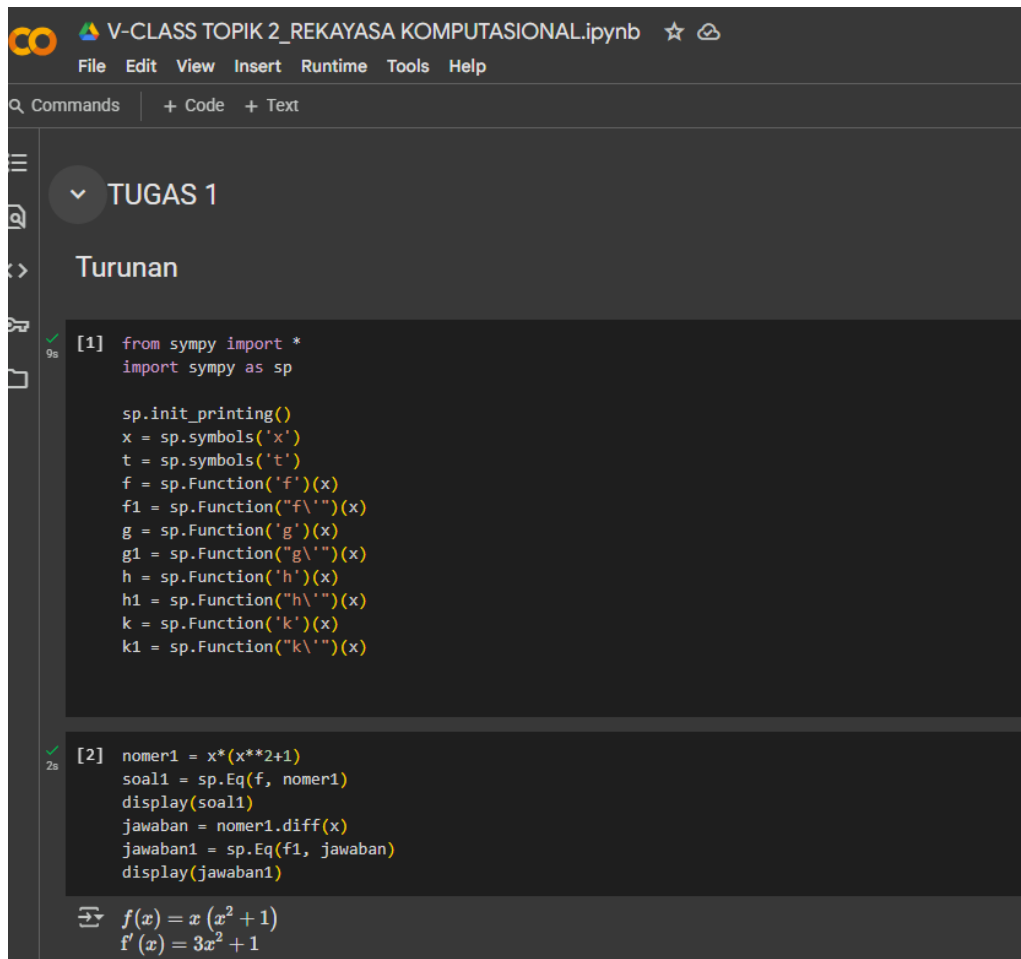


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3IA11

M9



The image shows a Jupyter Notebook interface with a dark theme. The title bar at the top reads "V-CLASS TOPIK 2\_REKAYASA KOMPUTASIONAL.ipynb" and includes icons for file operations, a star, and a cloud. Below the title bar is a menu bar with "File", "Edit", "View", "Insert", "Runtime", "Tools", and "Help". A search bar labeled "Commands" is present, along with buttons for "+ Code" and "+ Text". On the left side, there is a sidebar with icons for file explorer, search, and other functions. The main area of the notebook is titled "TUGAS 1" and "Turunan". It contains two code cells. The first cell, labeled "[1]" and "9s", imports Sympy and defines several functions. The second cell, labeled "[2]" and "2s", defines a function "nomer1", creates an equation "soal1", and computes its derivative "jawaban". The output of the second cell shows the mathematical expressions for the function and its derivative.

```
[1] from sympy import *
import sympy as sp

sp.init_printing()
x = sp.symbols('x')
t = sp.symbols('t')
f = sp.Function('f')(x)
f1 = sp.Function("f\\")(x)
g = sp.Function('g')(x)
g1 = sp.Function("g\\")(x)
h = sp.Function('h')(x)
h1 = sp.Function("h\\")(x)
k = sp.Function('k')(x)
k1 = sp.Function("k\\")(x)
```

```
[2] nomer1 = x*(x**2+1)
soal1 = sp.Eq(f, nomer1)
display(soal1)
jawaban = nomer1.diff(x)
jawaban1 = sp.Eq(f1, jawaban)
display(jawaban1)
```

