MACHINE LEARNING ASSIGNEMENT

Problem Statement:

Take a toy dataset or any mathematic problem which involves prediction, solve it using any machine learning algorithm of choice and show the actual value via working out the math.

Dataset Preview:

| area | price | | | |
|------|--------|--|--|--|
| 2600 | 550000 | | | |
| 3000 | 565000 | | | |
| 3200 | 610000 | | | |
| 3600 | 595000 | | | |
| 4000 | 760000 | | | |
| 4100 | 810000 | | | |
| | | | | |
| | | | | |
| | | | | |

This dataset contains 6 rows and 2 columns. We use this dataset to find the relationship between area and price by training with machine learning algorithm -Linear Regression.

Simple linear regression is a statistical technique used for finding the existence of an association relationship between a dependent variable (outcome variable i.e., y) and an independent variable (predictor variable or feature i.e., x). We can only establish that change in the value of the outcome variable (Y) is associated with change in the value of feature (X). When we consider an elementary algebra the equation

for a line is "Y=mx+c". Here, we are going to calculate linear regression and predict the equation "y=a+bx".

$$a = \frac{\left[(\sum y)(\sum x^2) - (\sum x)(\sum xy) \right]}{\left[n(\sum x^2) - (\sum x)^2 \right]}$$
$$b = \frac{\left[n(\sum xy) - (\sum x)(\sum y) \right]}{\left[n(\sum x^2) - (\sum x^2) \right]}$$

Program:

Importing the libraries

import pandas as pd

import matplotlib.pyplot as plt

import numpy as np

#reading the dataset

data=pd.read_csv("C:/Users/tarun/Desktop/price.cs
v")

data.head()

| | area | price |
|---|------|--------|
| 0 | 2600 | 550000 |
| 1 | 3000 | 565000 |
| 2 | 3200 | 610000 |
| 3 | 3600 | 595000 |
| 4 | 4000 | 760000 |

data.tail()

| | area | price |
|---|------|----------------------|
| 1 | 3000 | 565000 |
| 2 | 3200 | 610000 |
| 3 | 3600 | 595000 |
| 4 | 4000 | 760000 |
| 5 | 4100 | 8100 <mark>00</mark> |

data.shape

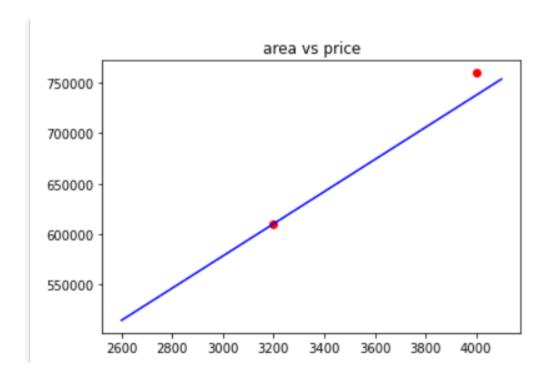
(6, 2) data.isnull().sum()

area 0

```
price 0
dtype: int64
x=data.iloc[:,:-1].values
y=data.iloc[:,-1].values
print(x)
[[2600]
 [3000]
 [3200]
 [3600]
 [4000]
 [4100]]
print(y)
[550000 565000 610000 595000 760000 810000]
from sklearn.model_selection import
train_test_split
x_train,x_test,y_train,y_test=train_test_split(x,y,tes
t size=0.2
x_train.shape
```

```
(4, 1)
y_train.shape
(4,)
y_test.shape
(2,)
from sklearn.linear_model import LinearRegression
model=LinearRegression()
model.fit(x train,y train)
LinearRegression()
y pred=model.predict(x test)
print(y_pred)
[610019.12045889 737896.74952199]
plt.scatter(x_test,y_test,color='red')
plt.plot(x_train,model.predict(x_train),color='blue')
plt.title('area vs price')
plt.xlable("price")
```

plt.ylable("area")



print(model.coef_)
[159.84703633]

print(model.intercept_)
98508.60420650104
y=model.predict([[20]])

print(y)

[101705.54493308]

```
Mathematically solving linear Regussion
    wwealth palco (y)
   3000 565000
           610000
   2600
           5 95000
          2 60000
                                          800,500,000,000
          5.50000 143000000 6760000
          5 65000 | 59500000 9000000
                                          2 101275,000,000
          6 1 0000 19 59 000000 10740000
                                          3 22,100,000,000
  3600
                               12960000
          5 9 5000 2 142000000
                                         254,025,000,000
                   3040000000 16000000
  4000
                                         523/600,000,000
          7 60000
                               168 10000
         £ 10000 3391000000
  4100
                                         656,100,000,000
         3890000 18.580000000 71930,000
                                         9 531,550,000,000
      CL = [(EX)(EX) - (EX)(EXY)]
               [m (Ex2) - (Ex)2]
 ex = [(E3)(2x1) - (Ex)(5x3)], (3890000)(21770000) - (20500)
[(1)5x1
- (Ex)(2x1) - (Ex)(1)
- (6(2)(2x1) - (21770,000)2
                           = 159 84703633
[m(21) - (5x))] = [6 (35800000) - (20500) (3580000)]
                     = 98508.60420650104
     V= 159.847036381(98508.60120050102)(80)
    Y = 101705-5449380P
```