

# Programming Assignment 02

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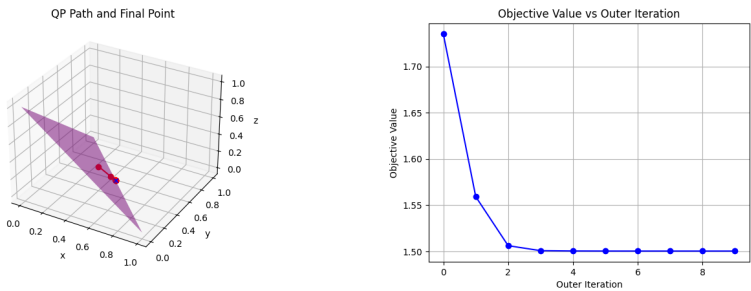
June 2024

## 1 Quadratic Problem

$$\min x^2 + y^2 + (z + 1)^2$$

Subject to:  $x + y + z = 1$

$$x, y, z \geq 0$$



| Description                                 | Value   |
|---|---|
| Point of convergence                        | [0.4838708, 0.51612897, 1.2377965060183868e-07] |
| Equality constraint                         | $x + y + z = 1.0$                               |
| Objective value at point of convergence     | 1.500520415529246                               |
| Value of $x$                                | $-x = -0.4838708998627722 \leq 0$               |
| Value of $y$                                | $-y = -0.5161289763575773 \leq 0$               |
| Value of $z$                                | $-z = -1.2377965060183868e - 07 \leq 0$         |
| Inequality & equality constraints satisfied | True  |

Table 1: Summary of optimization results

## 2 Linear Problem

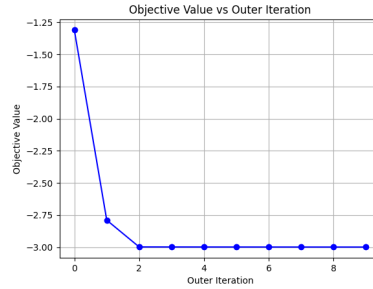
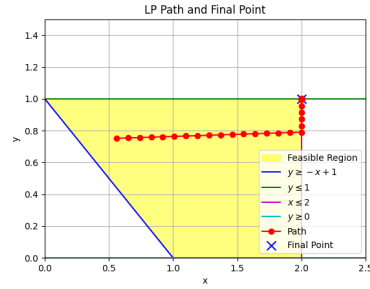
$$\max [x + y]$$

Subject to:  $y \geq -x + 1$

$$y \leq 1$$

$$x \leq 2$$

$$y \geq 0$$



| Description                                | Value                             |
|--|-----------------------------------|
| Point of convergence                       | [1.999768866696, 0.9992782897502] |
| Objective value at point of convergence    | -2.9990471564463785               |
| Constraint 1 value at point of convergence | 1.9990471564463785                |
| Constraint 2 value at point of convergence | 0.0007217102497181216             |
| Constraint 3 value at point of convergence | 0.00023113330390311937            |
| Constraint 4 value at point of convergence | 0.9992782897502819                |
| Inequality constraints satisfied           | True                              |

Table 2: Summary of optimization results