Grooming Diffusion

Hands-on diffusion

NAVER AI Lab

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Intro

Contents



오전 **Basic Diffusion Advanced Diffusion**

기본 : Scientist

심화 : Scientist, Engineer

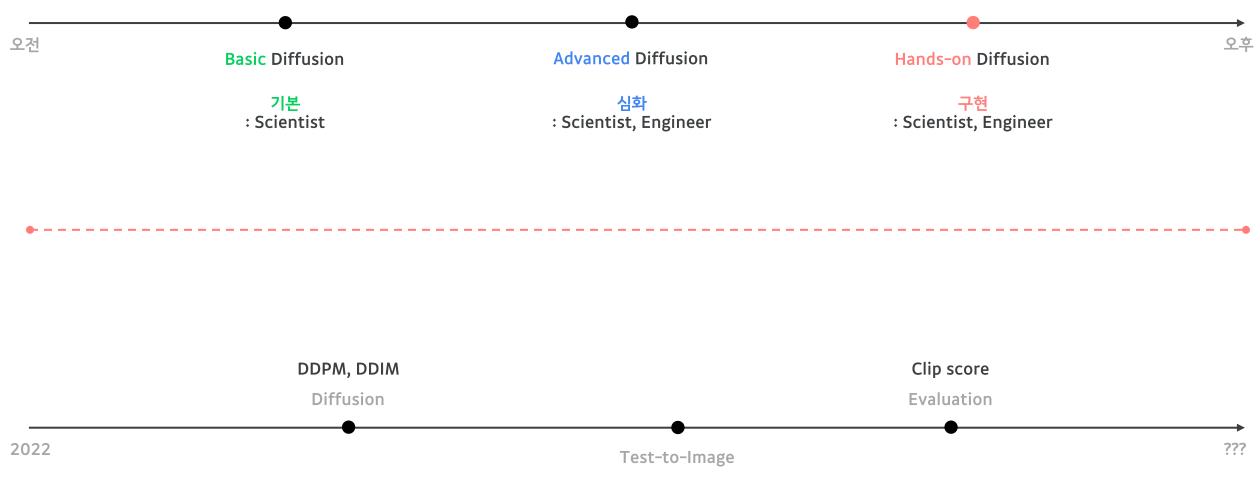
Hands-on Diffusion

구현 : Scientist, Engineer

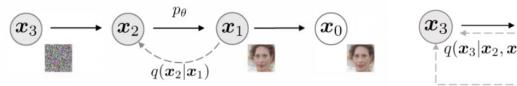
Intro

Contents









$$(x_3) \xrightarrow{q(x_3|x_2,x_0)} (x_2) \xrightarrow{p_{\theta}} (x_1) \xrightarrow{q(x_2|x_1,x_0)} (x_0)$$

Figure 1: Graphical models for diffusion (left) and non-Markovian (right) inference models.

최근 Trend

Denoising Diffusion Implicit Models

DDPM

•
$$\mathbf{x}_t = \sqrt{ar{lpha_t}}\mathbf{x}_0 + \sqrt{1-ar{lpha_t}}\epsilon, \ \epsilon \sim \mathcal{N}(0,\mathbf{I})$$
 (Forward)

$$\beta_1 = 10^{-4}, \beta_T = 0.02$$

$$\circ \ lpha_t := 1 - eta_t$$
, $ar{lpha}_t := \prod_{s=1}^t lpha_s$

•
$$\epsilon - \epsilon_{\theta}(\mathbf{x}_t) = \epsilon - \epsilon_{\theta}(\sqrt{\bar{\alpha}_t}\mathbf{x}_0 + \sqrt{1 - \bar{\alpha}_t}\epsilon)$$
 (Loss)

