

Making Predictions With The Speech Recognition System By Using Deep Learning

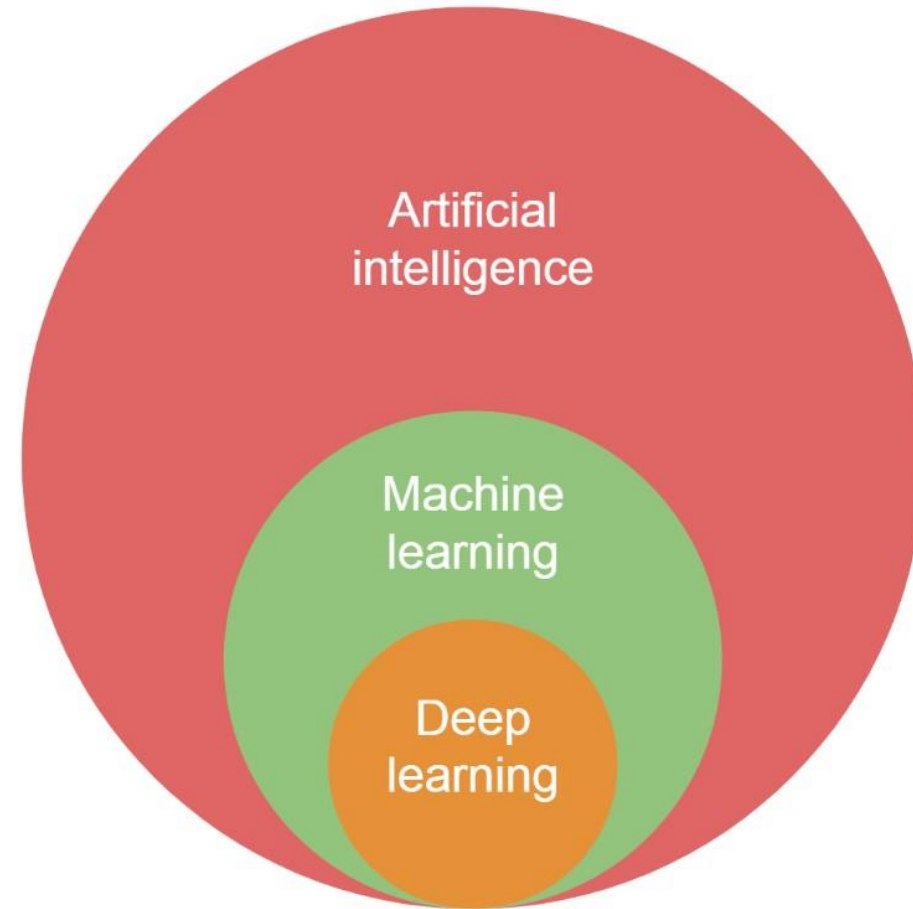
Members:

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Batuhan Bayram Altıparmak

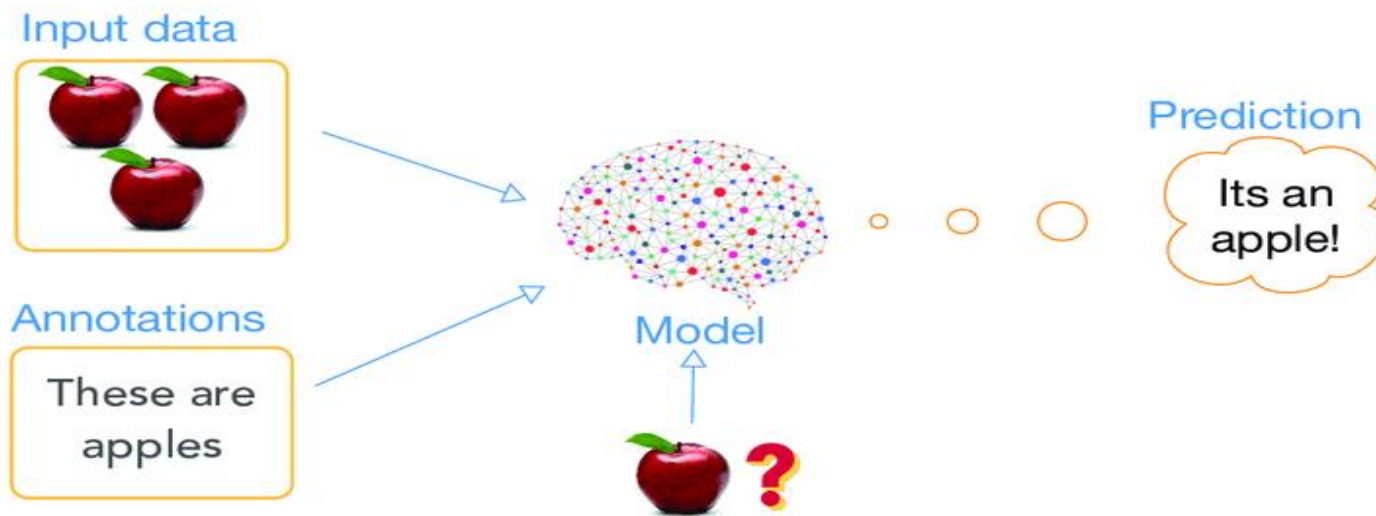
Veysel Karani Yanpala



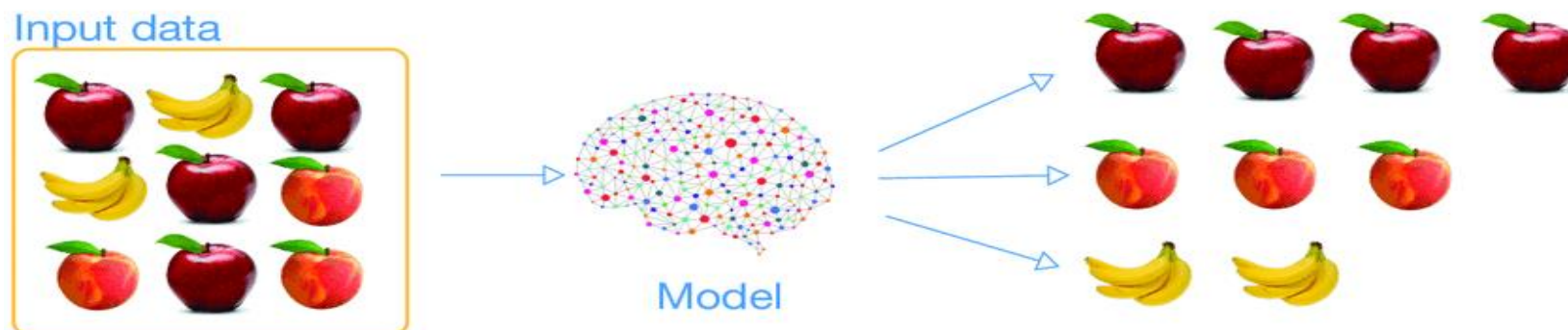
Types Of Machine Learning

- Supervised Learning : Tell The Algorithm
- Unsupervised Learning: Don't Tell The Algorithm
- Reinforcement Learning : Learns through rewards or mistakes.

supervised learning

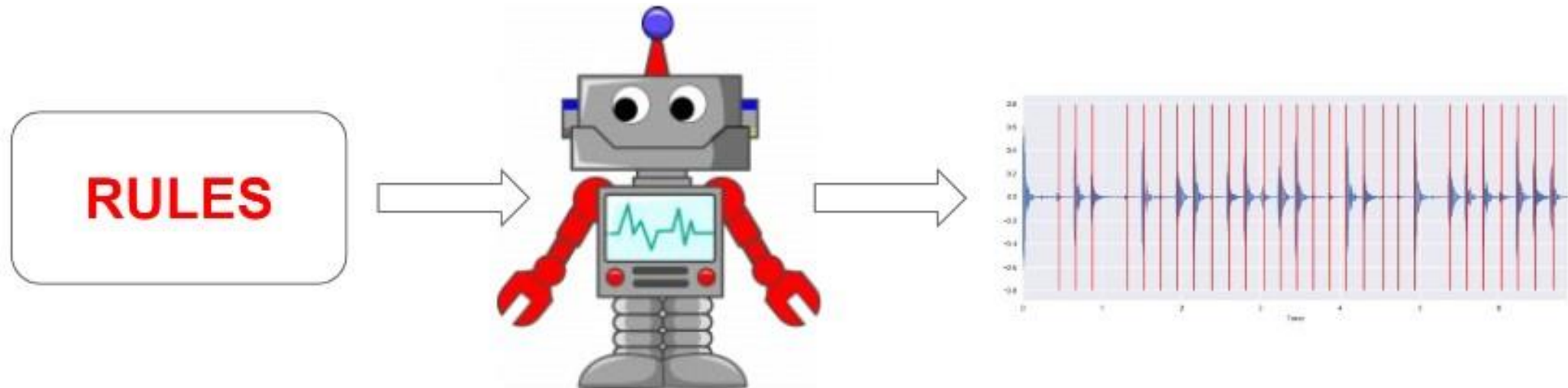
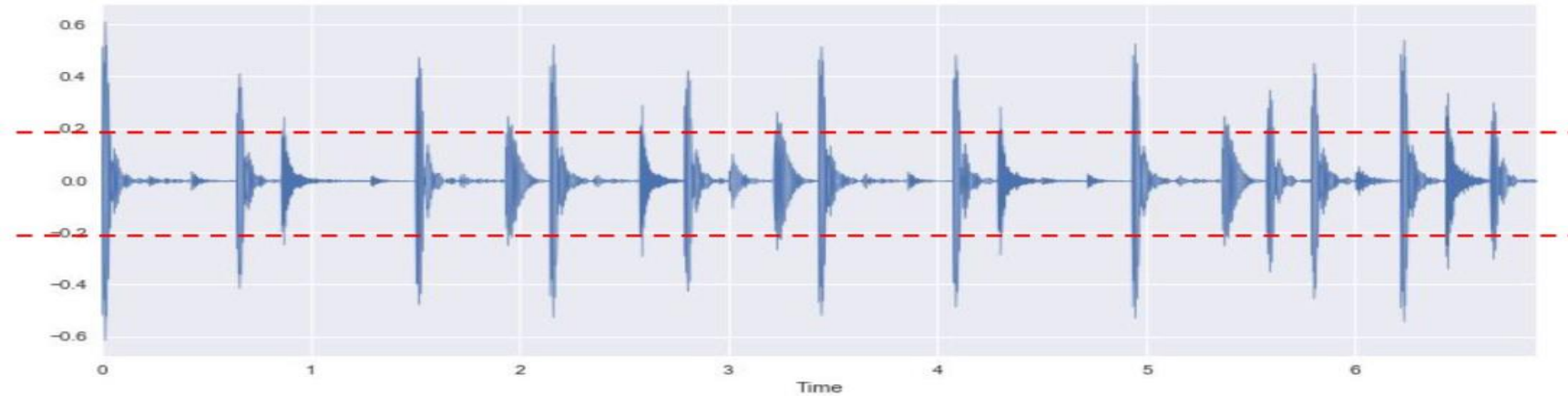


