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## famous - 1-D arrays $\rightarrow$ VVI Interviews

Q<sub>1</sub>

Given an array of all non-negative integers where  $n$  is the length of the array.

A person is standing at the  $0^{\text{th}}$  index of the array. And each element of the array represents the maximum jump a person can take from

that index. Determine if the person standing on  $0^{\text{th}}$  idx, can reach the last one.

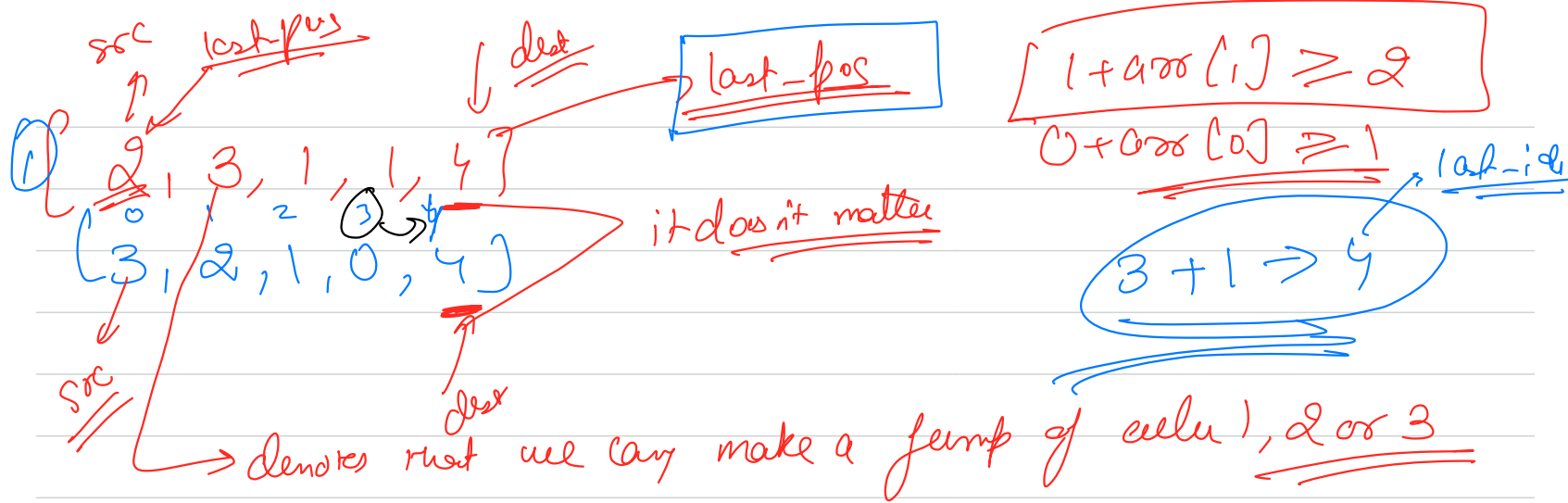
[2, 3, 1, 1, 4]

$\rightarrow$  true

[3, 2, 1, 0, 4]

$\rightarrow$  false

$n \leq 10^7$   
 ~~$n \leq 10^4$~~

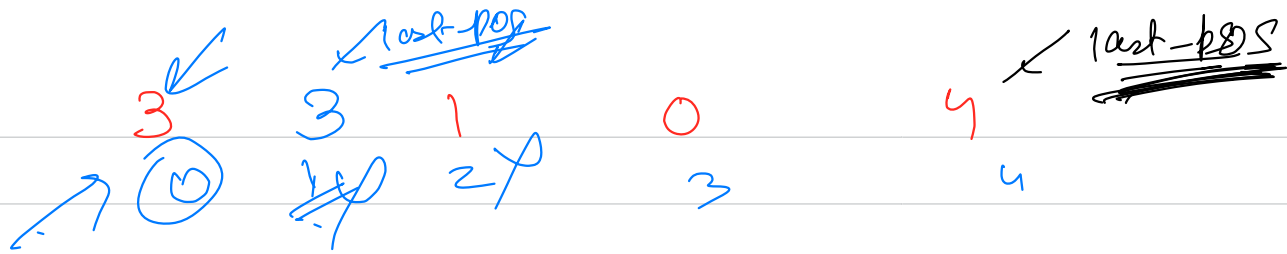


SRC  $\rightarrow$  follow sequence  $\rightarrow$  dest

① if I am able to anyhow reach index 3, we can for sure reach index 4.

