# class 08 Mini-project

## Trinity Lee A16639698

##Outline Today we will explore a complete analysis using the unsupervised learning techniques covered in class. We'll extend what you've learned by combining PCA as a preprocessing step to clustering using data that consist of measurements of cell nuclei of human breast masses ##Data input Data is supplied on a CSV format: # Save your input data file into your Project directory and store as wisc.df

```
fna.data<-"WisconsinCancer.csv"
wisc.df<-read.csv(fna.data,row.names=1)</pre>
```

We do not want to be able to see the pathologist provided diagnosis as it is essentially our "answer" to the question of which cell smamples are cancerous. # We can use -1 here to remove the first column

```
wisc.data <- wisc.df[,-1]
```

## Create diagnosis vector for later

```
diagnosis <- as.factor(wisc.df$diagnosis)
```

Q1. How many observations are in this dataset?

```
ans1<-nrow(wisc.df)
ans1</pre>
```

- [1] 569
- Q2. How many of the observations have a malignant diagnosis?

```
table(wisc.df$diagnosis)
```

```
B M
357 212

ans2<-212
ans2
```

Q3. How many variables/features in the data are suffixed with \_mean?

```
# Get the column names of the data frame
column_names <- names(wisc.df)
# Use grep to count the variables with "_mean" suffix
count_means <- sum(grepl("_mean$", column_names))
# Print
count_means</pre>
```

### [1] 10

# Check column means and standard deviations
colMeans(wisc.data)

perimeter_mean	texture_mean	radius_mean
9.196903e+01	1.928965e+01	1.412729e+01
compactness_mean	${\tt smoothness\_mean}$	area_mean
1.043410e-01	9.636028e-02	6.548891e+02
symmetry_mean	concave.points_mean	concavity_mean
1.811619e-01	4.891915e-02	8.879932e-02
texture_se	radius_se	fractal_dimension_mean
1.216853e+00	4.051721e-01	6.279761e-02
smoothness_se	area_se	perimeter_se
7.040979e-03	4.033708e+01	2.866059e+00
concave.points_se	concavity_se	compactness_se
1.179614e-02	3.189372e-02	2.547814e-02
radius_worst	fractal_dimension_se	symmetry_se
1.626919e+01	3.794904e-03	2.054230e-02
area_worst	perimeter_worst	texture_worst
8.805831e+02	1.072612e+02	2.567722e+01

```
smoothness_worst
                              compactness_worst
                                                         concavity_worst
          1.323686e-01
                                   2.542650e-01
                                                             2.721885e-01
  concave.points_worst
                                 symmetry_worst fractal_dimension_worst
          1.146062e-01
                                   2.900756e-01
                                                            8.394582e-02
 apply(wisc.data, 2, sd)
           radius_mean
                                                          perimeter_mean
                                   texture_mean
          3.524049e+00
                                   4.301036e+00
                                                             2.429898e+01
             area mean
                                smoothness mean
                                                        compactness_mean
          3.519141e+02
                                   1.406413e-02
                                                             5.281276e-02
        concavity_mean
                            concave.points_mean
                                                            symmetry_mean
          7.971981e-02
                                   3.880284e-02
                                                            2.741428e-02
fractal_dimension_mean
                                                               texture_se
                                      radius_se
          7.060363e-03
                                   2.773127e-01
                                                            5.516484e-01
          perimeter_se
                                         area_se
                                                            smoothness_se
                                   4.549101e+01
                                                             3.002518e-03
          2.021855e+00
                                   concavity_se
        compactness_se
                                                       concave.points_se
                                   3.018606e-02
          1.790818e-02
                                                            6.170285e-03
                           fractal_dimension_se
                                                            radius_worst
           symmetry_se
          8.266372e-03
                                   2.646071e-03
                                                            4.833242e+00
         texture_worst
                                perimeter_worst
                                                               area_worst
          6.146258e+00
                                   3.360254e+01
                                                             5.693570e+02
      smoothness_worst
                              compactness_worst
                                                         concavity_worst
          2.283243e-02
                                   1.573365e-01
                                                             2.086243e-01
  concave.points_worst
                                 symmetry_worst fractal_dimension_worst
          6.573234e-02
                                   6.186747e-02
                                                             1.806127e-02
```