unsupervised learning

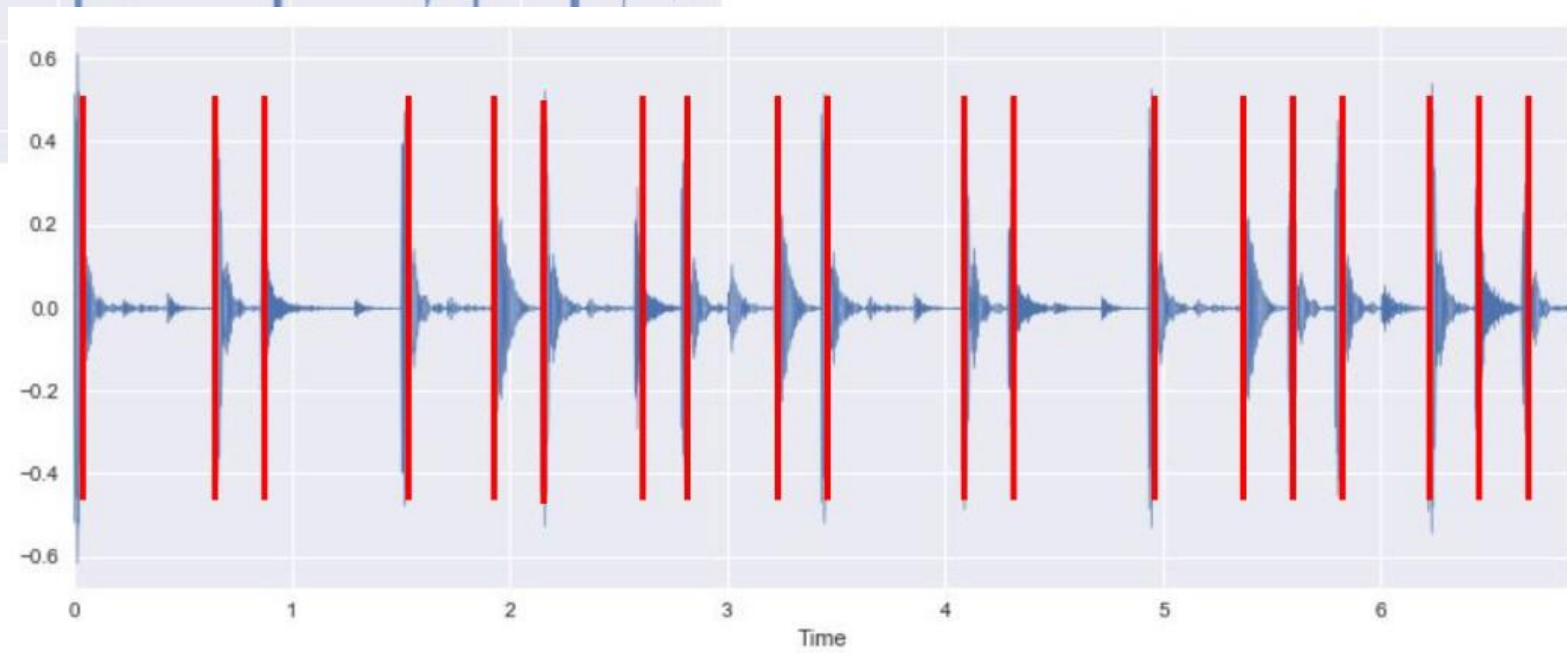
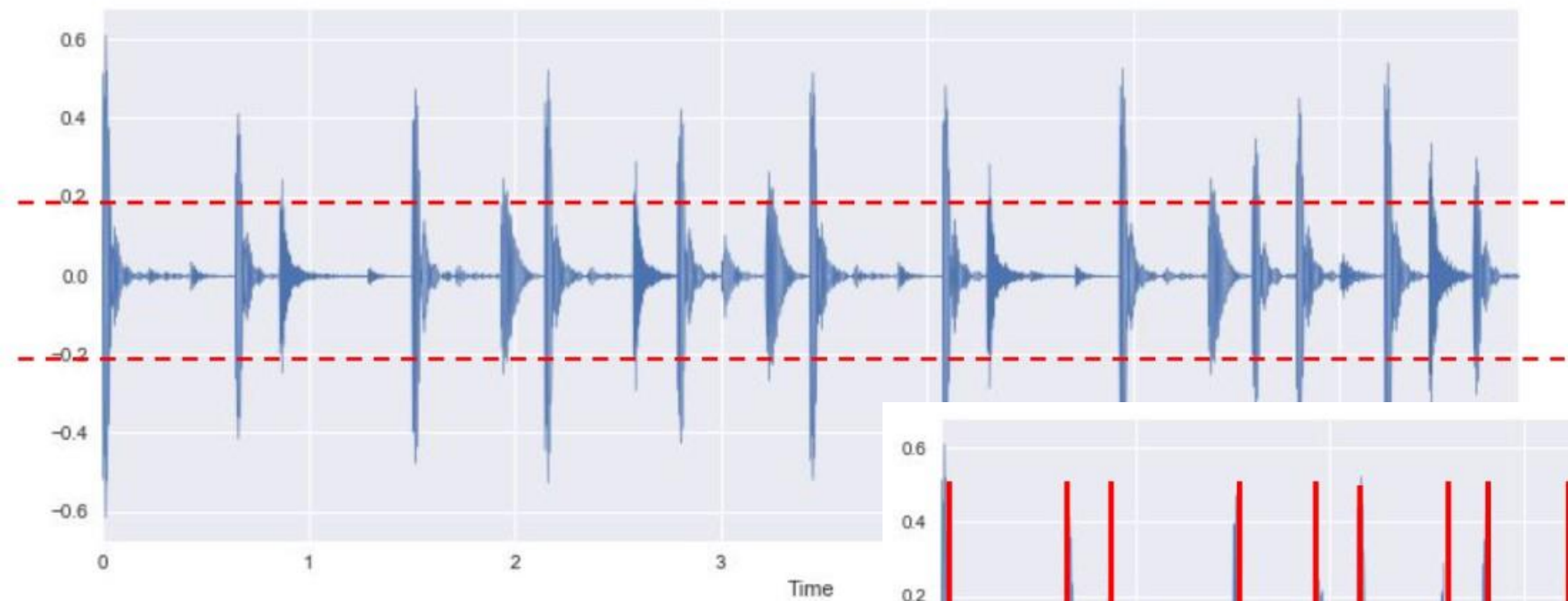


Supervised Learning

Rule: Don't Pass Larger Than 0.2



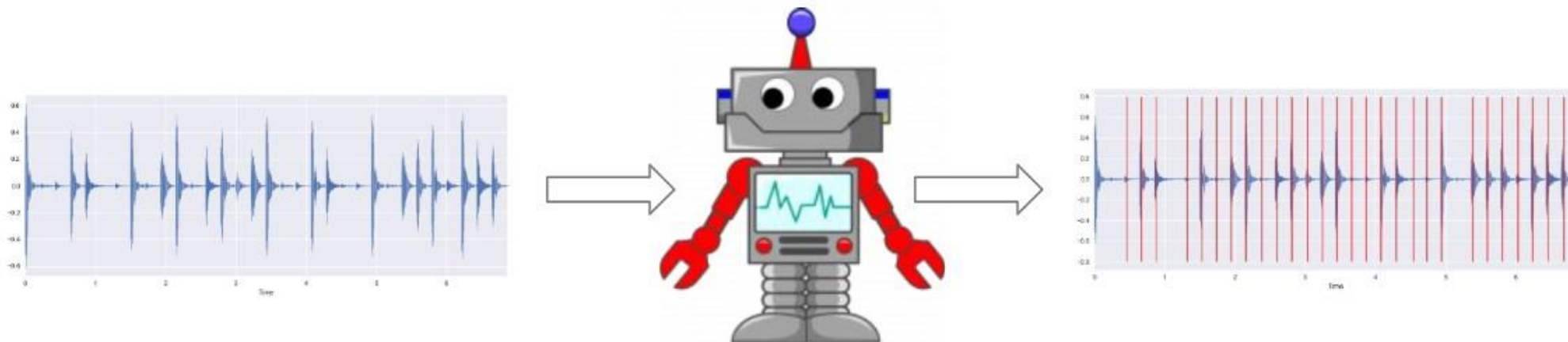
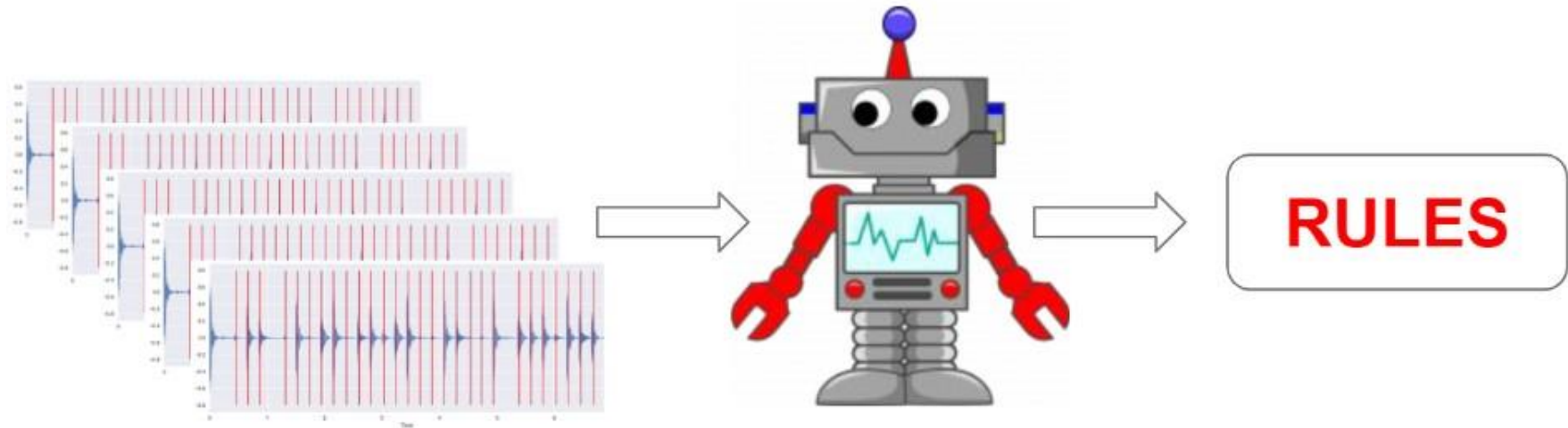
Rule Applied



