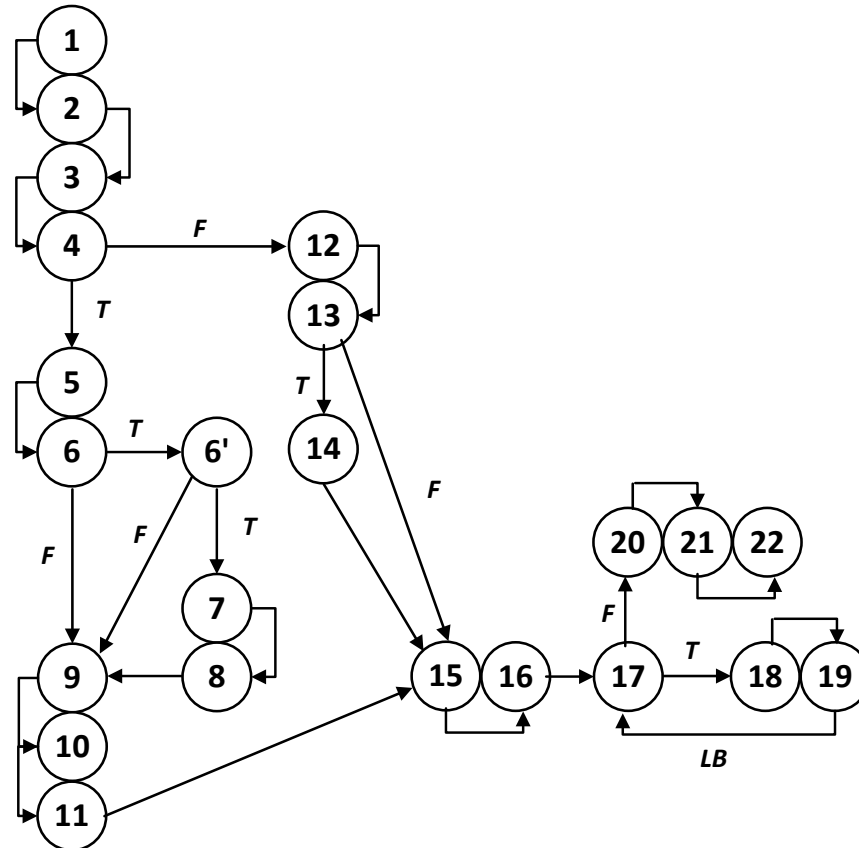


Exercise 1



Number of nodes: $N = 23$

Number of edges: $E = 27$

$CC = E - N + 2 = 27 - 23 + 2 = 6$

Paths:

P1 <1, 2, 3, 4, 5, 6, 6', 7, 8, 9, 10, 11, 15, 16,...>

P2 <1, 2, 3, 4, 5, 6, 6', 9, 10, 11, 15, 16,...>

P3 <1, 2, 3, 4, 5, 6, 9, 10, 11, 15, 16,...>

P4 <1, 2, 3, 4, 12, 13, 14, 15, 16,...>

P5 <1, 2, 3, 4, 12, 13, 15, 16,...>

... is P6 <17, 20, 21, 22>

or P6' <17, 18, 19, 17, 20, 21, 22>

Exercise 2

The correct slice profile is **B**

a) $V_o = \{\text{author, title, path}\}$ Overlap = 0, Tightness = 0, Coverage = $1/3 \cdot (10/22 + 8/22 + 6/22) = 24/66 = 0.364$

b) $V_o = \{\text{author, title}\}$ Overlap = $1/2 \cdot (2/10 + 2/8) = 0.225$, Tightness = $2/22 = 0.091$, Coverage = $1/2 \cdot (10/22 + 8/22) = 18/44 = 0.409$

The computation of variable path (statements 15-19) can be extracted in a separate method without causing any code duplication.

The computations of variables author (statements 1, 3-8, and 13-14) and title (statements 2-4, 9-12) share two common statements (3 and 4) that will have to be duplicated after extracting the computation of one of the two variables. However, the number of duplicated statements (2) is significantly smaller compared to the size of the variable slices (9 statements for author, and 7 for title) and thus further decomposition would have a positive impact.

Exercise 3

LCOM (Chidamber & Kemerer)

$P = \{(m_1, m_3), (m_1, m_4), (m_1, m_5), (m_2, m_3), (m_2, m_4), (m_2, m_5), (m_3, m_4), (m_3, m_5), (m_4, m_5)\}$

$Q = \{(m_1, m_2)\}$

$LCOM = |P| - |Q| = 9 - 1 = 8$

LCOM (Li and Henry)



LCOM = number of unconnected components = 4

LCOM (Hitz and Montazeri)



LCOM = number of unconnected components = 2

LCOM (Henderson-Sellers)

$p(a_1) = 2$

$p(a_2) = 1$

$p(a_3) = 1$

$p(a_4) = 1$

$p(a_5) = 1$

$$LCOM = \frac{5 - 6/5}{4} = \frac{19}{20}$$

Cohesion (Briand et al.)

$$Coh = \frac{6}{5 \times 5} = \frac{6}{25}$$

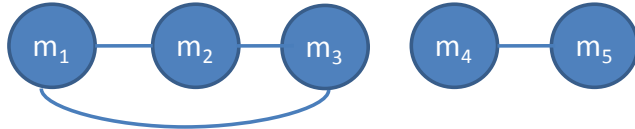
Tight Class Cohesion (Bieman and Kang)

(m₁, m₂) are connected because they access directly attribute a₁.

(m₂, m₃) are connected because m₂ accesses directly attribute a₁ and m₃ accesses a₁ through m₂.