(jump of 1)

TC  $O(n)$ ,  $SC O(1)$



$$\boxed{\text{id}x + \text{arr}[\text{id}x] \geq \text{last-pos}}$$

$$\underline{2 + \text{arr}[2] \geq 4}$$

no

$$\underline{1 + \text{arr}[1] \geq 4}$$

$$0 + \text{arr}[0] \geq \underline{\text{last-pos}}$$

$$0 + 3 \geq 1$$

yes

yes

$$\begin{array}{cccccc}
 & 0 & 1 & 2 & 3 & 4 \\
 [ & 2 & 3 & 1 & 1 & 4 ] \\
 & & & & - & \uparrow
 \end{array}$$

$$\text{id}[x] + \text{arr}[\text{id}[x]] \geq \text{last}$$

$$3 + \text{arr}[3] \geq 4$$

$$\text{arr}[4] \rightarrow \underline{\underline{\text{dest}}}$$

for the dest index  $x$

if anyhow we can reach to  $x$ , from  $x-1$

then our problem reduces to reach

$x-1$  from source.

Q<sup>n</sup> Given an array of non negatives, you are present at the 0<sup>th</sup> idx, & every value of array represent max jump you can take from that idx.

find the min no. of jump required to reach the last idx when you can assume, that you will get i/p such that you always reach destination

[2, 3, 1, 1, 4]  $\rightarrow$  ans = 2

$N \leq 10^4$



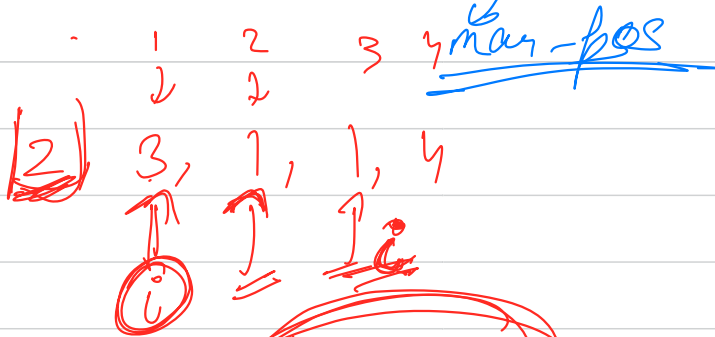
what are jumps you can take? → max step

what is the max pos we can reach →  $\leq i$

cut new step

max-step → 2

max-pos → 4



jump = 2

2 3 1 2 4 3 ...

1 + 2 = 3

max-~~pos~~<sup>coverge</sup>  $\rightarrow$  maximum pos, one could reach from current-idx on  $i$  or before. Any how we arrive at index  $i$ , what's the max coverable pos.

max-jump  $\rightarrow$  maximum pos reachable after current jump

2

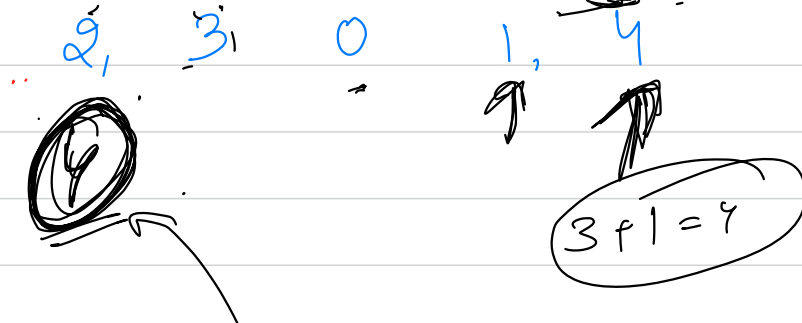
coverge 2, 3, 1, 1, 4  
max ~~pos~~ = 4  
max jump = 2

jump = jump + 1

when ( $i == \text{max-jump}$ ) we should have performed one more jump at  $i$  so to go further.