We need to scale our input data before PCA as some of the columns are measures in terms of very different units with different means and variances. To do this here we set scale=TRUE argument to prcomp().

```
# Perform PCA on wisc.data by completing the following code
wisc.pr <- prcomp(wisc.data,scale=TRUE)
#look at summary of results
summary(wisc.pr)</pre>
```

Importance of components:

PC1 PC2 PC3 PC4 PC5 PC6 PC7 Standard deviation 3.6444 2.3857 1.67867 1.40735 1.28403 1.09880 0.82172

```
Proportion of Variance 0.4427 0.1897 0.09393 0.06602 0.05496 0.04025 0.02251
Cumulative Proportion 0.4427 0.6324 0.72636 0.79239 0.84734 0.88759 0.91010
                           PC8
                                  PC9
                                         PC10
                                                PC11
                                                        PC12
                                                                 PC13
                                                                         PC14
Standard deviation
                       0.69037 0.6457 0.59219 0.5421 0.51104 0.49128 0.39624
Proportion of Variance 0.01589 0.0139 0.01169 0.0098 0.00871 0.00805 0.00523
Cumulative Proportion
                       0.92598 0.9399 0.95157 0.9614 0.97007 0.97812 0.98335
                                                          PC19
                          PC15
                                  PC16
                                          PC17
                                                  PC18
                                                                   PC20
Standard deviation
                       0.30681 0.28260 0.24372 0.22939 0.22244 0.17652 0.1731
Proportion of Variance 0.00314 0.00266 0.00198 0.00175 0.00165 0.00104 0.0010
Cumulative Proportion
                       0.98649 0.98915 0.99113 0.99288 0.99453 0.99557 0.9966
                          PC22
                                  PC23
                                         PC24
                                                 PC25
                                                         PC26
                                                                 PC27
                                                                          PC28
Standard deviation
                       0.16565 0.15602 0.1344 0.12442 0.09043 0.08307 0.03987
Proportion of Variance 0.00091 0.00081 0.0006 0.00052 0.00027 0.00023 0.00005
                       0.99749 0.99830 0.9989 0.99942 0.99969 0.99992 0.99997
Cumulative Proportion
                          PC29
                                  PC30
Standard deviation
                       0.02736 0.01153
Proportion of Variance 0.00002 0.00000
Cumulative Proportion
                       1.00000 1.00000
```

Q4. From your results, what proportion of the original variance is captured by the first principal components (PC1)?

#### 0.4427

#### [1] 0.4427

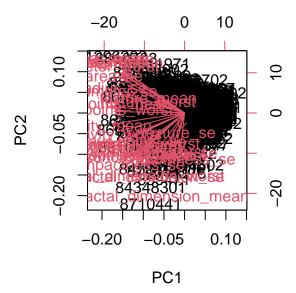
Q5. How many principal components (PCs) are required to describe at least 70% of the original variance in the data?

3

#### [1] 3

Q6. How many principal components (PCs) are required to describe at least 90% of the original variance in the data? 7 Let's create a biplot of the wisc.pr using the biplot() function.

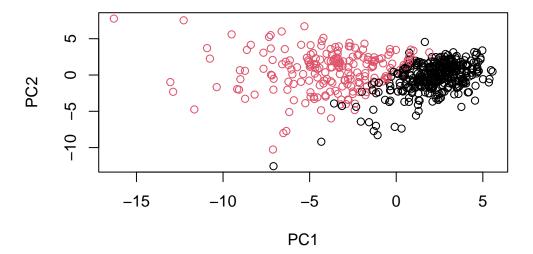
```
biplot(wisc.pr)
```



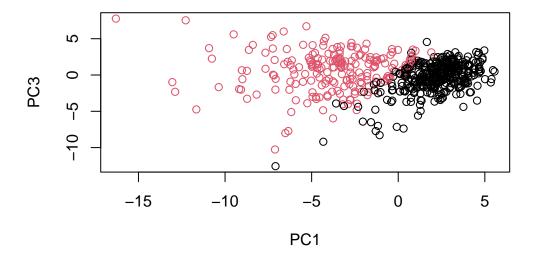
Q7. What stands out to you about this plot? Is it easy or difficult to understand? Why? The plot is very messy and hard to understand due to all the points compacted and names squeezed into a small space. Too many things are going on for the plot to be understood and no data can be read effectively.

lets generate a more standard scatter plot of each observation along principal components 1 and 2 and color the points by the diagnosis # Scatter plot observations by components 1 and 2

```
plot( wisc.pr$x[,1:2] , col = diagnosis,
     xlab = "PC1", ylab = "PC2")
```



Q8. Generate a similar plot for principal components 1 and 3. What do you notice about these plots?