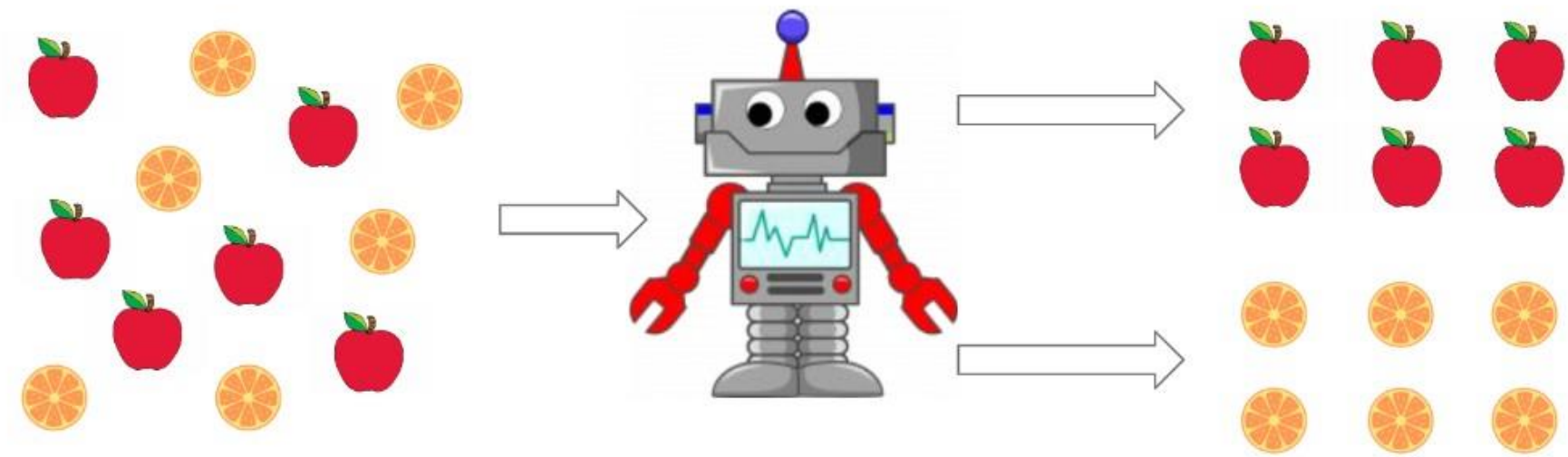
Supervised Learning

Taking data+Algorithm.

Extract Rule.



Unsupervised Learning

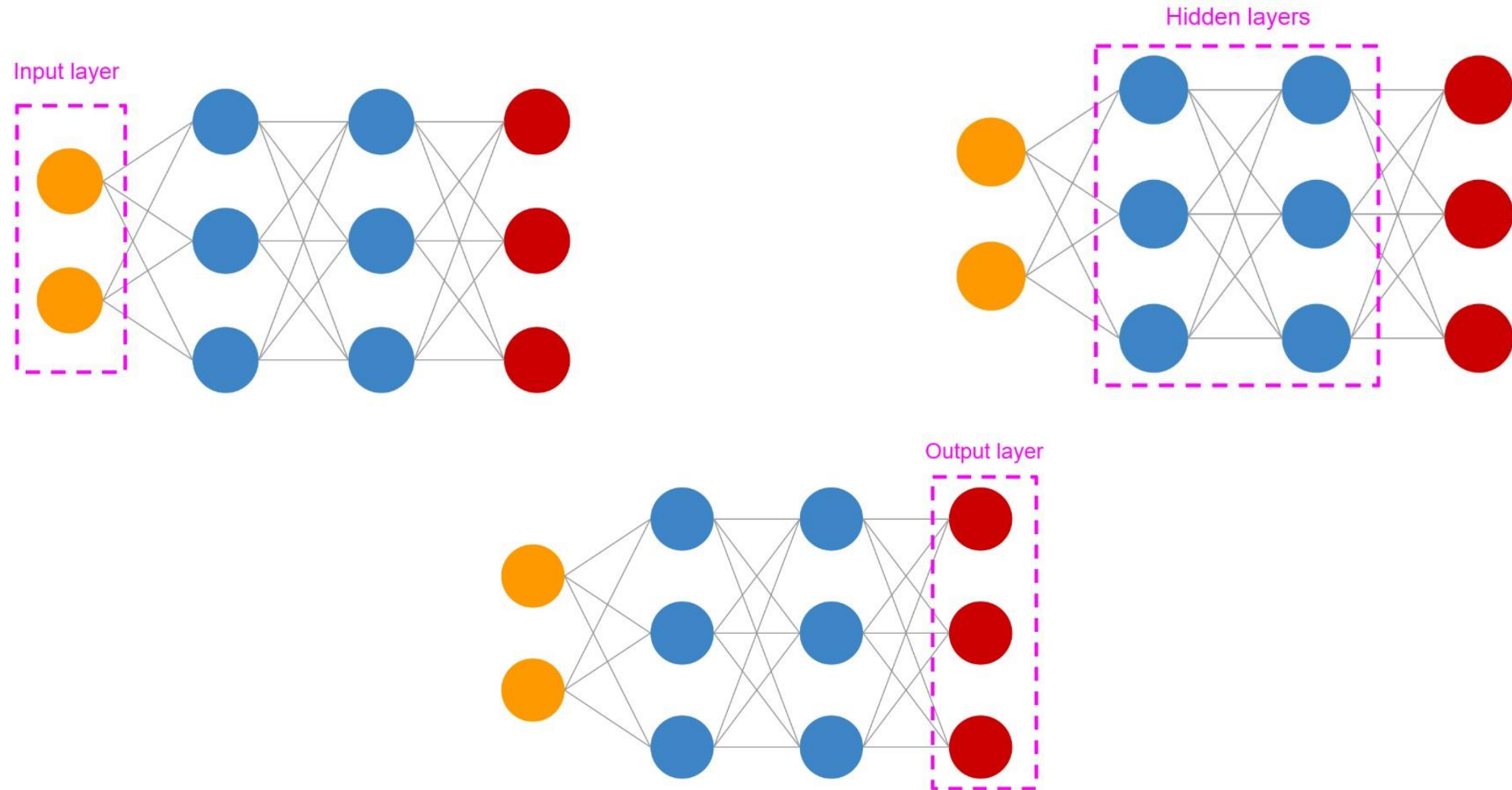


Reinforcement Learning

Learns through rewards.



Neural Network- One Algorithm of Machine Learning



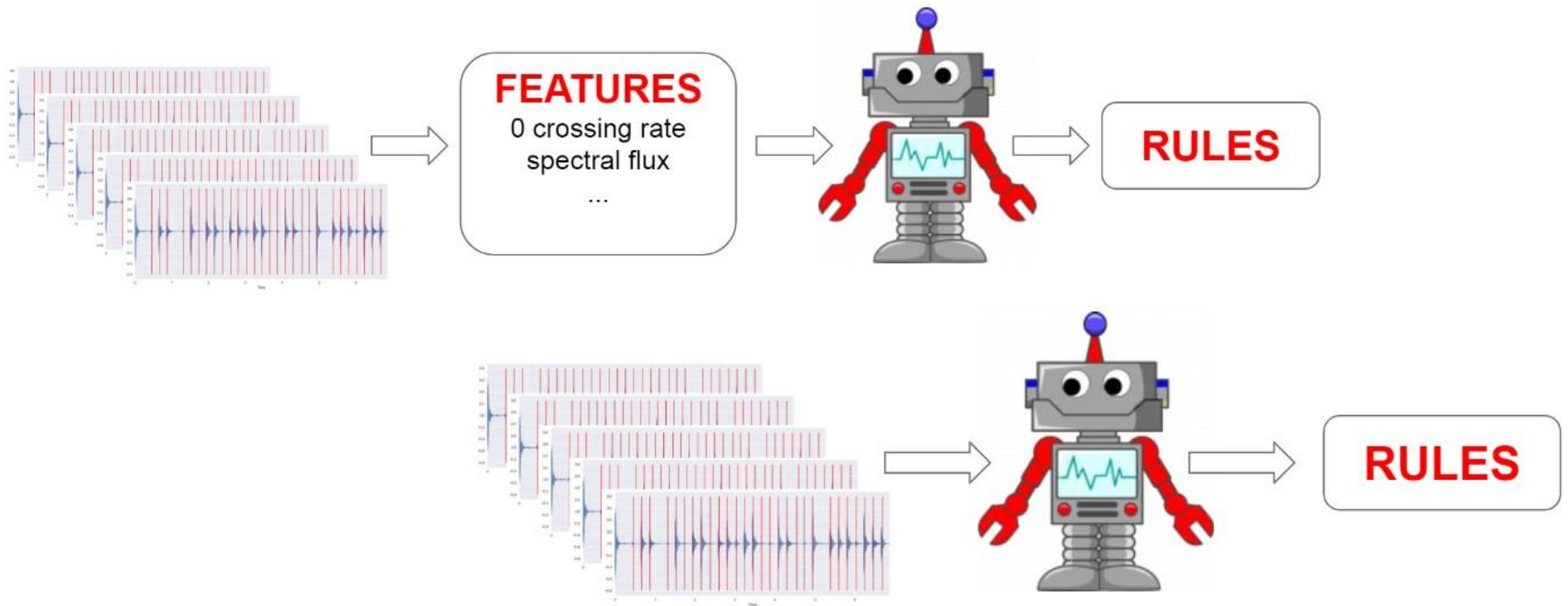
Deep Learning

- Subset of ML.
- Deep neural network.
- >1 hidden layer.

