hal 396

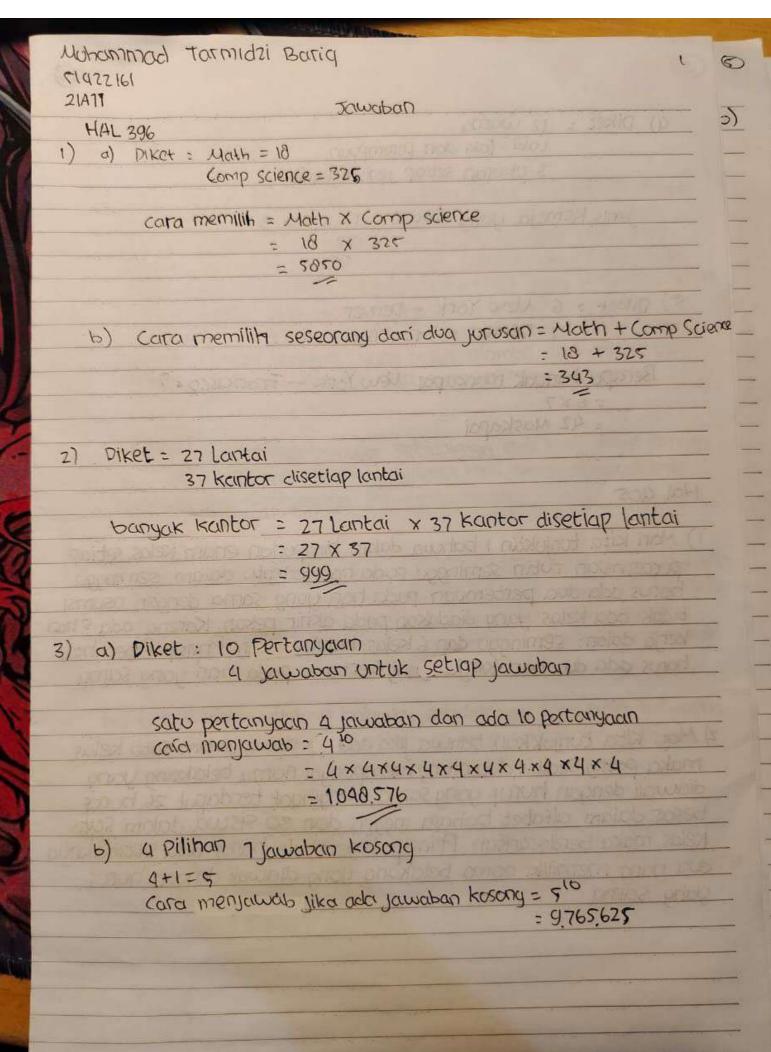
- 1) There are 18 mathematics majors and 325 computer science majors at a collage.
 - a) in how many can two Tespresentatives be picked so that one is a major and the other is a computer science major?
 - b) In how many ways can one representative be Picked Who is either a mathematics major or a computer science major?
- 2) An office building contains 27 floors and has 37 offices on each floor. How many offices are in the building?
- 3) A multiple choice test contains to questions. There are four possible answers for each question

a) In how many ways can a student answer the questions on the test if the student answers every question?

- b) In how many ways can a Student answer the questions on the test if the Student can leave answers blank?
- 4) A particular brand of Shirt comes 117 12 colors, has a male version and female version, and comes in three sizes for each sex. How many different types of this Shirt are made?
- 5) Six different air lines fly from New York to Denver and Seven fly from Denver to San Francisco. How many different pairs of air lines can you choose on which to book a trip from New York to San Francisco via Denver, when you pick an airlane for the flight to Denver and an airlane for the continuation flight to San Francisco?

THE WINDS Hal 913 Hal gos 1. Show that in any Set of six classes, each meeting regulary once a 11. How m week on a particular day of the week, there must be two that a) exa meet on the same day, assuming that no classes are held on b) at c) at d) an weekends 2. Show that if there are 30 Students in a iclass, then at least 12. HOW two have loss names that begin with the same letter a) ex (b) at 3. A drawer contains a dozen brown socks and dozen black socks c) a all unmatched. A man takes socks out at random in the dark. d) 0 a) How many socks must be take out to be sure that he has at least three balls of the same color 13. A 950 b) How many socks must be take out to be sure that he has to a at least two black socks 14. In t 4. A bowl contains to red balls and to blue balls. A woman selects balls at random without looking at them 15. In a) How many balls must she select to be sure of having tro at least three balls of the same color b) How many balls must she select to be sure of having at least three blue balls 5. Show that among any group of five (not necessarily consecutive) integers, there are two with the same remainder when divided by 9.

