



Compilers

Cool Semantics II

- Informal semantics of new T
 - Allocate locations to hold all attributes of an object of class T
 - Essentially, allocate a new object
 - Set attributes with their default values
 - Evaluate the initializers and set the resulting attribute values
 - Return the newly allocated object

- For each class A there is a default value D_A
 - D_{int} = Int(0)
 - D_{bool} = Bool(false)
 - D_{string} = String(0, “”)
 - D_A = void (for any other class A)

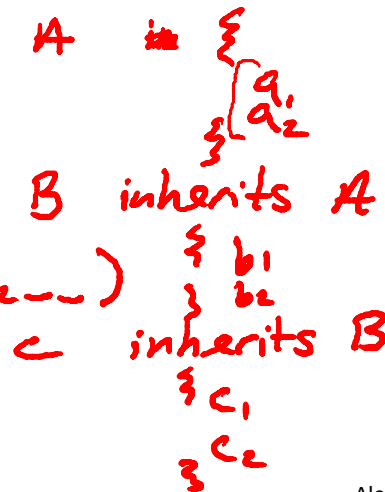
- For a class A we write

class(A) = (a_1 : T_1 \leftarrow e_1 , ..., a_n : T_n \leftarrow e_n) where

- a_i are the attributes (including the inherited ones)
- T_i are the attributes' declared types
- e_i are the initializers

greatest ancestor first

$\text{class}(C) = (a_1^-, a_2^-, b_1^-, b_2^-, c_1^-, c_2^-)$



$T_0 = \text{if } (T == \text{SELF_TYPE} \text{ and } \text{so} = \underline{X}(\dots)) \text{ then } \underline{X} \text{ else } T$

$\text{class}(T_0) = (a_1 : T_1 \leftarrow e_1, \dots, a_n : T_n \leftarrow e_n)$

$l_i = \text{newloc}(S) \text{ for } i = 1, \dots, n$

$\underline{v} = T_0(a_1 = \underline{l}_1, \dots, a_n = \underline{l}_n)$

$S_1 = S[D_{T_1}/\underline{l}_1, \dots, D_{T_n}/\underline{l}_n]$

$E' = [\underline{a}_1 : \underline{l}_1, \dots, \underline{a}_n : \underline{l}_n]$

$\underline{v}, E', S_1 \vdash \{ a_1 \leftarrow e_1; \dots; a_n \leftarrow e_n; \} : \underline{v}_n, S_2$

$\underline{\text{so}}, E, S \vdash \text{new } T : \underline{v}, S_2$

- The first three steps allocate the object
- The remaining steps initialize it
 - By evaluating a sequence of assignments
- State in which the initializers are evaluated
 - Self is the current object
 - Only the attributes are in scope (same as in typing)
 - Initial values of attributes are the defaults

class A {
 a ← 9
}

- Informal semantics of $\underline{e_0}.\underline{f}(\underline{e_1}, \dots, \underline{e_n})$
 - Evaluate the arguments in order $\underline{e_1}, \dots, \underline{e_n}$
 - Evaluate $\underline{e_0}$ to the target object
 - Let \underline{X} be the dynamic type of the target object
 - Fetch from \underline{X} the definition of \underline{f} (with \underline{n} args.)
 - Create \underline{n} new locations and an environment that maps \underline{f} 's formal arguments to those locations
 - Initialize the locations with the actual arguments
 - Set \underline{self} to the target object and evaluate \underline{f} 's body

- For a class A and a method f of A (possibly inherited):

$\text{impl}(A, f) = (x_1, \dots, x_n, e_{\text{body}})$ where

- x_i are the names of the formal arguments
- e_{body} is the body of the method

$$\left[\begin{array}{l} \text{so, } E, \underline{S} \vdash \underline{e_1} : \underline{v_1}, \underline{S_1} \\ \text{so, } E, \underline{S_1} \vdash \underline{e_2} : \underline{v_2}, \underline{S_2} \\ \dots \\ \text{so, } E, \underline{S_{n-1}} \vdash \underline{e_n} : \underline{v_n}, \underline{S_n} \\ \text{so, } E, \underline{S_n} \vdash \underline{e_0} : \underline{v_0}, \underline{S_{n+1}} \end{array} \right.$$