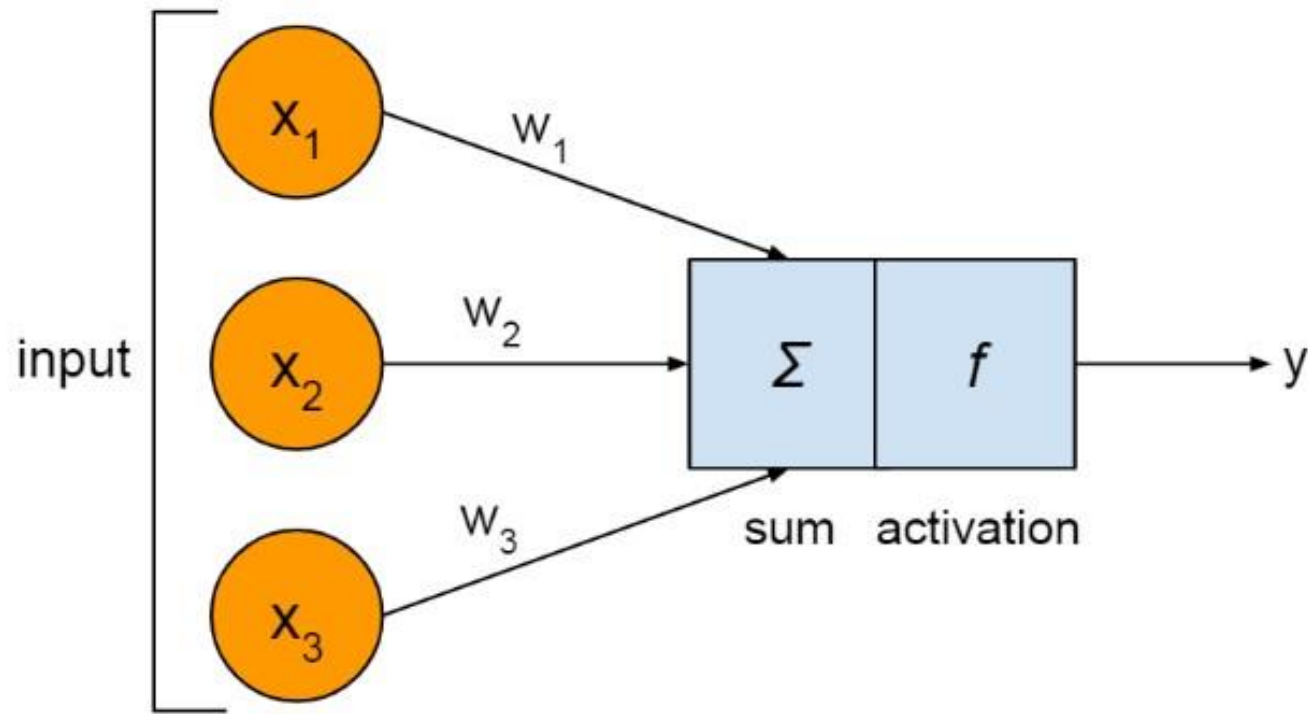
A little bit more ML vs DL

Determine feature for ML.

Row data input for DL.



Artificial Neuron



Inputs

Weights

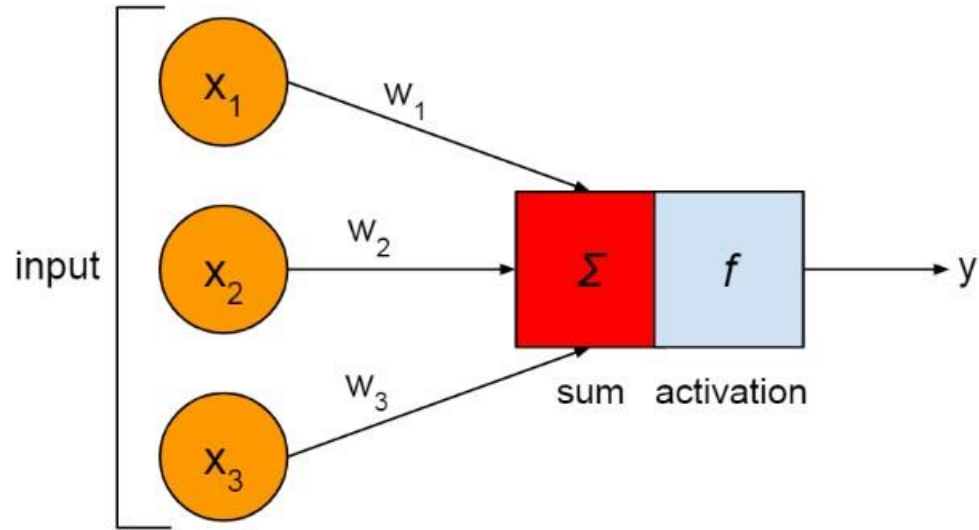
Functions

Output

Sum Function

h=All the inputs multiplied by their ways.

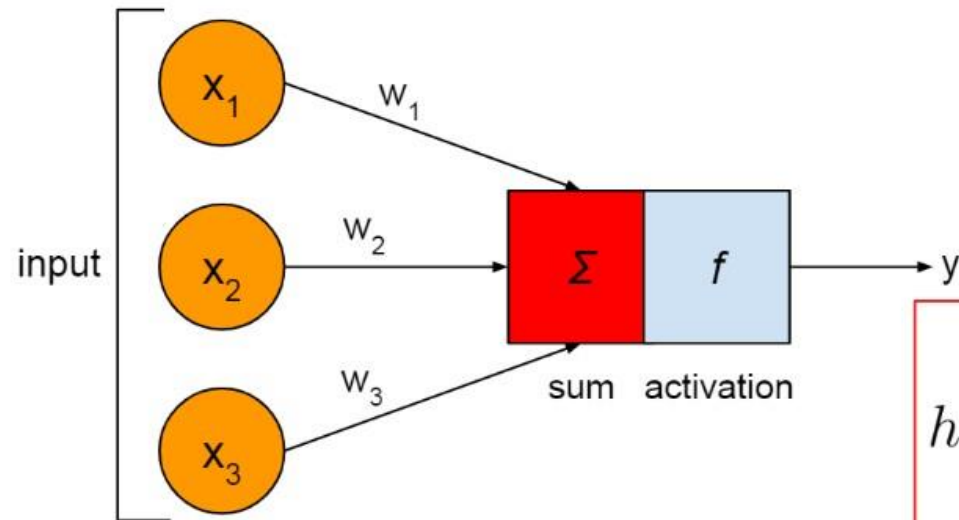
h= Net input.



$$h = \sum_i x_i w_i = x_1 w_1 + x_2 w_2 + x_3 w_3$$

Sum Function

Dot Product

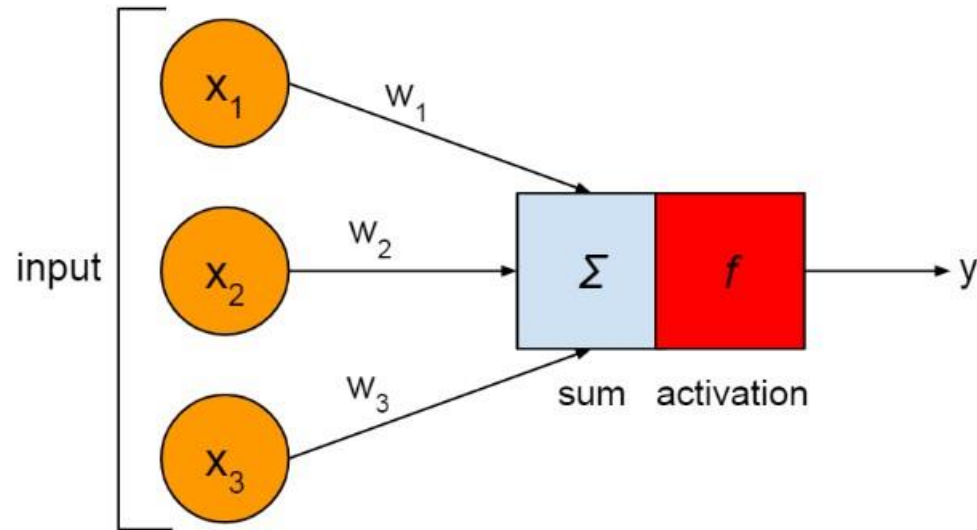


$$h = \sum_i x_i w_i = x_1 w_1 + x_2 w_2 + x_3 w_3$$

$$h = \mathbf{x} \cdot \mathbf{w} = \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} \cdot \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} = x_1 w_1 + x_2 w_2 + x_3 w_3$$

Activation Function

Output y is function of activation function.

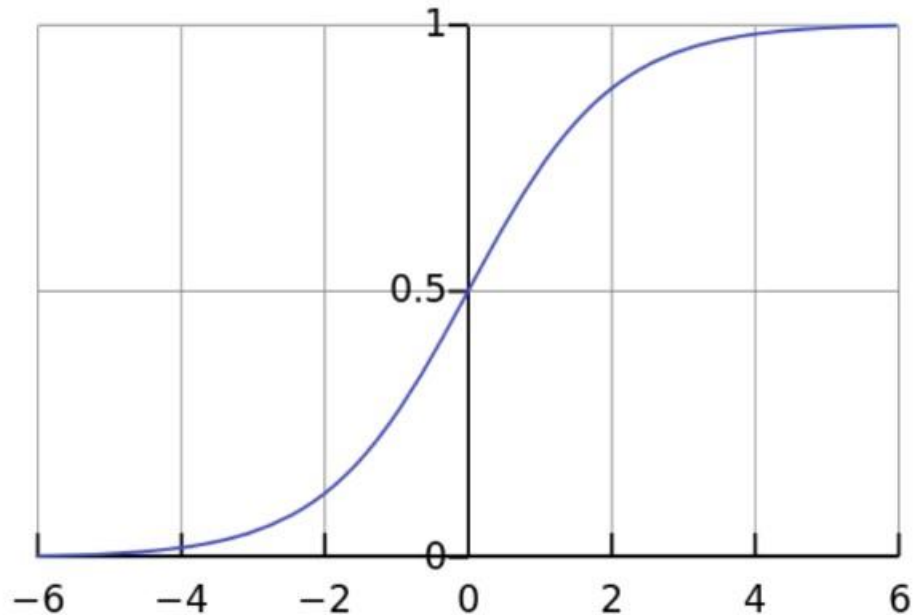


$$h = \sum_i x_i w_i = x_1 w_1 + x_2 w_2 + x_3 w_3$$

$$y = f(h) = f(x_1 w_1 + x_2 w_2 + x_3 w_3)$$

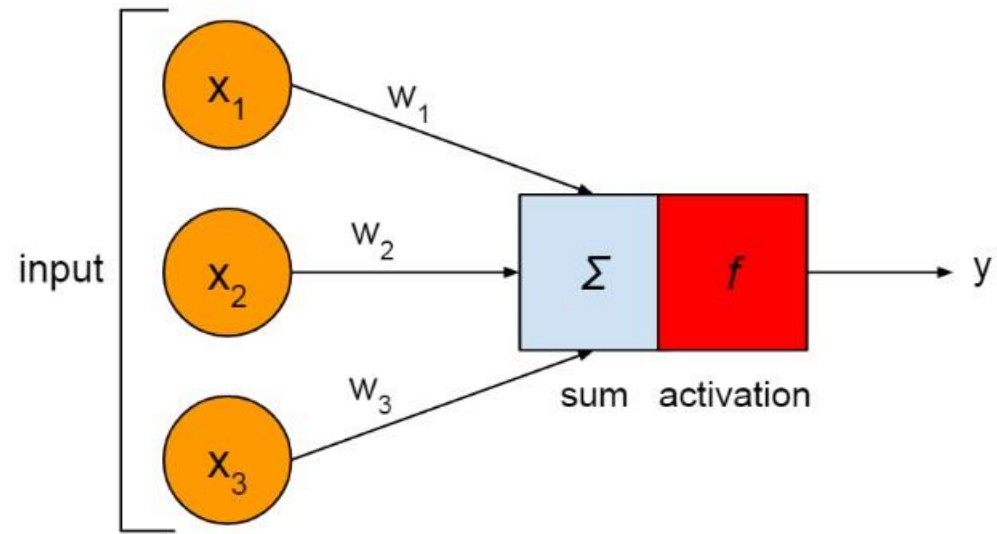
Activation Func. As Sigmoid Function – WHY?

