O PyTorch Tutorial

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Roadmap

- PyTorch general intro
- PyTorch vs Numpy
- PyTorch vs TensorFlow
- Power of GPU (cuda)
- Automatic Differentiation
- Neural Network Models
 - Linear Regression
 - Multi-Layer Perceptrons (MLP)
 - Convolutional Neural Nets (CNN)
 - o Off-the-shelf models
- TensorBoards

General Intro

- What is PyTorch?
 - Free, open-source Machine Learning library.
 - Applications in Computer Vision and Natural Language Processing.
 - Development led by Facebook AI Research.
- What makes it special?
 - Array computations with GPU compatibility.
 - Deep Learning Networks with Automatic Differentiation.
- Quick facts:
 - Python and C++ interfaces.
 - Core of many DL softwares such as Autopilot (Tesla), Pyro (Uber), Transformers (HuggingFace).
 - It is called Torch (not PyTorch) when used/imported, was born from Lua Torch package.

PyTorch vs. Numpy

- PyTorch introduced a new class called Tensor.
- Tensor is an multi dimensional array.
- Numpy also uses multi dimensional arrays supported by fast-implemented methods.
- Where is the catch?
 - Tensors can run on GPUs, utilizing powerful parallel processing.
 - Numpy arrays can only use CPUs.
- Good news! They are interchangable.

PyTorch is not alone!



PyTorch vs. TensorFlow

- Popularity: PyTorch is the most common library in academics (based on paper implementations), where TensorFlow is still dominating industry (based on job listing). (source: https://www.stateof.ai/)
- Easy to learn: Subjective.
- Computation Graphs: PyTorch utilizes a dynamic perspective where TensorFlow uses a static view.
- Debugging: Harder for TensorFlow, needs external tools.

GPU and cuda

- Graphics Processing Unit (GPU) performs operations in parallel/fast way.
- CPUs use MIMD, GPUs use SIMD
 - A = B * C (think about types and sizes)
- How to use it?
- CUDA = API.
- A software layer that gives access to GPU virtual instruction set.
- Created by NVIDIA, 2007.

```
1 a = torch.tensor(5)
2 b = torch.tensor(5).cuda()
3 a = a ** 2
4 b = b ** 2
5 print(a)
6 print(b)

tensor(25)
tensor(25, device='cuda:0')
```

Automatic Differentiation

$$ullet$$
 Simple Example: $X=[1,2,3]$ $Y=[4,5,6]$ $Z=5X+2Y$ $m=sum(Z)=z_0+z_1+z_2$

Calculate the derivative using the chain rule.

$$\frac{\partial m}{\partial x_i} = \frac{\partial m}{\partial z_i} \cdot \frac{\partial z_i}{\partial x_i} = 1 \times 5 = 5$$

$$\frac{\partial m}{\partial X} = [5, 5, 5]$$

$$\frac{\partial m}{\partial y_i} = \frac{\partial m}{\partial z_i} \cdot \frac{\partial z_i}{\partial y_i} = 1 \times 5 = 2$$

$$\frac{\partial m}{\partial Y} = [2, 2, 2]$$

Automatic Differentiation - more example

- What changes if:
 - X=[1,2,3,4] and Y=[5,6,7,8]
 - \circ Z = 5X^2 + 2Y^3

$$\frac{\partial m}{\partial x_i} = \frac{\partial m}{\partial z_i} \cdot \frac{\partial z_i}{\partial x_i} = \frac{\partial m}{\partial X} = \frac{\partial m}{\partial X} = \frac{\partial m}{\partial Y} = \frac{\partial m}$$