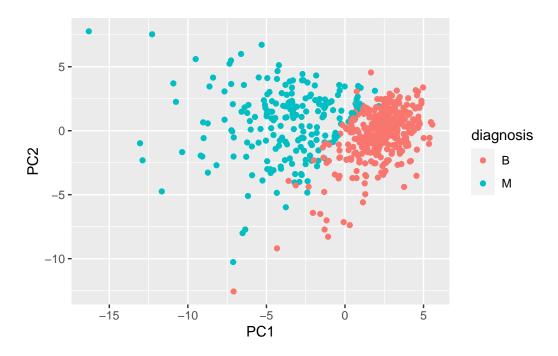
The colors indicating the diagnosis are clumped together (red and black). However, the second plot has more variance shown then the first which is indicated by a more clean cut in the first plot.

let's see if we can use the ggplot2 package to make a more fancy figure of these results.

```
# Create a data.frame for ggplot
df <- as.data.frame(wisc.pr$x)
df$diagnosis <- diagnosis

# Load the ggplot2 package
library(ggplot2)

# Make a scatter plot colored by diagnosis
ggplot(df) +
   aes(PC1, PC2, col=diagnosis) +
   geom_point()</pre>
```



In this exercise, we will produce scree plots showing the proportion of variance explained as the number of principal components increases. The data from PCA must be prepared for these plots, as there is not a built-in function in base R to create them directly from the PCA model.

Calculate the variance of each principal component by squaring the sdev component of wisc.pr (i.e. wisc.pr\$sdev^2). Save the result as an object called pr.var.

```
# Calculate variance of each component
pr.var <- wisc.pr$sdev^2
head(pr.var)</pre>
```

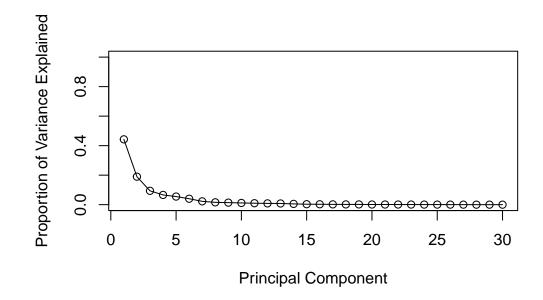
### [1] 13.281608 5.691355 2.817949 1.980640 1.648731 1.207357

Calculate the variance explained by each principal component by dividing by the total variance explained of all principal components. Assign this to a variable called pve and create a plot of variance explained for each principal component.

```
# Variance explained by each principal component: pve
pve <- pr.var / sum(pr.var)

# Plot variance explained for each principal component</pre>
```

```
plot(pve, xlab = "Principal Component",
    ylab = "Proportion of Variance Explained",
    ylim = c(0, 1), type = "o")
```





```
## ggplot based graph
#install.packages("factoextra")
library(factoextra)
```

Welcome! Want to learn more? See two factoextra-related books at https://goo.gl/ve3WBa

```
fviz_eig(wisc.pr, addlabels = TRUE)
```



Q9. For the first principal component, what is the component of the loading vector (i.e. wisc.pr\$rotation[,1]) for the feature concave.points\_mean?

concave.points\_mean -0.2608538

Q10. What is the minimum number of principal components required to explain 80% of the variance of the data?

5

## [1] 5

##Hierarchical clustering The goal of this section is to do hierarchical clustering of the original data. As part of the preparation for hierarchical clustering, the distance between all pairs of observations are computed. Furthermore, there are different ways to link clusters together, with single, complete, and average being the most common linkage methods.

