

Assignment 5

Tanmay Goyal - AI20BTECH11021

Download all python codes from

<https://github.com/tanmaygoyal258/AI1103---Probability/tree/main/Assignment5/code.py>

and latex-tikz codes from

<https://github.com/tanmaygoyal258/AI1103---Probability/blob/main/Assignment5/main.tex>

1 PROBLEM

Let X and Y denote the sets consisting 2 and 20 distinct elements respectively and F denote the set of all possible functions defined from X and Y . Let f be randomly chosen from F . The probability of f being one to one is :

2 SOLUTION

We know, every $x \in X$ can be mapped to one of 20 elements in Y .

$$n(F) = 20 \times 20 = 400 \quad (2.0.1)$$

For one to one functions, the first element in X has 20 choices to be mapped, and second element has only 19 choices(to avoid repetition).

$$n(f) = 20 \times 19 = 380 \quad (2.0.2)$$

Required probability:

$$\frac{n(f)}{n(F)} = \frac{380}{400} = \frac{19}{20} \quad (2.0.3)$$