•
$$\epsilon_{\theta}$$
 = prediction network

$$egin{aligned} oldsymbol{lpha}_{t-1} &= rac{1}{\sqrt{lpha_t}} \Big(\mathbf{x}_t - rac{eta_t}{\sqrt{1-ar{lpha}_t}} \epsilon_{ heta}(\mathbf{x}_t,t) \Big) + \sqrt{ ilde{eta}_t} \epsilon, \ \epsilon \sim \mathcal{N}(0,\mathbf{I}) \end{aligned} \ egin{aligned} ext{(Reverse)} \ &\circ \ ilde{eta}_t = rac{1-ar{lpha}_{t-1}}{1-ar{lpha}_t} eta_t \end{aligned}$$

$$oldsymbol{ ilde{eta}}_t = eta_t$$
로 해도 성능차이 없음

DDIM

$$egin{aligned} x_{t-1} &= \hat{\mu}_t(x_t) + \sigma_t \epsilon_t \ x_{t-1} &= \sqrt{ar{lpha}_{t-1}} P(f_t(x_t)) + D(f_t(x_t)) + \sigma_t \epsilon_t \ st P(f_t(x_t)) &= rac{x_t - \sqrt{1 - ar{lpha}_t} f_t(x_t)}{\sqrt{ar{lpha}_t}} \ st D(f_t(x_t)) &= \sqrt{1 - ar{lpha}_{t-1} - \sigma_t^2} f_t(x_t) \end{aligned}$$

- In paper, DDIM α = DDPM $\bar{\alpha}$
- $\mathbf{x}_t = \sqrt{ar{lpha}_t}\mathbf{x}_0 + \sqrt{1-ar{lpha}_t}\epsilon$ (Forward)
- $\epsilon \epsilon_{\theta}(\mathbf{x}_t) = \epsilon \epsilon_{\theta}(\sqrt{\bar{\alpha}_t}\mathbf{x}_0 + \sqrt{1 \bar{\alpha}_t}\epsilon)$ (Loss)
 - \circ ϵ_{θ} = prediction network

•
$$\mathbf{x}_{t-1} = \sqrt{\bar{\alpha}_{t-1}} \underbrace{\left(\frac{\mathbf{x}_t - \sqrt{1 - \bar{\alpha}_t} \epsilon_{\theta}(\mathbf{x}_t)}{\sqrt{\bar{\alpha}_t}} \right)}_{\text{predicted } \mathbf{x}_0 = f_{\theta}(\mathbf{x}_t)} + \underbrace{\sqrt{1 - \bar{\alpha}_{t-1} - \sigma_t^2} \cdot \epsilon_{\theta}(\mathbf{x}_t)}_{\text{direction pointing to } \mathbf{x}_t} + \underbrace{\sigma_t \epsilon}_{\text{noise}}$$

(Reverse)

- deterministic when $\sigma_t = 0 \rightarrow$ consistency (DDIM)
- stochastic when $\sigma_t = 1 \rightarrow$ inconsistency (DDPM)



DDPM

•
$$\mathbf{x}_t = \sqrt{ar{lpha_t}}\mathbf{x}_0 + \sqrt{1-ar{lpha_t}}\epsilon, \ \epsilon \sim \mathcal{N}(0,\mathbf{I})$$
 (Forward)

$$\circ \ eta_1 = 10^{-4}, eta_T = 0.02$$

$$\circ \;\; lpha_t := 1 - eta_t$$
 , $ar{lpha}_t := \prod_{s=1}^t lpha_s$

•
$$\epsilon - \epsilon_{ heta}(\mathbf{x}_t) = \epsilon - \epsilon_{ heta}(\sqrt{ar{lpha}_t}\mathbf{x}_0 + \sqrt{1 - ar{lpha}_t}\epsilon)$$
 (Loss)