Automatic Differentiation - PyTorch

```
4 x = torch.tensor([1., 2., 3.], requires_grad=True)
5 y = torch.tensor([4., 5., 6.], requires_grad=True)
6 z = 5 * x + 2 * y
7
8 m = z.sum()
9 m.backward()
10 print(x.grad, '\n', y.grad)

tensor([5., 5., 5.])
tensor([2., 2., 2.])
4 x = torch.tensor([1., 2., 5., 6.])
5 y = torch.tensor([5., 6., 6.])
6 z = 5 * x + 2 * y
7
8 m = z.sum()
9 m.backward()
10 print(x.grad, '\n', y.grad)

tensor([5., 5., 5.])
tensor([2., 2., 2.])
```

```
4 x = torch.tensor([1., 2., 3., 4.], requires_grad=True)
5 y = torch.tensor([5., 6., 7., 8.], requires_grad=True)
6 z = 5 * x + 2 * y
7
8 m = z.sum()
9 m.backward()
10 print(x.grad, '\n', y.grad)

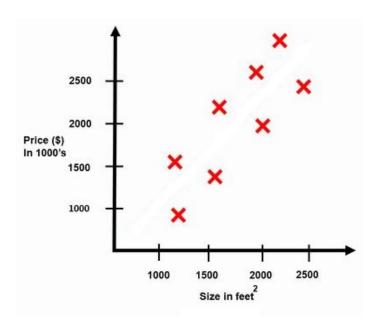
tensor([5., 5., 5., 5.])
tensor([2., 2., 2., 2.])
```

```
4 x = torch.tensor([1., 2., 3.], requires_grad=True)
5 y = torch.tensor([4., 5., 6.], requires_grad=True)
6 z = 5 * x ** 2 + 2 * y ** 3
7
8 m = z.sum()
9 m.backward()
10 print(x.grad, '\n', y.grad)

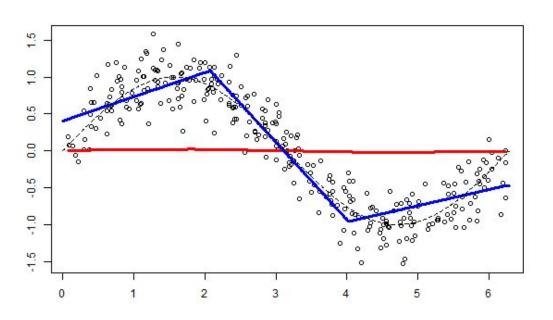
tensor([10., 20., 30.])
tensor([ 96., 150., 216.])
```

Linear Regression

- Entry-level technique in Machine Learning Realm.
- Example: *House Prices*

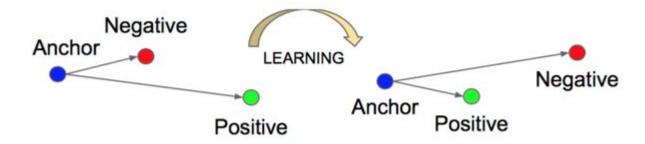


Linear Regression - in action



Loss Function

- Loss is critical, it serves as the supervision for training a neural network.
- Different types of loss functions, such as:
 - Mean Squared Error Loss (Regression)
 - Cross-Entropy Loss (Classification)
 - Triplet Loss (Representation Learning)



All implemented off-the-shelf with unified API, which is easy to use.

Optimizers

- Lower the Loss function by updating model parameters for future iterations based on loss value of current iteration.
- *torch.optim* is a package implementing various optimization algorithms.
- It supports common methods, and provides interface for future integrations.

 Example:

```
for input, target in dataset:
    optimizer.zero_grad()
    output = model(input)
    loss = loss_fn(output, target)
    loss.backward()
    optimizer.step()
```

Linear Regression - Module

```
1 import torch.nn as nn
2
3 class ManualLinearRegression(nn.Module):
4    def __init__(self):
5        super().__init__()
6
7        self.weight = nn.Parameter(torch.randn(1, requires_grad=True))
8        self.bias = nn.Parameter(torch.randn(1, requires_grad=True))
9
10    def forward(self, x):
11        return self.weight * x + self.bias
```

```
15 # Build a Model
16 model = ManualLinearRegression()
17 loss_fn = nn.MSELoss()
18 optimizer = torch.optim.SGD(model.parameters(), lr=learning_rate)
```

Linear Regression - manual implementation

```
1 weight = torch.rand(1, requires grad=True)
                                               \# Assuming v = x * w + b
2 bias = torch.rand(1, requires grad=True)
 4 learning rate = 0.1 # Hyperparameter
 6 total steps = tqdm notebook(range(10000))
 8 for step in total steps:
    prediction = weight * data + bias
    loss = ((prediction - label) ** 2).mean() # Mean squared error
11
    if (step + 1) % 100 == 0:
12
      total steps.set description("Loss: %.4f" % loss.detach().item())
13
14
    loss.backward()
    # plt.plot(x, weight * x + bias)
15
17
    with torch.no grad(): # Stops tracking variable
      weight -= learning rate * weight.grad
18
      bias -= learning rate * bias.grad
19
20
21
      weight.grad.zero ()
                           # Avoid gradients being accumulated
22
      bias.grad.zero ()
```