$$f(x) = x(x^2 + 1)$$
$$f'(x) = 3x^2 + 1$$

✓  
0s [3] `nomer2 = (5*x-4)/(3*x**2+1)`  
`soal2 = sp.Eq(g, nomer2)`  
`display(soal2)`  
`jawaban = nomer2.diff(x)`  
`jawaban2 = sp.Eq(g1, jawaban)`  
`display(jawaban2)`

⇒ 
$$g(x) = \frac{5x - 4}{3x^2 + 1}$$
$$g'(x) = -\frac{6x(5x - 4)}{(3x^2 + 1)^2} + \frac{5}{3x^2 + 1}$$

✓  
0s [4] `nomer3 = (x**2+1)*10`  
`soal3 = sp.Eq(h, nomer3)`  
`display(soal3)`  
`jawaban = nomer3.diff(x)`  
`jawaban3 = sp.Eq(h1, jawaban)`  
`display(jawaban3)`

⇒ 
$$h(x) = 10x^2 + 10$$
$$h'(x) = 20x$$

✓  
0s [5] `nomer4 = sin(2*t)`  
`soal4 = sp.Eq(k, nomer4)`  
`display(soal4)`  
`jawaban = nomer4.diff(x)`  
`jawaban4 = sp.Eq(k1, jawaban)`  
`display(jawaban4)`

⇒ 
$$k(x) = \sin(2t)$$
$$k'(x) = 0$$

```
[6] r = 1
    phi = [3.1, 3.14, 3.141, 3.1415, 3.14159,
            3.141592, 3.1415926, 3.14159265, 3.141592653, 3.1415926535,
            3.14159265358, 3.141592653589, 3.1415926535893, 3.14159265358932, 3.141592653589323,
            3.1415926535893238, 3.1415926535893284, 3.14159265358932846]
    phii = map(str, phi)
```

```
AS = []
for i in phi:
    AS.append(len(str(i))-1)
AS
```

```
[2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 17, 17]
```

```
[8] luas = phi * (r ** 2)
    luass = [str(x) for x in luas]
    AS_luas = []
    for i in luas:
        AS_luas.append(len(str(i))-1)
    AS_luas
```

```
[2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 17, 17]
```

```
[9] volume = [(4/3) * x for x in phi]
    volumee = [str(x) for x in volume]
    AS_volume = []
    for i in volume:
        AS_volume.append(len(str(i))-1)
    AS_volume
```

```
[16, 17, 4, 16, 16, 16, 16, 8, 10, 16, 16, 16, 16, 15, 17, 16, 17, 17]
```

```
[10] import pandas as pd
    dict = {'Nilai Phi': phii, 'Nilai Signifikan': AS, 'Luas Lingkaran': luass, 'Angka Signifikan Luas Lingkaran': AS_luas, 'Volume Bola': volumee, 'Angka Signifikan Volume Bola': AS_volume}
    df = pd.DataFrame(dict)
    df
```