Hal '413 11. How many bit strings of length to contain a) exactly four 15 ? b) at most four 1s? c) at least four 15? d) an equal number of 0s and 1s? 12. How many bit Strings of length 12 contain a) exactly three 15? b) at most three 1s? ocks c) at least three 1,? a smooth doing soon as d) an equal number of 0s and 1s? 13. A group contains n men and n women. How many ways are there 35 to arrange these people in a row if the men and women alternate 14. In how many ways can a set of two positive integers less than cts 15. In how many ways can a set of five letters be selected from the English alphabet? tive)



3) 1

Jenis kemeja yang dibuat = 12 x 2 x 3

3) DIKET = 6 New York - Denver 7 Denver - Francisco

Berapa banyak markapai New York - Francisco ??
= 6 x 7
= 42 Maskapai

Ha1 405

- 1) Mari kita tunjukkan bahwa dalam himpunan enam kelas, setiap pertemuan rutin seminggu pada hari tertentu dalam seminggu, harus ada dua pertemuan pada hari yang sama dengan asumsi tidak ada kelas yang diadakan pada akhir pekan. Karena ada shari kerja dalam seminggu dan 6 kelas, berdasarkan Prinsip Pigeonhole harus ada dua hari kerja yang bertemu pada hari yang sama.
- z) Mari Kita tunjukkan bahwa jika ada 30 siswa dalam satu kelas, maka paling sedikit dua orang mempunyai nama belakang yang diawali dengan huruf yang sama. Mengingat terdapat 26 huruf besar dalam alfabet bahasa inggris dan 30 siswa dalam satu kelas, maka berdasarkan Prinsip Pigeonhole harus ada setidaknya kelas, maka berdasarkan Prinsip Pigeonhole harus ada setidaknya dua yang memiliki nama belakang yang diawali dengan huruf yang sama.

- a) Dalam hal ini, kita dapat menerapkan Prinsip Pigeonhole dengan memikirkan warna warna kotak yang disebutkan dalam prinsip tersebut. Jadi berdasarkan sarang merpati, maka n=2 karena jika orang mengambil paling sedikit n+1=3 kaos kaki, maka dapat dipastikan sepasang kaos kaki yang berwarna sama ikut terambil. Jika hanya mengambil 2 buah kemungkinan dua buah warna yang berbeda terambil. Jadi 3 kaos kaki adalah jumlah minimum yang harus diambil dari dalam laci untuk menjamin terambil sepasang warnayang sama
- b) Untuk memastikan bahwa setidaknya dua kaos kaki hitam. Jadi, dia harus mengeluarkan 19 kaus kaki untuk memastikan bahwa dua diantaranya berwarna hitam
- u.) a.) Untuk memastikan bahwa setidaknya tiga bala yang bewarna sana. 4 bala saja tidak cukup, karena bisa mengambil dua bala biru dan dua bala merah. Maka 5 bala sudah cukup, karena menurut prinsip merpati akan selalu memiliki setidaknya 3 merah atau setidaknya 3 bala warna biru.
 - b.) Untuk memostikan bahwa setidaknya tiga bola bewarna biru. Dia harus mengeluarkan 13 bola untuk memastikan bahwa tiga diantaranya berwarna biru
- 5) Ada empat kemungkinan sisa jika suatu bilangan bulat dibagi 4:
 0,1,2,3 (Prinsip Pigeonholes). Oleh karena Itu, berdasarkan prinsip
 Pigeonholes seticlaknya ada dua (=[=1]) dari lima sisa yang
 diberikan harus sama

iap gu,

msi shari hole na.

las,

itu iknya if

CHRY

(4) Hal 915 11) a) a minim 0,10) c(10,4) = 10! = 10! 41(10-9)1 9:61 = 10×9×8×7 4×3×2×1 = 210 6) ((10,4) + ((10,3) + ((10,2) + ((10,1) + ((10,0) c(10,4) = 1d = 210 91 (10-4)1 C(10,3) = 10! - 10x9x80 31 (10-3)! 3x2x1 = 120 $C(10,2) = 10! = 10 \times 9$ $2!(10-2)! = 2 \times 1$ c (10,1) = 201 = 10 11(10-1); ((10,0) = 10! 01(10-0)1 = 1 = 210+120+4++10+1 *

NWY)

