```
mat2 = {{1, 1, 0}, {1, 4, 3}, {0, 3, 1}}; MatrixForm[mat2]
                                                            (* Matrix *)
                                         行列形式
( 1 1 0
 1 4 3
 0 3 1
base2 = Eigensystem[mat2]
       |固有値と固有ベクトルのリスト
 (* Eigenvalues and Eigenvectors
                                       *)
    固有值
                      固有ベクトル
\{\{6, -1, 1\}, \{\{1, 5, 3\}, \{1, -2, 3\}, \{-3, 0, 1\}\}\}
u1 = Transpose[{{1, 5, 3}}]; MatrixForm[u1]
    転置
                             行列形式
(* 1st eigenvector (u1) *)
/ 1
 5
\ 3
u2 = Transpose[{{1, -2, 3}}]; MatrixForm[u2]
    転置
                               |行列形式
(* 2nd eigenvector (u2)
                              *)
 1
 - 2
 ∖ 3
u3 = Transpose[{{-3, 0, 1}}]; MatrixForm[u3]
    転置
                               一行列形式
     3rd eigenvector (u3)
(*
  - 3
  0
x = Table[g1 * (6) ^t * u1 + g2 * (-1) ^t * u2 + g3 * (1) ^t * u3, {t, 0, 5}];
   【リストを作成
(* Obtain x(t)
                   *)
x[[1]]
     Solution at 1st timestep
\{ \{g1 + g2 - 3g3\}, \{5g1 - 2g2\}, \{3g1 + 3g2 + g3\} \}
x[[2]]
(* Solution at 2nd timestep
\{ \{ 6 g1 - g2 - 3 g3 \}, \{ 30 g1 + 2 g2 \}, \{ 18 g1 - 3 g2 + g3 \} \}
x[[3]]
     Solution at 3rd timestep
                                   *)
\{\{36 g1 + g2 - 3 g3\}, \{180 g1 - 2 g2\}, \{108 g1 + 3 g2 + g3\}\}
x[[4]]
(*
     Solution at 4th timestep
                                  *)
\{\{216\ g1-g2-3\ g3\},\ \{1080\ g1+2\ g2\},\ \{648\ g1-3\ g2+g3\}\}
```

```
x[[5]]
      Solution at 5th timestep
\left\{\,\left\{\,1296\;g1+g2-3\;g3\,\right\}\,\text{, }\left\{\,6480\;g1-2\;g2\,\right\}\,\text{, }\left\{\,3888\;g1+3\;g2+g3\,\right\}\,\right\}
xt = Transpose[x];
     転置
zuxt = xt /. \{g1 -> 2, g2 -> 1, g3 -> 1\};
fig1 = ListPlot[{Flatten[zuxt[[1]]], Flatten[zuxt[[2]]], Flatten[zuxt[[3]]]},
       [リストプ…
                   [平滑化
                                              平滑化
  Joined → True]
                                    Real axis
                             (*
                                                       *)
  |点の結合 | 真
                                    実数の頭部
fig2 = ListLogPlot[{Flatten[zuxt[[1]]], Flatten[zuxt[[2]]], Flatten[zuxt[[3]]]},
       _リストの対数…
                       平滑化
                                                  平滑化
  Joined \rightarrow True]
                         (*
                                 Semi-Log axis
                                                         *)
  点の結合 真
                                       対数
30 000
25000
20 000
15000
10000
 5000
 10<sup>5</sup> |
 10<sup>4</sup>
1000
 100
 10
```

```
zuxt = xt /. \{g1 -> 2, g2 \rightarrow 0, g3 \rightarrow 0\};
(* If we neglect 2nd and 3rd terms.....
                                                                *)
fig4 = ListLogPlot[
       しリストの対数プロット
   {Flatten[zuxt[[1]]], Flatten[zuxt[[2]]], Flatten[zuxt[[3]]]}, Joined \rightarrow True]
                              平滑化
                                                                                    |点の結合 |真
                                                        平滑化
 10<sup>5</sup> |
 10<sup>4</sup>
1000
100
 10
Show[fig2, fig4]
(*
          Let's compare these two
                                                *)
10<sup>5</sup> |
10<sup>4</sup>
1000
100
 10
```