	Nilai Phi	Nilai Signifikan	Luas Lingkaran	Angka Signifikan Luas Lingkaran	Volume Bola	Angka Signifikan Volume Bola
0	3.1	2	3.1	2	4.133333333333333	16
1	3.14	3	3.14	3	4.186666666666666	17
2	3.141	4	3.141	4	4.188	4
3	3.1415	5	3.1415	5	4.188666666666666	16
4	3.14159	6	3.14159	6	4.188786666666666	16
5	3.141592	7	3.141592	7	4.188789333333333	16
6	3.1415926	8	3.1415926	8	4.188790133333333	16
7	3.14159265	9	3.14159265	9	4.1887902	8
8	3.141592653	10	3.141592653	10	4.188790204	10
9	3.1415926535	11	3.1415926535	11	4.188790204666667	16
10	3.14159265358	12	3.14159265358	12	4.188790204773333	16
11	3.141592653589	13	3.141592653589	13	4.188790204785333	16
12	3.1415926535893	14	3.1415926535893	14	4.188790204785733	16
13	3.14159265358932	15	3.14159265358932	15	4.18879020478576	15
14	3.141592653589323	16	3.141592653589323	16	4.1887902047857635	17
15	3.1415926535893237	17	3.1415926535893237	17	4.188790204785764	16
16	3.1415926535893286	17	3.1415926535893286	17	4.1887902047857715	17
17	3.1415926535893286	17	3.1415926535893286	17	4.1887902047857715	17

Next steps: [Generate code with df](#) [View recommended plots](#) [New interactive chart](#)

## ✓ TUGAS 2

### PERSAMAAN KUADRAT

```
✓ [11] ## Menghitung Nilai D
0s
import math
def akarkuadrat(a, b, c):
    d = b * b - 4 * a * c
    akar = math.sqrt(abs(d))
    if d > 0:
        print('akar nyata dan berbeda, yaitu', (-b + akar)/(2 * a), 'dan', ((-b - akar)/(2 * a))
    elif d == 0:
        print('akar nyata dan sama, yaitu', (-b)/(2 * a))
    else:
        print("Akar Kompleks, yaitu")
        print(- b / (2 * a), akar, " + i")
        print(- b / (2 * a), akar, " - i")
```

```
✓ [12] ##Menemukan Solusi
17s
a = float(input('Masukkan nilai a: '))
b = float(input('Masukkan nilai b: '))
c = float(input('Masukkan nilai c: '))
print('')
if a == 0:
    print("Masukkan persamaan kuadrat yang benar")
else:
    akarkuadrat(a, b, c)
```

↗ Masukkan nilai a: 2  
Masukkan nilai b: 1  
Masukkan nilai c: 2

Akar Kompleks, yaitu  
-0.25 3.872983346207417 + i  
-0.25 3.872983346207417 - i

## ✓ Persamaan Kubik

```
✓ [13] def bisection(f,a,b,N):
0s
    if f(a)*f(b) >= 0:
        print("Metode bisection gagal.")
        return None
    a_n = a
    b_n = b
    for n in range(1,N+1):
        m_n = (a_n + b_n)/2
        f_m_n = f(m_n)
        if f(a_n)*f_m_n < 0:
            a_n = a_n
            b_n = m_n
        elif f(b_n)*f_m_n < 0:
            a_n = m_n
            b_n = b_n
        elif f_m_n == 0:
            print("Menemukan solusi yang tepat.")
            return m_n
        else:
            print("Metode bisection gagal.")
            return None
    return (a_n + b_n)/2
```

```
✓ [14] f = lambda x: x**2 - x - 1
0s
hasil = bisection(f,1,2,25)
print(hasil)
```

↗ 1.618033990263939

## Metode Newton-Raphson

```
def newton(f, Df, x0, epsilon, max_iter):
    xn = x0
    for n in range(0, max_iter):
        fxn = f(xn)
        if abs(fxn) < epsilon:
            print('Solusi ditemukan setelah', n, 'iterasi.')
            return xn
        Dfxn = Df(xn)
        if Dfxn == 0:
            print('Turunan nol. Tidak ada solusi yang ditemukan.')
            return None
        xn = xn - fxn / Dfxn
    print('Melebihi iterasi maksimum. Tidak ada solusi yang ditemukan.')
    return None
```

```
[16] f = lambda x: x**2 - x - 1
      Df = lambda x: 2*x - 1
      newton(f,Df,1,1e-8,10)
```

