

# Final Review

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CS157A

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# Normalization

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- Suppose we have a database consisting of the following attributes:  $R(B, O, I, S, Q, D)$
- $B$  – Broker,  $O$  – Office of a broker,  $I$  – Investor,  $S$  – Stock
- $Q$  – Quantity of stock owned by an investor,  $D$  – Dividend paid by a stock.
- Assume that the following FDs:  $I \rightarrow B$ ,  $IS \rightarrow Q$ ,  $B \rightarrow O$ ,  $S \rightarrow D$ .
- Find a key for the relation schema  $R = (B, O, I, S, Q, D)$ .
  - ***I and S must be in any candidate key*** since they do not appear on the right of any FD. The question is whether they form a complete candidate key. And yes,  $IS \rightarrow ISDBOQ$ . Hence, the only candidate key is  $IS$ .

# Normalization

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- Consider a relation R with attributes A, B, C, D, E and the set of functional dependencies  $A \rightarrow CD$ ,  $B \rightarrow CE$ ,  $E \rightarrow B$ . We decompose into  $R_1 = (A, B, E)$ ,  $R_2 = (\underline{A}, C, D)$ . Show that this decomposition is a lossless-join decomposition.
- $R_1 \cap R_2 = A$ ; and A is a Key in R2. this is a lossless-join decomposition
- Show that this decomposition is not a dependency-preserving decomposition.
- $F_1 = \{E \rightarrow B\}$   $F_2 = \{A \rightarrow CD\}$
- $(F_1 \cup F_2)^+ \neq F^+$
- Not a dependency preserving decomposition.  $B \rightarrow CE$  is lost.

# Schema Refinement

- FD Equivalency
- Consider  $F = \{A \rightarrow B, B \rightarrow C, C \rightarrow A\}$  and  $G = \{C \rightarrow B, B \rightarrow A, A \rightarrow C\}$
- Are F and G equivalent?

- If F covers G

- All FDs in G can be derived from F

$G: C \rightarrow B$	$B \rightarrow A$	$A \rightarrow C$
$C_F^+ = CAB\underline{\phantom{A}}$	$B_F^+ = BCA\underline{\phantom{A}}$	$A_F^+ = ABC\underline{\phantom{A}}$

- If G covers F

- All FDs in F can be derived from G

$F: A \rightarrow B$	$B \rightarrow C$	$C \rightarrow A$
$A_G^+ = ACB\underline{\phantom{A}}$	$B_G^+ = BAC\underline{\phantom{A}}$	$C_G^+ = CBA\underline{\phantom{A}}$

- Therefore,  $F \equiv G$

# Schema Refinement

- Minimal Cover
- Consider  $F = \{A \rightarrow D, BC \rightarrow AD, C \rightarrow B, E \rightarrow A, E \rightarrow D\}$
- Find Minimal cover of  $F$ ?
- All FDs have singleton RHS
  - $BC \rightarrow AD$ : Decompose to  $BC \rightarrow A, BC \rightarrow D$
  - $F = \{A \rightarrow D, BC \rightarrow A, BC \rightarrow D, C \rightarrow B, E \rightarrow A, E \rightarrow D\}$
- Find extraneous attribute in LHS
  - Examine LHS of each FD that has 2 or more attributes.
  - $BC \rightarrow A$ 
    - $B^+ = B$        $C^+ = CBAD$  (eliminate B)
  - $BC \rightarrow D$ 
    - $B^+ = B$        $C^+ = CBAD$  (eliminate B)
  - $F = \{A \rightarrow D, C \rightarrow A, C \rightarrow D, C \rightarrow B, E \rightarrow A, E \rightarrow D\}$

