This lab is going to have you run benchmark on isPrime0, isPrime1, and isPrime2 mentioned in lectures.

For compute $\pi(100)$, we can use the following program:

```
CountPiN.java
public class CountPiN {
    static boolean isPrimeO(int n) {
        if(n==1) return false;
        if(n<=3) return true;
        int m = n/2;
        for(int i=2; i<=m; i++) {
            if(n%i==0) return false;
        return true;
    public static void main(String[] args) {
        int count = 0;
        int N = 100;
        for (int n=1; n<N; n++) {
            if(isPrimeO(n)) count++;
        System.out.println("Pi("+N+")="+count);
    }
```

The output look like this:

```
>java CountPiN
Pi(100)=25
```

The method isPrimeO(n) take any positive integer and return true if it is a prime, false otherwise. The method run through all integer from 2 to n/2 and check if n is divisible by any of them.

There are two more methods, isPrime1(n) and isPrime2(n). The method isPrime1(n) is similar to isPrime0(n) but only run from 2 to \sqrt{n} . The method isPrime2(n) improves upon

isPrime1(n) by take out anything divisible by 2 and 3 and not going to test divisibility of number that are multiple of 2 and 3.

```
Method isPrime1(n) and isPrime2(n)
static boolean isPrime1(int n) {
    if(n==1) return false;
    if(n<=3) return true;
    int m = (int)Math.sqrt(n);
    for(int i=2; i<=m; i++) {
        if(n%i==0) return false;
    return true;
static boolean isPrime2(int n) {
    if(n==1) return false;
    if(n<=3) return true;
    if((n%2==0) | | (n%3==0)) return false;
    int m = (int)Math.sqrt(n);
    for(int i=5; i<=m;i+=6) {
        if(n%i==0) return false;
        if(n%(i+2)==0) return false;
    return true;
```

To measure efficiency of these methods, we must modify our main method like this

```
New main()
public static void main(String[] args) {
    for(int N=100000; N<=1000000; N+=100000) {
        long start = System.currentTimeMillis();
        int count = 0;
        for(int n=1; n<N; n++) {
            if(isPrimeO(n)) count++;
        }
        long time = (System.currentTimeMillis()-
start);
        System.out.println(N+" \t"+count+" \t"+time);
    }
}</pre>
```

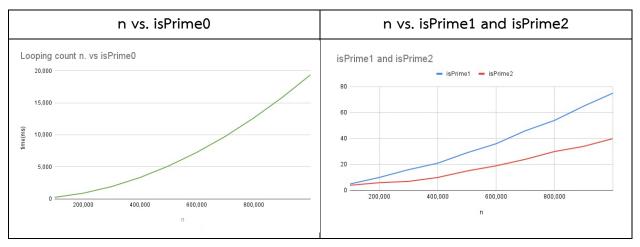
After the modification, the result of running with isPrimeO(n) should be like this:

) java Co	ountPiN		
100000	9592	4218	
200000	17984	16854	
300000	25997	39087	
400000	33860	60526	
500000	41538	88313	
600000	49098	134878	
700000	56543	192198	
800000	63951	135660	
¹ 900000	71274	96334	
1000000		78498	88927

Your first task: run the program with isPrime0, isPrime1, and isPrime2 and record your result into the following table

Running-time table					
n	pi(n)	time (milliseconds)			
		isPrime0	isPrime1	isPrime2	
100,000	9592	239	5	4	
200,000	17984	884	10	6	
300,000	25997	1915	16	7	
400,000	33860	3332	21	10	
500,000	41538	5120	29	15	
600,000	49098	7260	36	19	
700,000	56543	9748	46	24	
800,000	63951	12617	54	30	
900,000	71274	15818	65	34	
1,000,000	78498	19360	75	40	

Your second task: Plot two graphs, one is n vs. isPrime0's time and the other is n vs. isPrime1's time and isPrime2's time.



Your final task: In your own words, describe trend of isPrime0, isPrime1, and isPrime2. Are your recorded times faster or slower than the recorded time shown in the lecture? Why?

ใน isPrime0 จะทำการรันหาทุก ๆ ค่าเริ่มจาก 0 ไปจนถึงตัวของเลขที่กำหนดทำให้
จำเป็นต้องใช้เวลานาน
แต่ใน isPrime1&&isPrime2 ที่ใช้เวลาน้อยกว่าเนื่องจากได้ทำการเตรียมเคสที่ต้อง
เช็คเบื้อต้นไว้แล้วเลยทำให้ใช้เวลาน้อยกว่า

Hand in your work in MS Team assignment by fill in the answer in this file. Change the name of this file to assignment1 xxxxxxx.pdf where xxxxxx is your student id.