⇒ Solusi ditemukan setelah 5 iterasi.  
1.61803398874999

## Metode Sekan

```
[17] def sekan(f, a, b, N):
      if f(a) * f(b) >= 0:
          print("Metode Sekan Gagal: f(a) dan f(b) harus memiliki tanda yang berlawanan.")
          return None

      a_n = a
      b_n = b

      for n in range(1, N + 1):
          try:
              m_n = a_n - f(a_n) * (b_n - a_n) / (f(b_n) - f(a_n))
          except ZeroDivisionError:
              print("Terjadi pembagian dengan nol.")
              return None

          f_m_n = f(m_n)

          if f(a_n) * f_m_n < 0:
              a_n = a_n
              b_n = m_n
          elif f(b_n) * f_m_n < 0:
              a_n = m_n
              b_n = b_n
          elif f_m_n == 0:
              print("Menemukan solusi yang tepat.")
              return m_n
          else:
              print("Metode Sekan Gagal.")
              return None

      return a_n - f(a_n) * (b_n - a_n) / (f(b_n) - f(a_n))
```

```
[18] p = lambda x: x**3 - x**2 - 1
      hasil = sekan(p,1,2,20)
      print(hasil)
```

⇒ 1.4655712311394433

### ▼ TUGAS 3

#### Penjumlahan Matriks

```
[19] import numpy as np
A = np.array([[2, 3, 5], [4, 1, 2]])
B = np.array([[1, 2, 6], [3, 2, 1]])
C = A + B
print(C)
```

```
[[ 3  5 11]
 [ 7  3  3]]
```

#### ▼ Pengurangan Matriks

```
[20] A = np.array([[2, 6], [-4, 1], [3, 2]])
B = np.array([[6, -2], [4, 1], [0, 3]])
C = A - B
print(C)
```

```
[[ -4  8]
 [-8  0]
 [ 3 -1]]
```

#### ▼ Perkalian Skalar pada Matriks

```
[21] A = np.array([[2, 6], [-4, 1], [3, 2]])
C = 2 * A
print(C)
```

```
[[ 4 12]
 [-8  2]
 [ 6  4]]
```

#### ▼ Perkalian Matriks dengan Matriks

```
[22] A = np.array([[2, 1, -6], [1, -3, 2]])
B = np.array([[1, 0, -3], [0, 4, 2], [-2, 1, 1]])
C = A.dot(B)
print(C)
```

```
[[ 14 -2 -10]
 [-3 -10 -7]]
```

#### ▼ Determinan

```
[23] A = np.array([[3, -7], [-9, 5]])
determinan = np.linalg.det(A)
print(round(determinan))
```

```
-48
```

```
[24] A = np.array([[3, 0, -2], [6, -8, 1], [0, 3, 4]])
determinan = np.linalg.det(A)
print(round(determinan))
```

```
-141
```

## ▼ Invers

```
✓ 0s [25] A = np.array([[1, 2, 3], [2, 4, 3], [6, 1, 4]])  
      invers = np.linalg.inv(A)  
      print(invers)
```

```
⇒ [[-0.39393939  0.15151515  0.18181818]  
    [-0.3030303  0.42424242 -0.09090909]  
    [ 0.66666667 -0.33333333  0.        ]]
```

## ▼ Metode Eliminasi Gauss

```
✓ 10s [26] import sys  
      n = int(input('Masukkan jumlah variabel yang tidak diketahui: '))  
      a = np.zeros((n,n+1))  
      x = np.zeros(n)
```

```
⇒ Masukkan jumlah variabel yang tidak diketahui: 2
```

```
✓ 10s ▶ import sys  
  
print('Masukkan Koefisien Augmented Matriks:')  
n = int(input("Masukkan jumlah variabel: "))  
a = [[0.0 for j in range(n + 1)] for i in range(n)]  
  
for i in range(n):  
    for j in range(n + 1):  
        a[i][j] = float(input(f'a[{i}][{j}] = '))  
  
# Eliminasi Gauss  
for i in range(n):  
    if a[i][i] == 0.0:  
        sys.exit('Terdeteksi pembagian dengan nol')  
  
    for j in range(i + 1, n):  
        ratio = a[j][i] / a[i][i]  
        for k in range(n + 1):  
            a[j][k] = a[j][k] - ratio * a[i][k]
```

```
⇒ Masukkan Koefisien Augmented Matriks:  
Masukkan jumlah variabel: 2  
a[0][0] = 3  
a[0][1] = 4  
a[0][2] = 5  
a[1][0] = 6  
a[1][1] = 7  
a[1][2] = 5
```