# Schema Refinement

- $F = \{A \rightarrow D, C \rightarrow A, C \rightarrow D, C \rightarrow B, E \rightarrow A, E \rightarrow D\}$
- Eliminate redundant FDs
  - Examine each FD one at a time, see if FD is needed, if not eliminate
  - $A \rightarrow D$ 
    - Pretend this FD does not exist and see if we can determine D from A
    - $A^+ = A$  (Keep)
  - $C \rightarrow A$ 
    - $C^+ = CDB$  (Keep)
  - $C \rightarrow D$ 
    - $C^+ = CADB$  (includes D, eliminate)
  - $C \rightarrow B$ 
    - $C^+ = CAD$  (Keep)
  - $E \rightarrow A$ 
    - $E^+ = ED$  (Keep)
  - $E \rightarrow D$ 
    - $E^+ = EAD$  (eliminate)

$$F = \{A \rightarrow D, C \rightarrow A, C \rightarrow B, E \rightarrow A\}$$

# Schema Refinement

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- Minimal Cover
- Consider  $F = \{A \rightarrow G, F \rightarrow DE, G \rightarrow DB, D \rightarrow C, E \rightarrow D\}$
- Find Minimal cover of  $F$ ?
- All FDs have singleton RHS
  - $F \rightarrow DE$ : Decompose to  $F \rightarrow D, F \rightarrow E$
  - $G \rightarrow DB$ : Decompose to  $G \rightarrow D, G \rightarrow B$
  - $F = \{A \rightarrow G, F \rightarrow D, F \rightarrow E, G \rightarrow D, G \rightarrow B, D \rightarrow C, E \rightarrow D\}$
- Find extraneous attribute in LHS
  - None – No LHS with 2 or more attributes

# Schema Refinement

- $F = \{A \rightarrow G, F \rightarrow D, F \rightarrow E, G \rightarrow D, G \rightarrow B, D \rightarrow C, E \rightarrow D\}$
  - Eliminate redundant FDs
    - $A \rightarrow G$ 
      - $A^+ = A$  (Keep)
    - $F \rightarrow D$ 
      - $F^+ = F\overline{E}D$  (eliminate)
    - $F \rightarrow E$ 
      - $F^+ = F$  (Keep)
    - $G \rightarrow D$ 
      - $G^+ = GB$  (Keep)
    - $G \rightarrow B$ 
      - $G^+ = GDC$  (Keep)
    - $D \rightarrow C$ 
      - $D^+ = D$  (Keep)
    - $E \rightarrow D$ 
      - $E^+ = E$  (Keep)
- $F = \{A \rightarrow G, F \rightarrow E, G \rightarrow D, G \rightarrow B, D \rightarrow C, E \rightarrow D\}$



# Schema Refinement

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- Minimal Cover
- Consider  $F = \{A \rightarrow BC, B \rightarrow C, A \rightarrow B, AB \rightarrow C\}$
- Find Minimal cover of  $F$ ?
- All FDs have singleton RHS
  - $A \rightarrow BC$ : Decompose to  $A \rightarrow B, A \rightarrow C$
  - $F = \{A \rightarrow B, A \rightarrow C, B \rightarrow C, AB \rightarrow C\}$
- Find extraneous attribute in LHS
  - $AB \rightarrow C$ 
    - $A^+ = ABC$
    - $B^+ = BC$  (both A and B are extra)
  - $F = \{A \rightarrow B, A \rightarrow C, B \rightarrow C\}$

# Schema Refinement

- $F = \{A \rightarrow B, A \rightarrow C, B \rightarrow C\}$
- Eliminate redundant FDs

- $A \rightarrow B$

- $A^+ = AC$  (Keep)

- $A \rightarrow C$

- $A^+ = ABC$  (eliminate)

- $B \rightarrow C$

- $B^+ = B$  (Keep)

$F = \{A \rightarrow B, B \rightarrow C\}$

# Schema Refinement

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- $R(A, B, C, D, E)$
- Consider  $F=\{A \rightarrow BC, CD \rightarrow E, B \rightarrow D, E \rightarrow A\}$
- List all Candidate Keys of R?
  - $A^+ = ABCDE$
  - $B^+ = BD$
  - $CD^+ = ABCDE$
  - $E^+ = ABCDE$