Bounded 0 to 1
Smooth
No discontinuity
Can be differentiated



$$y = \frac{1}{1 + e^{-x}}$$

Output

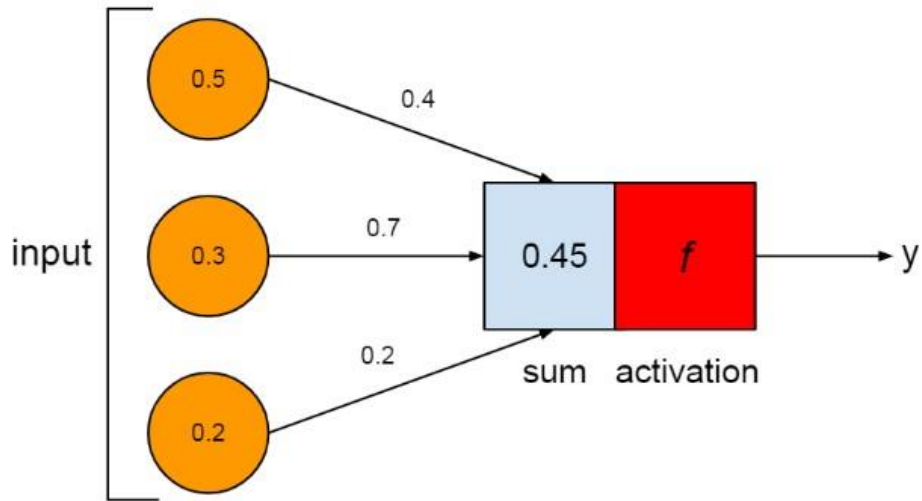


$$h = \sum_i x_i w_i = x_1 w_1 + x_2 w_2 + x_3 w_3$$

$$y = f(h) = f(x_1 w_1 + x_2 w_2 + x_3 w_3)$$

$$y = \frac{1}{1 + e^{-(x_1 w_1 + x_2 w_2 + x_3 w_3)}}$$

Example



0.5 0.3 0.2 are inputs

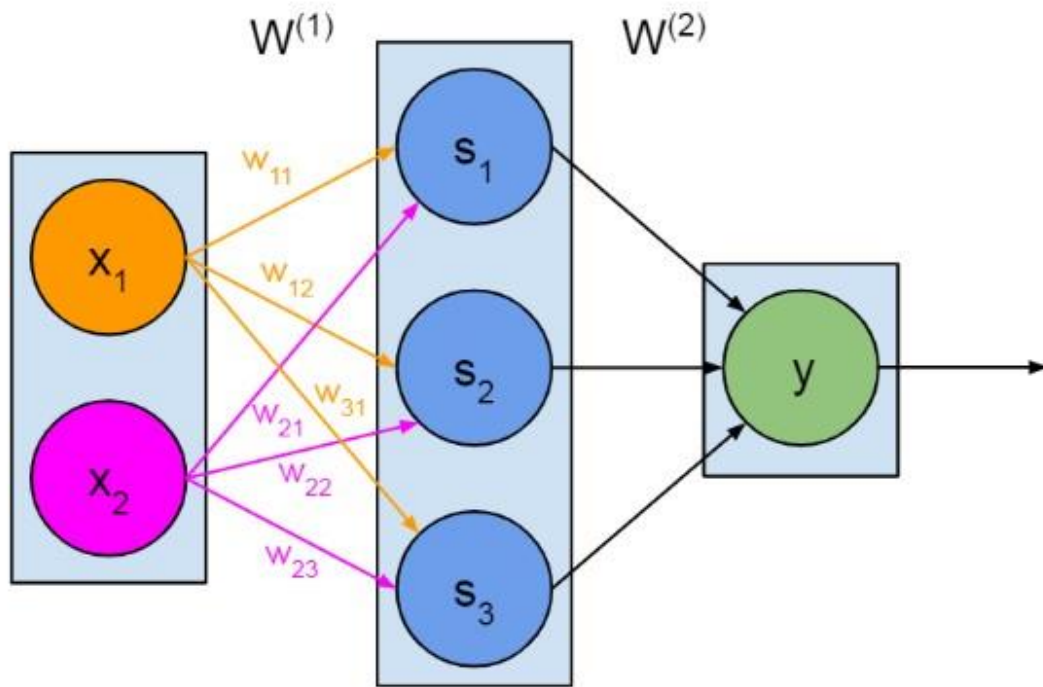
0.4 0.7 0.2 are weights

Output $y = \text{activation}(\text{inputs}, \text{weights})$

$$h = x_1w_1 + x_2w_2 + x_3w_3 = 0.5 \cdot 0.4 + 0.3 \cdot 0.7 + 0.2 \cdot 0.2 = 0.45$$

$$y = \frac{1}{1 + e^{-0.45}} = 0.61$$

Weights



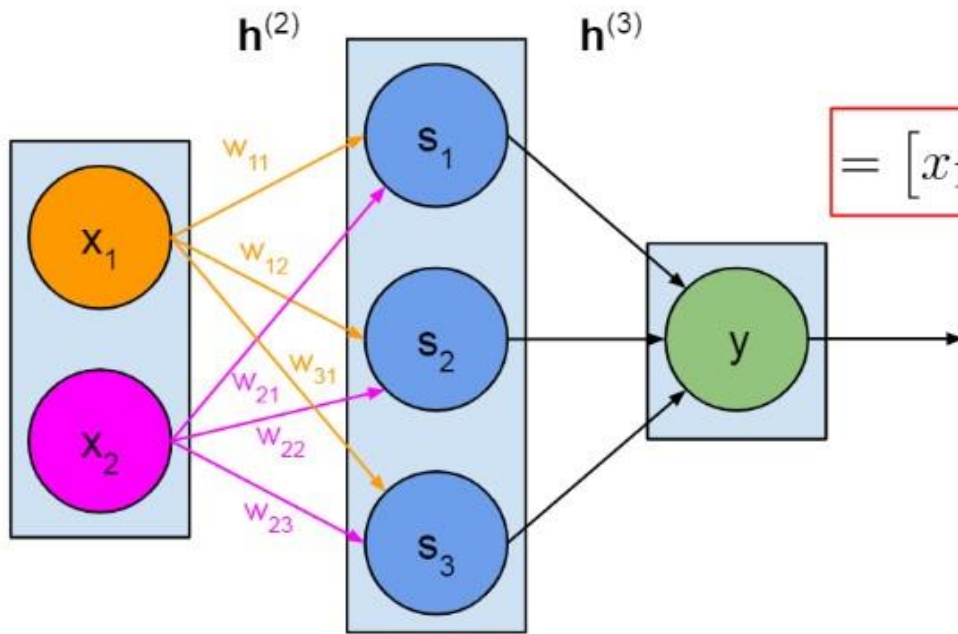
$$W^{(1)} = \begin{bmatrix} w_{11} & w_{12} & w_{13} \\ w_{21} & w_{22} & w_{23} \end{bmatrix}$$

Net Input

Matrice multiplication

Find all inputs for all s and sum.

$h_1 \Rightarrow s_1$ $h_2 \Rightarrow s_2$ $h_3 \Rightarrow s_3$

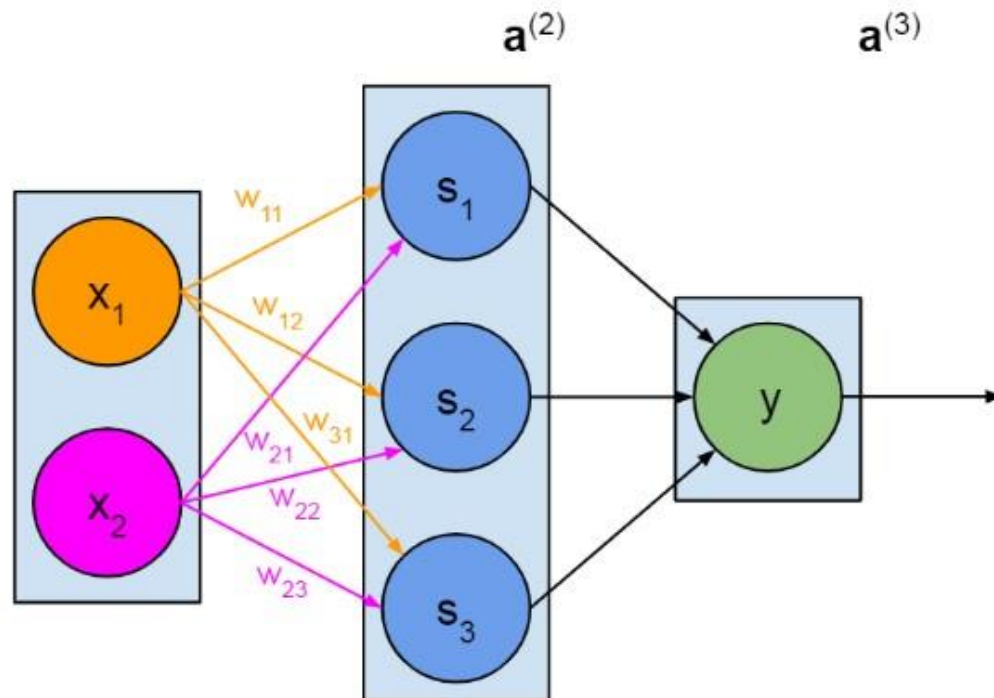


$$\mathbf{h}^{(2)} = \mathbf{x}W^{(1)} = \begin{bmatrix} x_1 & x_2 \end{bmatrix} \begin{bmatrix} w_{11} & w_{12} & w_{13} \\ w_{21} & w_{22} & w_{23} \end{bmatrix}$$

$$= \begin{bmatrix} x_1w_{11} + x_2w_{21} & x_1w_{12} + x_2w_{22} & x_1w_{13} + x_2w_{23} \end{bmatrix} = \begin{bmatrix} h_1 & h_2 & h_3 \end{bmatrix}$$

Activation

\mathbf{a} is matrix = output of second layer
Activation applied for s_1, s_2, s_3