(m₁, m₃) are connected because m₁ accesses directly attribute a₁ and m₃ accesses a₁ through m₂.

(m₄, m₅) are connected because m₄ accesses directly attributes a₄, a₅ and m₅ accesses a₄, a₅ through m₄.



$$TCC = \frac{4}{10}$$

Class Cohesion (Bonja & Kidanmariam)

$$\text{sim}(m_1, m_2) = 1/2$$

$$\text{sim}(m_1, m_3) = 0/3$$

$$\text{sim}(m_1, m_4) = 0/4$$

$$\text{sim}(m_1, m_5) = 0/2$$

$$\text{sim}(m_2, m_3) = 0/2$$

$$\text{sim}(m_2, m_4) = 0/3$$

$$\text{sim}(m_2, m_5) = 0/1$$

$$\text{sim}(m_3, m_4) = 0/3$$

$$\text{sim}(m_3, m_5) = 0/1$$

$$\text{sim}(m_4, m_5) = 0/2$$

$$CCoh = \frac{1/2}{10} = \frac{1}{20}$$

The most appropriate decomposition is comp₁ = {m₁, m₂, m₃, a₁, a₂, a₃} and comp₂ = {m₄, m₅, a₄, a₅}. The metrics that represent better this decision is LCOM by Hitz and Montazeri and Tight Class Cohesion by Bieman and Kang.

After the decomposition, both comp₁ and comp₂ will have LCOM and TCC values equal to 1.

Exercise 4

Coupling Between Objects (Chidamber and Kemerer)

$$CBO(C) = 4$$

Response For Class (Chidamber and Kemerer)

$$|M| = 2$$

$$|R| = 4$$

$$RFC(C) = 6$$

Message Passing Coupling (Li and Henry)

$$MPC(C) = 6$$

$$MPC'(C) = 7 \text{ (including invocations of inherited methods)}$$

Coupling Factor (F. Brito e Abreu)

$client(A, C) = 1$

$client(C, superC) = 1$

$client(C, B) = 1$

$client(C, D) = 1$

$client(D, B) = 0$

$$CF = 4/(25-5) = 4/20 = 1/5$$

Coupling Factor (Briand et al.)

$client(A, C) = 1$

$client(C, superC) = 0$

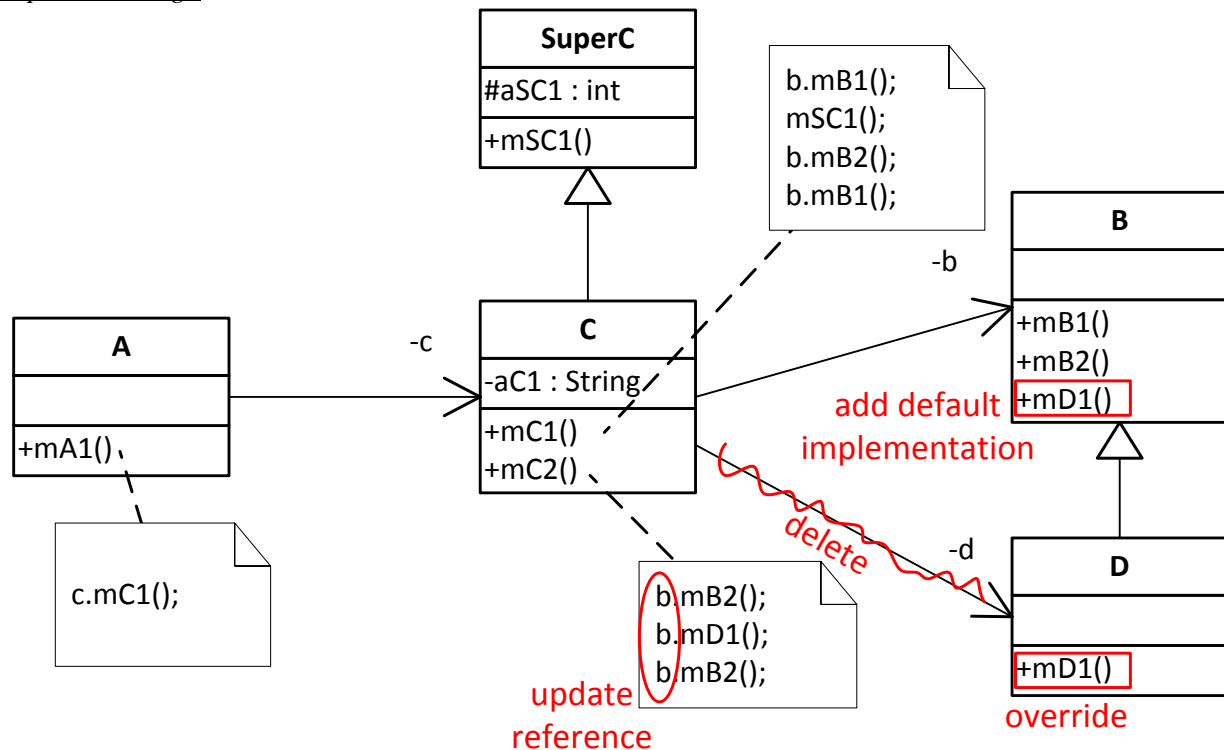
$client(C, B) = 1$

$client(C, D) = 1$

$client(D, B) = 0$

$$CF' = 3/(25-5-4) = 3/16$$

Improved Design



Affected metrics

$CBO(C) = 3$

$client(C, D) = 0$

$CF = 3/20$

$CF' = 2/16$

RFC and MPC are unaffected.