• ϵ_{θ} = prediction network

$$ullet \mathbf{x}_{t-1} = rac{1}{\sqrt{lpha_t}} \Big(\mathbf{x}_t - rac{eta_t}{\sqrt{1-ar{lpha}_t}} \epsilon_{ heta}(\mathbf{x}_t,t) \Big) + \sqrt{ ilde{eta}_t} \epsilon, \ \epsilon \sim \mathcal{N}(0,\mathbf{I})$$
 (Reverse)

$$\circ$$
 $ilde{eta}_t = rac{1-ar{lpha}_{t-1}}{1-ar{lpha}_t}eta_t$

$$oldsymbol{ ilde{eta}}_t = eta_t$$
로 해도 성능차이 없음

DDIM

- In paper, DDIM α = DDPM $\bar{\alpha}$
- $\mathbf{x}_t = \sqrt{ar{lpha}_t}\mathbf{x}_0 + \sqrt{1-ar{lpha}_t}\epsilon$ (Forward)
- $\epsilon \epsilon_{\theta}(\mathbf{x}_t) = \epsilon \epsilon_{\theta}(\sqrt{\bar{\alpha}_t}\mathbf{x}_0 + \sqrt{1 \bar{\alpha}_t}\epsilon)$ (Loss)
 - ϵ_{θ} = prediction network

•
$$\mathbf{x}_{t-1} = \sqrt{\bar{\alpha}_{t-1}} \underbrace{\left(\frac{\mathbf{x}_t - \sqrt{1 - \bar{\alpha}_t} \epsilon_{\theta}(\mathbf{x}_t)}{\sqrt{\bar{\alpha}_t}} \right)}_{\text{predicted } \mathbf{x}_0 = f_{\theta}(\mathbf{x}_t)} + \underbrace{\sqrt{1 - \bar{\alpha}_{t-1} - \sigma_t^2} \cdot \epsilon_{\theta}(\mathbf{x}_t)}_{\text{direction pointing to } \mathbf{x}_t} + \underbrace{\sigma_t \epsilon}_{\text{noise}}$$

(Reverse)

- deterministic when $\sigma_t = 0 \rightarrow$ consistency (DDIM)
- stochastic when $\sigma_t = 1 \rightarrow \text{inconsistency (DDPM)}$

Step은 총 5개입니다. 나눠서 한번 구현해봅시다.

easy 2개, medium 2개, hard 1개



Step 1. alpha값 (easy)

$$\circ \;\; eta_1 = 10^{-4}, eta_T = 0.02$$

$$\circ \;\; lpha_t := 1 - eta_t$$
 , $ar{lpha}_t := \prod_{s=1}^t lpha_s$

```
Step 1.

self.alpha = ?
self.alpha_hat = ?
```

self.beta = self.prepare_noise_schedule(schedule, beta_start, beta_end).to(device)



Step 2. Sampling timestep (easy)

```
def sample_timesteps(self, n):

"""

Step 2.

n개의 랜덤한 timestep을 샘플링 하세요. range = [1, self.noise_steps]

:param n: int
:return: [n, ] shape을 갖고있을것입니다.

주의사항: timestep이니까, 값은 int형이어야 합니다.
```



Step 3. Forward process (medium)

$$\mathbf{x}_t = \sqrt{ar{lpha}_t}\mathbf{x}_0 + \sqrt{1-ar{lpha}_t}\epsilon,\,\epsilon \sim \mathcal{N}(0,\mathbf{I})$$
 (Forward)

```
def noise_images(self, x, t):
```

```
Step 3.
forward process를 작성하세요.
-> 이미지에 noise를 입히는 과정입니다.

return은 노이즈를 입힌 이미지와, 입혔던 노이즈를 리턴하세요 !! 총 2개입니다.

:param x: [n, 3, img_size, img_size]
:param t: [n, ]
:return: [n, 3, img_size, img_size], [n, 3, img_size, img_size]
```

return



Step 4. Training (medium)

$$\epsilon - \epsilon_{\theta}(\mathbf{x}_t) = \epsilon - \epsilon_{\theta}(\sqrt{\bar{\alpha_t}}\mathbf{x}_0 + \sqrt{1 - \bar{\alpha_t}}\epsilon)$$
 (Loss)