## ▼ Proses Substitusi Mundur

```
# Inisialisasi solusi x dengan nol
x = [0 for _ in range(n)]

# Substitusi Balik
x[n-1] = a[n-1][n] / a[n-1][n-1]

for i in range(n-2, -1, -1):
    x[i] = a[i][n]
    for j in range(i+1, n):
        x[i] -= a[i][j] * x[j]
    x[i] /= a[i][i]
```

```
[29] print('\nSolusinya adalah: ')
      for i in range(n):
          print('%Xd = %f' %(i,x[i]), end = '\t')
```



```
Solusinya adalah:
X0 = -5.000000 X1 = 5.000000
```

## ▼ Metode Eliminasi Gauss Seidell

inisialisasi matrik A

```
[30] from numpy import array,zeros
```

```
A = array([
    [10., -1., 2., 0.],
    [-1., 11., -1., 3.],
    [ 2., -1., 10., -1.],
    [ 0., 3., -1., 8.]
])
```

```
print("Matriks A:")
print(A)
```



```
Matriks A:
[[10. -1.  2.  0.]
 [-1. 11. -1.  3.]
 [ 2. -1. 10. -1.]
 [ 0.  3. -1.  8.]]
```



### inisialisasi vektor b

```
[31] from numpy import array

b = array([
    [6.],
    [25.],
    [-11.],
    [15.]
])

print("Vektor b:")
print(b)
```

Vektor b:

```
[[ 6.]
 [25.]
 [-11.]
 [15.]]
```

```
[32] # Parameter
n = len(A)          # Ukuran sistem
iterasi = 500       # Maksimal iterasi
toleransi = 0.0001  # Ambang konvergensi

# Inisialisasi variabel
xlama = zeros((n, 1)) # x^(k)
xbaru = zeros((n, 1)) # x^(k+1)
c = zeros((n, 1))     # Konstanta vektor dalam bentuk iteratif
T = zeros((n, n))     # Matriks transformasi iteratif
```

### Menghitung matrik T dan vektor c

```
[33] # Hitung matriks T dan vektor c untuk metode Jacobi
for j in range(n):
    for i in range(n):
        if i != j:
            T[j][i] = -A[j][i] / A[j][j]
        else:
            T[j][i] = 0.0 # diagonal dibuat nol agar tidak dipakai dalam iterasi
    c[j][0] = b[j][0] / A[j][j]
```

### Metode Gauss-Seidel

```
[34] for m in range(1, iterasi + 1):
    for i in range(n):
        sum1 = 0
        for j in range(n):
            if j < i:
                sum1 += T[i][j] * xbaru[j][0] # gunakan nilai yang baru diupdate
            elif j > i:
                sum1 += T[i][j] * xlama[j][0] # gunakan nilai dari iterasi sebelumnya
        xbaru[i][0] = sum1 + c[i][0]

    # Cek konvergensi (berhenti jika perubahan sangat kecil)
    selisih = abs(xbaru - xlama)
    if all(selisih[i][0] < toleransi for i in range(n)):
        print(f"Konvergen pada iterasi ke-{m}")
        break

    xlama = xbaru.copy()
```

Konvergen pada iterasi ke-6

Mencetak hasil perhitungan

```
[35] print('iterasi ke', m)
      print(xbaru)
```

```
iterasi ke 6
[[ 1.00000836]
 [ 2.00000117]
 [-1.00000275]
 [ 0.99999922]]
```