max-coverage =  
best-man-jump = 4



jump = 1 + 1

$8, 2, 4, 4, 4, 9, 5, 2, 5, 8, 8, 0, 8, 6, 9, 1, 1, 6, 3$   
 0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18  
 (Arrows indicate jumps from index 0 to 5 and 5 to 14. The value 9 at index 14 is circled in red.)

last-max-jump = ~~14~~ 23

last-max-coverage = ~~20~~ 23

$$\frac{2 \times 4}{7}$$

$$5 + 4$$

$$\frac{9 + 5}{7}$$

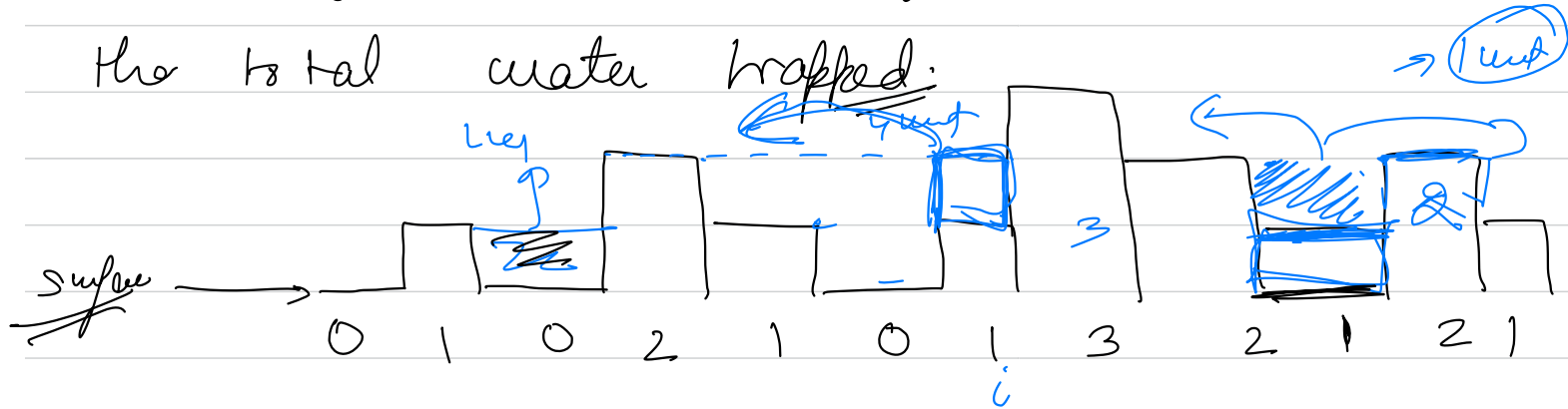
$$= 14$$

①

→ I can count a index from here. Let's go to next  
index, but also keep exploring, the next  
best candidate idr to take a jump from.

# Rain water harvesting problem

Q. 2)  
 $n \leq 10^6$  Given an array of size  $n$ , non-negative numbers, that represents heights of building when width of all buildings is 1 unit. If rain occurs, what is the total water trapped.



$$\frac{\min(2, 3) - 1}{2 \rightarrow 1} \quad \min(\text{max height build at left}, \text{max height build at right}) - \text{height of current}$$

$$(3, 2) \rightarrow 1$$

	0	1	0	2	1	0	1	2	2	1	2	1
left max	0	1	1	2	2	2	2	3	3	3	3	3
right max	3	3	3	3	3	3	3	3	2	2	2	1
		global left				global right						

$$(1, 3) \rightarrow 1 + 0 = 0$$

$$2 + 1 = /$$

$$2 - 0 = -$$

$$2 - 1 = 1$$

$$1 - 0 = 1$$

$i$   $\rightarrow$  left max  $[i]$   
 $i$   $\rightarrow$  right max  $[i]$

2 pointers

$O(n)$   
 $O(n)$

water  $f = 0$