$CK=\{A, CD, E\}$

# Normalization

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- $R(A, B, C, D, E, F)$
- Consider  $F = \{BC \rightarrow A, AC \rightarrow DE, F \rightarrow E\}$ 
  - $BCF^+ = ABCDEF$
  - $CK = \{BCF\}$
- Is R in 1NF? **Yes**
- Is R in 2NF? **No**
  - R is in 1NF
  - Every non-candidate key attribute is fully functionally dependent on a candidate key (no partial dependency)
- Is R in 3NF? **No**
- Is R in BCNF? **No**

# Schema Refinement

- $R(A, B, C, D, E)$
- Consider  $F = \{ABC \rightarrow DE, D \rightarrow A\}$
- List all Candidate Keys?
  - $BC^+ = BC$
  - $ABC^+ = ABCDE$
  - $DBC^+ = ABCDE$
  - $EBC^+ = EBC$   $CK = \{ABC, DBC\}$
- Do a loss-less join decomposition into BCNF that preserves dependency or show such decomposition not possible?
  - $ABC \rightarrow DE$  (LHS contains KEY – OK)
  - $D \rightarrow A$  (LHS does NOT contain KEY – decompose)
    - R-Y: (BCDE)    XY: (DA)
    - $ABC \rightarrow DE$  Lost in R

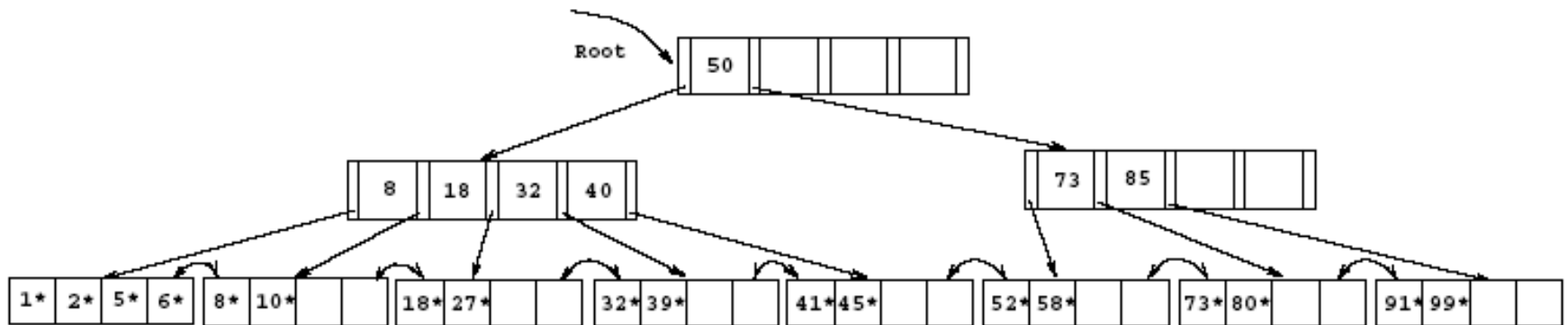
# Normalization

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- $R(A, B, C, D)$
- Consider  $F = \{AB \rightarrow C, C \rightarrow D\}$
- List all Candidate Keys?
  - $AB^+ = ABCD$        $CK = \{AB\}$
- Is  $R$  in 3NF?
  - First check if  $R$  in 2NF? **Yes**
    - $R$  in 1NF
    - Every non-candidate key attribute is fully functionally dependent on a candidate Key (no partial dependency)
  - If  $R$  is in 3NF? **No  $C \rightarrow D$  (decompose)**
    - $R-Y: (ABC)$
    - $\underline{X}Y: (\underline{C}D)$