## Metode Dekomposisi LU

inisialisasi matrik augment

```
[48] from numpy import array,zeros
```

```
A = array([
    [1,  0, -2, 7],
    [2, -1,  3, 4],
    [3, -3,  1, 5],
    [2,  1,  4, 4]
])
```

```
print("Matriks A:")
print(A)
```

```
Matriks A:
[[ 1  0 -2  7]
 [ 2 -1  3  4]
 [ 3 -3  1  5]
 [ 2  1  4  4]]
```

```
[49] b = array([[11],
                [ 9],
                [ 8],
                [10]])

print(b)
```

```
[[11]
 [ 9]
 [ 8]
 [10]]
```

```
[50] n = len(A)
      L = zeros((n,n))
      for i in range(0,n):
          L[i][i]=1
```

### Proses Triangularisasi

```
✓ [51] for k in range(0, n-1):  
    # pivot  
    if A[k][k] == 0:  
        for s in range(0, n):  
            v = A[k][s]  
            u = A[k+1][s]  
            A[k][s] = u  
            A[k+1][s] = v  
  
        for j in range(k+1, n):  
            m = A[j][k] / A[k][k]  
            L[j][k] = m  
            for i in range(0, n):  
                A[j][i] = A[j][i] - m * A[k][i]  
  
    U = zeros((n, n))  
    for i in range(0, n):  
        for j in range(0, n):  
            U[i][j] = A[i][j]
```

### Proses Substitusi Maju

```
✓ [52] y = zeros((n,1))  
y[0][0]=b[0][0]/L[0][0]  
for j in range(1,n):  
    S=0  
    for i in range(0,j):  
        S=S+y[i][0]*L[j][i]  
    y[j][0]=b[j][0]-S
```

### Proses Substitusi Mundur

```
✓ [53] x=zeros((n,1))  
x[n-1][0]=y[n-1][0]/U[n-1][n-1]  
for j in range(n-2,-1,-1):  
    S=0  
    for i in range(j+1,n):  
        S=S+U[j][i]*x[i][0]  
    x[j][0]=(y[j][0]-S)/U[j][j]  
print(x)
```

```
[[ -1.]  
 [ -0.]  
 [  1.]  
 [  2.]]
```

## ✓ TUGAS 4

### DIRECT METHOD

```
✓ [54] def terdekat(t, vt, tcari, jml):  
0s  
    tt = t[:]  
    selindex = []  
    closestvt = []  
    for i in range(jml):  
        daftar = []  
        for j in range(len(tt)):  
            daftar.append(abs(tt[j]-tcari))  
        n = daftar.index(min(daftar))  
        selindex.append(tt[n])  
        tt.remove(tt[n])  
    selindex.sort()  
    for k in selindex : closestvt.append(vt[t.index(k)])  
    return[selindex, closestvt]
```

```
✓ [55] t = [0, 10, 15, 20, 22.5, 30]  
0s  
    vt = [0, 227.04, 362.78, 517.35, 602.97, 901.67]  
    tcari = 16  
    points = [2, 3, 4, 5]  
    vtcari0 = 0
```

```
✓ [60] import numpy  
0s  
    matrixnya = numpy.zeros((len(t), len(t)+1))  
    for i in range(len(t)):  
        matrixnya[i, len(t)] = vt[i]  
        for j in range(len(t)):  
            matrixnya[i,j] = t[i]**j
```

```
✓ [54] def GaussJordan(A):  
0s  
    n = len(A)  
    x = numpy.zeros(n)  
    for k in range(n):  
        pivot = A[k][k]  
        A[k] = A[k]/pivot  
        for i in range(n):  
            if i == k: continue  
            factor = A[i][k]  
            for j in range(k, n+1):  
                A[i][j]-factor*A[k][j]  
    x = A[:,n]  
    return(x)
```

```
✓ [62] def interpdirect(t, vt, tcari):  
0s  
    matrixnya = numpy.zeros((len(t), len(t)+1))  
    for i in range(len(t)):  
        matrixnya[i, len(t)] = vt[i]  
        for j in range(len(t)):  
            matrixnya[i,j]=t[i]**j  
    a= GaussJordan(matrixnya)  
    vtcari = 0  
    for i in range(len(a)):  
        vtcari += a[i]*tcari**i  
    return[a, vtcari]
```


## Linear Regression Using Least Squares

```
[68] import pandas as pd
      data = pd.read_csv("../content/headbrain.csv")
      data.head()
```

