(A + B) * C$ which has more than two operands. Those expressions which have more than two operands are called as complex expressions.

To evaluate these complex expressions our computer converts them into Polish strings.

Polish string is nothing but a notation in which the operator symbol is either placed before its operand (prefix notation) or it is placed after its operand (postfix notation).

infix notation: operator is placed in between the operands
 prefix notation: operator is placed before the operands
 postfix notation: operator is placed after the operands

EXPRESSION: $A + B$

infix notation: $A + B$
 prefix notation: $+AB$
 postfix notation: $AB+$

INFIX EXPRESSION:

1.EVALUATING INFIX EXPRESSION:

TO EVALUATE AN INFIX EXPRESSION YOU MUST FOLLOW BODMAS RULE

B --> Bracket --> () , [] , { }
O --> Order (Power) --> a^2
D --> Division --> \div , /
M --> Multiplication --> x , *
A --> Addition --> +
S --> Subtraction --> -

EXAMPLE: $(2 + 4 * (5 * 10^2) - 10 / 2) + 10 * 7 + 2$

$(2 + 4 * (5 * 100) - 10 / 2) + 10 * 7 + 2$

$(2 + 4 * 500 - 10 / 2) + 10 * 7 + 2$

$(2 + 4 * 500 - 5) + 10 * 7 + 2$

$(2 + 2000 - 5) + 10 * 7 + 2$

$(2002 - 5) + 10 * 7 + 2$

$1997 + 10 * 7 + 2$

$1997 + 70 + 2$

$2067 + 2$

2069

POSTFIX EXPRESSION:

CONVERSION TO INFIX TO POSTFIX:

MANUAL METHOD:

EVALUATION ORDER:

() , [] ----> Brackets and paranthesis

\wedge ----> Exponentiation

* or / ----> Multiplication and Division

+ or - ----> Addition and Subtraction

STEPS TO CONVERT INFIX TO POSTFIX EXPRESSION:

1. First of all we need to insert brackets according to the evaluation order
2. Then we should convert the postfix expression present in the innermost brackets by putting the operator after the operands
3. Repeat the above steps until you entirely convert the infix expression to postfix expression.

EXAMPLES:

1. $A + B - C$

Let's first insert the brackets

$(A + B) - C$

$((A + B) - C)$

Now let's start to convert the postfix expression present in the inner most brackets till we reach the outermost brackets

$((A + B) - C)$

$(AB+ - C)$

$AB+C-$

Before we move on to the next question . Let us see what will happen if we introduce parenthesis in our question

1. $A + (B - C)$

Let's first insert the brackets

$A + (B - C)$

$(A + (B - C))$

Before we move on to the next question . Let us see what will happen if we introduce parenthesis in our question

$(A + (B - C))$

$(A + BC-)$

$ABC-+$

$$(A + (B - C))$$

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2. $A + B * C - D / E$

Let's first insert the brackets

$A + (B * C) - D / E$

$A + (B * C) - (D / E)$

$(A + (B * C)) - (D / E)$

$((A + (B * C)) - (D / E))$

Now let's start to convert the postfix expression present in the inner most brackets till we reach the outermost brackets

$((A + (B * C)) - (D / E))$

$((A + BC^*) - (D / E))$

$((A + BC^*) - DE/)$

$((ABC^*+) - DE/))$

$(ABC^*+DE/-)$

$(ABC^*+DE/-)$

$$((A + (B * C)) - (D / E))$$

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3. $P - Q / R \wedge S + T$

Let's first insert the brackets

$$P - Q / (R \wedge S) + T$$

$$P - (Q / (R \wedge S)) + T$$

$$(P - (Q / (R \wedge S))) + T$$

$$((P - (Q / (R \wedge S))) + T)$$

Now let's start to convert the postfix expression present in the inner most brackets till we reach the outermost brackets

$$((P - (Q / (R \wedge S))) + T)$$

$$((P - (Q / RS \wedge)) + T)$$

$$((P - QRS \wedge /) + T)$$

$$(PQRS \wedge / - + T)$$

$$PQRS \wedge / - T +$$

$$((P - (Q / RS^{\wedge})) + T)$$

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4. $A + B * C \wedge D - E$

Let's first insert the brackets

$A + B * (C \wedge D) - E$

$A + (B * (C \wedge D)) - E$

$(A + (B * (C \wedge D))) - E$

$((A + (B * (C \wedge D))) - E)$

Now let's start to convert the postfix expression present in the inner most brackets till we reach the outermost brackets

$((A + (B * (C \wedge D))) - E)$

$((A + (B * CD^{\wedge})) - E)$

$((A + BCD^{\wedge *}) - E)$

$(ABCD^{\wedge *} + - E)$

$ABCD^{\wedge *} + E -$

$$(((A + (B * C D^{\wedge})) - E)$$

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$$5. A / (B+C) * D - E$$

Let's first insert the brackets

$$A / (B+C) * D - E$$

$$(A / (B+C)) * D - E$$

$$((A / (B+C)) * D) - E$$

$$(((A / (B+C)) * D) - E)$$

Now let's start to convert the postfix expression present in the inner most brackets till we reach the outermost brackets

$$(((A / (B+C)) * D) - E)$$

$$(((A / BC+) * D) - E)$$

$$((ABC+ / * D) - E)$$

$$(ABC+ / D * - E)$$

$$ABC+ / D * E -$$

$$(((A / BC+)^* D) - E)$$

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PRACTISE QUESTIONS:

1. $U - V / W * X + Y$ [ANSWER: $UVW/X*-Y+$]
2. $J + K / L - M * N$ [ANSWER: $JKL/+MN*-$]
3. $A + B * C ^ D - E$ [ANSWER: $ABCD^*+E$]
4. $U * V + (W - Z) / X$ [ANSWER: $UV*WZ-X/+]$
5. $P + (Q - R) * S / T$ [ANSWER: $PQR-S*T/+]$
6. $X - (Y + Z) / U * V$ [ANSWER: $XYZ+U/V*-]$

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