

Theory Exercise 9

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Task 1: 'Snapshot'-Algorithm of Chandy and Lamport

a)

Illustration 1.I is correct, as P_1 forwards the marker message to P_2 after recording its state and before sending any other message.

Example for figure 1.I:

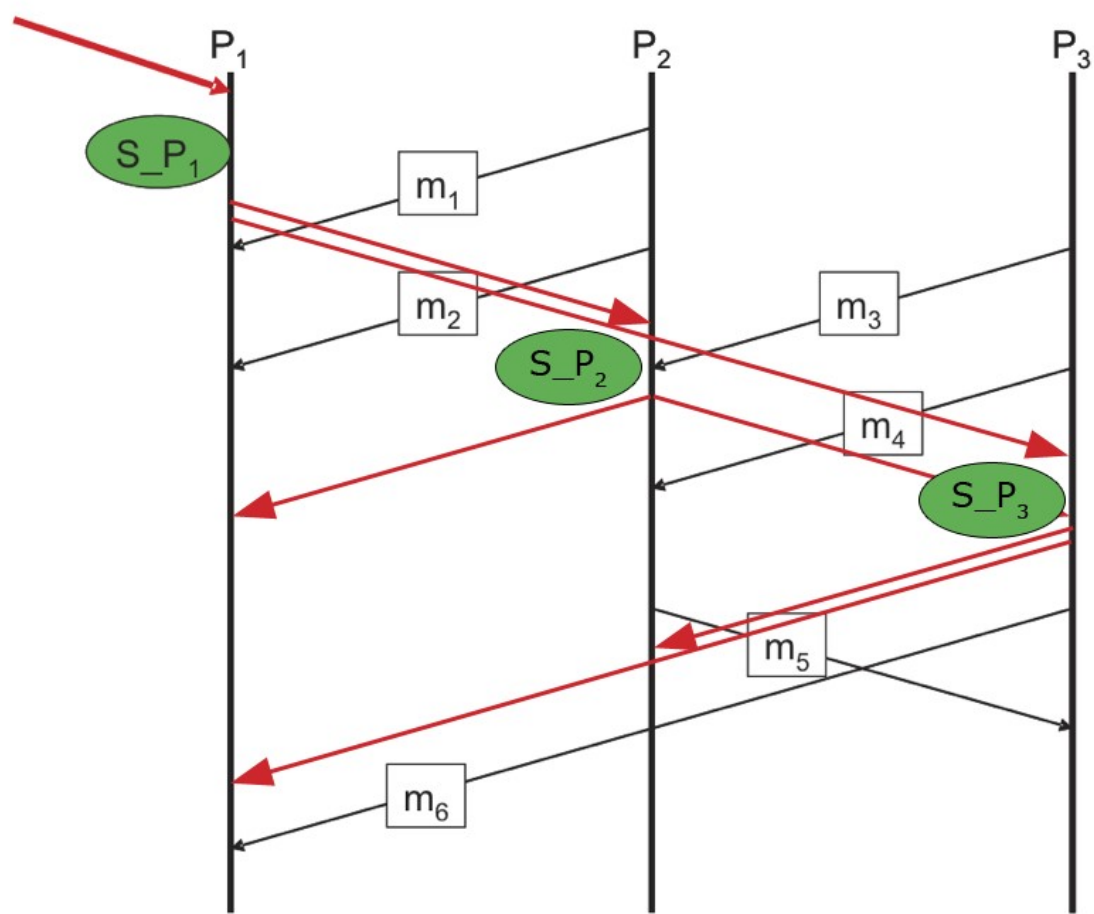
P_1 receives the marker message and saves its local state immediately. It forwards the marker message to process P_2 , followed by a regular message. P_2 receives the marker message first and creates a local snapshot. It then receives the regular message which is not part of the local snapshot, as it is received by P_1 after the receiving the marker message. For both processes the message is not part of the snapshot, so the snapshot itself is consistent.