-----  
FileNotFoundError Traceback (most recent call last)  
 <ipython-input-68-19bb0418b448> in <cell line: 0>()  
 1 import pandas as pd  
----> 2 data = pd.read\_csv("../content/headbrain.csv")  
 3 data.head()

-----  
⬆ 4 frames -----  
/usr/local/lib/python3.11/dist-packages/pandas/io/common.py in get\_handle(path\_or  
 871 if ioargs.encoding and "b" not in ioargs.mode:  
 872 # Encoding  
--> 873 handle = open(  
 874 handle,  
 875 ioargs.mode,  
FileNotFoundError: [Errno 2] No such file or directory: '../content/headbrain.csv'

Next steps: [Explain error](#)

 Generate

```
[69] X = data["Head_Size(cm^3)"].values
      Y = data["Brain Weight(grams)"].values
```

-----  
NameError Traceback (most recent call last)

```
[ ] def mean(values):
    return sum(values) / float(len(values))
mean_x = mean(X)
mean_y = mean(Y)
n = len(X)
```

```
▶ num = 0
den = 0
for i in range(n):
    num += (X[i] - mean_x) * (Y[i] - mean_y)
    den += (X[i] - mean_x) ** 2
```

```
■ m = num / den
print("nilai m : ", m)
```

```
[ ] c = mean_y - (m * mean_x)
print("nilai c : ", c)
```

```
[ ] Y_pred = m * X + c
```

```
[ ] import matplotlib.pyplot as plt
plt.figure(figsize=(18,8))
plt.scatter(X, Y, label='Actual')
plt.plot([min(X), max(X)], [min(Y_pred), max(Y_pred)], color='red', label='Predicted')
import matplotlib.pyplot as plt
plt.figure(figsize=(18,8))
plt.scatter(X, Y, label='Actual')
plt.plot([min(X), max(X)], [min(Y_pred), max(Y_pred)], color='red', label='Predicted')
plt.xlabel('Head Size in cm³')
plt.ylabel('Brain Weight in grams')
plt.legend()
plt.show()
```

```
[ ] import numpy as np
rmse = 0
for i in range(n):
    predictions = list()
    y_pred = c + m * X[i]
    rmse += (Y[i] - y_pred) ** 2
rmse = np.sqrt(rmse/n)
print("RMSE : ", rmse)
```

## ▼ TUGAS 6

### Trapezium Rule

```
[71] def trapezium(x0,xn,n):  
    h = (xn - x0) / n  
    integral = f(x0) + f(xn)  
    for i in range(1,n):  
        k = x0 + i*h  
        integral = integral + 2 * f(k)  
    integral = integral * h/2  
    return integral  
batas_bawah = float(input("Masukkan batas bawah integral: "))  
batas_atas = float(input("Masukkan batas atas integral: "))  
interval = int(input("Masukkan jumlah interval: "))  
hasil = trapezium(batas_bawah, batas_atas, interval)  
print("Integral hasil dengan aturan trapeium: %.1f" % (hasil) )
```

```
→ Masukkan batas bawah integral: 0  
Masukkan batas atas integral: 1  
Masukkan jumlah interval: 10  
Integral hasil dengan aturan trapeium: -1.2
```

```
[72] def f(x):  
    return 1/(1 + x**2)  
  
def simpson(x0,xn,n):  
    h = (xn - x0) / n  
    integral= f(x0) + f(xn)  
    for i in range(1,n):  
        k = x0 + i*h  
        if i%2 == 0:  
            integral = integral + 2 * f(k)  
        else:  
            integral = integral + 4 * f(k)  
    integral =integral * h/3  
    return integral  
  
batas_bawah = float(input("Masukkan batas bawah integral: "))  
batas_atas = float(input("Masukkan batas atas integral: "))  
interval = int(input("Masukkan jumlah interval: "))  
hasil = simpson(batas_bawah, batas_atas, interval)  
print("Integral hasil dengan aturan simpson 1/3: %.6f" % (hasil) )
```

```
→ Masukkan batas bawah integral: 0  
Masukkan batas atas integral: 1  
Masukkan jumlah interval: 10  
Integral hasil dengan aturan simpson 1/3: 0.785398
```