a)

1. Define the Parameters:

Let p be the true proportion of voters in favor of Springfest.

2. State the Hypotheses:

- Null hypothesis (H_o): p = 0.60
- Alternative hypothesis (H₁)): p > 0.60
- 3. Conduct the Hypothesis Test Using R:

Code:

```
# Number of surveyed voters and number in favor
n_springfest <- 116
x_springfest <- 78

# Proportion of voters in favor
p_hat_springfest <- x_springfest / n_springfest

# Hypothesis test
prop_test_springfest <- prop.test(x_springfest, n_springfest, p = 0.60, alternative = "greater", correct = FALSE)
prop_test_springfest</pre>
```

Output:

```
1-sample proportions test without continuity correction

data: x_springfest out of n_springfest, null probability 0.6

X-squared = 2.5345, df = 1, p-value = 0.05569
alternative hypothesis: true p is greater than 0.6

95 percent confidence interval:
0.5975199 1.00000000

sample estimates:
    p
0.6724138
```

b)

• Test Statistic: $X^2 = 2.5345$

P-value: 0.05569

Using the significance level α =0.05, we do not reject the null hypothesis because the p-value (0.05569) is greater than 0.05.

c)

Conclusion: Based on the hypothesis test, there is not enough evidence to suggest that the proportion of voters in favor of Springfest exceeds 60%. Therefore, it is not reasonable to conclude that the proportion of voters in favor of Springfest exceeds 60%.

d)

Code:

```
# Number of surveyed voters and number in favor
n_autumnfest <- 182
x_autumnfest <- 110

# Proportion of voters in favor
p_hat_autumnfest <- x_autumnfest / n_autumnfest

# Confidence interval
ci_autumnfest <- prop.test(x_autumnfest, n_autumnfest, conf.level = 0.90, correct = FALSE)
ci_autumnfest</pre>
```

Output:

```
1-sample proportions test without continuity correction

data: x_autumnfest out of n_autumnfest, null probability 0.5

X-squared = 7.9341, df = 1, p-value = 0.004851

alternative hypothesis: true p is not equal to 0.5

90 percent confidence interval:
    0.5436662 0.6620667

sample estimates:
    p

0.6043956
```

The 90% confidence interval for the true proportion of municipal voters in favor of Autumnfest is (0.5436662, 0.6620667).

e)

Conclusion: Based on the confidence interval (0.5436662, 0.6620667), it is not reasonable to assume that only 50% of voters are in favor of Autumnfest. The interval suggests that the