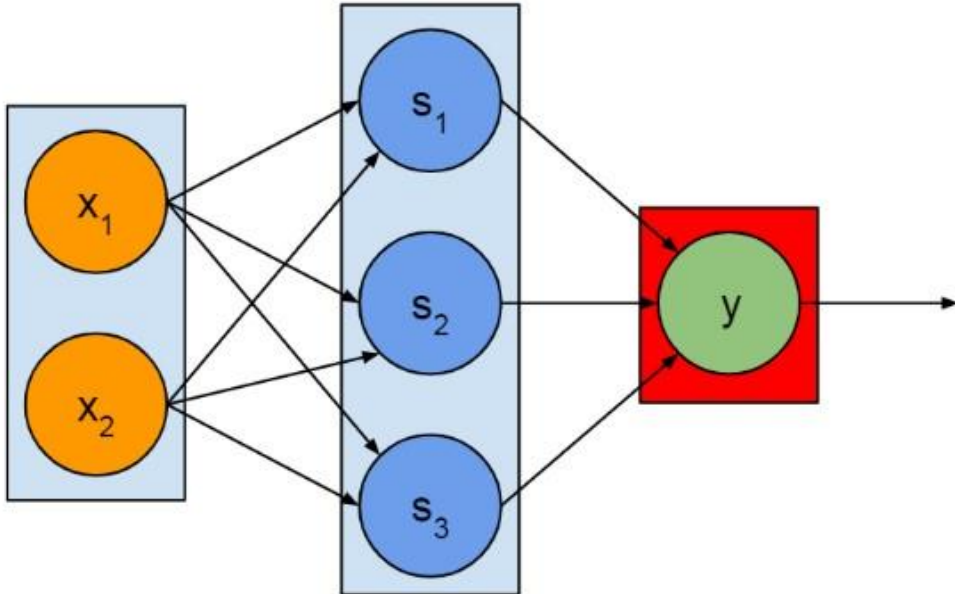


$$\mathbf{a}^{(2)} = f(\mathbf{h}^{(2)})$$

3rd Layer

$\mathbf{a}^{(2)}$ acts as an input

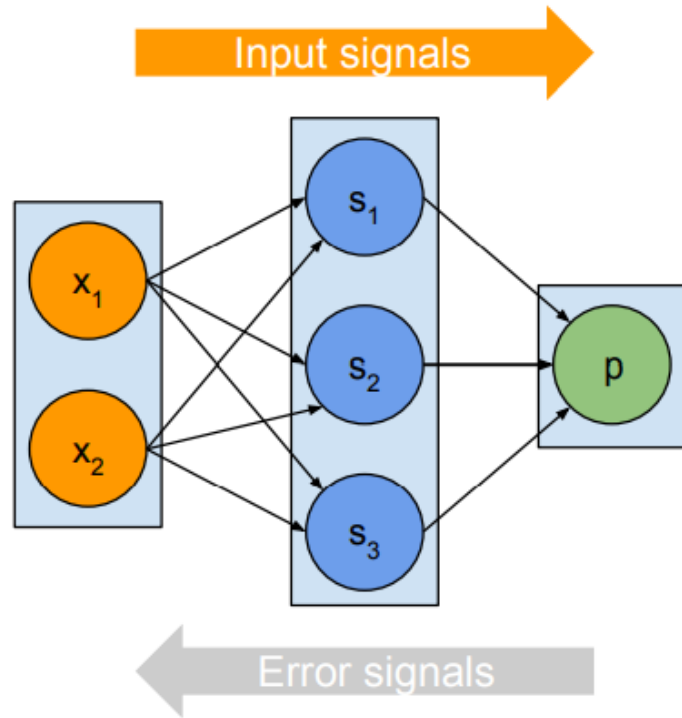
$\mathbf{h}^{(3)}$: net input of y



$$\mathbf{h}^{(3)} = \mathbf{a}^{(2)} W^{(2)}$$

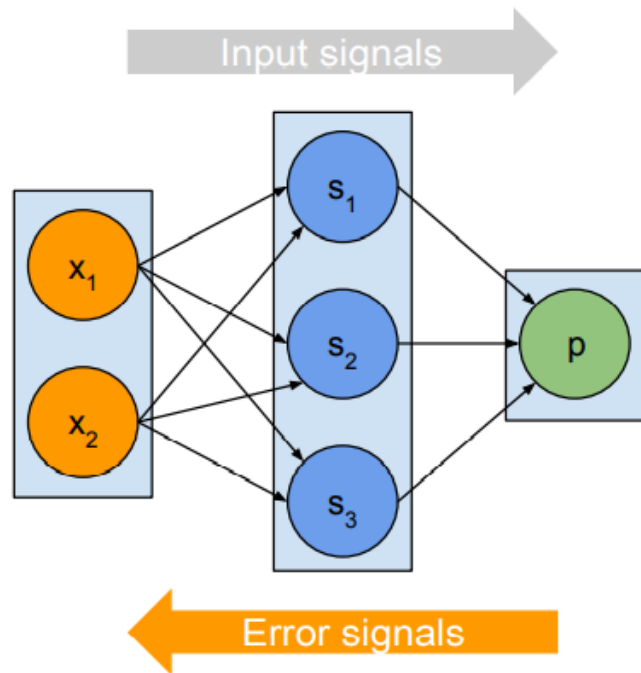
$$y = f(\mathbf{h}^{(3)})$$

TRAINING NEURAL NETWORK



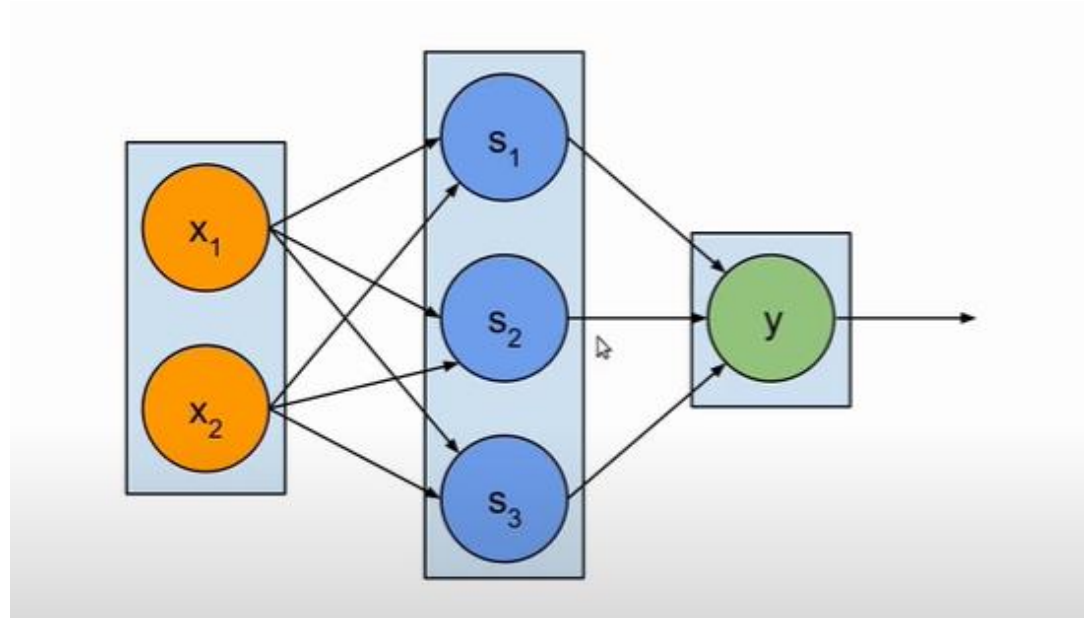
- ❖ Get prediction
- ❖ Calculate Error

INTRODUCTION TO BACK PROPAGATION



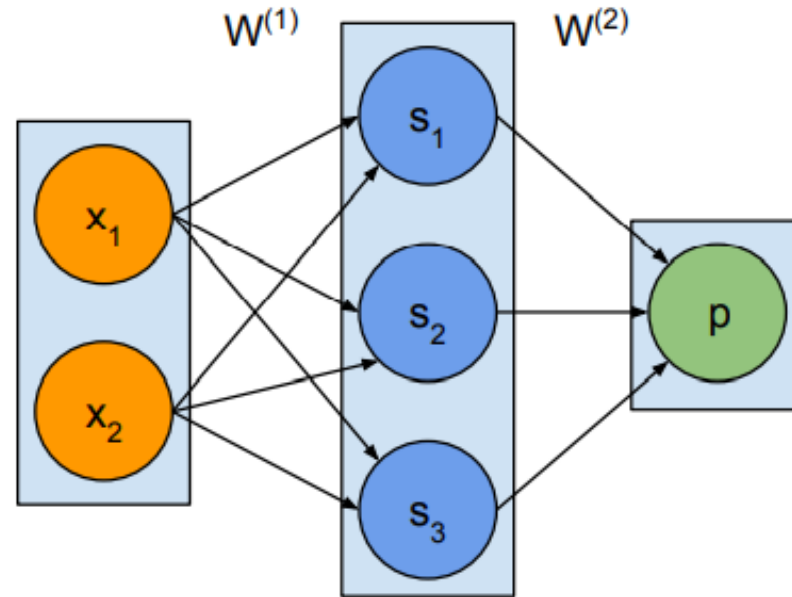
- ❖ Calculate error function of error function over the weights
- ❖ Update parameters

