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FA4 #5 and #6

```
percent_images_supplied <- c(15, 20, 25, 40)
percent_relevant_images <- c(50, 60, 80, 85)</pre>
weighted_sum_relevant_images <- sum(percent_images_supplied * percent_relevant_images)</pre>
overall_percent_relevant_images <- weighted_sum_relevant_images / sum(percent_images_supplied)</pre>
cat("Overall percentage of relevant images:", round(overall_percent_relevant_images, 2), "%\n")
## Overall percentage of relevant images: 73.5 %
#Make a function to toss a fair coin first then answer the question
coin_toss <- function() {</pre>
 outcomes <- c("H", "T")
 return(sample(outcomes, size = 1))
experiment <- function(n) {</pre>
 outcomes <- replicate(n, paste(coin_toss(), coin_toss(), sep = ""))</pre>
 event_1 <- length(grep("HH|TT", outcomes))</pre>
 event_2 <- length(grep("HH|HT", outcomes))</pre>
 event_3 <- length(grep("TH|HH", outcomes))</pre>
 intersection_12 <- length(grep("HH", outcomes))</pre>
 intersection_13 <- length(grep("HH", outcomes))</pre>
 intersection_23 <- length(grep("HH", outcomes))</pre>
 intersection_123 <- length(grep("HHH", outcomes))</pre>
 probabilities <- c(event_1 / n, event_2 / n, event_3 / n, intersection_12 / n, intersection_13 / n, intersectio</pre>
n_23 / n, intersection_123 / n)
 return(probabilities)
set.seed(123)
num_trials <- 100000
probabilities <- experiment(num_trials)</pre>
cat("Probability of E1:", probabilities[1], "\n")
## Probability of E1: 0.49804
cat("Probability of E2:", probabilities[2], "\n")
## Probability of E2: 0.50156
cat("Probability of E3:", probabilities[3], "\n")
## Probability of E3: 0.49962
cat("Probability of E1 ∩ E2:", probabilities[4], "\n")
## Probability of E1 ∩ E2: 0.24961
cat("Probability of E1 ∩ E3:", probabilities[5], "\n")
## Probability of E1 ∩ E3: 0.24961
cat("Probability of E2 ∩ E3:", probabilities[6], "\n")
## Probability of E2 ∩ E3: 0.24961
cat("Probability of E1 ∩ E2 ∩ E3:", probabilities[7], "\n")
## Probability of E1 ∩ E2 ∩ E3: 0
```

equal, so they are pairwise independent. #We have also shown that $P(E1 \cap E2 \cap E3)$ and P(E1) * P(E2) * P(E3) aren't equal so they are not mutually independent.

#We have shown that E1 and E2 & E1 and E3 aren't pairwise independent. However, the probability of E2 and E3 are