First scale the wisc.data data and assign the result to data.scaled.

```
# Scale the wisc.data data using the "scale()" function
data.scaled <- scale(wisc.data)</pre>
```

Calculate the (Euclidean) distances between all pairs of observations in the new scaled dataset and assign the result to data.dist.

```
data.dist <- dist(data.scaled)</pre>
```

Create a hierarchical clustering model using complete linkage. Manually specify the method argument to hclust() and assign the results to wisc.hclust.

```
wisc.hclust <- hclust(data.dist, method="complete")
wisc.hclust</pre>
```

#### Call:

hclust(d = data.dist, method = "complete")

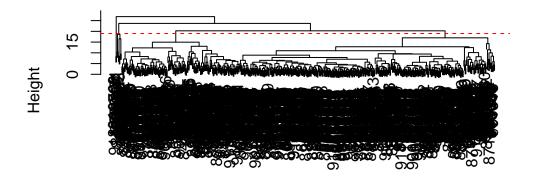
Cluster method : complete
Distance : euclidean

Number of objects: 569

Let's use the hierarchical clustering model you just created to determine a height (or distance between clusters) where a certain number of clusters exists. Q11. Using the plot() and abline() functions, what is the height at which the clustering model has 4 clusters?

```
plot(wisc.hclust)
abline(h=19, col="red", lty=2)
```

## **Cluster Dendrogram**



data.dist hclust (\*, "complete")

The model has 4 clusters at a height of 19

##Selecting number of clusters We will now compare the outputs from your hierarchical clustering model to the actual diagnoses. Normally when performing unsupervised learning like this, a target variable (i.e. known answer or labels) isn't available. We do have it with this dataset, however, so it can be used to check the performance of the clustering model.

Use cutree() to cut the tree so that it has 4 clusters. Assign the output to the variable wisc.hclust.clusters.

```
wisc.hclust.clusters <- cutree(wisc.hclust,k=4)
```

We can use the table() function to compare the cluster membership to the actual diagnoses.

```
table(wisc.hclust.clusters, diagnosis)
```

```
diagnosis
wisc.hclust.clusters B M
1 12 165
2 2 5
3 343 40
4 0 2
```

Here we picked four clusters and see that cluster 1 largely corresponds to malignant cells (with diagnosis values of 1) whilst cluster 3 largely corresponds to benign cells (with diagnosis values of 0).

Q12. Can you find a better cluster vs diagnoses match by cutting into a different number of clusters between 2 and 10?

```
wisc.hclust.clusters <- cutree(wisc.hclust,k=4)
table(wisc.hclust.clusters, diagnosis)</pre>
```

```
diagnosis
wisc.hclust.clusters B M
1 12 165
2 2 5
3 343 40
4 0 2
```

#4 is the best clustering number

##Using different methods We can use to combine points during the hierarchical clustering procedure. These include "single", "complete", "average" and "ward.D2"

Q13. Which method gives your favorite results for the same data.dist dataset? Explain your reasoning. "Ward.D2" gives my favorite results because it minimizes the increase in total cluster variance when two clusters are merged and therefor gives a cleaner looking cluster graph. ##K-means clustering Now we will create a k-means clustering model on the Wisconsin breast cancer data and compare the results to the actual diagnoses and the results of your hierarchical clustering model.

Create a k-means model on wisc.data, assigning the result to wisc.km.

```
wisc.km <- kmeans(data.scaled, centers= 2, nstart= 20)
```

Use the table() function to compare the cluster membership of the k-means model (wisc.km\$cluster) to the actual diagnoses contained in the diagnosis vector.

```
table(wisc.km$cluster, diagnosis)
diagnosis
```

B M 1 14 175 2 343 37 Q14. How well does k-means separate the two diagnoses? How does it compare to your helust results? k-means separates the two diagnoses well since there is similar clustering happening between the two clusters where one diagnosis is heavily favored over the other. helust did not have the same clustering pattern when only 2 clusters were used. The clustering was not as well spearated and clear.

Use the table() function to compare the cluster membership of the k-means model (wisc.km\$cluster) to your hierarchical clustering model from above (wisc.hclust.clusters). Recall the cluster membership of the hierarchical clustering model is contained in wisc.hclust.clusters object.