PyTorch built-in module: torch.nn

torch.nn

Parameters

- + Containers
- + Convolution layers
- + Pooling layers
- + Padding layers
- + Non-linear activations (weighted sum, nonlinear
- + Non-linear activations (other)
- + Normalization layers
- + Recurrent layers
- + Transformer layers
- + Linear layers
- + Dropout layers
- + Sparse layers
- + Distance functions
- + Loss functions
- + Vision layers
- + DataParallel layers (multi-GPU, distributed)
- + Utilities

Quantized Functions

- Linear layers

Identity

Linear

Bilinear

Linear

CLASS torch.nn.Linear(in_features, out_features, bias=True)

[SOURCE]

Applies a linear transformation to the incoming data: $y = xA^T + b$

Parameters

- in_features size of each input sample
- · out_features size of each output sample
- bias If set to False, the layer will not learn an additive bias. Default: True

Shape:

- Input: $(N,*,H_{in})$ where * means any number of additional dimensions and $H_{in}=$ in_features
- Output: $(N,*,H_{out})$ where all but the last dimension are the same shape as the input and $H_{out}=$ out_features .

Variables

- **-Linear.weight** the learnable weights of the module of shape (out_features, in_features) . The values are initialized from $\mathcal{U}(-\sqrt{k},\sqrt{k})$, where $k=\frac{1}{\ln features}$
- **~Linear.bias** the learnable bias of the module of shape (out_features) . If bias is True, the values are initialized from $\mathcal{U}(-\sqrt{k},\sqrt{k})$ where $k=\frac{1}{\ln features}$

Examples:

```
>>> m = nn.Linear(20, 30)
>>> input = torch.randn(128, 20)
>>> output = m(input)
>>> print(output.size())
torch.Size([128, 30])
```

MNIST (dataset)

- Dataset of handwritten digits.
- 60k training images, 10k testing images.
- Why?

Good for learning ML/DL techniques on real-world data *while* spending minimal efforts on preprocessing and formatting.

• From <u>torchvision</u>; package consists of popular datasets, models, and image transformations for computer vision.

```
みひててることこ
3333333
 555555555
  71777
8888888
```

Modularized Networks: MLP and CNN

- All the modules can be stacked together arbitrarily, which makes it convenient to build complicated network architecture using simpler ones.
 - Here the Linear module is stacked to build multi-layer perceptrons, together with ReLU (a non-linear activation module).

```
1 # Define our model (3-layer MLP)
2 class MultilayerPerceptron(nn.Module):
3   def __init__(self, input_size, hidden_size, num_classes):
4    super().__init__()
5    self.fc1 = nn.Linear(input_size, hidden_size)
6    self.relu = nn.ReLU()
7    self.fc2 = nn.Linear(hidden_size, num_classes)
8
9   def forward(self, x):
10    out = self.fc1(x.reshape(-1, 28 * 28))
11    out = self.relu(out)
12    out = self.fc2(out)
13    return out
```