= 386

8

$$= c(10,7) = \frac{101}{7!(10-7)!} = 170$$

$$= c((0,8) = \frac{10!}{8!(10-8)!} = 45$$

$$= c(10,9) = 10! = 10$$

$$(2, 2) = \frac{12!}{3!(12-3)!} = \frac{12!}{3!9!} = \frac{720}{3!9!}$$

$$(2, 2) + c(12, 2) + c(12, 1) + c(12, 0)$$

$$(2, 12) = \frac{12!}{2!(12-1)!} = \frac{12!}{2!(12-1)!} = \frac{12!}{2!(12-1)!}$$

$$(2, 12) = \frac{12!}{2!(12-1)!} = \frac{12!}{2!(12-1)!} = \frac{12!}{2!(12-1)!}$$

$$(3, 12) + c(12, 0)! = \frac{12!}{2!(12-0)!} = \frac{12!}{2!(12-0)!}$$

$$(4, 12) = \frac{12!}{2!(12-0)!} = \frac{12!}{2!(12-0)!}$$

$$(5, 12, 13) + c(12, 14) + c(12, 15) + c(12, 15) + c(12, 17) + \dots + c(12, 12)$$

$$(6, 12, 13) + c(12, 14) + c(12, 15) + c(12, 15) + c(12, 17) + \dots + c(12, 12)$$

$$(12, 12) = \frac{12!}{2!(12-1)!} = \frac{12}{2!(12-1)!} = \frac{12}{2!(12-1)!}$$

$$(12, 13) = \frac{12!}{2!(12-1)!} = \frac{12}{2!}$$

$$(12, 13) = \frac{12!}{2!(12-1)!} = \frac{12}{2!}$$

$$(12, 13) = \frac{12!}{2!(12-1)!} = \frac{12}{2!}$$

$$(12, 10) = \frac{12!}{2!(12-1)!} = \frac{12}{2!}$$

6

mengurutkan pria ni cara
mengurutkan wanita ni cara
Anda dapat menyatukan dua tersebut sehingga jenis kelaminnya
bergantian Dapat dilakukan dalam 2 cara, tergantung pada apakah
meletakkan seorang pria atau wanita di yiung kiri baris. Sehingga
dapat digabungkan dalam 2·ni·ni = 2(ni) cara

$$(4) \quad n = 99 \quad 99 \quad 200 \quad 20$$

$$|C| = \frac{1}{126}$$

$$|C| = \frac{1}{126} = \frac{1}$$

Hal usz

95

(6) 'n=3

Ho Ho

01

(1

7)
$$\frac{n=r}{r=3}$$
, $\frac{(n+r-1)!}{r!(n-1)!} = \frac{(r+3-1)!}{s!(r-1)!} = \frac{7!}{3!4!} = 35$

8) n=21 r=12

$$(1+1)!$$
 $\frac{12i(21-1)!}{(21+12-1)!}$ $\frac{12i(20)!}{32!}$ $\frac{225.792.840}{225.792.840}$

g) a) n=8 r=6

$$C(n+r-1/r) = \frac{r!(n-1)!}{(n+r-1)!} = \frac{13!}{6!(0-1)!} = \frac{13!}{6!-7!} = 1716$$

2)

b) n 28

c) n=8

d) n=0

$$C(8+44,4) = 11! = 330$$

e) Tidak ada bage (asin 1 n=7 (8-1), r=9 (12-3 telur)

$$C(7+9-1,9) = 18! = 5005$$

(KESY)

1 baget asin

$$R=7$$
 $T=8(12-3+evor-1 asin)$
 $C(7+8-1,8) = 14! = 3003$

c)
$$n=6$$

$$r = 24-12$$

$$c(6+12-1,12) = 17! = 6188$$

$$12!(6-1)!$$

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(0)
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(n+ -1(

(1)=5, == 24 c(5+24-1, 24) = 28! = 20, 475 241(5-1)!

n= ?

(1

TI

1 brokoli n=r, r=23 ((24-1)) c(9+23-1,25) = 27! = 17950 23!(9-1)!

2 brokoli

d) Obrokoli

n=r, r=22 (24-2) c(r+22-1,22) = 261 = 14.950 zzi(r-1)!

= 20.475 + 17.550 + 14.950 = 52 975

e) n=6

T=16 (24-4-3)

c(6+16-1,16) = 211 = 20349

F) o brakali

 $n_2 = \frac{n_2 + n_2}{n_2 + n_3}$ $C(t+1) = \frac{19!}{(t+1)!} = 3876$

[(C+12-1, 12) = [7]

1 brokoli

D25

c(.2+181-1/18) = 18i = 3000

D25

T = 13

3 brokoli

ner

T=12