

## Assignment 4: Predicting Current Market Value





# Assignment

## Objective

- Predict 2013 Current Market Value from 2011 variables and assess accuracy of the model

## Deliverables

- Build a regression model using 2011 variables to predict 2013 VALUE values
- Evaluate the effectiveness of the model
- Extend analysis to other years of data



## Data Prep

- Merge variables from 2011 dataset with 2013 dataset using the CONTROL variable
- Remove all rows where the CONTROL variable is not in both datasets
- Remove all rows where VALUE < \$1000
- Remove all rows corresponding to rental units (OWNRENT = 2)
- Remove all rows corresponding to non-single-family units (STRUCTURETYPE <> 1 and TYPE <> 1)
- Randomly select 1000 rows and set aside for the purpose of testing the model

# Data Transformations

The **METRO3** variable was transformed into **CCITY**, using the following rule:

- If METRO3 = 1 then CCITY = 1 else CCITY = 0

The **REGION** variable was transformed into **REGNE**, **REGMW**, and **REGS**, using the following rules:

- If REGION = 1 then REGNE = 1 else REGNE = 0
- If REGION = 2 then REGMW = 1 else REGMW = 0
- If REGION = 2 then REGS = 1 else REGS = 0

## LN Transformations

The following variables were transformed using the LN function to improve the fit of the regression model:

- LMED
- FMR
- ZINC2
- ZSMHC
- UTILITY
- COSTMED



## Variables Used

- METRO3: metropolitan status
- REGION: census region
- LMED: area median income
- FMR: fair market monthly rent
- BEDRMS: number of bedrooms
- BUILT: year built
- ZINC2: annual household income
- ZSMHC: monthly housing costs, not including mortgage
- UTILITY: monthly utility costs
- COSTMED: monthly mortgage payment, assuming median interest

# Descriptive Statistics

[illegible]

# Regression Model

Our initial analysis used the variables from our previous assignment:

$$\begin{aligned} \text{LN(VALUE\_2013)} = & \beta_0 + \beta_1(\text{CCITY\_2011}) + \beta_2(\text{REGNE\_2011}) + \beta_3(\text{REGMW\_2011}) + \beta_4(\text{REGS\_2011}) + \\ & \beta_5(\text{LN(LMED\_2011)}) + \beta_6(\text{LN(FMR\_2011)}) + \beta_7(\text{BEDRMS\_2011}) + \beta_8(\text{BUILT\_2011}) + \\ & \beta_9(\text{LN(ZINC2\_2011)}) + \beta_{10}(\text{LN(ZSMHC\_2011)}) + \beta_{11}(\text{LN(UTILITY\_2011)}) + \\ & \beta_{12}(\text{LN(COSTMED\_2011)}) \end{aligned}$$

## Pair-Wise Correlation

	CCITY	REGNE	REGMW	REGS	LMED	FMR	BEDRMS	BUILT	LN(ZINC2)	LN(ZSMHC)	LN(UTILITY)	LN(COSTMED)
CCITY	1.0000											
REGNE	-0.0054	1.0000										
REGMW	0.0168	-0.2617	1.0000									
REGS	-0.0108	-0.3471	-0.4563	1.0000								
LMED	0.0680	0.0031	-0.0412	0.0022	1.0000							
FMR	0.0914	-0.0217	0.0024	-0.0267	0.6599	1.0000						
BEDRMS	-0.0240	0.0038	0.0054	-0.0333	0.1032	0.4688	1.0000					
BUILT	-0.1296	-0.0143	-0.0257	0.0232	-0.1216	0.0383	0.1536	1.0000				
LN(ZINC2)	-0.0022	0.0366	-0.0055	-0.0618	-0.0506	-0.0222	0.0102	-0.0358	1.0000			
LN(ZSMHC)	0.0286	-0.0268	-0.0267	0.0228	0.3177	0.4387	0.3281	0.2041	-0.0375	1.0000		
LN(UTILITY)	0.0471	-0.0206	0.0198	-0.0125	0.1748	0.2914	0.3343	-0.0020	0.0198	0.4554	1.0000	
LN(COSTMED)	-0.0151	-0.0156	-0.0226	-0.0023	0.3911	0.5596	0.3671	0.1731	-0.0345	0.5956	0.4061	1.0000

We do not have to consider correlation, as we have no values with a correlation > 90%



## Regression Statistics

Multiple R	0.773441565
R Square	0.59821185
Adjusted R Square	0.597968433
Standard Error	0.492912916
Observations	19820

	df	SS	MS	F	Significance F
Regression	12	7165.01319	597.0844325	2457.51033	0
Residual	19807	4812.370962	0.242963142		
Total	19819	11977.38415			

The R square value for this regression model is  $\sim 0.60$ , which is significantly lower than our regression model using only data from the 2013 dataset.