Modularized Networks: MLP and CNN

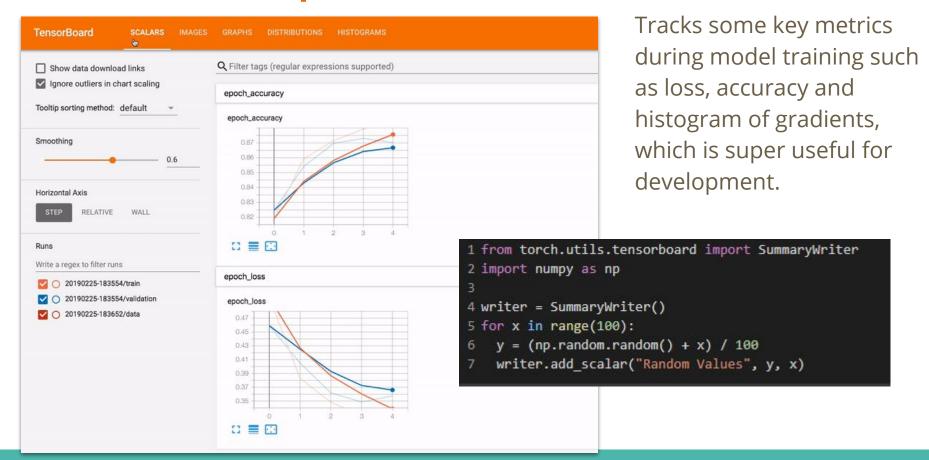
```
1 class ConvNet(nn.Module):
   def init (self, num classes=10):
     super(). init ()
     # We can further simplify the code if a data will be sequentially processed
     # by multiple modules: just use `nn.Sqeuential` to link them all.
     self.layer1 = nn.Sequential(
         nn.Conv2d(1, 16, kernel size=5, stride=1, padding=2),
         nn.BatchNorm2d(16),
         nn.ReLU(),
         nn.MaxPool2d(kernel size=2, stride=2))
     self.layer2 = nn.Sequential(
         nn.Conv2d(16, 32, kernel size=5, stride=1, padding=2),
         nn.BatchNorm2d(32),
         nn.ReLU(),
         nn.MaxPool2d(kernel size=2, stride=2))
     self.fc = nn.Linear(7*7*32, num classes)
   def forward(self, x):
     out = self.layer1(x)
     out = self.layer2(out)
     out = out.reshape(out.size(0), -1)
     out = self.fc(out)
     return out
```

Off-the-shelf Model and Checkpoints - example

```
1 import torchvision
2 import torchvision.models as models
4 print(models.mobilenet v2())
MobileNetV2(
 (features): Sequential(
  (0): ConvBNReLU(
     (0): Conv2d(3, 32, kernel size=(3, 3), stride=(2, 2), padding=(1, 1), bias=False)
     (1): BatchNorm2d(32, eps=1e-05, momentum=0.1, affine=True, track running stats=True)
     (2): ReLU6(inplace=True)
   (1): InvertedResidual(
     (conv): Sequential(
      (0): ConvBNReLU(
         (0): Conv2d(32, 32, kernel size=(3, 3), stride=(1, 1), padding=(1, 1), groups=32, bias=False)
        (1): BatchNorm2d(32, eps=1e-05, momentum=0.1, affine=True, track running stats=True)
         (2): ReLU6(inplace=True)
       (1): Conv2d(32, 16, kernel size=(1, 1), stride=(1, 1), bias=False)
       (2): BatchNorm2d(16, eps=1e-05, momentum=0.1, affine=True, track running stats=True)
   (2): InvertedResidual(
    (conv): Sequential(
       (0): ConvBNReLU(
        (0): Conv2d(16, 96, kernel size=(1, 1), stride=(1, 1), bias=False)
         (1): BatchNorm2d(96, eps=1e-05, momentum=0.1, affine=True, track running stats=True)
         (2): ReLU6(inplace=True)
       (1): ConvBNReLU(
         (0): Conv2d(96, 96, kernel size=(3, 3), stride=(2, 2), padding=(1, 1), groups=96, bias=False)
        (1): BatchNorm2d(96, eps=1e-05, momentum=0.1, affine=True, track running stats=True)
        (2): ReLU6(inplace=True)
       (2): Conv2d(96, 24, kernel size=(1, 1), stride=(1, 1), bias=False)
       (3): BatchNorm2d(24, eps=1e-05, momentum=0.1, affine=True, track running stats=True)
   (3): InvertedResidual(
     (conv): Sequential(
```

MobileNet is a light-weight network designed for mobile devices, which has 17 *InvertedResidual* Blocks each with multiple Convolution and Normalization layers.

TensorBoards: Experiment Visualization.



PyTorch Resources

Step-by-step live demo:

https://colab.research.google.com/drive/1L2US3PF6j2kzoOemkeedAb_E_hbYjVMP

Official Documentation:

https://pytorch.org/docs/stable/index.html

PyTorch Tutorial from its developers:

https://pytorch.org/tutorials/

Plenty of text/visual resources.