 \circ ϵ_{θ} = prediction network

```
def train(args):
   setup_logging(args.run_name)
   device = args.device
   dataloader = get_data(args)
   model = UNet(device=device).to(device)
   optimizer = optim.AdamW(model.parameters(), lr=args.lr)
   diffusion = Diffusion(img_size=args.image_size, device=device)
   logger = SummaryWriter(os.path.join("logs", args.run_name))
   l = len(dataloader)
   for epoch in range(args.epochs):
        logging.info(f"Starting epoch {epoch}:")
       pbar = tqdm(dataloader)
        for i, images in enumerate(pbar):
           images = images.to(device)
           Step 4.
           학습코드를 작성해보세요.
           다음 hint를 참고하여 작성하면됩니다.
           hint:
           (1) timestep을 샘플링 하세요.
           (2) 해당 timestep t에 대응되는 노이즈 입힌 이미지를 만드세요.
           (3) 모델에 넣어서, 노이즈를 predict 하세요.
            (4) 적절한 loss를 선택하세요. (L1 or L2)
           optimizer.zero_grad()
           loss.backward()
           optimizer.step()
           pbar.set_postfix(Loss=loss.item())
           logger.add_scalar("diffusion loss", loss.item(), global_step=epoch * l + i)
```



Step 5. Reverse process (hard)

```
def sample(self, model, n):
   Step 5. 마지막!
   reverse process를 완성하세요.
   :param model: Unet
   :param n: batch_size
   :return: x: [n, 3, img_size, img_size]
   logging.info(f"Sampling {n} new images....")
   model.eval()
   with torch.no_grad():
       .....
       (1) T스텝에서 부터 denoise하는것이기때문에, 가우시안 noise를 하나 만드세요.
       (2) T (self.noise_steps)부터 denoise하는 구문을 만드세요.
           hint: T, T-1, T-2, ... , 3, 2, 1 이런식으로 t가 나와야겠죠 ?
       (3) t에 해당하는 alpha_t, beta_t, alpha_hat_t, alpha_hat_(t-1), beta_tilde를 만드세요.
       (4) (1)의 noise와 (2)의 t를 모델에 넣어서, noise를 predict하세요.
       (5) predict한 noise를 가지고, ddpm과 ddim sampling를 작성하세요.
       1111111
```

DDPM

$$ullet \mathbf{x}_{t-1} = rac{1}{\sqrt{lpha_t}} \Big(\mathbf{x}_t - rac{eta_t}{\sqrt{1-ar{lpha}_t}} \epsilon_ heta(\mathbf{x}_t,t) \Big) + \sqrt{ ilde{eta}_t} \epsilon, \ \epsilon \sim \mathcal{N}(0,\mathbf{I})$$
 (Reverse)

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 $ilde{eta}_t = rac{1-ar{lpha}_{t-1}}{1-ar{lpha}_t}eta_t$

$$oldsymbol{ ilde{eta}}_t = eta_t$$
로 해도 성능차이 없음

DDIM

•
$$\mathbf{x}_{t-1} = \sqrt{\bar{\alpha}_{t-1}} \underbrace{\left(\frac{\mathbf{x}_t - \sqrt{1 - \bar{\alpha}_t} \epsilon_{\theta}(\mathbf{x}_t)}{\sqrt{\bar{\alpha}_t}} \right)}_{\text{predicted } \mathbf{x}_0 = f_{\theta}(\mathbf{x}_t)} + \underbrace{\sqrt{1 - \bar{\alpha}_{t-1} - \sigma_t^2} \cdot \epsilon_{\theta}(\mathbf{x}_t)}_{\text{direction pointing to } \mathbf{x}_t} + \underbrace{\sigma_t \epsilon_{\theta}(\mathbf{x}_t)}_{\text{noise}}$$

(Reverse)