## Regression Statistics

	Coefficients	Standard Error	t Stat	P-value	Lower 95%	Upper 95%	Lower 95.0%	Upper 95.0%
Intercept	-1.984486548	0.421228618	-4.711186431	2.4795E-06	-2.810129921	-1.158843175	-2.810129921	-1.158843175
CCITY	-0.047931181	0.008729191	-5.490907438	4.04787E-08	-0.065041128	-0.030821235	-0.065041128	-0.030821235
REGNE	-0.06822267	0.013326215	-5.119433286	3.09323E-07	-0.094343169	-0.042102172	-0.094343169	-0.042102172
REGMW	-0.101768525	0.013932044	-7.304637185	2.88554E-13	-0.129076498	-0.074460552	-0.129076498	-0.074460552
REGS	-0.111449269	0.011272547	-9.886786899	5.37018E-23	-0.133544405	-0.089354133	-0.133544405	-0.089354133
LMED	0.227021281	0.034367215	6.605751559	4.05553E-11	0.159658662	0.2943839	0.159658662	0.2943839
FMR	0.266228694	0.02407804	11.05690879	2.45676E-28	0.219033719	0.31342367	0.219033719	0.31342367
BEDRMS	0.029476651	0.005689088	5.18126122	2.22551E-07	0.018325562	0.040627739	0.018325562	0.040627739
BUILT	0.001940186	0.000146625	13.23234396	8.42276E-40	0.00165279	0.002227582	0.00165279	0.002227582
LN(ZINC2)	0.048826418	0.004160379	11.73604956	1.06068E-31	0.040671726	0.05698111	0.040671726	0.05698111
LN(ZSMHC)	0.0244417	0.006727642	3.633025963	0.000280825	0.011254957	0.037628443	0.011254957	0.037628443
LN(UTILITY)	-0.099650298	0.00940044	-10.60059932	3.48006E-26	-0.118075947	-0.081224648	-0.118075947	-0.081224648
LN(COSTMED)	0.780958372	0.008104494	96.36115148	0	0.765072885	0.796843859	0.765072885	0.796843859

No variables have a p-value > 0.05, meaning they are all statistically significant in our model



## Performance of the Model

Using our 1000 data rows set aside for testing:

<b>Mean VALUE</b>	\$247,720.00
<b>Mean Absolute Deviation</b>	\$71,463.04

Our model does not perform very well for predicting 2013 current market value.

## Other Models

A variety of other models were built and evaluated. Some examples:

$$\text{LN(VALUE\_2013)} = \beta_0 + \beta_1(\text{LN(LMED\_2011)}) + \beta_2(\text{LN(FMR\_2011)}) + \beta_3(\text{LN(ZINC2\_2011)}) + \beta_4(\text{ZSHMC\_2011}) + \beta_5(\text{BEDRMS\_2011}) + \beta_6(\text{ROOMS\_2011}) + \beta_7(\text{OTHERCOST\_2011})$$

**R-square:** 0.596068227

**Mean Absolute Deviation:** \$71,463.04

**Mean VALUE:** \$247,720.00

$$\text{LN(VALUE\_2013)} = \beta_0 + \beta_1(\text{LN(VALUE\_2011)}) + \beta_2(\text{LN(VALUE\_2009)}) + \beta_3(\text{LN(VALUE\_2007)}) + \beta_4(\text{LN(VALUE\_2005)})$$

**R-square:** 0.659113576

**Mean Absolute Deviation:** \$66,072.19

**Mean VALUE:** \$245,660.00

$$\text{LN(VALUE\_2013)} = \beta_0 + \beta_1(\text{LN(VALUE\_2011)}) + \beta_2(\text{LN(VALUE\_2009)}) + \beta_3(\text{BUILT}) + \beta_4(\text{REGNE}) + \beta_5(\text{REGMW}) + \beta_6(\text{REGS})$$

**R-square:** 0.640461294

**Mean Absolute Deviation:** \$69,124.82

**Mean VALUE:** \$245,721.00



## Summary

- Using the same variables from our regression analysis in assignment 3 was not an accurate model for predicting 2013 values using 2011 data
- A variety of other models were tested using various years of data, none of which were particularly good at predicting 2013 current market values
- Further exploration of available data might yield more promising results