

## PROGRAM 4: WRITE A PROGRAM IN MATLAB TO FUNCTION USING SIGNAL FLOW GRAPH AND MAG

### THEORY:

**SIGFLOW** solves Signal Flow Graph by matrix modeling and  
 $\text{SYS}=\text{SIGFLOW}(\text{Q}, \text{P})$  calculates the system transfer function  
 $\text{sys}=\text{X}/\text{U}=\text{inv}(\text{I}-\text{Q})^*\text{P}$

This method can be applied to different courses that deal with  
different courses, people use different methods to describe the  
**PRETTY** Pretty print a symbolic expression. **PRETTY(S)** prints in  
a format that resembles type-set mathematics.

**Q =**  
[ 0, 0, 0, 0, 0, 0, 0, 0]  
[ 1, 0, -1, 0, -1, 0, 0, 0]  
[ 0, G1, 0, 0, 0, 0, 0, 0]  
[ 1, 0, 1, 0, -1, 0, 0, 0]  
[ 0, 0, 0, G2, 0, 0, 0, 0]  
[ 0, 0, 1, 0, 1, 0, -1, 0]  
[ 0, 0, 0, 0, 0, G3, 0, 0]  
[ 0, 0, 0, 0, 0, 0, K, 0]

### CODE:

```
syms G1 G2 G3 K  
Q(3,2)=G1;  
Q(2,1)=1;Q(2,3)=-1;Q(2,5)=-1;  
Q(4,3)=1;Q(4,1)=1;Q(4,5)=-1;  
Q(5,4)=G2;  
Q(6,3)=1;Q(6,5)=1;Q(6,7)=-1;  
Q(7,6)=G3;Q(8,7)=K;
```

## PROGRAM 4: WRITE A PROGRAM IN MATLAB TO FUNCTION USING SIGNAL FLOW GRAPH AND MASS

### THEORY

**SIGFLOW** solves Signal Flow Graph by matrix modeling and  
**SYS=SIGFLOW (Q, P)** calculates the system transfer function, i.e.  
$$\text{sys}=X/U=\text{inv}(I-Q)*P$$

This method can be applied to different courses that deal with  
different courses, people use different methods to describe the  
**PRETTY** Pretty print a symbolic expression. **PRETTY(S)** prints **S**  
in a format that resembles type-set mathematics.

**Q =**

```
[ 0, 0, 0, 0, 0, 0, 0, 0]
[ 1, 0, -1, 0, -1, 0, 0, 0]
[ 0, 0, 1, 0, 0, 0, 0, 0]
[ 1, 0, 1, 0, -1, 0, 0, 0]
[ 0, 0, 0, 0, 0, 0, 0, 0]
[ 0, 0, 1, 0, 1, 0, -1, 0]
[ 0, 0, 0, 0, 0, 0, 0, 0]
[ 0, 0, 0, 0, 0, 0, 0, K]
```

### CODE

```
syms G1 G2 G3 K
Q(1,2)=G1;
Q(2,1)=1;Q(2,2)=-1;Q(2,5)=-1;
Q(4,3)=-1;Q(4,1)=1;Q(4,5)=-1;
Q(5,4)=G2;
Q(6,3)=1;Q(6,5)=-1;Q(6,7)=-1;
Q(7,6)=G3;Q(8,7)=K;
```

$$1/(G2+1+G1+2^{\alpha} \cdot 2^{\alpha} \cdot 2^{\alpha})$$

$$G1/(G2+1+G1+2^{\alpha} \cdot 2^{\alpha} \cdot 2^{\alpha})$$

$$(2^{\alpha} \cdot G1+1)/(G2+1+G1+2^{\alpha} \cdot 2^{\alpha} \cdot 2^{\alpha})$$

$$(2^{\alpha} \cdot G1+1) \cdot G2/(G2+1+G1+2^{\alpha} \cdot 2^{\alpha} \cdot 2^{\alpha})$$

$$(G2+G1+2^{\alpha} \cdot G2 \cdot G1)/(G3 \cdot G2+G3+G3 \cdot G1+2^{\alpha} \cdot G3 \cdot G2 \cdot G1+G2+1+G1+2^{\alpha} \cdot 2^{\alpha} \cdot 2^{\alpha})$$

$$(2^{\alpha} \cdot G1+2^{\alpha} \cdot G2 \cdot G1)/(G3 \cdot G2+G3+G3 \cdot G1+2^{\alpha} \cdot G3 \cdot G2 \cdot G1+G2+1+G1+2^{\alpha} \cdot 2^{\alpha} \cdot 2^{\alpha})$$

