

On the Accuracy of Spectrum-based Fault Localization

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'All truths are easy to understand once they are discovered; the point is to discover them'





Testing & Debugging



- Spectrum-based Fault Localization (SFL)
 - Automatic debugging technique
 - Based on execution profiles and error detection info
 - Improves the efficiency of the debugging stage
 - more bugs solved leads to more reliable systems

- BUT, TAIC PART is a testing conference
 - Testing (is there an error?) and SFL (what causes it?) are closely related





TRADER project



- Improve the user-perceived reliability of highvolume consumer electronics devices
- Partners:
 - Several Universities in NL, NL, and Philips {Research, TASS}
- Test case: TV platform from NXP
- Preliminary successful experiments triggered a 'knowledge transfer'





Overview



- Background
 - Terminology
 - SFL
- Experiments
 - Benchmark and Metric
 - What is the effect of various external factors on the diagnostic accuracy?
 - Impact of the error detector
 - Impact of the number of runs
- Conclusions





Terminology



failure

error



fault

delivered service ≠ correct service

(segmentation fault)

system state that may cause a failure

(index out of bounds)

the cause of an error in the system

(bug: array index un-initialized)





j

Program Spectra



- Execution profiles
 - indicate, or count which parts of a software system are used in a particular test case

- Many different forms exist:
 - Spectra of program locations
 - Spectra of branches / paths
 - Spectra of data dependencies
 - Spectra of method call sub-sequences





Block hit spectra



<i>X</i> ₁ <i>X</i> ₂	Xi		X _n
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1: block i executed

0: block i not executed

Block:

- C statement (compound stmt)
- cases of a switch statement







1. Spectra for *m* test cases

n blocks

m cases

X ₁₁	X ₁₂		<i>X</i> _{1n}
<i>X</i> ₂₁	X ₂₂	***	X_{2n}
		•••	
X_{m1}	X _{m2}	•••	X _{mn}

e ₁
e_2
e_m







1. Spectra for *m* test cases

N	X ₁₁	X ₁₂	• • •	<i>X</i> _{1n}
	X ₂₁	X ₂₂	***	X_{2n}
			•••	
	X_{m1}	X _{m2}		X _{mn}

e ₁
e_2
e_m

Row *i*: the blocks that are executed in case *i*







1. Spectra for *m* test cases

X ₁₁	X ₁₂		X _{1n}
X ₂₁	X ₂₂		<i>X</i> _{2n}
		•••	
X_{m1}	X _{m2}		X _{mn}

e ₁
e_2
e_m



Column *j*: the test cases in which block *j* was executed

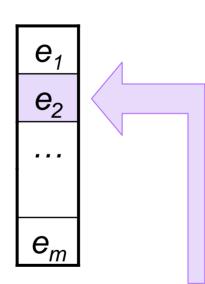






- 1. Spectra for *m* test cases
- 2. Error detection per test case

X ₁₁	X ₁₂		<i>X</i> _{1n}
X ₂₁	X ₂₂	***	X_{2n}
		• • •	
X_{m1}	X_{m2}		X _{mn}



 $e_i=1$: error in the *i*-th test

 $e_i=0$: no error in the *i*-th test







Compare every column vector with the error vector

b	lock	j	er	ror vector
X ₁₁	X ₁₂		X_{1n}	e_1
X ₂₁	X ₂₂	•••	<i>X</i> _{2<i>n</i>}	e_2
		•••		
<i>X_{m1}</i>	X _{m2}		X _{mn}	e_m



