Assignment 2 Design Doc

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Details:

We are writing and implementing sin, cos, sin-1 (arcsin), cos-1 (arccos), tan-1 (arctan), and log functions. The Taylor series will be used for sin, cos, and arcsin. arccos and arctan can be calculated from arcsin while implementing a square root function. As well as creating a main() program and acting as a test harness.

Implements:

- 1. A function that approximates sin(x)
- 2. A function that approximates cos(x)
- 3. A function that approximates arcsin(x)
- 4. A function that approximates arccos(x)
- 5. A function that approximates arctan(x)
- 6. A function that approximates log(x)

Pseudocode:

For Absolute Value

- 1. Create an if statement to see if the value(x) is less than 0, then if it is multiple it with
- -1, else just return the value(x) with no changes

For Square Root

1. Using the function given in piazza "square_root"

For sin(x)

making taylor series of sin(x) using x/2n * x/2n+1 * |an-1| (from pdf)

- 1. will have some placeholder variables (n,final_val,temp1)
 - a. setting n as n from equation
 - b. setting final val to keep track of the final value
 - c. setting temp1 to x as a placeholder value for the while loop
- 2. Creating a while loop setting it to True
- a. Creating a temp value called temp and adding temp1 to it, as well as adding the iterative equation of sin(x)
 - i. old value times with x squared divided by 2 times n times 2 times n plus 1
 - b. check if n is even or odd, accordingly make it neg. or pos. from the sequence
 - c. incrementing n with 1, to get the next value
 - d. creating another temp variable to check the absolute value of the value
 - e. if temp from d is less than EPSILON then break the function
- 3. Return the final value

For cos(x)

- 1. return pi divided by 2 minus x in the my_sin function
- (shortcut for doing cos)
- 2. Proof for this equation:

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Using the sine subtraction formula
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\sin(a-b) = \sin(a)\cos(b) - \cos(a)\sin(b)
a = (pi/2)
b = x
\sin(\pi/2-x) = \sin(\pi/2)\cos(x) - \cos(\pi/2)\sin(x)
(1x\cos(x)) - (0\times\sin(x))
= \cos(x) - 0
= \cos(x)
proved \sin(pi/2-x) = \cos(x)
```

For arcsin(x)

- 1. Creating a val variable for the final variable, and a next variable for the next number
- 2. Creating a while loop
 - a. Using the given equation from piazza,
 - b. make the final value (val) equal to the next variable minus
 - i. my_sin of next minus x divided by my_cos of next
 - c. break the loop if the added difference is less than EPSILON
 - d. changing the next value to add, next equals to val
- 3. Once the loop breaks, return val

For arccos(x)

1. return pi divided by 2 minus x of my_sin function (from pdf)

For arctan(x)

- 1. Using (x)
- 2. Using square root fcn for x*x plus one
- 3. returning arcsin divided by step 1 over 2
- 4. (equation given in asgn2 pdf)

For log(x)

- 1. Using the equation from asgn2 pdf
- 2. Creating two variables one for the temp value called first, and one for the final where I keep adding it
 - 3. Create a while loop that runs till true
- a. To get my final value I'm adding the previous value to x- Exp(previous value) divided by Exp(previous value)
- b. creating an if statement to make sure that the absolute value of final-first is not less than EPSILON, and if it is then break if not keep running
 - c. changing mu previous value to the final value so first = final
 - 4. return final value

Main file

- 1. creating bool opt for options a,b,c, etc;
 - a. setting them to false
- 2. Creating opt and setting it to 0, and creating a different variable for the difference between my function and the library function
 - 3. creating switch opt

- 4. for every case
 - a. set boolean: true
 - b. set pointer: corresponding mathlib.c function
- C. for case a, make all the options true, and for the rest of the cases make the corresponding option true
- 5. Create a default case that prints an error
- 6. Create if statements for every case possible, -a, -s, and print the table accordingly
- a. Having a for loop to print the tables, according to the different domains and the steps

Files

- 1. mathlib.h: Supplied file, with the function prototypes for the math functions
- 2. mathlib.c: This file contains my math function implementations, as prototyped in mathlib.h.
- 3. mathlib-test.c: This file will contain the main() program and acts as a test harness for my math library. 4. Makefile: This file will allow the grader to type make to compile your program.
- 5. README.md: This file will describe how to build and run my program and list the command-line options it accepts and what they do.
- 6. DESIGN.pdf: Describe the purpose of your program and communicate the overall design of the program with enough detail
- 7. WRITEUP.pdf: Discussion of the results of my tests.