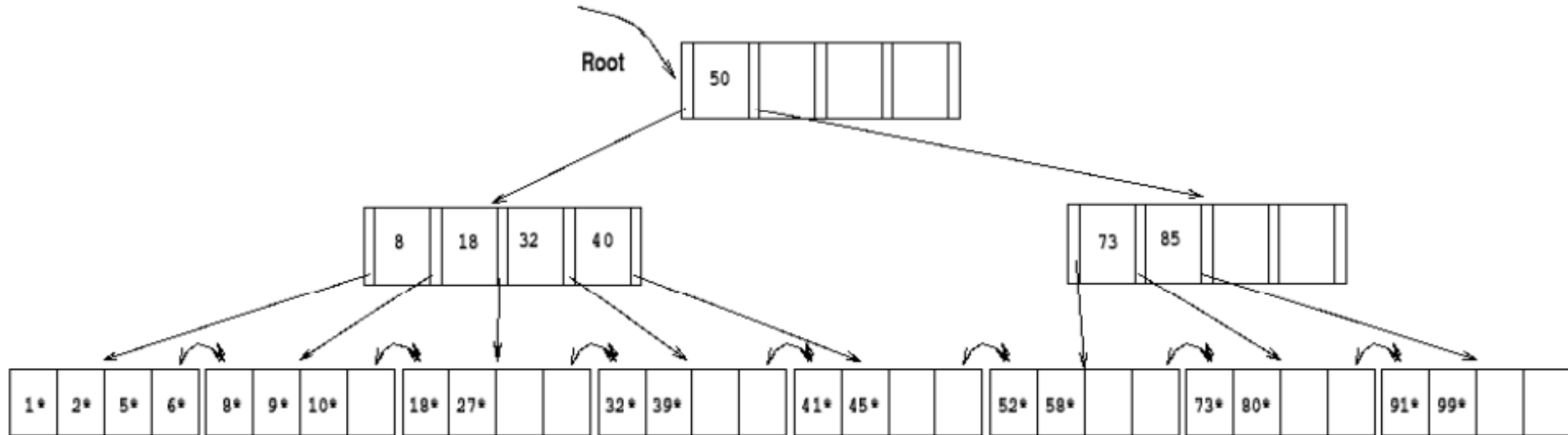
# Indexing

- Consider the B+ tree index shown below



# Indexing

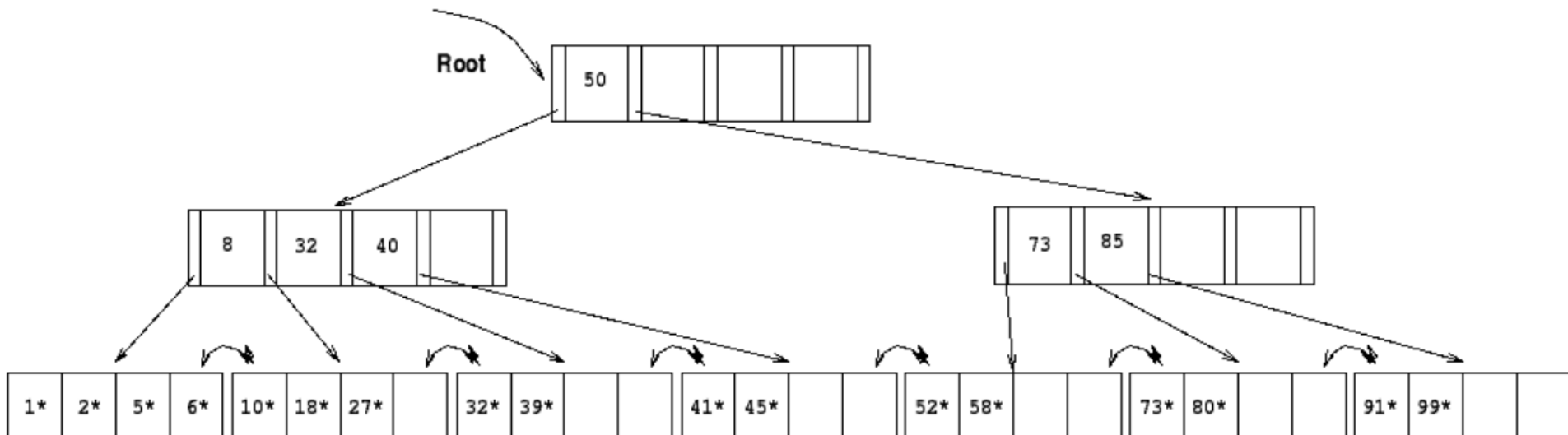
- Show the tree that would result from inserting a data entry with key 9 into this tree.





# Indexing

- Show the B+ tree that would result from deleting the data entry with key 8 from the original tree.