similarity s_i









Jaccard similarity coefficient

block

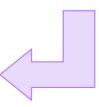
1
0
1
0
1



$$s_j = \frac{a_{11}}{a_{11} + a_{10} + a_{01}}$$

error vector

0
1
1
0
1

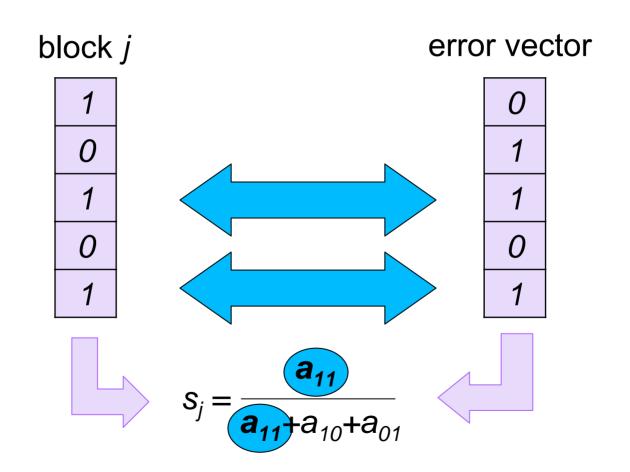








Jaccard similarity coefficient

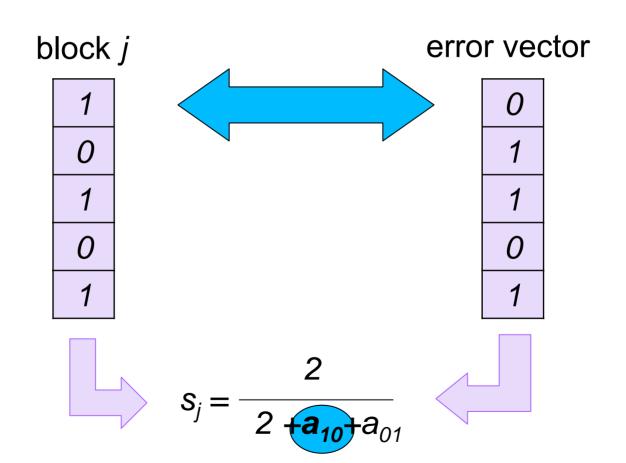








Jaccard similarity coefficient

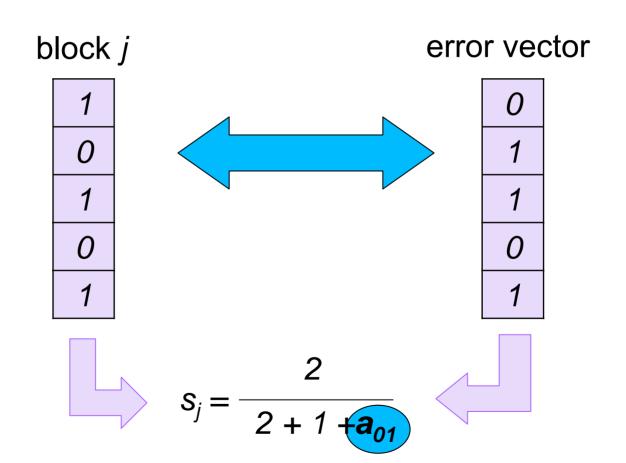








Jaccard similarity coefficient









Jaccard similarity coefficient

block j

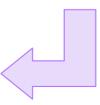
1
0
1
0
1



$$s_j = \frac{2}{2 + 1 + 1}$$

error vector

0
1
1
0
1









For every block: similarity with the error "block"

n blocks

error vector

m cases

X ₁₁	X ₁₂	• • •	<i>X</i> _{1n}
X ₂₁	X ₂₂	***	X_{2n}
		•••	
X_{m1}	X _{m2}		X _{mn}
S ₁	S_2		S _n

e ₁
e_2
e_m

Output: ranking of blocks in order of likelihood to be at fault





SFL: Example



	block							
input	1	2	3	4	5	error		
$I_1 = \langle \ \rangle$	1	0	0	0	0	0		
$I_2 = \langle \frac{1}{4} \rangle$	1	1	0	0	0	0		
$I_3 = \langle \frac{2}{1}, \frac{1}{1} \rangle$	1	1	1	1	1	0		
$I_4 = \langle \frac{4}{1}, \frac{2}{2}, \frac{0}{1} \rangle$	1	1	1	1	1	0		
$I_5 = \langle \frac{3}{1}, \frac{2}{2}, \frac{4}{3}, \frac{1}{4} \rangle$	1	1	1	1	1	1		
$I_6 = \langle \frac{1}{4}, \frac{1}{3}, \frac{1}{2}, \frac{1}{1} \rangle$	1	1	1	0	1	0		
Sr	.17	.20	.25	.33	.25			





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Benchmark and Metric



- Siemens Benchmark set
 - 7 programs, 20 124 blocks
 - 7 32 faulty versions per program: 132 faults in total
 - Correct version available → Pass/fail error vector
 - Up to 1000 5000 test cases per program:
 full code coverage
- Evaluation Metric
 - Diagnostic quality (q_d)
 - $q_d = 1 (block position / \#blocks)$
 - Measures % of code that NEED NOT be inspected





Experiments



- Previous study [PRDC06] showed that Ochiai outperforms the other coefficients
 - q_d = 84% (vs. 79% of Jaccard vs. 77% of Tarantula)

- E1: What is the impact of error detection quality?
 - Faulty activations do not necessarily lead to failures!
- E2: What is the impact of the number of runs?
 - Thousands of test cases might not be available!