CALCULATE ERROR FUNCTION



$$E = E(\mathbf{p}, \mathbf{y}) = \frac{1}{2}(\mathbf{p} - \mathbf{y})^2$$

CALCULATE GRADIENT OF ERROR FUNCTION

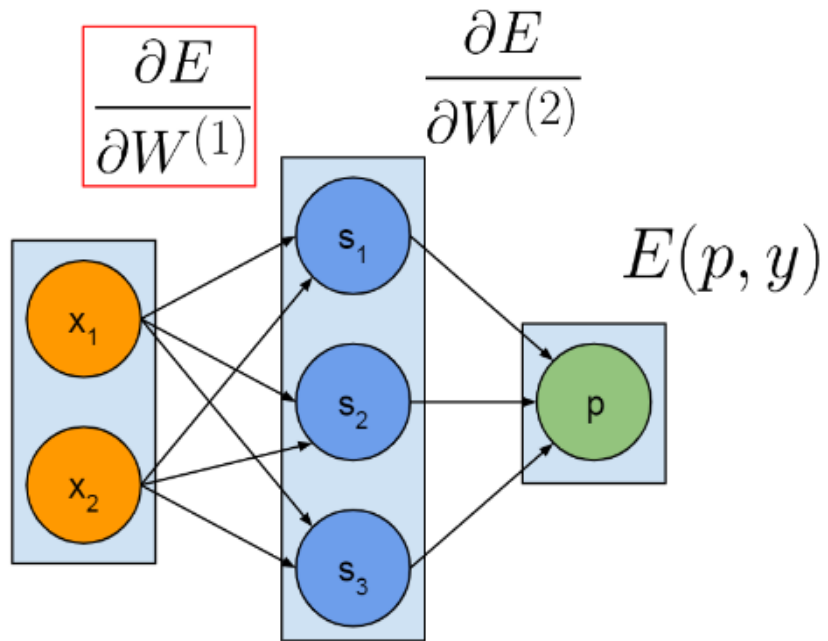


$$\frac{\partial E}{\partial W^{(n)}}$$

$$F = F(\mathbf{x}, W)$$

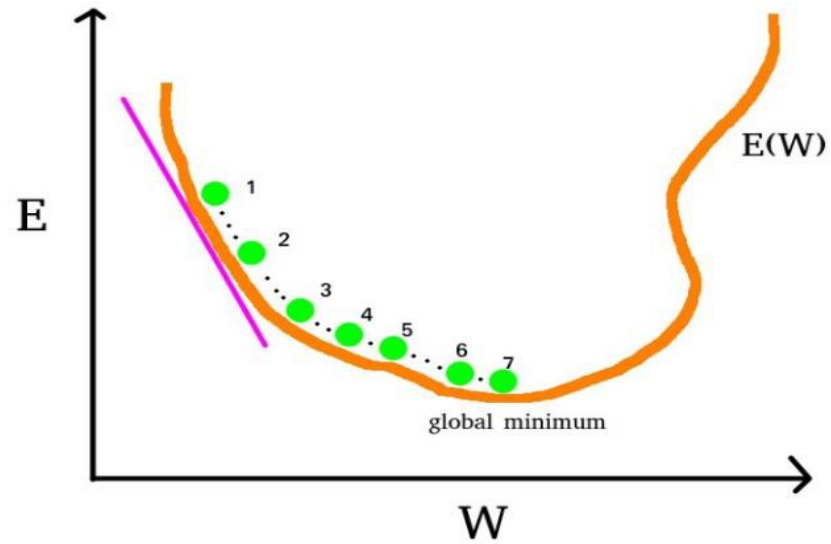
$$E = E(\mathbf{p}, \mathbf{y}) = E(F(\mathbf{x}, W), \mathbf{y})$$

BACKPROPAGATION



- ❖ We calculated error.
- ❖ We use errors to calculate first derivative with respect to w_2 and afterly w_1

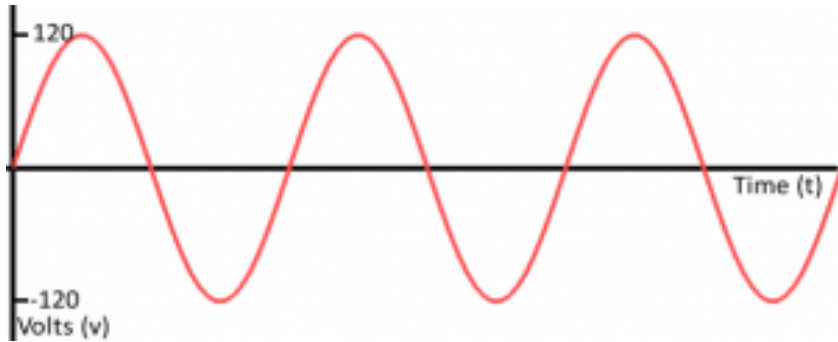
GRADIENT DESCENT



$E(W)$: Error Function
Purple line : Gradient

Take a step in opposite direction to gradient to get minimum error

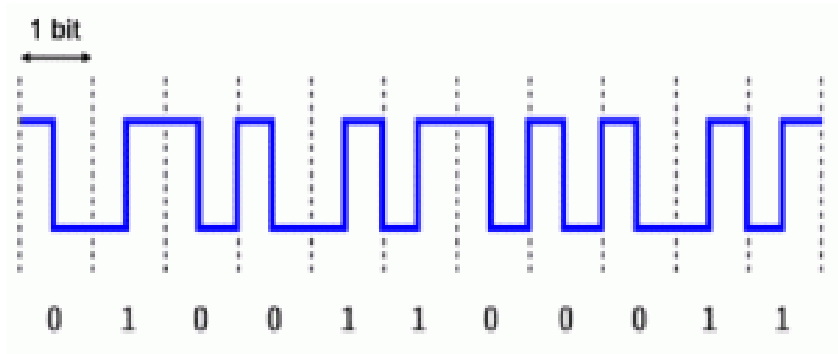
SIGNAL TYPES



Analog Signal:

It is continuous and uninterrupted

It consist of infinite point.



Digital Signal:

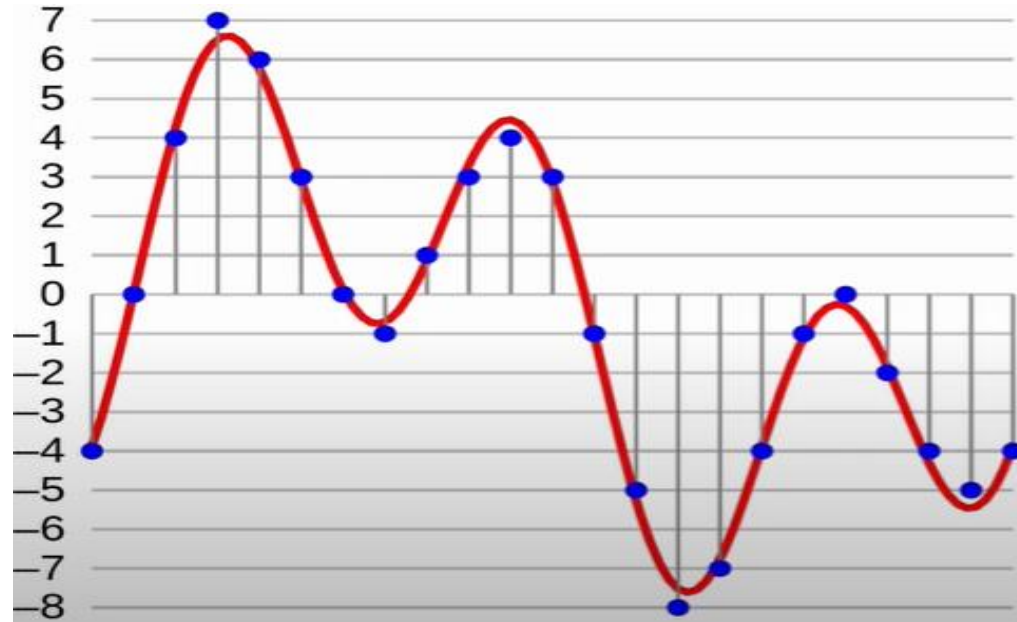
It is a discrete time signal

A set of values is available and it is temporary.

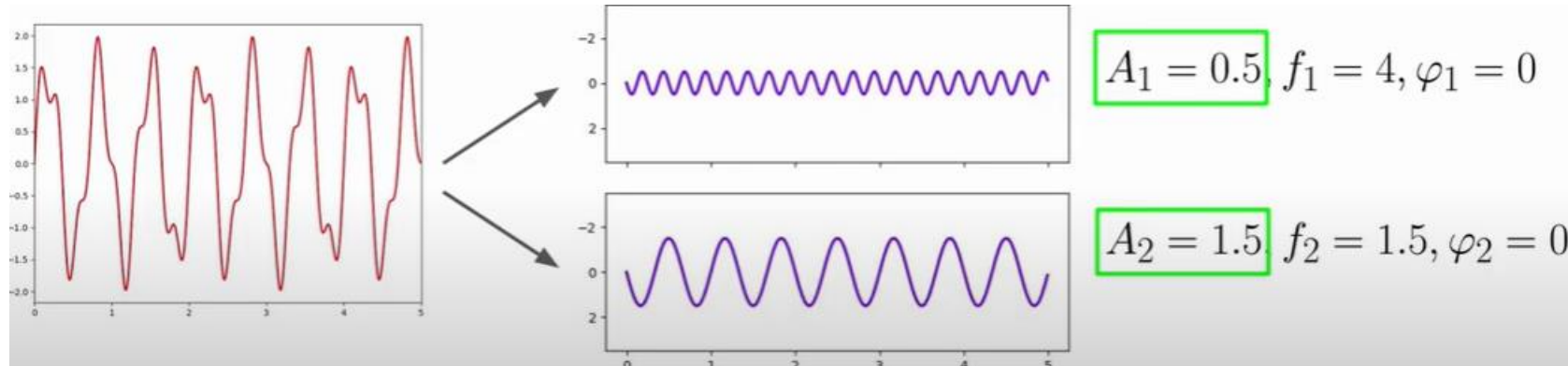
Analog to digital conversion consist of two steps:

1:Sampling

2:Quantization

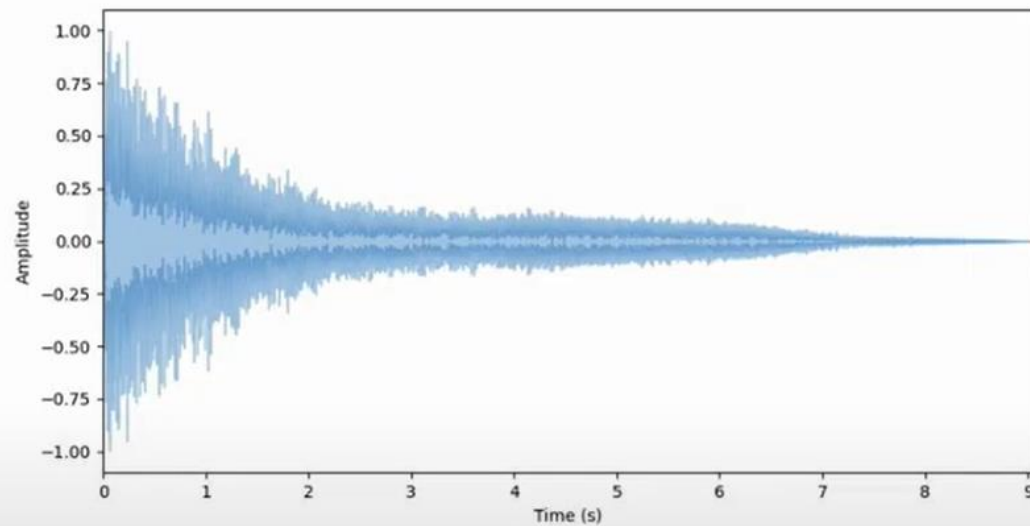


HOW WE CAN ANALYZE COMPOSED SIGNAL?

