Set

 $C = A \cup B$ 

	,	
Functions		
Function	Convex?	Proof
$\mathbf{y} = \max(f_1, f_2)$	Yes, if $f_1$ and $f_2$ are convex functions	
$\mathbf{y} = \min(f_1, f_2)$	Not always	
$y = \mathbf{c}^T \mathbf{x}$ (linear function)	Yes (but not strictly convex)	
$y = \ \mathbf{x}\ _p \text{ (p-norm)}$	Yes (for any $p \in \mathbb{N}_+$ )	$\ \theta \mathbf{x} + (1 - \theta)\mathbf{y}\  \le \theta \ \mathbf{x}\  + (1 - \theta) \ \mathbf{y}\ $ (triangular inequality)
$f(g(\mathbf{x}))$	Yes, if $f, g$ are convex	

Sets

Proof

Convex?

Not always