Example for figure 1.II:

P_1 receives the marker message and saves its local state immediately. It then sends a regular message to P_2 , followed by the marker message. The regular message is not part of the local snapshot, as it happens after the receiving of the marker message. Now P_2 receives the regular message first, followed by the marker message. It creates a local snapshot, consisting of all previous events, including the receiving of the regular message from P_1 . After the algorithm finishes, the global snapshot that is created out of the local snapshots is inconsistent because there exists an receiving event for a message without a corresponding sending event.

b)

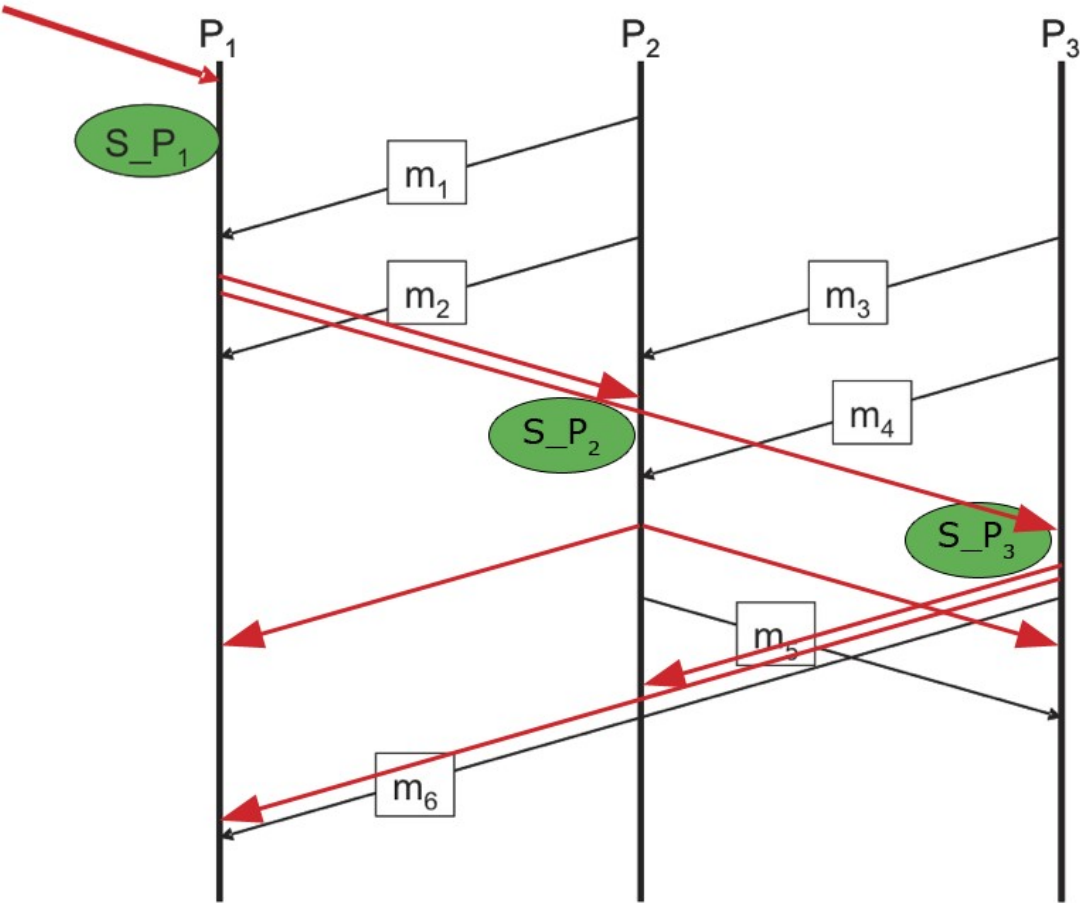
Variant 1:



States:

| | | |
|---|---|---|
| S _{P₁} : <> | C(P ₂ , P ₁): <rec_m1, rec_m2> | C(P ₃ , P ₁): <> |
| S _{P₂} : <send_m1, send_m2> | C(P ₁ , P ₂): <> | C(P ₃ , P ₂): <rec_m3, rec_m4> |
| S _{P₃} : <send_m3, send_m4> | C(P ₁ , P ₃): <> | C(P ₂ , P ₃): <> |

Variant 2:



States:

| | | |
|--|---|--|
| S _{P₁} : <> | C(P ₂ , P ₁): <rec_m ₁ , rec_m ₂ > | C(P ₃ , P ₁): <> |
| S _{P₂} : <send_m ₁ , send_m ₂ , rec_m ₃ > | C(P ₁ , P ₂): <> | C(P ₃ , P ₂): <rec_m ₄ > |
| S _{P₃} : <send_m ₃ , send_m ₄ > | C(P ₁ , P ₃): <> | C(P ₂ , P ₃): <> |

Task 2: Snapshot vs. Actual Program Flow

a)

$\text{Sys}' = s_{m1}, s_{m2}, r_{m1}, r_{m2}$

pre-snap: s_{m1}

post-snap: s_{m2}, r_{m1}, r_{m2}

b)