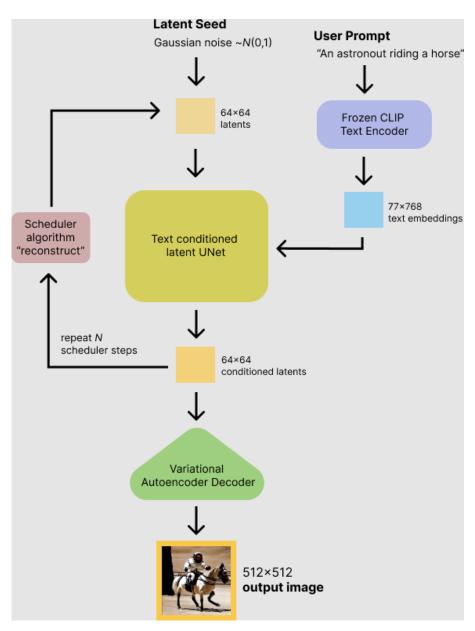
- \circ deterministic when $\sigma_t=0$ ightarrow consistency (DDIM)
- stochastic when $\sigma_t = 1 \rightarrow$ inconsistency (DDPM)

return torch.clamp(x, -1.0, 1.0)

model.train()

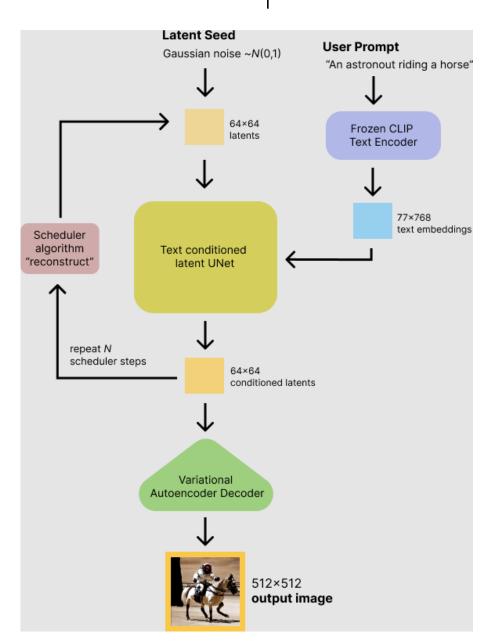
Practical use Stable diffusion





Stable diffusion





```
import torch
from diffusers import StableDiffusionPipeline

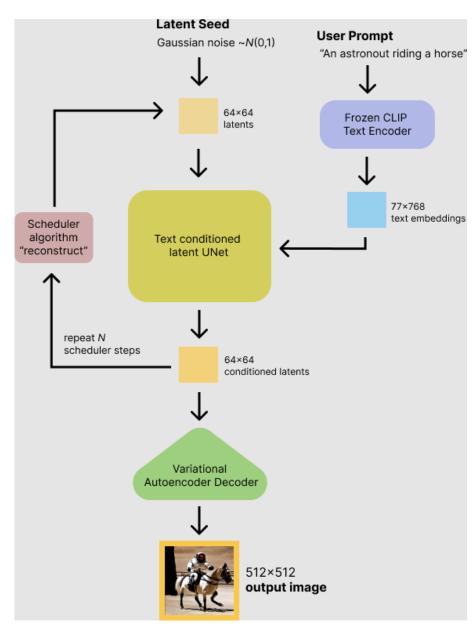
# pip install diffusers

model_ckpt = "CompVis/stable-diffusion-v1-4"
device = "mps" # cuda, cpu, mps
weight_dtype = torch.float16

pipe = StableDiffusionPipeline.from_pretrained(model_ckpt, torch_dtype=weight_dtype)
pipe = pipe.to(device)

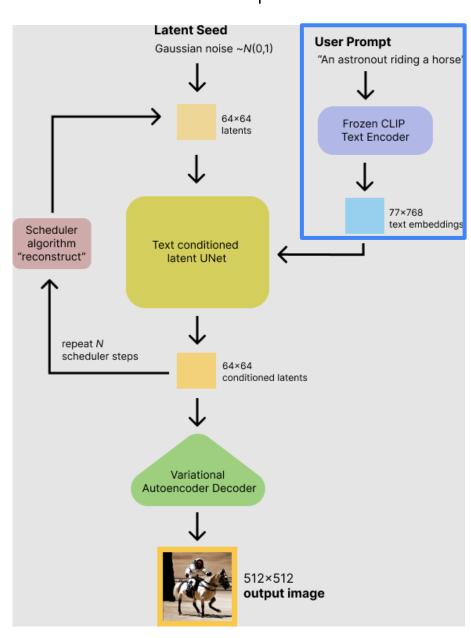
prompt = "a photograph of an astronaut riding a horse"
image = pipe(prompt).images[0]
image.save("simple_results.png")
```





```
from PIL import Image
import torch
from transformers import CLIPTextModel, CLIPTokenizer
from diffusers import AutoencoderKL, UNet2DConditionModel, PNDMScheduler
from tgdm.auto import tgdm
# pip install diffusers
model_ckpt = "CompVis/stable-diffusion-v1-4"
torch_device = "cpu"
# init
vae = AutoencoderKL.from_pretrained(model_ckpt, subfolder="vae")
tokenizer = CLIPTokenizer.from_pretrained(model_ckpt, subfolder="tokenizer")
text encoder = CLIPTextModel.from pretrained(model ckpt, subfolder="text encoder")
unet = UNet2DConditionModel.from pretrained(model_ckpt, subfolder="unet")
scheduler = PNDMScheduler.from_pretrained(model_ckpt, subfolder="scheduler")
# parameter
prompt = ["a photograph of an astronaut riding a horse"]
height = 512 # default height of Stable Diffusion
width = 512 # default width of Stable Diffusion
num_inference_steps = 25 # Number of denoising steps
guidance_scale = 7.5 # Scale for classifier-free guidance
generator = torch.manual seed(0) # Seed generator to create the inital latent noise
batch_size = len(prompt)
scheduler.set_timesteps(num_inference_steps)
print(scheduler.timesteps)
```





```
Step 1.