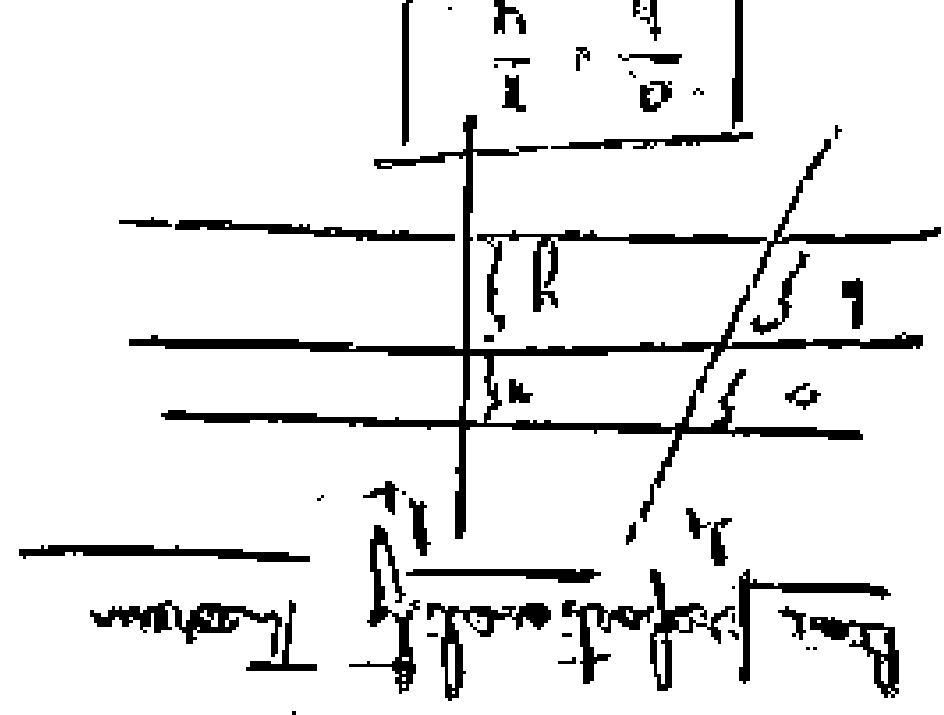
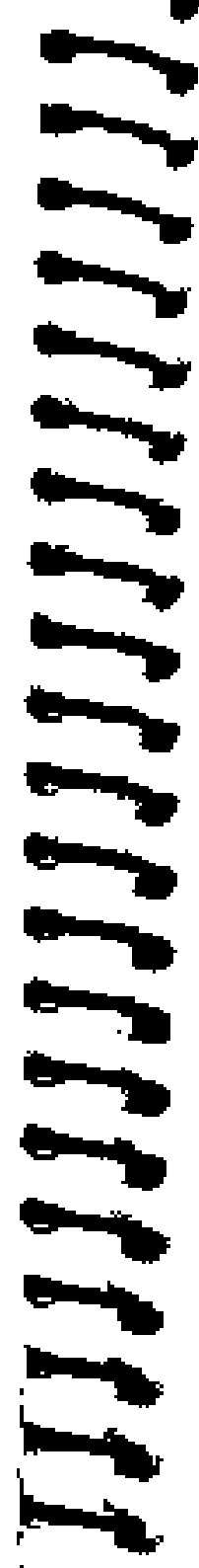
$$(2^{\alpha} \cdot G1+2^{\alpha} \cdot G2 \cdot G1)/(G3 \cdot G2+G3+G3 \cdot G1+2^{\alpha} \cdot G3 \cdot G2 \cdot G1+G2+1+G1+2^{\alpha} \cdot 2^{\alpha} \cdot 2^{\alpha})$$

$$(2^{\alpha} \cdot G1+2^{\alpha} \cdot G2 \cdot G1)/(G3 \cdot G2+G3+G3 \cdot G1+2^{\alpha} \cdot G3 \cdot G2 \cdot G1+G2+1+G1+2^{\alpha} \cdot 2^{\alpha} \cdot 2^{\alpha})$$

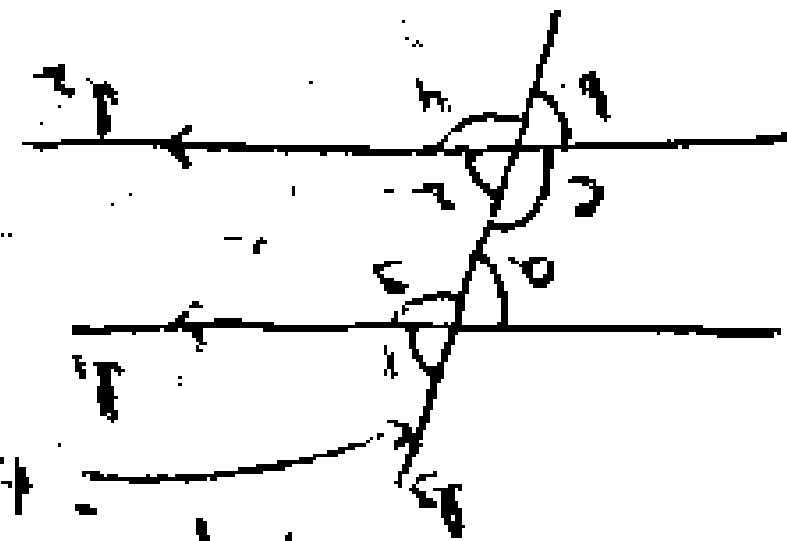
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