

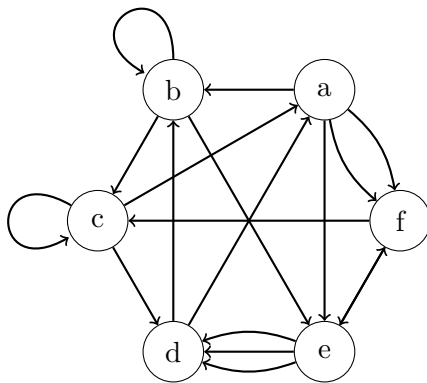
## 2

a) Incident matrix

	$e_1$	$e_2$	$e_3$	$e_4$	$e_5$	$e_6$	$e_7$	$e_8$	$e_9$
$v_1$	1	0	1	0	0	0	0	0	0
$v_2$	0	1	0	1	0	0	0	0	0
$v_3$	1	1	0	0	0	0	1	1	1
$v_4$	0	0	1	0	1	0	1	0	0
$v_5$	0	0	0	0	1	1	0	0	1
$v_6$	0	0	0	1	0	1	0	1	0

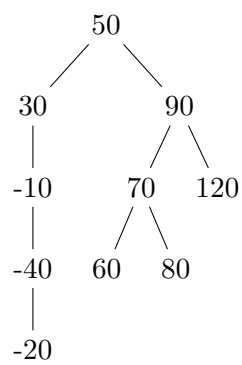
b)  $\{a, b, f\}, \{c, d, e, g, h\}$

c) Graph from the given adjacency matrix:

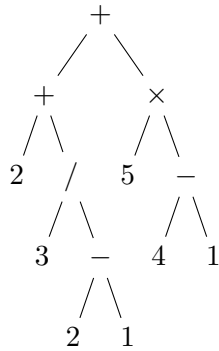


## 3

a) Binary search tree:



b) i. Ordered rooted tree of the given expression:



ii. Prefix expression:

$$(+ \ (+ \ 2 \ (/ \ 3 \ (- \ 2 \ 1))) \ (\times \ 5 \ (- \ 4 \ 1)))$$

Evaluating the expression:

$$\begin{aligned} &= (+ \ (+ \ 2 \ (/ \ 3 \ 1)) \ (\times \ 5 \ 3)) \\ &= (+ \ (+ \ 2 \ 3) \ 15) \\ &= (+ \ 5 \ 15) \\ &= 20 \end{aligned}$$

- c) The number of edges in a full  $m$ -ary tree with  $i$  internal vertices is  $m \times i$ . Therefore, in a full 3-ary tree with 24 internal vertices the number of edges  $= 3 \times 24 = 72$ .

## 4

a)

$$\begin{aligned} n &= 20 \\ k &= 64 \\ N &=? \\ \left\lceil \frac{N}{k} \right\rceil &= n \\ \left\lceil \frac{N}{64} \right\rceil &= 20 \\ \text{minimum } N &= 1217 \end{aligned}$$

- b) i. Total numof arrangements - numof arrangements where 'T' s are together.

$$\frac{9!}{2!} - 8!$$

- ii. 4 vowels,  $4!$  ways to permute among themselves; two 'T' s.

$$\frac{6! \times 4!}{2!}$$

- iii. 5 consonants,  $\frac{5!}{2!}$  ways to permute among themselves because two 'T' s.

$$5! \times \frac{5!}{2!}$$

$$\begin{aligned}
\text{c) } & v c v c v c v \rightarrow 5^4 \times 21^3 \\
& c v c v c v c \rightarrow 5^3 \times 21^4 \\
& \text{total} = \text{sum}
\end{aligned}$$