Make text embeddings
"""

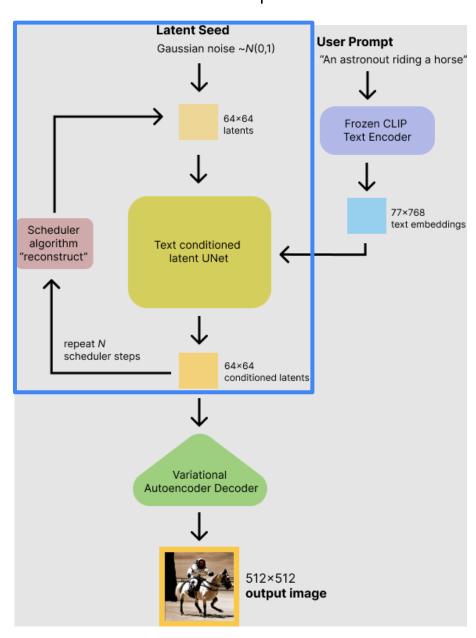
text_input = tokenizer(
    prompt, padding="max_length", max_length=tokenizer.model_max_length, truncation=True, return_tensors="pt")

with torch.no_grad():
    text_embeddings = text_encoder(text_input.input_ids.to(torch_device))[0]

uncond_input = tokenizer([""] * batch_size, padding="max_length", max_length=tokenizer.model_max_length, return_tensors="pt")
uncond_embeddings = text_encoder(uncond_input.input_ids.to(torch_device))[0]

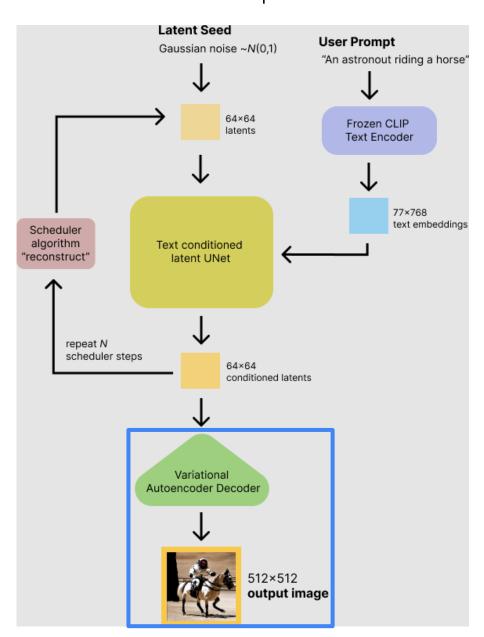
text_embeddings = torch.cat([uncond_embeddings, text_embeddings])
```





```
1111111
Step 2.
Reverse process
# Create random noise
latents = torch.randn(
    (batch_size, unet.config.in_channels, height // 8, width // 8),
    generator=generator,
latents = latents.to(torch_device)
latents = latents * scheduler.init_noise_sigma # PNDMS = 1
for t in tqdm(scheduler.timesteps):
    # expand the latents if we are doing classifier-free guidance to avoid doing two forward passes.
    latent_model_input = torch.cat([latents] * 2)
    latent_model_input = scheduler.scale_model_input(latent_model_input, timestep=t)
    # predict the noise residual
    with torch.no_grad():
        noise_pred = unet(latent_model_input, t, encoder_hidden_states=text_embeddings).sample
    # perform guidance
    noise_pred_uncond, noise_pred_text = noise_pred.chunk(2)
    noise pred = noise pred uncond + quidance scale * (noise pred text - noise pred uncond)
    # compute the previous noisy sample x_t -> x_{t-1}
    latents = scheduler.step(noise_pred, t, latents).prev_sample
```





```
1111111
Step 3.
Image decoding
1111111
latents = 1 / 0.18215 * latents
with torch.no_grad():
    image = vae.decode(latents).sample
image = (image / 2 + 0.5).clamp(0, 1)
image = image.detach().cpu().permute(0, 2, 3, 1).numpy()
images = (image * 255).round().astype("uint8")
pil_images = [Image.fromarray(image) for image in images]
pil_images[0].save("main_results.png")
```