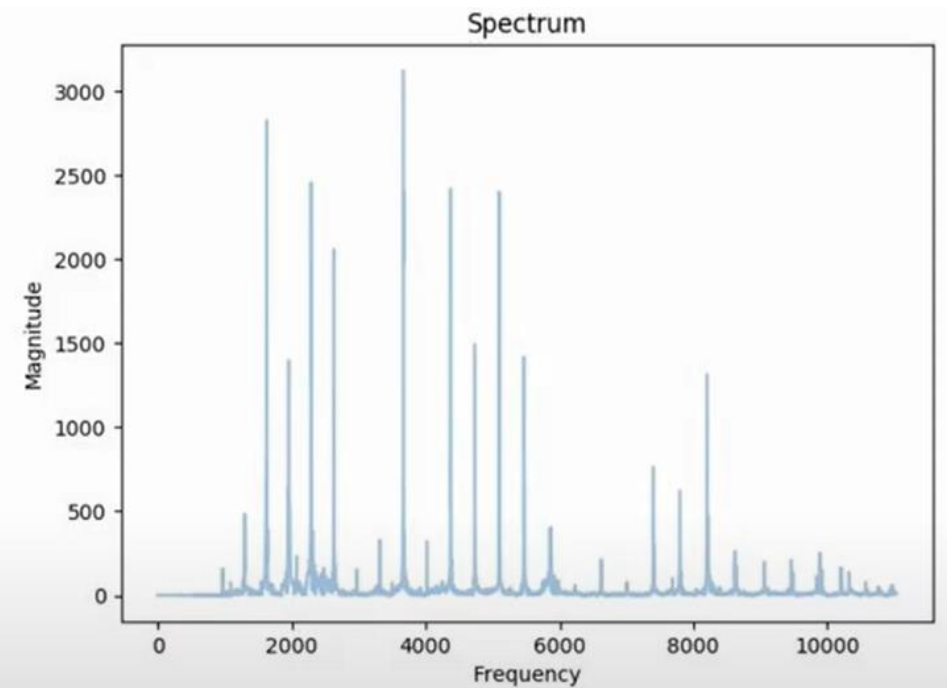


$$s = A_1 \sin(2\pi f_1 t + \varphi_1) + A_2 \sin(2\pi f_2 t + \varphi_2)$$

TIME DOMAIN  FREQUENCY DOMAIN



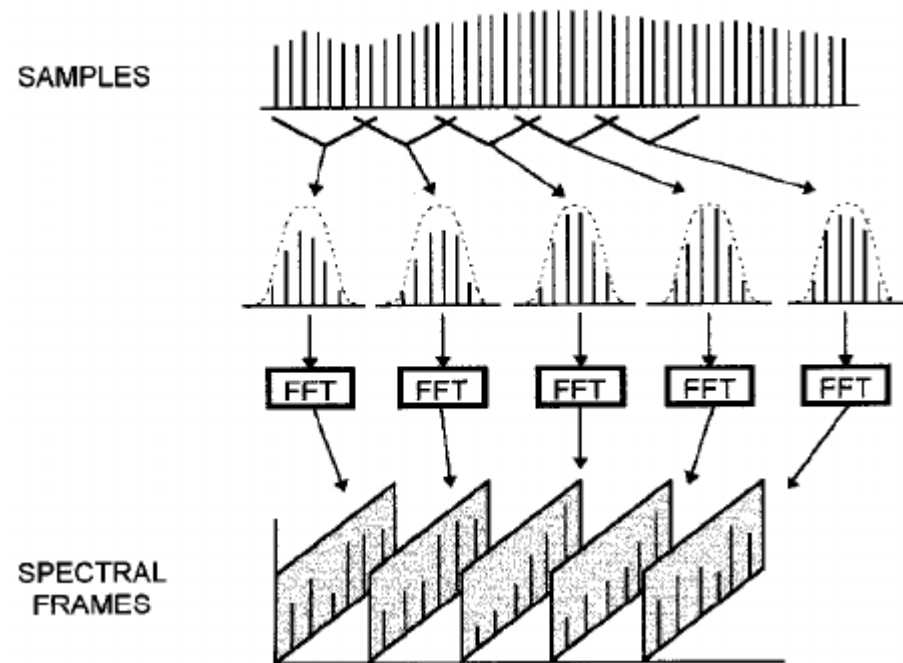
FFT

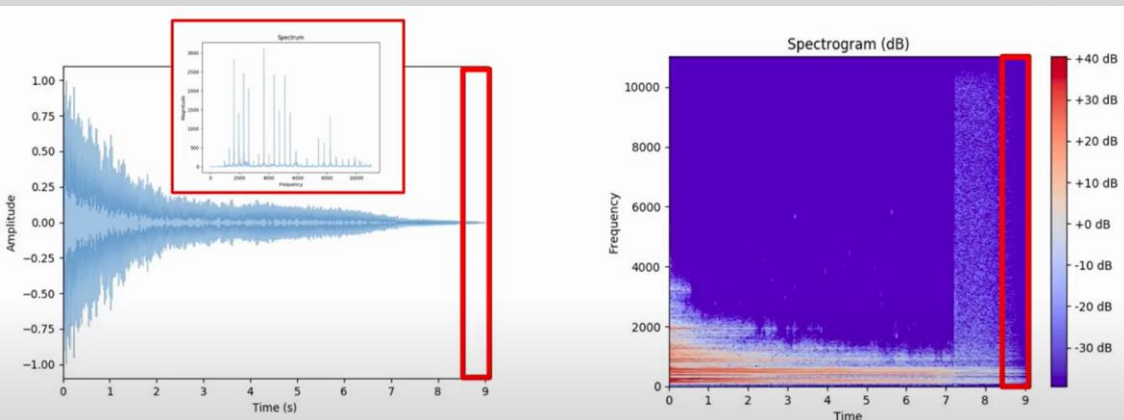
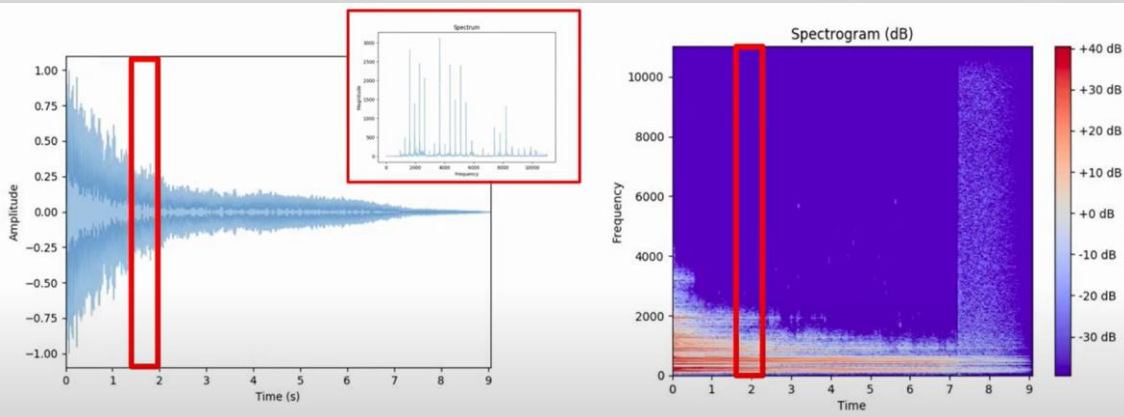
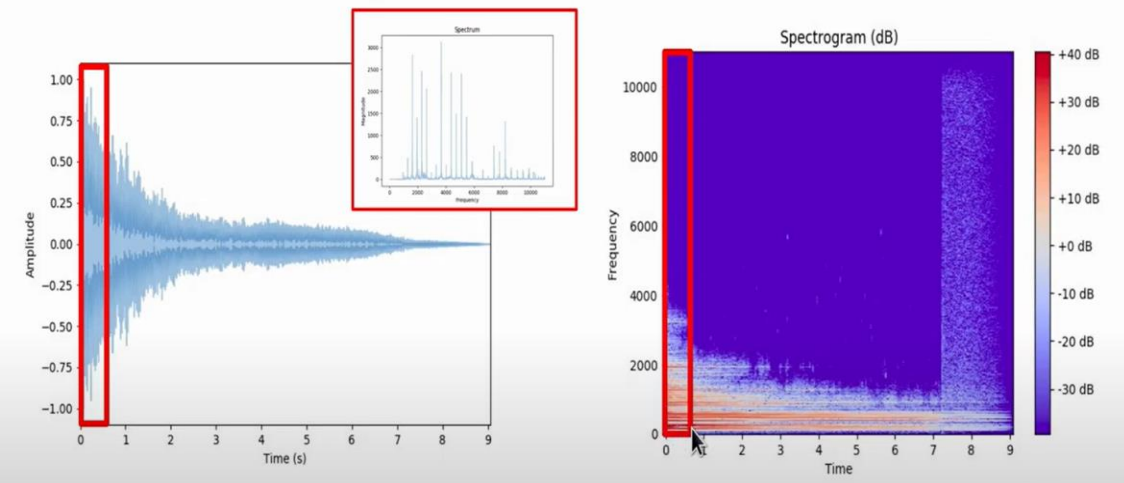


STFT

- Compute several FFT at different intervals

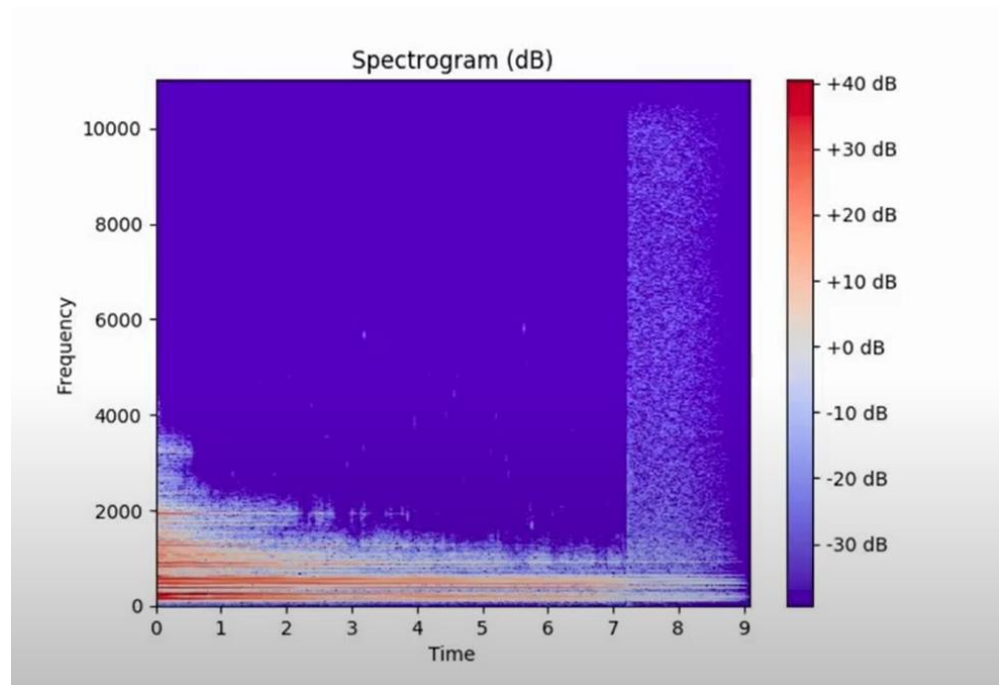
Preserve time information





- We shift and move frame left to right
- By applying STFT, we examine the wave in small frames
- We use spectrogram as a input for deep learning model

SPECTROGRAM



It includes time, frequency and magnitude(dB) information

INPUT OF DEEP LEARNING NETWORK IS READY !

