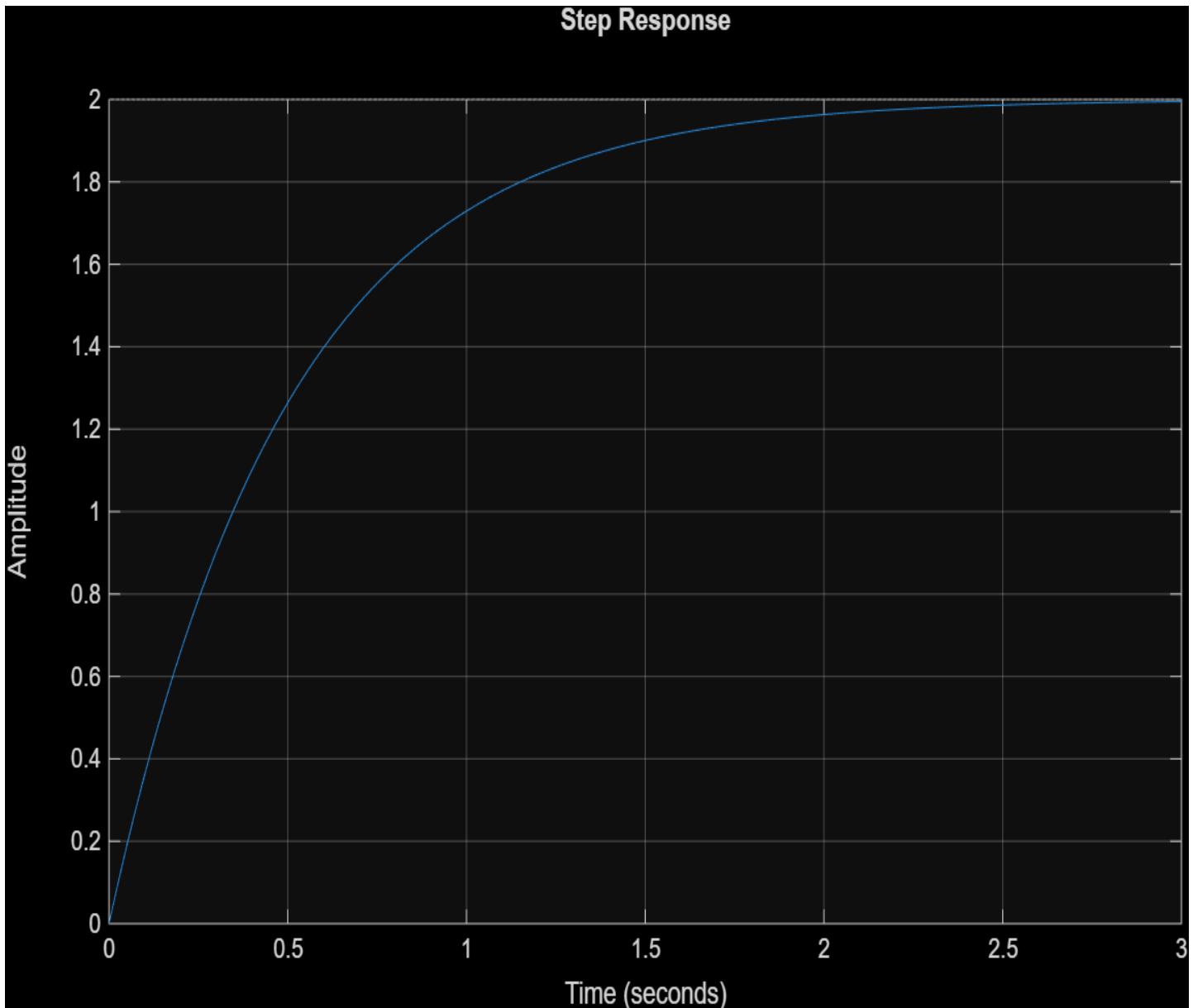


Assignment 1

Smart throttle for EV's Project

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Q1 1



2 Time constant = 0.5 sec ($2/(0.5s+1)$)

Rise Time = $2.2 \times \text{time constant} = 1.1 \text{ sec}$

Settling Time = $4 \times T = 2 \text{ sec}$

$y_{ss} = 2$

Error = -1

3 Curve flattens out at 2 on the y axis

Q2 1 1

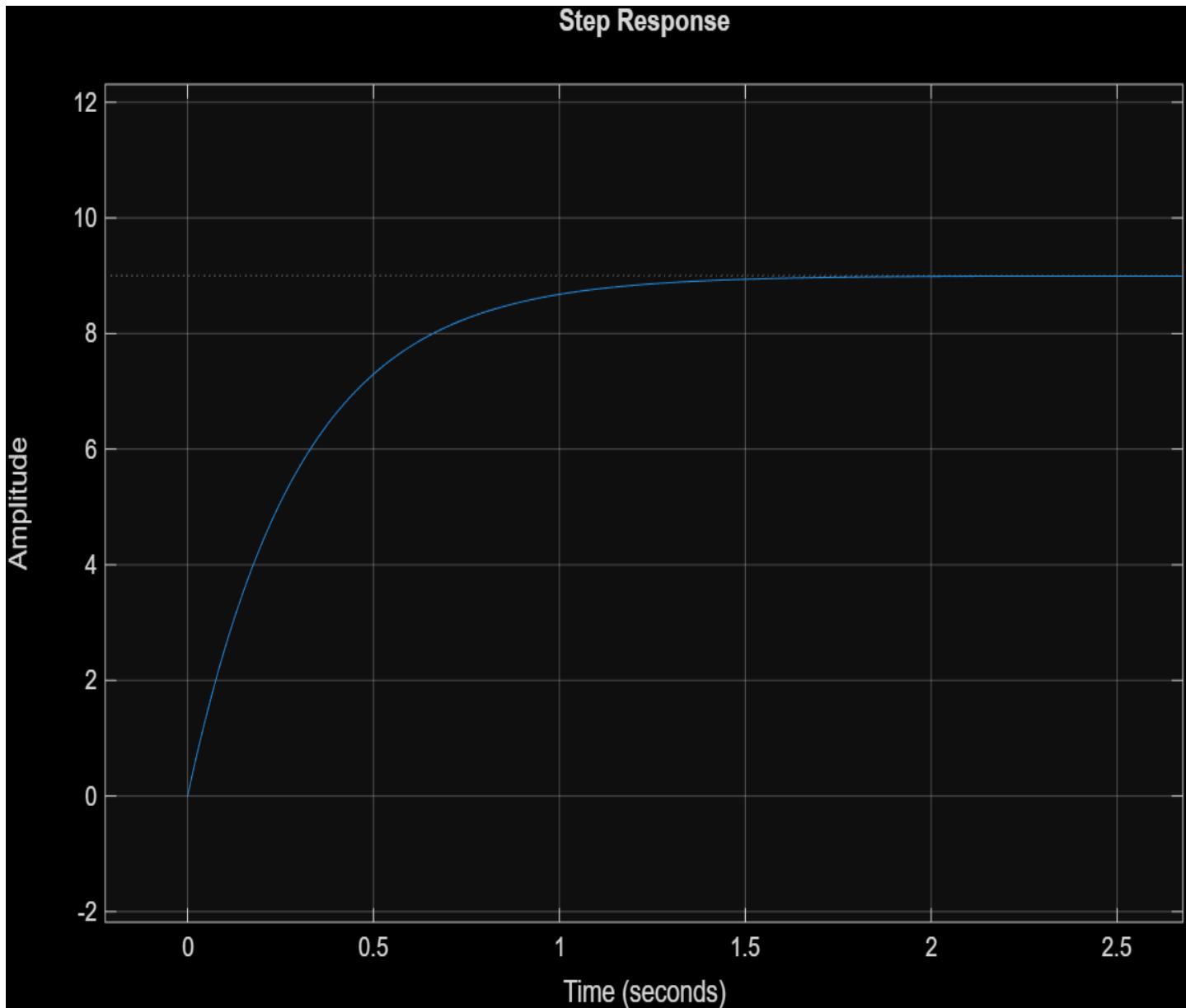
2 Infinity for open loop and 1 for closed loop.

3 It should overshoot 1 as when the step input is passed in the function the s^2 term is formed which corresponds to the linear increase of the output and thus it will overshoot.

Q3 1 a=3.33, K =9 (by solving the corresponding equations)

2 The K that we found in the error is the DC gain($G[0]$) of the plant and the a is same as above. Therefore, $K/3.33=9$, $K=29.97$

3 The system should be faster than the Q1 as the time constant is 0.3s which is lesser than 0.5s and the output value is $(1-0.1=0.9)$ thus it is lesser.



Q4 1 By solving the equation for $T(s)=3K(s+z)/((1+3K)s+(1+3Kz))$. Using the condition $y_{ss}=0.8$ i.e. $\lim_{s \rightarrow 0} T(s)$ this gives us $Kz=4/3$. The Damping ratio is greater than or equal to 0.6. Let $z<2.67$ and $K > 0.5$ using $t_s < 2$.

2 $T(s)=3Ks+4/(s(1+3K)+5)$.

- 3 i] Increase. Adding a zero to the closed-loop transfer function generally increases the overshoot because it adds a derivative term to the response making it react faster.
ii] Increases as we can observe from the steady state output value(y_{ss}).

iii] The controller adds a zero (which speeds up rise time) and gain K (which increases bandwidth). Both factors contribute to a faster response time compared to the original plant.

Q5 1 System type is defined by number of integrators in the open loop system. Thus it is zero.

2 It will show infinite error.

3 We had $y_{ss}=0.8$ thus substituting it in the equation we get $0.2/s$ which will tend to infinity at s tends to infinity.

4 No as the ramp error requires an integrator for the error to fix and addition of zero does smoothen the transient state but it does not fix the infinity situation.