Practical use | Evaluation (Clip Score)



```
from transformers import CLIPTokenizer, CLIPTextModel, CLIPVisionModel, CLIPModel
import torch
from torchvision import transforms
import torch.nn.functional as F
# input
image = torch.randint(255, (2, 3, 224, 224))
text = ["a photo of a cat", "a photo of a cat"]
version = 'openai/clip-vit-large-patch14'
111111
Step 1. Model Init # CLIPModel만 불러도 됩니다.
1111111
tokenizer = CLIPTokenizer.from_pretrained(version)
clip_text_encoder = CLIPTextModel.from_pretrained(version)
clip_image_encoder = CLIPVisionModel.from_pretrained(version)
clip model = CLIPModel.from pretrained(version)
```

Practical use | Evaluation (Clip Score)



```
1111111
Step 2. Text
\mathbf{H}\mathbf{H}\mathbf{H}
batch_encoding = tokenizer(text, truncation=True, max_length=77, padding="max_length", return_tensors="pt")
# [input_ids, attention_mask] -> 둘다 [bs,77]의 shape을 갖고있습니다.
# input_ids는 주어진 텍스트를 토크나이즈한것이고, mask는 어디까지만이 유효한 token인지 알려줍니다. 1=유효, 0=의미없음
```

^{*} input_ids: [49406, 320, 1125, 539, 320, 2368, 49407, 49407, ..., 49407]

^{*} attention_mask: [1, 1, 1, 1, 1, 1, 1, 0, 0, ..., 0]

Evaluation (Clip Score)



```
1111111
Step 2. Text
111111
batch_encoding = tokenizer(text, truncation=True, max_length=77, padding="max_length", return_tensors="pt")
# [input ids, attention mask] -> 둘다 [bs,77]의 shape을 갖고있습니다.
# input_ids는 주어진 텍스트를 토크나이즈한것이고, mask는 어디까지만이 유효한 token인지 알려줍니다. 1=유효, 0=의미없음
text_token = batch_encoding["input_ids"]
t_embed = clip_text_encoder(text_token) # 이것은 clip_model.text_model(text_token)과 같다.
# [last_hidden_state, pooler_output] -> [bs, 77, 768], [bs, 768]
# last_hidden_state = word embedding
# pooler_output = sentence embedding
text_feature = clip_model.get_text_features(text_token)
# pooler output(sentence embedding) 에 Linear를 태운것
# [bs, 768]
```

t_embed, text_feature

필요에 따라 둘중에 하나 선택한다.