E1: Error Detection Impact



- Error Detection Quality
 - $q_e = a_{11} / (a_{11} + a_{10})$
 - Approximate measure: not all fault activations lead to failures
 - e.g., if (x > 3) instead if (x >= 3)
- passed / failed runs that activate the fault were randomly discarded
- SFL is run for the above (sub-)set of test cases

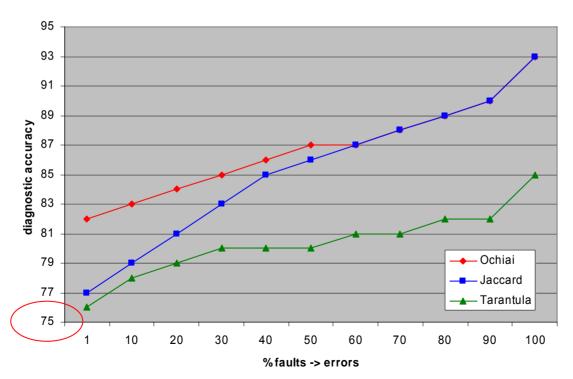




E1: Error Detection Impact



- Small fraction of fault activations detected is enough
- Ochiai performance gain is structural, and strongest for low q_e







E2: #Runs Impact



- #Runs (Test cases available)
 - Number of passed runs (N_p)
 - Number of failed runs (N_f)
- N_p and N_f randomly selected
- SFL is run for the above (sub-)set of test cases

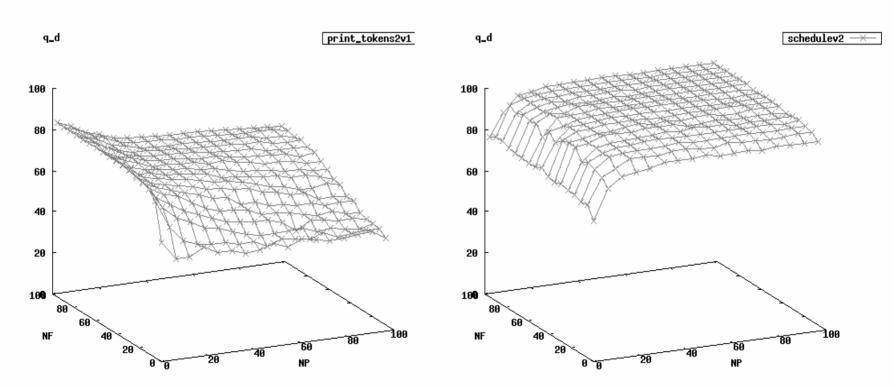




E2: #Runs Impact



- For the Siemens set, two trends were observed
 - Adding failed runs does not harm q_d
 - Passed runs, however, have unpredictable effect

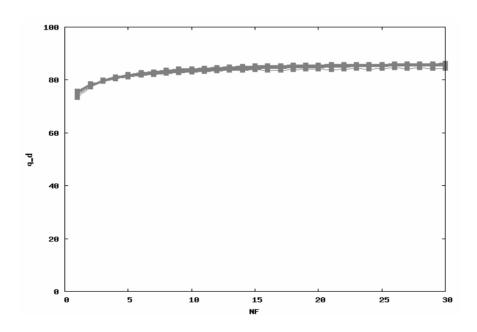




E2: #Runs Impact



- On average,
 - 6 failed tests are enough
 - It stabilizes around 20 passed tests







Remarks on the Coefficients



- Ochiai structurally outperforms the other coefficients → Why??
- Tarantula

$$s_{j} = \frac{\frac{a_{11}}{a_{11} + a_{01}}}{\frac{a_{11}}{a_{11} + a_{01}} + \frac{a_{10}}{a_{10} + a_{00}}} = \frac{1}{1 + c \frac{a_{10}}{a_{11}}}$$

Jaccard

$$s_j = \frac{a_{11}}{a_{11} + a_{01} + a_{10}}$$

Ochiai

$$s_j = \frac{a_{11} + a_{01} + a_{10} + \frac{a_{10}a_{01}}{a_{11}}}{a_{11}}$$





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Conclusions



- SFL improves the efficiency of debugging, and can be easily integrated with testing
 - Low memory / CPU overhead
 - Little infrastructure needed, no models required
- The diagnosis results are useful, even with low quality error detection
- Adding failed runs is always safe, whereas passed runs may have a negative impact on the accuracy
- Ochiai structurally outperforms other coefficients





Future Work



- Passed tests may deteriorate the ranking, so which passed tests to use?
 - Strategies for selecting passed tests
- How to exploit knowledge about a system?
 - Known data / control dependencies, hierarchies, ...
- SFL is robust to error detection quality
 - Techniques for automatic error detection
 - Writing a paper on the use of generic program invariants as error detectors
 - Automatic error detection and fault localization technique





Questions



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- www.esi.nl/trader
- [PRDC06] R. Abreu, P. Zoeteweij and A.J.C. van Gemund. An Evaluation of Similarity coefficients for Software Fault Localization. PRDC'06