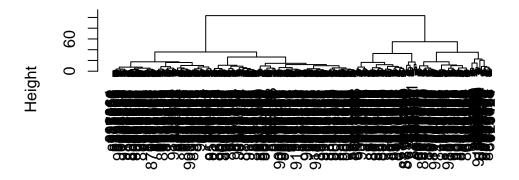
```
table(wisc.hclust.clusters,wisc.km$cluster)
```

```
wisc.hclust.clusters 1 2
1 160 17
2 7 0
3 20 363
4 2 0
```

##Combining methods This approach will take not original data but our PCA results and work with them.

```
d<-dist(wisc.pr$x[,1:3])
wisc.pr_hclust<-hclust(d,method="ward.D2")
plot(wisc.pr_hclust)</pre>
```

## **Cluster Dendrogram**



d hclust (\*, "ward.D2")

This looks much more promising than our previous clustering results on the original scaled data. Generate 2 cluster groups from this helust object

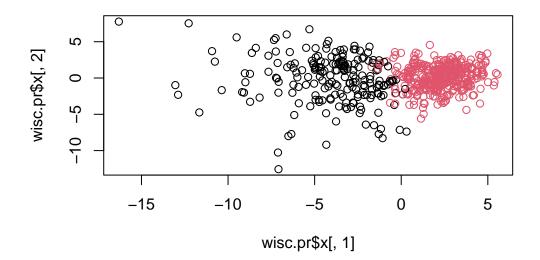
```
grps <- cutree(wisc.pr_hclust, k=2)
table(grps)

grps
1    2
203 366

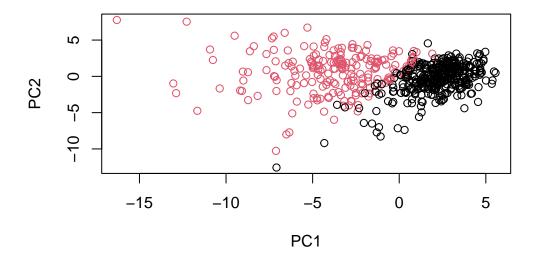
table(grps, diagnosis)

diagnosis
grps    B     M
    1    24 179
    2 333 33

plot(wisc.pr$x[,1],wisc.pr$x[,2],col=grps)</pre>
```



plot(wisc.pr\$x[,1:2], col=diagnosis)



To match things up we can turn our groups into a factor and reorder the levels so cluster 2 comes first and thus gets the first color (black) and cluster 1 gets the second color (red).

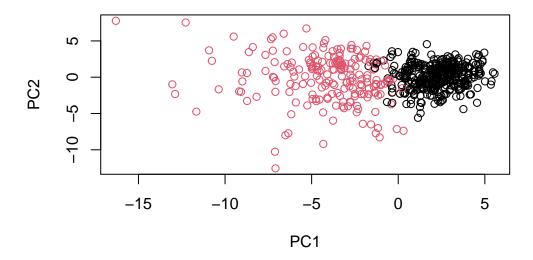
```
g <- as.factor(grps)
levels(g)

[1] "1" "2"

g <- relevel(g,2)
levels(g)

[1] "2" "1"

# Plot using our re-ordered factor
plot(wisc.pr$x[,1:2], col=g)</pre>
```



## Use the distance along the first 7 PCs for clustering i.e. wisc.prx[, 1:7] wisc.pr.hclust <- hclust(dist(wisc.prx[,1:7]), method="ward.D2") wisc.pr.hclust

#### Call:

```
hclust(d = dist(wisc.pr$x[, 1:7]), method = "ward.D2")
```

Cluster method : ward.D2
Distance : euclidean

Number of objects: 569

Cut this hierarchical clustering model into 2 clusters and assign the results to wisc.pr.hclust.clusters.

```
wisc.pr.hclust.clusters <- cutree(wisc.pr.hclust, k=2)
```

Using table(), compare the results from your new hierarchical clustering model with the actual diagnoses.

```
# Compare to actual diagnoses
table(wisc.pr.hclust.clusters, diagnosis)
```

### diagnosis

```
wisc.pr.hclust.clusters B M
1 28 188
2 329 24
```

```
table(wisc.hclust.clusters, diagnosis)
```

### diagnosis

```
wisc.hclust.clusters B M
1 12 165
2 2 5
3 343 40
4 0 2
```

Q15. How well does the newly created model with four clusters separate out the two diagnoses?

The newly created model does a good job at separating out the two diagnoses as one diagnosis is heavily favored for the clusters.