# XML

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- Consider the following XML DTD

<!ELEMENT bib (entry\*)>

<!ELEMENT entry (book | collection)>

<!ELEMENT book (author, title)>

<!ELEMENT collection (author, title, publisher?, article+)>

<!ELEMENT article (author, title)>

<!ATTLIST entry (year CDATA #REQUIRED)>

<!ELEMENT author (#PCDATA)>

<!ELEMENT title (#PCDATA)>

# XML

- Does the following XML fragment conform to the DTD above?

```
<bib>
  <entry>
    <year>2008</year>
    <collection>
      <author>A. Turing</author>
      <title>Tests in CS</title>
    </collection>
  </entry>
</bib>
```

- No, because:
  - year is an attribute, not an element
  - Collection must have at least one article (but publisher can be missing)
  - Author must precede title in book
  - There is no closing “entry” tag

# XML

Write down the XML schema for the following XML document?

```
1: <?xml version="1.0"?>
2: <BookStore xmlns="http://www.books.org"
3:           xmlns:xsi="http://www.w3.org/2001/XMLSchema-instance"
4:           xsi:schemaLocation=
5:               "http://www.books.org
6:               BookStore.xsd">
7:     <Book>
8:         <Title>My Life and Times</Title>
9:         <Author>Paul McCartney</Author>
10:        <Date>1998</Date>
11:        <ISBN>1-56592-235-2</ISBN>
12:        <Publisher>McMillin Publishing</Publisher>
13:    </Book>
14:    <Book>
15:        <Title>Illusions The Adventures of a Reluctant Messiah</Title>
16:        <Author>Richard Bach</Author>
17:        <Date>1977</Date>
18:        <ISBN>0-440-34319-4</ISBN>
19:        <Publisher>Dell Publishing Co.</Publisher>
20:    </Book>
21:    <Book>
22:        <Title>The First and Last Freedom</Title>
23:        <Author>J. Krishnamurti</Author>
24:        <Date>1954</Date>
25:        <ISBN>0-06-064831-7</ISBN>
26:        <Publisher>Harper & Row</Publisher>
27:    </Book>
28: </BookStore>
```

# XML

```
1: <?xml version="1.0" encoding="UTF-8"?>
2: <xsd:schema xmlns:xsd="http://www.w3.org/2001/XMLSchema"
3:             targetNamespace="http://www.books.org"
4:             xmlns="http://www.books.org"
5:             elementFormDefault="qualified">
6:   <xsd:element name="BookStore">
7:     <xsd:complexType>
8:       <xsd:sequence>
9:         <xsd:element ref="Book" minOccurs="1" maxOccurs="unbounded"/>
10:      </xsd:sequence>
11:    </xsd:complexType>
12:  </xsd:element>
13:  <xsd:element name="Book">
14:    <xsd:complexType>
15:      <xsd:sequence>
16:        <xsd:element ref="Title" minOccurs="1" maxOccurs="1"/>
17:        <xsd:element ref="Author" minOccurs="1" maxOccurs="1"/>
18:        <xsd:element ref="Date" minOccurs="1" maxOccurs="1"/>
19:        <xsd:element ref="ISBN" minOccurs="1" maxOccurs="1"/>
20:        <xsd:element ref="Publisher" minOccurs="1" maxOccurs="1"/>
21:      </xsd:sequence>
22:    </xsd:complexType>
23:  </xsd:element>
24:  <xsd:element name="Title" type="xsd:string"/>
25:  <xsd:element name="Author" type="xsd:string"/>
26:  <xsd:element name="Date" type="xsd:string"/>
27:  <xsd:element name="ISBN" type="xsd:string"/>
28:  <xsd:element name="Publisher" type="xsd:string"/>
29: </xsd:schema>
30:
```

# Transactions

Consider the following two transactions and schedule (time goes from left to right). Is this schedule conflict-serializable? Explain why or why not.

T1: R1(A), W1(A), R1(B), W1(B), C  
T2: R2(A), R2(B), C

The schedule is not conflict-serializable because the precedence graph contains a cycle.

