

Chapter 1

- To clear the workspace - clear or can just clear a single variable by typing clear
- To clear the screen, simply type clc (clear command window)
- By pressing up arrow, it will show the command history. There is a button in the top right hand corner of this window. Click it to show options that can allow us to put the command window in the dock.
- To save the workspace for use later we simply type save command. This saves everything in a .m file format which can be loaded again via the load command.
- Variable names cannot be more than 64 characters long and must not start with a number or underscore.
- We can use three dots at then end of a line to carry the command onto the next line, like so: something_something = something_something_else /... something_otherthan
- We can ‘dock’ the plot by clicking the curved arrow in the top right hand corner of the plot. This is useful if we do not want it to disappear to the back when we click in the command window again.
- doc plot, help plot, search bar at the top.
- ans holds the most recent answer as a variable if the calculation has not be assigned to anything else.
- A vector is just an ordered list of numbers. Length of a vector is the sum of the square roots of the elements. MATLAB function called norm works this out.

length();

vector is much like an array.

Plotting

```
xvector = [1, 3, 4, 7, 7.2, 8, 9] xvector = 1.0000 3.0000  
4.0000 7.0000 7.2000 8.0000 9.0000 yvector = [0.5, 2, 6, 7,  
7.8, 12, 15] yvector = 0.5000 2.0000 6.0000 7.0000 7.8000  
12.0000 15.0000 plot(xvector, yvector); plot(xvector, yvec-  
tor, 's'); grid on
```

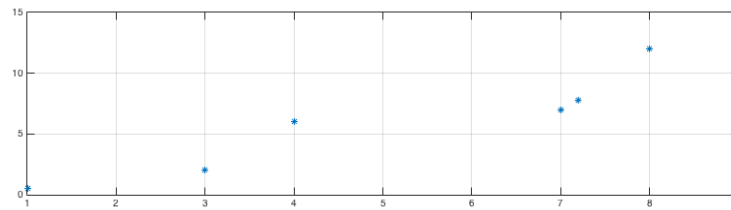


Figure 1: first-plot

```
plot(xvector, yvector, 'rs'); grid on xlabel('Selection') ylabel('Change')
title('Changes in selections during the past year') axis([0, 12, -10, 20])
bar(xvector, yvector)
```

Can type figure to get new figure, i.e instead of over writing the old one.

To close a figure we can use close(#ofFig) OR. close all command.

```
pic = imread('filename') image(pic) axis off
```

```
quit
```

Chapter 2

Matrices are “said” rows before columns!

Array: Any set of numbers arranged in a rectangular pattern.

i, j, k -> Like, i rows, j columns and k pages (3rd dimension)

- A 2D array = Matrix
- A 1D array = Vector

```
xvector = [1, 2, 3]
```

```
twoBYthreeMATRIX = [0 1 -1; 2.5 pi 100] - 2 rows, 3 columns
```

```
size(MATRIX) -> gives dimension of matrix
```

► $Z = X + Y$ means

$$\begin{bmatrix} 1+2 & 4+(-4) \\ 7+6 & 0+2 \\ 5+0 & 5+3 \end{bmatrix} = \begin{bmatrix} 1 & 4 \\ 7 & 0 \\ 5 & 5 \end{bmatrix} +$$

$$\begin{bmatrix} 3 & 0 \\ 13 & 2 \\ 5 & 8 \end{bmatrix} = \begin{bmatrix} 1 & 4 \\ 7 & 0 \\ 5 & 5 \end{bmatrix} +$$

$$Z = \begin{bmatrix} 3 & 0 \\ 13 & 2 \\ 5 & 8 \end{bmatrix}$$

A scalar is just/can be thought of as a 1x1 matrix.

► $Z = X .* Y$ means

$$\begin{bmatrix} 1*2 & 4*(-4) \\ 7*6 & 0*2 \\ 5*0 & 5*3 \end{bmatrix} = \begin{bmatrix} 1 & 4 \\ 7 & 0 \\ 5 & 5 \end{bmatrix} .* \begin{bmatrix} 2 & -4 \\ 6 & 2 \\ 0 & 3 \end{bmatrix}$$

$$\begin{bmatrix} 2 & -16 \\ 42 & 0 \\ 0 & 15 \end{bmatrix} = \begin{bmatrix} 1 & 4 \\ 7 & 0 \\ 5 & 5 \end{bmatrix} .* \begin{bmatrix} 2 & -4 \\ 6 & 2 \\ 0 & 3 \end{bmatrix}$$

$$Z = \begin{bmatrix} 2 & -16 \\ 42 & 0 \\ 0 & 15 \end{bmatrix}$$

row vector $x = [1 \ 3 \ 7]$ - 1x3

column vector $y = [1;3;7]$ - 3x1

Colon operator

1:3:7 -> start, step, stop.

Same as: colon(1, 3, 7) OR colon(1, 7) where the second one is say go from 1 to 7 We can also go in reverse, like 7:-3:1 and colon(7, -3, 1)

Accessing Matrices

X(row, column)

X(row, [list of which columns])

X([list of which rows], columns)

X([list of which rows], [list of which columns])

X(2, end) - gives the last index

1:end == (:)

Combining Matrices

Arrays have to be rectangular.

$H'(m, n) = H(n, m)$ for all m and n

So,

$H = [1 \ 2 \ 3; 4 \ 5 \ 6]$

$G = H'$

$G = 1 \ 4 \ 2 \ 5 \ 3 \ 6$

Arithmetic

Array addition needs the same dimensions.

Array multiplication $A .* B$, element wise operations. But this is actually quite different to Matrix multiplication.

1. Operator has no dot (* instead of .*)
2. Operand must be “compatible” as opposed to simply having the same shape.
3. Calculation of each element of Z uses both multiplication AND addition.

► $Z = X + Y$ means

$$\begin{bmatrix} 1+2 & 4+(-4) \\ 7+6 & 0+2 \\ 5+0 & 5+3 \end{bmatrix} = \begin{bmatrix} 1 & 4 \\ 7 & 0 \\ 5 & 5 \end{bmatrix} + \begin{bmatrix} 2 & -4 \\ 6 & 2 \\ 0 & 3 \end{bmatrix}$$

$$\begin{bmatrix} 3 & 0 \\ 13 & 2 \\ 5 & 8 \end{bmatrix} = \begin{bmatrix} 1 & 4 \\ 7 & 0 \\ 5 & 5 \end{bmatrix} + \begin{bmatrix} 2 & -4 \\ 6 & 2 \\ 0 & 3 \end{bmatrix}$$

$$Z = \begin{bmatrix} 3 & 0 \\ 13 & 2 \\ 5 & 8 \end{bmatrix}$$

Figure 2: Array Multiplication

Chapter 3

Functions

Can click New, function if editor window open.

whos command

Chapter 4

Random Sequence Initialisation

- When we start MATLAB and call rand, it always returns the same exact number: 0.8147
- Pseudo random number generator: Initialised at startup and it generates the exact same sequence of numbers every time.
- Repeatability for testing the program while we are developing it: good!
- What if we want a sequence that is different from the default or “truly” random numbers? Initialise the MATLAB pseudo random number generator with the built-in function rng

Chapter 5

Variable number of function arguments.

Polymorphic functions are functions that behave differently based on number of input or output arguments, or type of input or output arguments.

Many built in functions are Polymorphic (sqrt, max, size, plot, etc.)

How do we make our functions Polymorphic?