# COEN 79: Object-Oriented Programming Homework #6

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Please complete the following implementation:

```
template <class Item>
binary_tree_node <Item>* tree_copy(const binary_tree_node <Item>* root_ptr) {
    binary_tree_node<Item>> *l_ptr;
    binary_tree_node<Item>> *r_ptr;
    if(root_ptr == NULL)
        return NULL;
    else {
        l_ptr = tree_copy(root_ptr->left());
        r_ptr = tree_copy(root_ptr->right());
    }
}
Using the previous implementation, complete the following function for the bag
class given in Appendix 1:
template <class Item>
void bag<Item>::operator = (const bag<Item>& source) {
    if(this == &source)
        return;
    tree_clear(root_ptr);
    root_ptr = tree_copy(source.root_ptr);
}
```

### Question #2

For the bag class defined in Appendix 1, please complete the following function:

```
template <class Item>
void bag<Item>::insert(const Item& entry) {
    binary_tree_node<Item> *cursor = root_ptr;
   bool done = false;
    if(root_ptr == NULL) {
        root_ptr = new binary_tree_node<Item>(entry);
        return;
    }
    do {
        if(cursor->data() >= entry) {
            if(cursor->left() != NULL)
                cursor = cursor->left();
            else {
                cursor->left() = new binary_tree_node<Item>(entry);
                done = true;
            }
        }
```

```
else {
    if(cursor->right() != NULL)
        cursor = cursor->right();
    else {
        cursor->right() = new binary_tree_node<Item>(entry);
        done = true;
    }
}
while(!done);
}
```

Suppose MINIMUM is 1000 for a B-tree. The tree has a root and one level of 1000 nodes (children) below that. How many *entries* are in the tree? (Please provide a range and explain your answer).

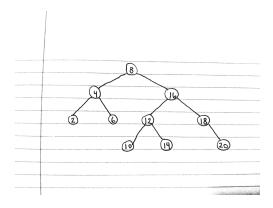
If there are 1000 nodes, then there are 1000 - 1 = 999 entries. Each of these nodes can also have 1000 entries. Therefore, the minimum is: 1000\*1000+999 = 1000999 and maximum of 1000\*2\*1000+999 = 2000999 entries.

## Question #4

Write a function to perform *left-right* rotation on the following AVL tree. The figure shows the steps. (Note: Please implement the function in two steps: (1) left rotation, (2) right rotation.)

```
template <class Item>
binary_tree_node <Item>* left_right_rotation(binary_tree_node <Item>*& parent) {
    binary_tree_node <Item>* temp1;
    temp1 = parent->right();
    parent->set_right(temp1->left());
    temp1->set_left(parent);
    binary_tree_node <Item>* temp2;
    temp2 = temp1->left();
    temp1->set_left(temp2->right());
    temp2->set_right(temp1);
    return temp2;
}
```

Add the following numbers to an AVL tree. Please draw the final tree. 2, 4, 6, 8, 10, 12, 20, 18, 16, 14

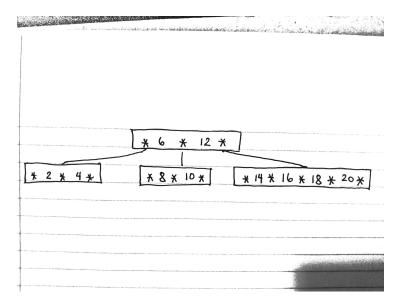


## Question #6

The following functions are available:

```
int height();
int diff();
binary_tree_node left_rotation();
binary_tree_node right_rotation();
binary_tree_node left_right_rotation();
binary_tree_node right_left_rotation();
Complete the following function, which balances a tree rooted at temp.
template <class Item>
binary_tree_node<Item>* balance(binary_tree_node <Item>*& temp) {
    if(diff(temp) >= 2) {
        if(diff(temp->left()) == -1)
            return balance(left_right_rotation(temp));
        else
            return balance(left_rotation(temp));
    }
    else if(diff(temp) <= -2) {
        if(diff(temp->right()) == 1)
            return balance(right_left_rotation(temp));
        else
            return balance(right_rotation(temp));
    }
}
```

Please add the following numbers to a B-Tree with MIN = 2. Draw the final tree. 2, 4, 6, 8, 10, 12, 20, 18, 16, 14



## Question #8

Complete the following function. Present a recursive implementation.

```
template <class Item>
void bst_remove_max(bianry_tree_node <Item>*& root_ptr, Item& removed) {
    binary_tree_node<Item> *oldroot_ptr;
    assert(root_ptr != NULL);
    if(root_ptr->right() != NULL)
        bst_remove_max(root_ptr->right(), removed);
    else {
        removed = root_ptr->data();
        oldroot_ptr = root_ptr;
        root_ptr = root_ptr->left();
        delete oldroot_ptr;
    }
}
```

```
Please implement the following function (recursively).
template <class Item>
void flip(binary_tree_node <Item>* root_ptr) {
    if(root_ptr == NULL)
        return;
    else {
        binary_tree_node <Item>* temp;
        flip(root_ptr->left());
        flip(root_ptr->right());
        temp = root_ptr->left();
        root_ptr->left = root_ptr->right;
        root_ptr->right = temp;
    }
}
Question #10
What are the outputs of the following programs?
Derived's destructor
Base2's destructor
Base1's destructor
The program will not compile, because Derived only has public
inheritance, therefore it can't access Base's private variables:
i and j. Derived only has access to Base's constructor;
Inside Q
The program will not compile on line 10,
because you can't point a Derived object to a Base object.
```

# Appendix 1:

Bag class with binary search tree.

```
1. template < class Item >
2. class bag {
3.
4. public:
5.
       // TYPEDEFS
        typedef std::size_t size_type;
6.
7.
        typedef Item value_type;
8.
9.
        // CONSTRUCTORS and DESTRUCTOR
        bag() { root_ptr = NULL; }
10.
11.
        bag(const bag& source);
12.
        ~bag();
13.
14.
        // MODIFICATION functions
15.
        size_type erase(const Item& target);
16.
        bool erase_one(const Item& target);
17.
        void insert(const Item& entry);
        void operator += (const bag& addend);
void operator = (const bag& source);
18.
19.
20.
        // CONSTANT functions
21.
22.
        size_type size() const;
23.
        size_type count(const Item& target) const;
24.
        void debug() const { print(root_ptr, 0); }
25.
26. private:
27. binary_tree_node<Item>* root_ptr; // Root pointer of binary search tree
28.
        void insert_all (binary_tree_node<Item>* addroot_ptr);
29.};
```