$\rightarrow \underline{v_0} = \underline{X}(a_1 = l_1, \dots, a_m = l_m)$
 $\text{impl}(\underline{X}, \underline{f}) = (\underline{x_1}, \dots, \underline{x_n}, \underline{e_{\text{body}}})$
 $l_{x_i} = \text{newloc}(S_{n+1}) \text{ for } i = \underline{1}, \dots, \underline{n}$
 $E' = [\underline{a_1} : \underline{l_1}, \dots, \underline{a_m} : \underline{l_m}][\underline{x_1}/\underline{l_{x_1}}, \dots, \underline{x_n}/\underline{l_{x_n}}]$
 $S_{n+2} = S_{n+1}[\underline{v_1}/\underline{l_{x_1}}, \dots, \underline{v_n}/\underline{l_{x_n}}]$

$\rightarrow \underline{v_0}, \underline{E'}, \underline{S_{n+2}} \vdash \underline{e_{\text{body}}} : \underline{v}, \underline{S_{n+3}}$
 $\text{so, } \underline{E}, \underline{S} \vdash \underline{e_0.f(e_1, \dots, e_n)} : \underline{v}, \underline{S_{n+3}}$

class A {
a
f(a) {
 \nwarrow
 α
}
}

What is the final value of S_5 in the dispatch of `obj.foo(i)` below?

so, $[i:l_i], S_1 \vdash i : 3, S_2$
so, $[i:l_i], S_2 \vdash \text{obj} : C(a = l_{\text{obj_a}}), S_3$
 $\text{impl}(C, \text{foo}) = (x, x + a)$
 $l_x = \text{newloc}(S_3)$
 $S_4 = S_3[3/l_x]$
 $\frac{C(a = l_{\text{obj_a}}), [a:l_{\text{obj_a}}][x/l_x], S_4 \vdash x + a : 4, S_5}{\text{so, } [i:l_i], [l_{\text{obj_a}} \leftarrow 1, l_i \leftarrow 3] \vdash \text{obj.foo}(i) : 4, S_5}$

Cool Semantics II

```
Class C {  
    a: Int <- 0;  
    foo(x: Int) : Int { x + a };  
};
```

- ☐ $[l_i \leftarrow 3]$
- ☐ $[l_{\text{obj_a}} \leftarrow 1, l_i \leftarrow 3]$
- ☐ $[l_{\text{obj_a}} \leftarrow 1, l_i \leftarrow 3, l_x \leftarrow 3]$
- ☐ It cannot be determined from the information given.

- The body of the method is invoked with
 - E mapping formal arguments and self's attributes
 - S like the caller's except with actual arguments bound to the locations allocated for formals
- The notion of the frame is implicit
 - New locations are allocated for actual arguments
- The semantics of static dispatch is similar

Operational rules do not cover all cases
Consider the dispatch example:

...

so, $E, S_n \vdash e_0 : v_0, S_{n+1}$
 $v_0 = X(a_1 = l_1, \dots, a_m = l_m)$
 $\rightarrow \text{impl}(X, f) = (x_1, \dots, x_n, e_{\text{body}})$
...

- There are some runtime errors that the type checker does not prevent
 - A dispatch on void —
 - Division by zero —
 - Substring out of range —
 - Heap overflow —
- In such cases execution must abort gracefully
 - With an error message, not with a segfault

- Operational rules are very precise & detailed
 - Nothing is left unspecified
 - Read them carefully
- Most languages do not have a well specified operational semantics
- When portability is important an operational semantics becomes essential