e.g.) clip score는 text_feature

```
* input_ids: [49406, 320, 1125, 539, 320, 2368, 49407, 49407, ..., 49407]
```

* attention_mask: [1, 1, 1, 1, 1, 1, 1, 0, 0, ..., 0]

Evaluation (Clip Score)



```
Step 3. Image
"""

image = clip_image_process(image)

i_embed = clip_image_encoder(image) # 이것은 clip_model.vision_model(image)과 같다.

# [last_hidden_state, pooler_output] -> [bs, 256, 1024], [bs, 1024]

image_feature = clip_model.get_image_features(image)

# pooler_output에 Linear을 태운것
```

i_embed, image_feature

필요에 따라 둘중에 하나 선택한다.

e.g.) clip score는 image_feature

Practical use | Evaluation (Clip Score)



```
def clip_image_process(x):
    def denormalize(x):
        \# [-1, 1] \sim [0, 255]
       x = ((x + 1) / 2 * 255).clamp(0, 255).to(torch.uint8)
        return x
    def resize(x):
       x = transforms.Resize(size=[224, 224], interpolation=transforms.InterpolationMode.BICUBIC, antialias=True)(x)
        return x
    def zero_to_one(x):
       x = x.float() / 255.0
        return x
    def norm_mean_std(x):
        mean = [0.48145466, 0.4578275, 0.40821073]
        std = [0.26862954, 0.26130258, 0.27577711]
       x = transforms.Normalize(mean=mean, std=std, inplace=True)(x)
        return x
   # 만약 x가 [-1, 1] 이면, denorm을 해줍니다.
    \# x = denormalize(x)
   x = resize(x)
   x = zero_to_one(x)
   x = norm_mean_std(x)
    return x
```

Practical use | Evaluation (Clip Score)

```
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```

```
def clip_score(img_features, txt_features):
    img_features = img_features / img_features.norm(p=2, dim=-1, keepdim=True)
    txt_features = txt_features / txt_features.norm(p=2, dim=-1, keepdim=True)
   # score = 100 * (img_features * txt_features).sum(axis=-1)
   # score = torch.mean(score)
    # 위와 같다.
    score = F.cosine_similarity(img_features, txt_features).mean()
    return score
```

```
def contrastive_loss(logits, dim) :
   neg_ce = torch.diag(nn.functional.log_softmax(logits, dim=dim))
    return -neg_ce.mean()
def clip_contra_loss(img_features, txt_features, logit_scale):
   img_features = img_features / img_features.norm(p=2, dim=-1, keepdim=True)
    txt features = txt features / txt features.norm(p=2, dim=-1, keepdim=True)
    # cosine similarity as logits
    logit_scale = logit_scale.exp()
    similarity = torch.matmul(txt_features, img_features.t()) * logit_scale
    caption_loss = contrastive_loss(similarity, dim=0)
    image_loss = contrastive_loss(similarity, dim=1)
    return (caption_loss + image_loss) / 2.0 # minimize
```

전체적으로 잘 맞니?

Pair끼리 무조건 맞아라





Project

DDPM Inversion, Prompt-to-Prompt



Real image Our DDPM inversion Our DDPM inversion A sketch of a cat \rightarrow A smiling cat





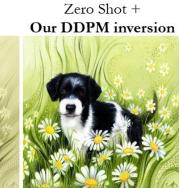








A sketch of a cat → A sculpture of a cat



A painting of a cat with white flowers \rightarrow A painting of a dog with white flowers

cat→ dog



Thank you!

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Junho Kim